PROxAb Shuttle in-vivo

2024-06-03 Created 2024-06-14 Add metabolites

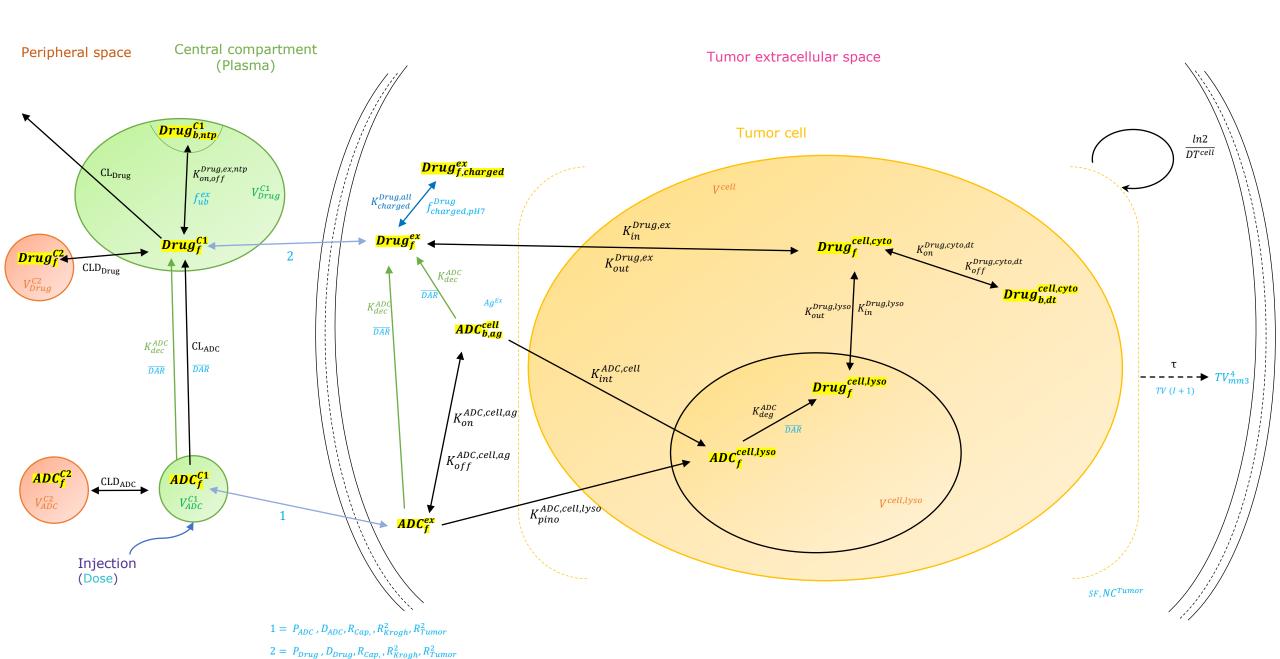
2024-08-09 Add ADC with 2 free arms

2024-08-09 MoA Protacs (ubiquitination in 1 step)

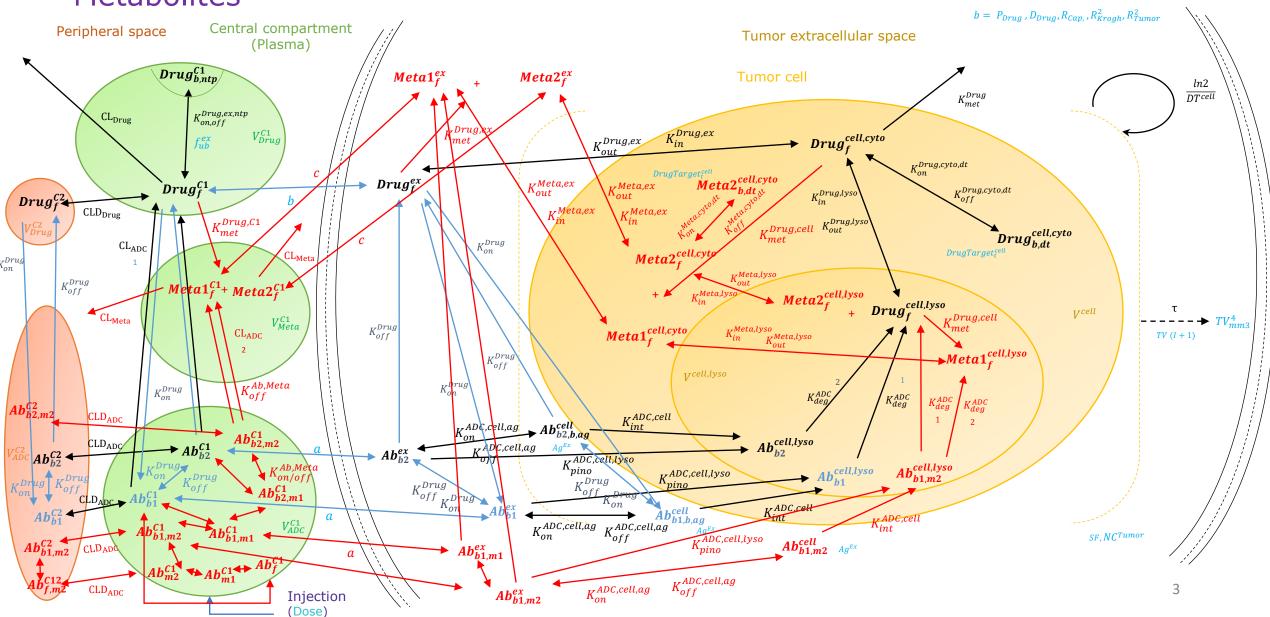
!! Be aware app parameters labeled with Ab correspond to those in this presentation labeled with ADC !! E.g.

presentation $CL_{ADC} = CL_{Ab}$ app

Mathematical description of mechanisms in-vivo

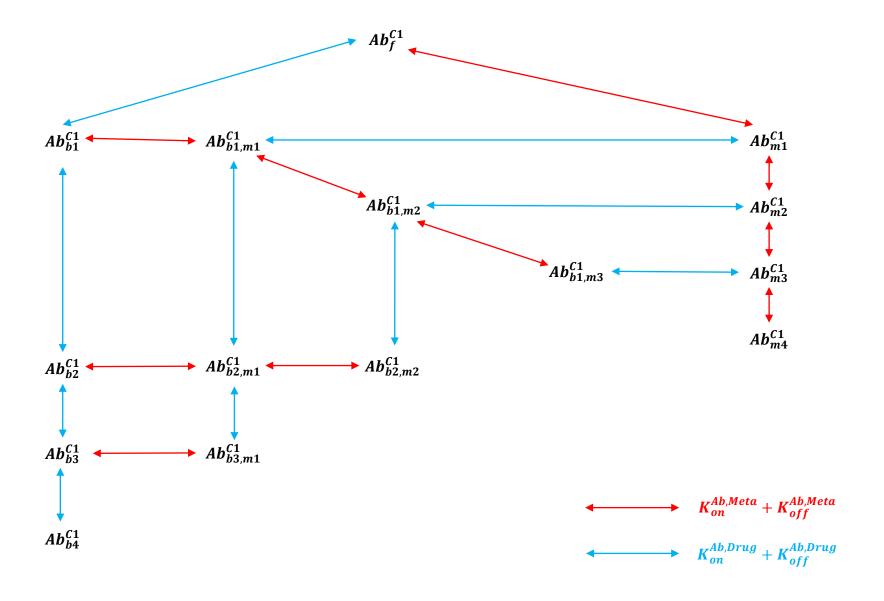


Mathematical description of mechanisms in-vivo Metabolites



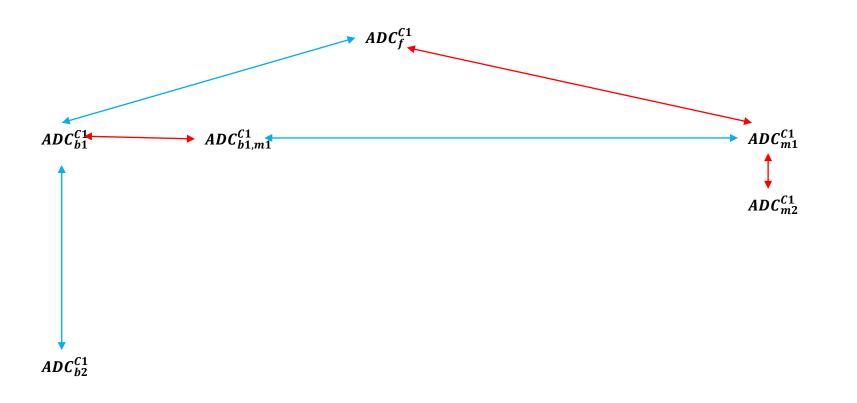
 $a = P_{ADC}$, D_{ADC} , R_{Cap} , R_{Krogh}^2 , R_{Tumor}^2

(Un-)Binding of Protacs and Metabolites in central compartment and tumor extracellular space



Same reactions apply to tumor extracellular space *ex*. But in peripheral space *C2* we have only drug (un-)binding

(Un-)Binding of Protacs and Metabolites in central compartment and tumor extracellular space

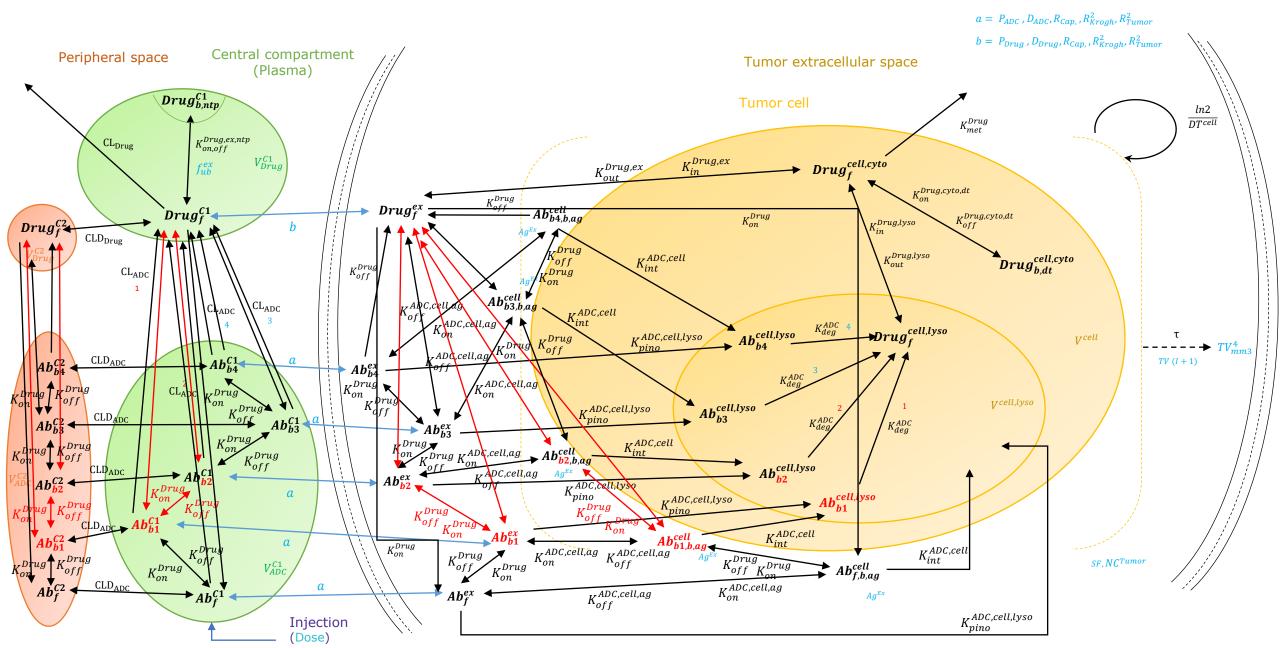


Same reactions apply to tumor extracellular space *ex*. But in peripheral space *C2* we have only drug (un-)binding

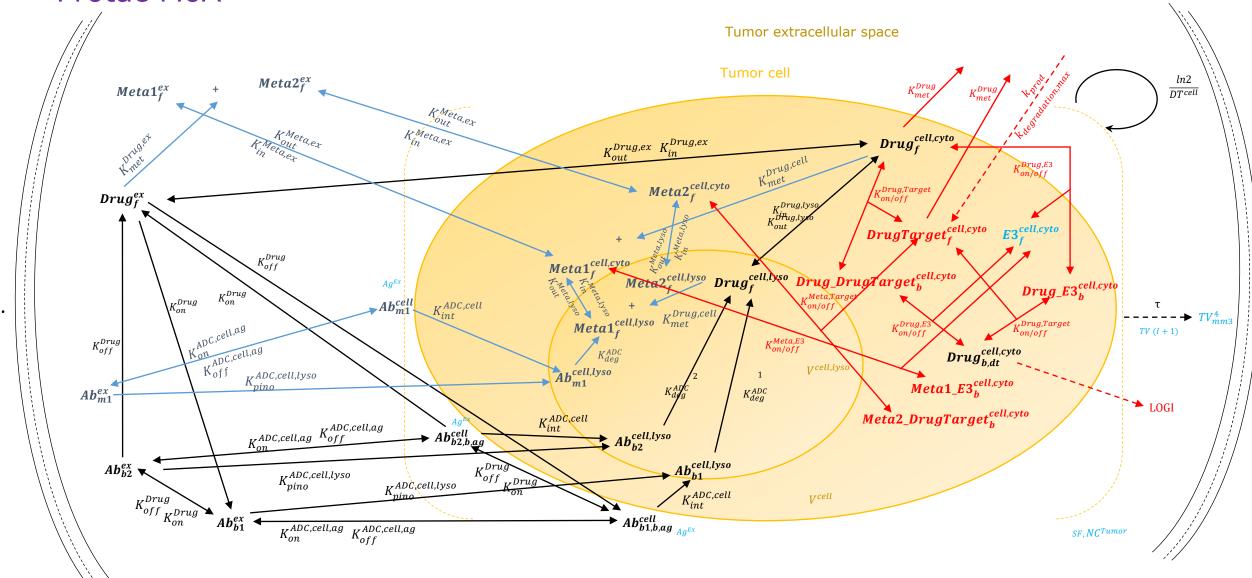
$$K_{on}^{Ab,Meta} + K_{off}^{Ab,Meta}$$

$$K_{on}^{Ab,Drug} + K_{off}^{Ab,Drug}$$

Mathematical description of mechanisms in-vivo



Mathematical description of mechanisms in-vivo Protac MoA



Total antibody in plasma

$$Ab_{t}^{C1} = \left(Ab_{f}^{C1} + \sum_{i=1}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj}^{C1}\right) \times \frac{MW_{Ab}}{V_{Ab}^{C1}} \times 10^{-3}$$

Total antibody in tumor

$$Ab_{t}^{ex} = \left(Ab_{f}^{ex} + \sum_{i=1}^{max} Ab_{bi}^{ex} + \sum_{j=1}^{max} Ab_{mj}^{ex} + \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj}^{ex}\right) \times MW_{Ab} \times 10^{-3}$$

$$+ \left(Ab_{f,b,ag}^{cell} + \sum_{i=1}^{max} Ab_{bi,b,ag}^{cell} + \sum_{i=1}^{max} Ab_{mj,b,ag}^{cell} + \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell}\right) \times \frac{NC^{tumor} \times SF}{V^{tumor}} \times MW_{Ab} \times 10^{-3}$$

Total PROTAC in plasma

$$Drug_{t}^{C1} = \left(Drug_{f}^{C1} \times V_{Drug}^{C1} + Drug_{b,ntp}^{C1} \times V_{Drug}^{C1} + \sum_{i=1}^{max} Ab_{bi}^{C1} \times i + \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj}^{C1} \times i\right) \times \frac{MW_{Drug}}{V_{Drug}^{C1}} \times 10^{-3}$$

$$Drug_f^{ex} + \left(\sum_{i=1}^{max} Ab_{bi}^{ex} \times i + \sum_{i=1}^{i+j \leq max} Ab_{bi,mj}^{ex} \times i\right) \times V^{tumo}$$

 $g_{t}^{ex} = \begin{pmatrix} \sum_{i=1}^{max} Ab_{bi,b,ag}^{ex} \times i + \sum_{i=1}^{max} Ab_{bi,mj,b,ag}^{ex} \times i + \sum_{i=1}^{max} Ab_{bi,mj,b,ag}^{ex} \times i + \sum_{i=1}^{max} Ab_{bi,mj,b,ag}^{ex} \times i + \sum_{i=1}^{max} Ab_{bi,mj,b,ag}^{cell,cyto} + Drug_{f}^{cell,cyto} + Drug_{b,dt}^{cell,cyto} + Drug_{b$

Average drug-to-antibody ratio for covalent bound ADC

$$\frac{d(\overline{DAR})}{dt} = -K_{dec}^{ADC} \times \overline{DAR}$$
Due to non-specific deconjugation of ADC

Mean DAR in plasma (only Protacs)

$$meanDAR = \frac{(Ab_{f}^{C1} \times 0 + \sum_{i=1}^{max} Ab_{bi}^{C1} \times i + \sum_{j=1}^{max-1} Ab_{b1,mj}^{C1} \times 1 + \sum_{j=1}^{max-2} Ab_{b2,mj}^{C1} \times 2 + Ab_{b3,m1}^{C1} \times 3) \times \frac{BW}{SF}}{\left(\sum_{i=0}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j\leq max} Ab_{bi,mj}^{C1}\right) \times \frac{BW}{SF}} + \left(\frac{\sum_{i=1}^{2} ADC_{bi}^{C1} \times i + ADC_{b1,m1}^{C1}}{\sum_{i=0}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{b1,m1}^{C1}} + DAR\right) \times \frac{\sum_{i=0}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{b1,m1}^{C1}}{\sum_{i=0}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{b1,m1}^{C1} + (\sum_{i=0}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j\leq max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j\leq max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{bi}^{C1} + \sum_{i=1}^{max} Ab_{bi}^{C1} + \sum_{i=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j\leq max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{mj}^{C1} + \sum_{i,j=1}^{i+j\leq max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{bi}^{C1} + \sum_{j=1}^{i+j\leq max} Ab_{bi}^{C1} + \sum_{j=1}^{max} Ab_{bi}^{C1} + \sum_{j$$

Amount of free ADC (nmol/kg) (bound to 0 Protacs) in central compartment

$$\frac{d(ADC_f^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_f^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_f^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_f^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_f^{C1}}{V_{ADC}^{C1}} - \frac{ADC_f^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$-K_{on}^{Ab,Drug}\times 2\times ADC_{f}^{C1}\times Drug_{f}^{C1}+K_{off}^{Ab,Drug}\times ADC_{b1}^{C1}-K_{on}^{Ab,Meta}\times 2\times ADC_{f}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times ADC_{m1}^{C1}$$
To binding to drug

From unbinding of drug

To binding to metabolite

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{nmol}{h} \times nmol}{nm^2} + \frac{cm^2/h}{cm^2}\right) - \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{kg}} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{kg}} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{nmol}{kg} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of ADC bound to 1 Protac in central compartment/plasma

$$\frac{d(ADC_{b1}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b1}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_{b1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) - K_{on}^{Ab,Drug} \times ADC_{b1}^{C1} \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times ADC_{b2}^{C1}$$
To tumor extracellular space

To binding to drug

From unbinding of drug

$$+K_{on}^{Ab,Drug}\times 2\times ADC_{f}^{C1}\times Drug_{f}^{C1}-K_{off}^{Ab,Drug}\times ADC_{b1}^{C1}-K_{on}^{Ab,Meta}\times ADC_{b1}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times ADC_{b1,m1}^{C1}$$
 From unbinding of drug

Amount (nmol/kg) of ADC bound to 2 Protacs in central compartment/plasma

$$\frac{d(ADC_{b2}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_{b2}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b2}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b2}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_{b2}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b2}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

Amount (nmol/kg) of ADC bound to 1 Metabolite1 in central compartment/plasma

$$\frac{d(ADC_{m1}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_{m1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{m1}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{m1}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_{m1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right) - K_{on}^{Ab,Drug} \times ADC_{m1}^{C1} \times Drug_f^{C1} + K_{off}^{Ab,Drug} \times ADC_{b1,m1}^{C1}$$

To tumor extracellular space

To binding to drug

From unbinding of drug

$$+K_{on}^{Ab,Meta}\times 2\times ADC_{f}^{C1}\times Meta1_{f}^{C1}-K_{off}^{Ab,Meta}\times ADC_{m1}^{C1}-K_{on}^{Ab,Meta}\times ADC_{m1}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times ADC_{m2}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta1}\times ADC_{m2}^{C1}\times Meta1_{f}^{C1}\times$$

From binding to metabolite

To unbinding of metabolite

To binding to metabolite

Amount (nmol/kg) of ADC bound to 2 Metabolites1 in central compartment/plasma

$$\frac{d(ADC_{m2}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_{m2}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{m2}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{m2}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_{m2}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$+K_{on}^{Ab,Meta} \times ADC_{m1}^{C1} \times Meta1_{f}^{C1} - K_{off}^{Ab,Meta} \times ADC_{m2}^{C1}$$

From binding to metabolite

Amount (nmol/kg) of ADC bound to 1 Protac and 1 Metabolite1 in central compartment/plasma

$$\frac{d(ADC_{b1,m1}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1,m1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1,m1}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b1,m1}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{ADC_{b1,m1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$+K_{on}^{Ab,Drug}\times ADC_{m1}^{C1}\times Drug_{f}^{C1}-K_{off}^{Ab,Drug}\times ADC_{b1,m1}^{C1}$$
 From binding to drug To unbinding of drug
$$+K_{on}^{Ab,Meta}\times ADC_{b1}^{C1}\times Meta1_{f}^{C1}-K_{off}^{Ab,Meta}\times ADC_{b1,m1}^{C1}$$
 From binding to metabolite To unbinding of metabolite

Amount (nmol/kg) of free Antibody (bound to 0 Protacs) in central compartment/plasma

$$\frac{d(Ab_f^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_f^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_f^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_f^{C2}$$
To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{f}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{f}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) - K_{on}^{Ab,Drug} \times max \times Ab_{f}^{C1} \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times Ab_{b1}^{C1}$$
To tumor extracellular space

To binding to drug

From unbinding of drug

$$-K_{on}^{Ab,Meta} \times max \times Ab_{f}^{C1} \times Meta1_{f}^{C1} + K_{off}^{Ab,Meta} \times Ab_{m1}^{C1}$$
 To binding to metabolite

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right) - \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{nmol}{kg} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of Antibody bound to i Protacs in central compartment/plasma, i = 1,2,3

$$\frac{d(Ab_{bi}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi}^{C2}$$
To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{bi}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) - K_{on}^{Ab,Drug} \times (max - i) \times Ab_{bi}^{C1} \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times Ab_{bi+1}^{C1}$$

To tumor extracellular space

To binding to drug

From unbinding of drug

$$+K_{on}^{Ab,Drug}\times(max-i+1)\times Ab_{bi-1}^{C1}\times Drug_f^{C1}-K_{off}^{Ab,Drug}\times Ab_{bi}^{C1}-K_{on}^{Ab,Meta}\times(max-i)\times Ab_{bi}^{C1}\times Meta1_f^{C1}+K_{off}^{Ab,Drug}\times Ab_{bi}^{C1}+K_{on}^{Ab,Drug}\times Ab_{bi}^{C1}+K_{off}^{Ab,Drug}\times Ab_{bi}^{C1}+K_{off}^{Ab,Dru$$

From binding to drug

To unbinding of drug

To binding to metabolite

From unbir

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right) - \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{l}{kg \times \frac{l}{kg}} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of Antibody bound to 4 Protacs in central compartment/plasma

$$\frac{d(Ab_{b4}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{b4}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{b4}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{b4}^{C2}$$
To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{b4}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{b4}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$+K_{on}^{Ab,Drug} \times Ab_{b3}^{C1} \times Drug_{f}^{C1} - K_{off}^{Ab,Drug} \times Ab_{b4}^{C1}$$

From binding to drug

To unbinding of drug

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right) - \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{l}{kg} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of Antibody bound to j Metabolites 1 in central compartment/plasma, j = 1,2,3

$$\frac{d(Ab_{mj}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{mj}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{mj}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) - K_{on}^{Ab,Drug} \times (max - j) \times Ab_{mj}^{C1} \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times Ab_{b1,mj}^{C1}$$
To tumor extracellular space

To tumor extracellular space

To binding to drug

From unbinding of drug

$$+K_{on}^{Ab,Meta}\times(max-j+1)\times Ab_{mj-1}^{C1}\times Meta1_{f}^{C1}-K_{off}^{Ab,Meta}\times Ab_{mj}^{C1}-K_{on}^{Ab,Meta}\times(max-j)\times Ab_{mj}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times Ab_{mj}^{C1}+K_{on}^{Ab,Meta}\times(max-j)\times Ab_{mj}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times Ab_{mj}^{C1}+K_{on}^{Ab,Meta}\times(max-j)\times Ab_{mj}^{C1}\times Meta1_{f}^{C1}+K_{off}^{Ab,Meta}\times Ab_{mj}^{C1}+K_{on}^{Ab,Meta}\times Ab_{mj}^{C1}+K_{off}^{Ab,Meta}\times Ab_{mj}^{$$

From binding to metabolite

To unbinding of metabolite

To binding to metabolite

From unbir

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right) - \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{l}{kg} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of Antibody bound to 4 Metabolites1 in central compartment/plasma

$$\frac{d(Ab_{m4}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{m4}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{m4}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{m4}^{C2}$$
To partial and a property of ADCs. To partial and a property of the property of

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{m4}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{m4}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$+K_{on}^{Ab,Meta} \times Ab_{m3}^{C1} \times Meta1_{f}^{C1} - K_{off}^{Ab,Meta} \times Ab_{m4}^{C1}$$

From binding to metabolite

Units:
$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg + \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg - \left(\frac{nmol/kg}{l/kg} - \frac{nmol/l}{1}\right) \times \frac{l}{kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right)$$
$$- \frac{l}{h} \times \left(\frac{1}{l/kg \times kg}\right) \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times (1 - 1 - 1) \times 1 \times \frac{nmol}{kg \times \frac{l}{kg}} + \frac{1}{h} \times 1 \times 1 \times \frac{nmol}{kg} - \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol}{kg} \times \frac{nmol}{kg} \times \frac{l}{kg} + \frac{1}{h} \times \frac{nmol}{kg}$$

Amount (nmol/kg) of Antibody bound to i Protac and j Metabolites1 in central compartment/plasma, i = 1,2 and j = 1,2 with i + j < max

$$\frac{d(Ab_{bi,mj}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi,mj}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) - K_{on}^{Ab,Drug} \times (max - i - j) \times Ab_{bi,mj}^{C1} \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times Drug_{$$

To tumor extracellular space

To binding to drug

From unbinding of

$$+K_{on}^{Ab,Drug}\times(max-i+1-j)\times Ab_{bi-1,mj}^{C1}\times Drug_{f}^{C1}-K_{off}^{Ab,Drug}\times Ab_{bi,mj}^{C1}-K_{on}^{Ab,Meta}\times(max-i-j)\times Ab_{bi,mj}^{C1}\times Max_{on}^{C1}\times Max_{on}^{$$

From binding to drug

To unbinding of drug

To binding to metabolite

$$+K_{off}^{Ab,Meta}\times Ab_{bi,mj+1}^{C1}+K_{on}^{Ab,Meta}\times (max-i-j+1)\times Ab_{bi,mj-1}^{C1}\times Meta1_{f}^{C1}-K_{off}^{Ab,Meta}\times Ab_{bi,mj}^{C1}$$

From unbinding of metabolite

From binding to metabolite

Amount (nmol/kg) of Antibody bound to i Protac and j Metabolites1 in central compartment/plasma, i = 1,2,3 and j = 1,2,3 with i + j = max

$$\frac{d(Ab_{bi,mj}^{C1})}{dt} = -\frac{CL_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} + \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi,mj}^{C2}$$

To clearance of ADC To peripheral space From peripheral space

$$-\left(\frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{V^{tumor}}{BW} \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

To tumor extracellular space

$$+K_{on}^{Ab,Drug}\times (max-i+1-j)\times Ab_{bi-1,mj}^{C1}\times Drug_{f}^{C1}-K_{off}^{Ab,Drug}\times Ab_{bi,mj}^{C1}$$
 From binding to drug

$$+K_{on}^{Ab,Meta}\times(max-i-j+1)\times Ab_{bi,mj-1}^{C1}\times Meta1_{f}^{C1}-K_{off}^{Ab,Meta}\times Ab_{bi,mj}^{C1}$$

From binding to metabolite

Concentration (nM) of free (unbound) Drug in central compartment/plasma

$$\frac{d(Drug_{f}^{C1})}{dt} = -\frac{CL_{Drug}}{V_{Drug}^{C1}} \times Drug_{f}^{C1} - \frac{CLD_{Drug}}{V_{Drug}^{C1}} \times Drug_{f}^{C1} + \frac{CLD_{Drug}}{V_{Drug}^{C1}} \times Drug_{f}^{C2} + \frac{\sum_{i=1,j=0}^{max} CL_{ADC} \times i \times \frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}}}{V_{Drug}^{C1}}$$
To clearance of drug

To peripheral space

From peripheral space

From clearance of Ab bound to i Protacs

$$-\left(Drug_{f}^{C1} - \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}}\right) \times \frac{V^{tumor}}{V_{Drug}^{C1} \times BW} \times \left(\frac{2 \times P_{Drug} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{Drug}}{R_{Tumor}^{2}}\right) + \frac{K_{dec}^{ADC} \times \left(\sum_{i=0}^{2} ADC_{bi}^{C1} + \sum_{j=1}^{2} ADC_{mj}^{C1} + ADC_{b1,m}^{C1}\right)}{V_{Drug}^{C1}}$$

To tumor extracellular space

To tumor extracellular space
$$\frac{CL_{ADC} \times \overline{DAR} \times \sum_{i=0}^{C} \overline{ADC_{bi}^{C1}} + \sum_{j=1}^{2} \overline{ADC_{bi}^{C1}} + \sum_{j=1}^$$

To and from protein binding

From clearance of ADC

$$-\sum_{i,j=0,i+j< max}^{max-1} K_{on}^{Ab,Drug} \times (max-i-j) \times \frac{Ab_{bi,mj}^{C1}}{V_{Drug}^{C1}} \times Drug_f^{C1} + \sum_{i=1,j=0,i+j \leq max}^{max} K_{off}^{Ab,Drug} \times \frac{Ab_{bi,mj}^{C1}}{V_{Drug}^{C1}}$$

To binding to antibody

From unbinding of antibody

$$-K_{on}^{Ab,Drug} \times \left(2 \times \frac{ADC_{f}^{C1}}{V_{Drug}^{C1}} + \frac{ADC_{b1}^{C1}}{V_{Drug}^{C1}} + \frac{ADC_{m1}^{C1}}{V_{Drug}^{C1}}\right) \times Drug_{f}^{C1} + K_{off}^{Ab,Drug} \times \left(\frac{ADC_{b1}^{C1}}{V_{Drug}^{C1}} + \frac{ADC_{b2}^{C1}}{V_{Drug}^{C1}} + \frac{ADC_{b1,m1}^{C1}}{V_{Drug}^{C1}}\right)$$

Concentration (nM) of drug bound to unspecific protein in central compartment/plasma

$$\frac{d(Drug_{b,ntp}^{C1})}{dt} = \underbrace{K_{on,off}^{Drug,ex,ntp} \times (1 - f_{ub}^{ex}) \times Drug_{f}^{C1} - K_{on,off}^{Drug,ex,ntp} \times f_{ub}^{ex} \times Drug_{b,ntp}^{C1}}_{\text{To unspecific protein binding}}$$
To unspecific protein unbinding

Units:
$$\frac{nmol}{l \times h} = \frac{1}{h} \times 1 \times \frac{nmol}{l} - \frac{1}{h} \times 1 \times \frac{nmol}{l}$$

Concentration (nM) of free (unbound) Metabolite1 in central compartment/plasma

$$\frac{d(Meta1_{f}^{C1})}{dt} = -\frac{CL_{Meta}}{V_{Meta}^{C1}} \times Meta1_{f}^{C1} + \frac{\sum_{i=0,j=1}^{max} CL_{ADC} \times j \times \frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}}}{V_{Meta}^{C1}} + K_{met}^{Drug,C1} \times Drug_{f}^{C1}$$
To clearance

From clearance of Ab bound to j Metabolites1

From metabolism

$$-\left(Meta1_{f}^{C1} - \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times \frac{V^{tumor}}{V_{Meta}^{C1} \times BW} \times \left(\frac{2 \times P_{Meta} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{Meta}}{R_{Tumor}^{2}}\right)$$

To tumor extracellular space

$$-\sum_{i,j=0,i+j<\max}^{\max-1} K_{on}^{Ab,Meta} \times (\max-i-j) \times \frac{Ab_{bi,mj}^{C1}}{V_{Meta}^{C1}} \times Meta1_{f}^{C1} + \sum_{i=0,j=1,i+j\leq\max}^{\max} K_{off}^{Ab,Meta} \times \frac{Ab_{bi,mj}^{C1}}{V_{Meta}^{C1}}$$

From unbinding of antibody

$$-K_{on}^{Ab,Meta} \times \left(2 \times \frac{ADC_{f}^{C1}}{V_{Meta}^{C1}} + \frac{ADC_{b1}^{C1}}{V_{Meta}^{C1}} + \frac{ADC_{m1}^{C1}}{V_{Meta}^{C1}}\right) \times Meta1_{f}^{C1} + K_{off}^{Ab,Meta} \times \left(\frac{ADC_{m1}^{C1}}{V_{Meta}^{C1}} + \frac{ADC_{b1,m1}^{C1}}{V_{Meta}^{C1}}\right)$$

Concentration (nM) of free Metabolite2 in central compartment/plasma

$$\frac{d(Meta2_f^{C1})}{dt} = -\frac{CL_{Meta}}{V_{Meta}^{C1}} \times Meta2_f^{C1} + K_{met}^{Drug,C1} \times Drug_f^{C1}$$
To clearance From metabolism

$$-\left(Meta2_{f}^{C1} - \frac{Meta2_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times \frac{V^{tumor}}{V_{Meta}^{C1} \times BW} \times \left(\frac{2 \times P_{Meta} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{Meta}}{R_{Tumor}^{2}}\right)$$

To tumor extracellular space

Units:
$$\frac{nmol}{l\times h} = -\frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} - \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} + \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} + \frac{\frac{1}{h}\times\frac{nmol}{kg}\times 1}{l/kg} + \frac{\frac{l}{h}/kg\times 1\times\frac{nmol/kg}{l/kg}}{l/kg}$$
$$-\left(\frac{nmol}{l} - \frac{nmol}{l\times 1}\right) \times \frac{l}{l/kg\times kg} \times \left(\frac{\frac{um}{h}\times um}{um^2} + \frac{cm^2/h}{cm^2}\right) \frac{1}{h} \times \frac{nmol}{l} + \frac{1}{h}\times 1\times\frac{nmol}{l} + \frac{1}{h}\times 1\times\frac{1\times nmol}{kg\times\frac{l}{kg}} - \frac{1}{h}\times\frac{l\times 1}{kg\times\frac{l}{kg}} \times \frac{nmol}{l}$$

Amount (nmol/kg) of free ADC (bound to 0 Protacs) in peripheral compartment

$$\frac{d (ADC_f^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_f^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_f^{C2}$$

$$-K_{on}^{Ab,Drug} \times 2 \times ADC_f^{C2} \times Drug_f^{C2} + K_{off}^{Ab,Drug} \times ADC_{b1}^{C2}$$
To binding to drug

From unbinding of drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of ADC bound to 1 Protac in peripheral compartment

$$\frac{d \left(ADC_{b1}^{C2}\right)}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b1}^{C2}$$

From central space To central space

$$-K_{on}^{Ab,Drug}\times ADC_{b1}^{C2}\times Drug_{f}^{C2}+K_{off}^{Ab,Drug}\times ADC_{b2}^{C2}$$
 To binding to drug From unbinding of drug

$$+K_{on}^{Ab,Drug} \times 2 \times ADC_{f}^{C2} \times Drug_{f}^{C2} - K_{off}^{Ab,Drug} \times ADC_{b1}^{C2}$$
From binding to drug

To unbinding of drug

Units:

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of ADC bound to 2 Protacs in peripheral compartment

$$\frac{d (ADC_{b2}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b2}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b2}^{C2}$$

$$+K_{on}^{Ab,Drug} \times ADC_{b1}^{C2} \times Drug_{f}^{C2} - K_{off}^{Ab,Drug} \times ADC_{b2}^{C2}$$

From binding to drug

To unbinding of drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of ADC bound to 1 Metabolite1 in peripheral compartment

$$\frac{d \left(ADC_{m1}^{C2}\right)}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{m1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{m1}^{C2}$$

From central space To central space

$$-K_{on}^{Ab,Drug} \times ADC_{m1}^{C2} \times Drug_{f}^{C2} + K_{off}^{Ab,Drug} \times ADC_{b1,m1}^{C2}$$
To binding to drug

From unbinding of drug

Units:

$$rac{nmol}{kg imes h} = rac{rac{l}{h}/kg}{l/kg} imes rac{nmol}{kg} - rac{rac{l}{h}/kg}{l/kg} imes nmol/kg$$

Amount (nmol/kg) of ADC bound to 2 Metabolites1 in peripheral compartment

$$\frac{d \left(ADC_{m2}^{C2}\right)}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{m2}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{m2}^{C2}$$

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of ADC bound to 1 Protac and 1 Metabolite1 in peripheral compartment

$$\frac{d(ADC_{b1,m1}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times ADC_{b1,m1}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times ADC_{b1,m1}^{C2}$$

$$+K_{on}^{Ab,Drug} \times ADC_{m1}^{C2} \times Drug_{f}^{C2} - K_{off}^{Ab,Drug} \times ADC_{b1,m1}^{C2}$$
 From binding to drug To unbinding of drug

Amount (nmol/kg) of free Antibody (bound to 0 Protacs) in peripheral compartment

$$\frac{d (Ab_f^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_f^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_f^{C2}$$

$$-K_{on}^{Ab,Drug}\times max\times Ab_{f}^{C2}\times Drug_{f}^{C2}+K_{off}^{Ab,Drug}\times Ab_{b1}^{C2}$$
 To binding to drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of Antibody bound to i Protacs in peripheral compartment, i = 1,2,3

$$\frac{d (Ab_{bi}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi}^{C2}$$

From binding to drug

From central space To central space

$$-K_{on}^{Ab,Drug} \times (max-i) \times Ab_{bi}^{C2} \times Drug_{f}^{C2} + K_{off}^{Ab,Drug} \times Ab_{bi+1}^{C2}$$

$$\text{To binding to drug} \qquad \text{From unbinding of drug}$$

$$+K_{on}^{Ab,Drug} \times (max-i+1) \times Ab_{i-1}^{C2} \times Drug_{f}^{C2} - K_{off}^{Ab,Drug} \times Ab_{bi}^{C2}$$

To unbinding of drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of Antibody bound to 4 Protacs in peripheral compartment

$$\frac{d (Ab_{b4}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{b4}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{b4}^{C2}$$

$$+K_{on}^{Ab,Drug} \times Ab_{b3}^{C2} \times Drug_{f}^{C2} - K_{off}^{Ab,Drug} \times Ab_{b4}^{C2}$$
 From binding to drug To unbinding of drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of Antibody bound to j Metabolites1 in peripheral compartment, j = 1,2,3

$$\frac{d (Ab_{mj}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{mj}^{C2}$$

$$-K_{on}^{Ab,Drug}\times (max-j)\times Ab_{mj}^{C2}\times Drug_{f}^{C2}+K_{off}^{Ab,Drug}\times Ab_{b1,mj}^{C2}$$
To binding to drug

From unbinding of drug

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of Antibody bound to 4 Metabolites1 in peripheral compartment

$$\frac{d (Ab_{m4}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{m4}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{m4}^{C2}$$

From central space To central space

$$\frac{nmol}{kg \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{kg} - \frac{\frac{l}{h}/kg}{l/kg} \times nmol/kg$$

Amount (nmol/kg) of Antibody bound to i Protac and j Metabolites1 in peripheral compartment, i = 1,2 and j = 1,2 with i + j < max

$$\frac{d(Ab_{bi,mj}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi,mj}^{C2}$$
 From central space To central space
$$-K_{on}^{Ab,Drug} \times (max - i - j) \times Ab_{bi,mj}^{C2} \times Drug_f^{C2} + K_{off}^{Ab,Drug} \times Ab_{bi+1,mj}^{C2}$$
 To binding to drug From unbinding of drug
$$+K_{on}^{Ab,Drug} \times (max - i + 1 - j) \times Ab_{bi-1,mj}^{C2} \times Drug_f^{C2} - K_{off}^{Ab,Drug} \times Ab_{bi,mj}^{C2}$$
 From binding to drug To unbinding of drug

Amount (nmol/kg) of Antibody bound to i Protac and j Metabolites1 in peripheral compartment, i = 1,2,3 and j = 1,2,3 with i + j = max

$$\frac{d(Ab_{bi,mj}^{C2})}{dt} = \frac{CLD_{ADC}}{V_{ADC}^{C1}} \times Ab_{bi,mj}^{C1} - \frac{CLD_{ADC}}{V_{ADC}^{C2}} \times Ab_{bi,mj}^{C2}$$
From central space To central space

$$+K_{on}^{Ab,Drug}\times(max-i+1-j)\times Ab_{bi-1,mj}^{C2}\times Drug_{f}^{C2}-K_{off}^{Ab,Drug}\times Ab_{bi,mj}^{C2}$$
 From binding to drug

Concentration (nM) of free drug in peripheral compartment

$$\frac{d(Drug_f^{C2})}{dt} = \frac{CLD_{Drug}}{V_{Drug}^{C2}} \times Drug_f^{C1} - \frac{CLD_{Drug}}{V_{Drug}^{C2}} \times Drug_f^{C2}$$
From central space

To central space

$$-\sum_{i,j=0,i+j< max}^{max-1} K_{on}^{Ab,Drug} \times (max-i-j) \times \frac{Ab_{bi,mj}^{C2}}{V_{Drug}^{C2}} \times Drug_f^{C2} + \sum_{i=1,j=0,i+j \leq max}^{max} K_{off}^{Ab,Drug} \times \frac{Ab_{bi,mj}^{C2}}{V_{Drug}^{C2}}$$

To central space

To binding to antibody

From unbinding of antibody

$$-K_{on}^{Ab,Drug} \times \left(2 \times \frac{ADC_{f}^{C2}}{V_{Drug}^{C2}} + \frac{ADC_{b1}^{C2}}{V_{Drug}^{C2}} + \frac{ADC_{m1}^{C2}}{V_{Drug}^{C2}}\right) \times Drug_{f}^{C2} + K_{off}^{Ab,Drug} \times \left(\frac{ADC_{b1}^{C2}}{V_{Drug}^{C2}} + \frac{ADC_{b2}^{C2}}{V_{Drug}^{C2}} + \frac{ADC_{b1,m1}^{C2}}{V_{Drug}^{C2}}\right)$$

$$\frac{nmol}{l \times h} = \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} - \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l}$$

Concentration (nM) of free ADC (bound to 0 Protacs) in tumor extracellular space

$$\frac{d(ADC_f^{ex})}{dt} = \left(\frac{ADC_f^{C1}}{V_{ADC}^{C1}} - \frac{ADC_f^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right) + K_{off}^{ADC,cell,ag} \times ADC_{f,b,ag}^{cell} \times \frac{NC^{tumor} \times SF}{V^{tumor}}$$

From central space

From unbinding of ADC to receptors on tumor cell

$$-K_{on}^{ADC,cell,ag} \times \frac{ADC_f^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell}\right)$$

To binding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^{5} \times \left(ADC^{cell}_{f,b,ag}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times ADC^{ex}_{f}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times 2 \times \frac{ADC_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times 2 \times \frac{ADC_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}$$

To binding to drug

From unbinding of drug

To binding to metabolite

Concentration (nM) of ADC bound to 1 Protac in tumor extracellular space

$$\frac{d(ADC_{b1}^{ex})}{dt} = \left(\frac{ADC_{b1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) + K_{off}^{ADC,cell,ag} \times ADC_{b1,b,ag}^{cell} \times \frac{NC^{tumor} \times SF}{V^{tumor}}$$

From central space

$$+ \left(-K_{on}^{ADC,cell,ag} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i=0}^{max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{ij,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{ij,b,ag}^{cell} - ADC_{ij,b,ag}^{$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(ADC^{cell}_{b1,b,ag} + ADC^{cell,lyso}_{b1}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times ADC^{ex}_{b1}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{ADC_{b2}^{ex}}{\varepsilon^{ADC}} + K_{on}^{Ab,Drug} \times 2 \times \frac{ADC_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$

To binding to drug From unbinding of drug

From binding to drug

$$-K_{off}^{Ab,Drug} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}$$

To unbinding of drug

To binding to metabolite From unbinding of metabolite

Concentration (nM) of ADC bound to 2 Protacs in tumor extracellular space

$$\frac{d(ADC_{b2}^{ex})}{dt} = \left(\frac{ADC_{b2}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b2}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) + K_{off}^{ADC,cell,ag} \times ADC_{b2,b,ag}^{cell} \times \frac{NC^{tumor} \times SF}{V^{tumor}}$$

From central space

$$+ \left(-K_{on}^{ADC,cell,ag} \times \frac{ADC_{b2}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i,j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{mj,b,ag}^{cell} - ADC_{b1,m1,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{in,b,ag}^{cell} - \sum_{i=0}^{2} AD$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^{5} \times \left(ADC^{cell}_{b2,b,ag} + ADC^{cell,lyso}_{b2}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times ADC^{ex}_{b2}$$
From intracellular content of dying cells.

From intracellular content of dying cells

$$+K_{on}^{Ab,Drug} imes rac{ADC_{b1}^{ex}}{arepsilon^{ADC}} imes rac{Drug_f^{ex}}{V^{tumor} imes arepsilon^{Drug}} - K_{off}^{Ab,Drug} imes rac{ADC_{b2}^{ex}}{arepsilon^{ADC}}$$
From binding to drug

To unbinding of drug

Concentration (nM) of ADC bound to 1 Metabolite1 in tumor extracellular space

$$\frac{d(ADC_{m1}^{ex})}{dt} = \left(\frac{ADC_{m1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^{5} \times \left(ADC^{cell}_{m1,b,ag} + ADC^{cell,lyso}_{m1}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times ADC^{ext}_{m3}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}} + K_{on}^{Ab,Meta} \times 2 \times \frac{ADC_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}}$$

To binding to drug

From unbinding of drug

From binding to metabolite

$$-K_{off}^{Ab,Meta} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}}$$

To unbinding of metabolite

To binding to metabolite

Concentration (nM) of ADC bound to 2 Metabolites1 in tumor extracellular space

$$\frac{d(ADC_{m2}^{ex})}{dt} = \left(\frac{ADC_{m2}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(ADC^{cell}_{m2,b,ag} + ADC^{cell,lyso}_{m2}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times ADC^{ext}_{m2}$$

From intracellular content of dying cells

$$+K_{on}^{Ab,Meta} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times \frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}}$$

From binding to metabolite

To unbinding of metabolite

To pinocytosis

Concentration (nM) of ADC bound to 1 Protac and 1 Metabolite1 in tumor extracellular space

$$\frac{d(ADC_{b1,m1}^{ex})}{dt} = \left(\frac{ADC_{b1,m1}^{C1}}{V_{ADC}^{C1}} - \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cel$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(ADC^{cell}_{b1,m1,b,ag} + ADC^{cell,lyso}_{b1,m1}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times AD$$

From intracellular content of dying cells

To pinocytosis

$$+K_{on}^{Ab,Drug}\times\frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}\times\frac{Drug_{f}^{ex}}{V^{tumor}\times\varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times\frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}$$

From binding to drug

$$+K_{on}^{Ab,Meta} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}}$$

From binding to metabolite

To unbinding of metabolite

To unbinding of drug

Concentration (nM) of free Antibody (bound to 0 Protacs) in tumor extracellular space

$$\frac{d(Ab_f^{ex})}{dt} = \left(\frac{Ab_f^{C1}}{V_{ADC}^{C1}} - \frac{Ab_f^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{f}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-ADC_{b1,m1,b,ag}^{cell}\right)$$

$$+ K_{off}^{ADC,cell,ag} \times Ab_{f,b,ag}^{cell}$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{f,b,ag}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{f}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times max \times \frac{Ab_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{Ab_{b1}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times max \times \frac{Ab_{f}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{Ab_{m1}^{ex}}{\varepsilon^{ADC}}$$

To binding to drug

From unbinding of drug

To binding to metabolite

Concentration (nM) of Antibody bound to i Protacs in tumor extracellular space, i = 1,2,3

$$\frac{d(Ab_{bi}^{ex})}{dt} = \left(\frac{Ab_{bi}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right) + K_{off}^{ADC,cell,ag} \times Ab_{bi,b,ag}^{cell} \times \frac{NC^{tumor} \times SF}{V^{tumor}}$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-ADC_{b1,m1,b,ag}^{cell}\right)$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{bi,b,ag} + Ab^{cell,lyso}_{bi}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{bi}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times (max-i) \times \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{Ab_{bi+1}^{ex}}{\varepsilon^{ADC}} + K_{on}^{Ab,Drug} \times (max-i+1) \times \frac{Ab_{bi-1}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$

To binding to drug

From unbinding of drug

From binding to drug

$$-K_{off}^{Ab,Drug} \times \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times (max - i) \times \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{Ab_{bi,m1}^{ex}}{\varepsilon^{ADC}}$$

To unbinding of drug

To binding to metabolite

Concentration (nM) of Antibody bound to 4 Protacs in tumor extracellular space

$$\frac{d(Ab_{b4}^{ex})}{dt} = \left(\frac{Ab_{b4}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{b4}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{b4}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{\mathbf{Z}}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{\mathbf{Z}}$$

Binding and unbinding of ADC to receptors on tumor cell

To pinocytosis

$$+ K_{off}^{ADC,cell,ag} \times Ab_{b4,b,ag}^{cell}$$

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{b4,b,ag} + Ab^{cell,lyso}_{b4}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{b4}$$

From intracellular content of dying cells

$$+K_{on}^{Ab,Drug} \times \frac{Ab_{b3}^{ex}}{c^{ADC}} \times \frac{Drug_{f}^{ex}}{Vtumor \times c^{Drug}} - K_{off}^{Ab,Drug} \times \frac{Ab_{b4}^{ex}}{c^{ADC}}$$

From binding to drug

To unbinding of drug

Concentration (nM) of Antibody bound to j Metabolites1 in tumor extracellular space, j = 1,2,3

$$\frac{d(Ab_{mj}^{ex})}{dt} = \left(\frac{Ab_{mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}AD$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{mj,b,ag} + Ab^{cell,lyso}_{mj}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{mj}$$

From intracellular content of dying cells

To pinocytosis

$$-K_{on}^{Ab,Drug} \times (max-j) \times \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{Ab_{b1,mj}^{ex}}{\varepsilon^{ADC}} + K_{on}^{Ab,Meta} \times (max-j+1) \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{M_{mj-1}^{ex}}{V^{tumor}} \times \frac{M_{b1,mj}^{ex}}{V^{tumor}} \times \frac{Ab_{b1,mj}^{ex}}{\varepsilon^{ADC}} \times \frac{M_{b2,mj}^{ex}}{V^{tumor}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{M_{b2,mj}^{ex}}{V^{tumor}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{M_{b2,mj}^{ex}}{V^{tumor}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{M_{b2,mj}^{ex}}{V^{tumor}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{Ab_{mj-1}^{ex}}{\varepsilon^{ADC}}$$

To binding to drug

From unbinding of drug

From binding to metabolite

$$-K_{off}^{Ab,Meta} \times \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}} - K_{on}^{Ab,Meta} \times (max - j) \times \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times \frac{Ab_{mj+1}^{ex}}{\varepsilon^{ADC}}$$

To unbinding of metabolite

To binding to metabolite

Concentration (nM) of Antibody bound to 4 Metabolites1 in tumor extracellular space

$$\frac{d(Ab_{m4}^{ex})}{dt} = \left(\frac{Ab_{m4}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{m4}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{m4}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}AD$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{m4,b,ag} + Ab^{cell,lyso}_{m4}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{m4}$$

From intracellular content of dying cells

To pinocytosis

$$+K_{on}^{Ab,Meta} \times \frac{Ab_{m3}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times \frac{Ab_{m4}^{ex}}{\varepsilon^{ADC}}$$

From binding to metabolite

Concentration (nM) of Antibody bound to i Protac and j Metabolites 1 in tumor extracellular space, i = 1,2 and j = 1,2

$$\frac{d(Ab_{bi,mj}^{ex})}{dt} = \left(\frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{ADC}}{R_{Tumor}^2}\right)$$

From central space
$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{bi,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^{5} \times \left(Ab^{cell}_{bi,mj,b,ag} + Ab^{cell,lyso}_{bi,mj}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{bi,mj}$$

From intracellular content of dying cells

$$-K_{on}^{Ab,Drug} \times (max - i - j) \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}} + K_{off}^{Ab,Drug} \times \frac{Ab_{bi+1,mj}^{ex}}{\varepsilon^{ADC}}$$

To binding to drug

From unbinding of drug

$$+K_{on}^{Ab,Drug}\times(max-i+1-j)\times\frac{Ab_{bi-1,mj}^{ex}}{\varepsilon^{ADC}}\times\frac{Drug_{f}^{ex}}{V^{tumor}\times\varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times\frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}-K_{on}^{Ab,Meta}\times(max-i-j)\times\frac{Ab_{bi}^{ex}}{\varepsilon^{ADC}}$$

From binding to drug

To unbinding of drug

To binding to metabolit

To pinocytosis

$$+K_{off}^{Ab,Meta} \times \frac{Ab_{bi,mj+1}^{ex}}{\varepsilon^{ADC}} + K_{on}^{Ab,Meta} \times (max-i-j+1) \times \frac{Ab_{bi,mj-1}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}$$

Concentration (nM) of Antibody bound to i Protac and j Metabolites1 in tumor extracellular space, i = 1,2,3 and j = 1,2,3 with i + j = max

$$\frac{d(Ab_{bi,mj}^{ex})}{dt} = \left(\frac{Ab_{bi,mj}^{C1}}{V_{ADC}^{C1}} - \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\right) \times \left(\frac{2 \times P_{ADC} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{ADC}}{R_{Tumor}^{2}}\right)$$

From central space

$$+\left(-K_{on}^{ADC,cell,ag}\times\frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}\times\left(Ag_{t}^{cell}-\sum_{i=0}^{max}Ab_{bi,b,ag}^{cell}-\sum_{j=1}^{max}Ab_{mj,b,ag}^{cell}-\sum_{i,j=1}^{i+j\leq max}Ab_{bi,mj,b,ag}^{cell}-\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}-\sum_{j=1}^{2}ADC_{nj,b,ag}^{cell}-\sum_{i=0}^{2$$

Binding and unbinding of ADC to receptors on tumor cell

$$\times \frac{NC^{tumor} \times SF}{V^{tumor}} + \frac{1}{\tau} \times V^{tumor}_{dyi,3,mm3} \times 10^5 \times \left(Ab^{cell}_{bi,mj,b,ag} + Ab^{cell,lyso}_{bi,mj}\right) \times \frac{SF}{V^{tumor}} - K^{ADC,cell,lyso}_{pino} \times \left(\frac{NCL^{tumor}}{\varepsilon^{ADC}}\right) \times Ab^{ex}_{bi,mj}$$

From intracellular content of dying cells

$$+K_{on}^{Ab,Drug}\times (max-i+1-j)\times \frac{Ab_{bi-1,mj}^{ex}}{\varepsilon^{ADC}}\times \frac{Drug_{f}^{ex}}{V^{tumor}\times \varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}$$

From binding to drug

$$+K_{on}^{Ab,Meta}\times(max-i-j+1)\times\frac{Ab_{bi,mj-1}^{ex}}{\varepsilon^{ADC}}\times\frac{Meta1_{f}^{ex}}{V^{tumor}\times\varepsilon^{Meta}}-K_{off}^{Ab,Meta}\times\frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}}$$

From hinding to metabolite

To unbinding of metabolite

To unbinding of drug

To pinocytosis

Amount (nmol) of drug in tumor extracellular space

$$\frac{d(Drug_f^{ex})}{dt} = \left(Drug_f^{C1} - \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}}\right) \times V^{tumor} \times \left(\frac{2 \times P_{Drug} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{Drug}}{R_{Tumor}^2}\right)$$

$$+\left(K_{dec}^{ADC}\times\left(\sum_{i=0}^{2}ADC_{bi,b,ag}^{cell}+\sum_{j=1}^{2}ADC_{mj,b,ag}^{cell}+ADC_{b1,m1,b,ag}^{cell}\right)\times\overline{DAR}+K_{out}^{Drug,ex}\times Drug_{f}^{cell,cyto}\right)\times NC^{tumor}\times SF$$
Non-specific deconi, of ADC

Efflux of drug from the cell

Non-specific deconj. of ADC

$$-K_{in}^{Drug,ex} \times NC^{tumor} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Drug}}\right) \times Drug_{f}^{ex} - K_{met}^{Drug,ex} \times \frac{Drug_{f}^{ex}}{\varepsilon^{Drug}} + K_{dec}^{ADC} \times \frac{\left(\sum_{i=0}^{2} ADC_{bi}^{ex} + \sum_{j=1}^{2} ADC_{mj}^{ex} + ADC_{b1,m1}^{ex}\right)}{\varepsilon^{ADC}} \times \overline{DAR} \times V^{tumor}$$

To influx into cells

$$+\frac{1}{\tau} \times V_{dyi,3,mm3}^{tumor} \times 10^{5} \times \left(\text{Drug}_{f}^{cell,cyto} + Drug_{b,dt}^{cell,cyto} + \text{Drug}_{f}^{cell,cyto}\right) \times SF - \sum_{i,i=0}^{max-1} K_{on}^{Ab,Drug} \times (max - i - j) \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times \frac{Drug_{f}^{ex}}{\varepsilon^{Drug}}$$

From intracellular content of dying cells
$$\sum_{i=1,j=0,i+j\leq max}^{max} K_{off}^{Ab,Drug} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times V^{tumor} - \sum_{i,j=0,i+j< max}^{max-1} K_{on}^{Ab,Drug} \times (max-i-j) \times Ab_{bi,mj,b,ag}^{cell} \times NC^{tumor} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}} \times SF$$

From unbinding of antibody

To binding to antibody bound to binding target on a single cell

$$+\sum_{i=1,j=0,i+j\leq max}^{max} K_{off}^{Ab,Drug} \times Ab_{bi,mj,b,ag}^{cell} \times NC^{tumor} \times SF - K_{on}^{Ab,Drug} \times \left(2 \times \frac{ADC_f^{ex}}{\varepsilon^{ADC}} + \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} + \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}}\right) \times \frac{Drug_f^{ex}}{\varepsilon^{Drug}}$$

From unbinding of antibody bound to binding target on a single cell

Amount (nmol) of free (unbound) Metabolite1 in tumor extracellular space

$$\frac{d(Meta1_f^{ex})}{dt} = K_{met}^{Drug,ex} \times \frac{Drug_f^{ex}}{\varepsilon^{Drug}} + \left(Meta1_f^{C1} - \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times V^{tumor} \times \left(\frac{2 \times P_{Meta} \times R_{Cap}}{R_{Krogh}^2} + \frac{6 \times D_{Meta}}{R_{Tumor}^2}\right)$$

From metabolism

From central space

$$+K_{out}^{Meta,ex} \times Meta1_{f}^{cell,cyto} \times NC^{tumor} \times SF - K_{in}^{Meta,ex} \times NC^{tumor} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times Meta1_{f}^{ex}$$

Fromm efflux of drug from the cell

To influx into cells

$$+\frac{1}{\tau} \times V_{dyi,3,mm3}^{tumor} \times 10^{5} \times \left(Meta1_{f}^{cell,cyto} + Meta1_{f}^{cell,lyso}\right) \times SF - \sum_{i,j=0,i+j< max}^{max-1} K_{on}^{Ab,Meta} \times (max-i-j) \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times \frac{Meta1_{f}^{ex}}{\varepsilon^{Meta}}$$

From intracellular content of dying cells
$$+ \sum_{i=0,j=1,i+j\leq max}^{max} K_{off}^{Ab,Meta} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times V^{tumor} - \sum_{i,j=0,i+j< max}^{max-1} K_{on}^{Ab,Meta} \times (max-i-j) \times Ab_{bi,mj,b,ag}^{cell} \times NC^{tumor} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} \times SF$$

$$K_{on}^{Ab,Meta} \times (max - i - j) \times Ab_{bi,mj,b,ag}^{cell} \times NC^{tumor}$$

From unbinding of antibody bound to binding target on a single cell

Amount (nmol) of free (unbound) Metabolite2 in tumor extracellular space

$$\frac{d(Meta2_{f}^{ex})}{dt} = K_{met}^{Drug,ex} \times \frac{Drug_{f}^{ex}}{\varepsilon^{Drug}} + \left(Meta2_{f}^{C1} - \frac{Meta2_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times V^{tumor} \times \left(\frac{2 \times P_{Meta} \times R_{Cap}}{R_{Krogh}^{2}} + \frac{6 \times D_{Meta}}{R_{Tumor}^{2}}\right)$$
From metabolism

From central space

$$+K_{out}^{Meta,ex} \times Meta2_{f}^{cell,cyto} \times NC^{tumor} \times SF - K_{in}^{Meta,ex} \times NC^{tumor} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times Meta2_{f}^{ex}$$

Fromm efflux of drug from the cell

To influx into cells

$$+\frac{1}{\tau} \times V_{dyi,3,mm3}^{tumor} \times 10^{5} \times \left(Meta2_{f}^{cell,cyto} + Meta2_{b,dt}^{cell,cyto} + Meta2_{f}^{cell,lyso}\right) \times SF$$

From intracellular content of dying cells

Units:
$$\frac{nmol}{l \times h} = -\frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} - \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} + \frac{\frac{l}{h}/kg}{l/kg} \times \frac{nmol}{l} + \frac{\frac{1}{h} \times \frac{nmol}{kg} \times 1}{l/kg} + \frac{\frac{l}{h}/kg \times 1 \times \frac{nmol/kg}{l/kg}}{l/kg}$$
$$- \left(\frac{nmol}{l} - \frac{nmol}{l \times 1}\right) \times \frac{l}{l/kg \times kg} \times \left(\frac{\frac{um}{h} \times um}{um^2} + \frac{cm^2/h}{cm^2}\right) \frac{1}{h} \times \frac{nmol}{l} + \frac{1}{h} \times 1 \times \frac{nmol}{l} + \frac{1}{h} \times 1 \times \frac{1 \times nmol}{kg \times \frac{l}{kg}} - \frac{1}{h} \times \frac{l \times 1}{kg \times \frac{l}{kg}} \times \frac{nmol}{l}$$

Number of free ADC (bound to 0 Protacs) molecules bound to binding target on a single cell

$$\frac{d(ADC_{f,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{f}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_{t}^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=$$

From binding to receptor

Units:
$$\frac{1}{h} = \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol/l}{1} \times (1 - 1 - 1) - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of ADC molecules bound to 1 Protac bound to binding target on a single cell

$$\frac{d(ADC_{b1,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{b1}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times ADC_{b1,b,ag}^{cell} - K_{int}^{ADC,cell} \times ADC_{b1,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{b1,b,ag}^{cell} - K_{on}^{Ab,Drug} \times ADC_{b1,b,ag}^{cell} \times ADC_{b1,b,ag}^{ex} - \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$

$$- To \text{ unbinding from receptor into cell grow and phivides of drug} + K_{off}^{Ab,Drug} \times ADC_{b2,b,ag}^{cell} + K_{on}^{Ab,Drug} \times 2 \times ADC_{f,b,ag}^{cell} \times \frac{V^{tumor} \times \varepsilon^{Drug}}{V^{tumor} \times \varepsilon^{Drug}} - K_{off}^{Ab,Drug} \times ADC_{b1,b,ag}^{cell} \times ADC_{b1,b,ag}^{cell}$$

$$- K_{on}^{Ab,Meta} \times ADC_{b1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times ADC_{b1,m1,b,ag}^{cell}$$

$$- K_{off}^{Ab,Meta} \times ADC_{b1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times ADC_{b1,m1,b,ag}^{cell}$$

$$- K_{off}^{Ab,Meta} \times ADC_{b1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times ADC_{b1,m1,b,ag}^{cell}$$

$$- K_{off}^{Ab,Meta} \times ADC_{b1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times ADC_{b1,m1,b,ag}^{cell}$$

To binding to metabolite From unbinding of metabolite

Number of ADC molecules bound to 2 Protacs bound to binding target on a single cell

$$\frac{d(ADC_{b2,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{b2}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times ADC_{b2,b,ag}^{cell} - K_{int}^{ADC,cell} \times ADC_{b2,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{b2,b,ag}^{cell}$$

To unbinding from receptor To internalization into cell To dilution as cells grow and divide

$$+K_{on}^{Ab,Drug}\times ADC_{b1,b,ag}^{cell}\times \frac{Drug_{f}^{ex}}{V^{tumor}\times \varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times ADC_{b2,b,ag}^{cell}$$

From binding to drug

To unbinding of drug

Units:
$$\frac{1}{h} = \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol/l}{1} \times (1 - 1 - 1) - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of ADC molecules bound to 1 Metabolite1 bound to binding target on a single cell

$$\frac{d(ADC_{m1,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{m1}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{nax} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{nax} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{nax} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{i=$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times ADC_{m1,b,ag}^{cell} - K_{int}^{ADC,cell} \times ADC_{m1,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{m1,b,ag}^{cell} - K_{on}^{Ab,Drug} \times ADC_{m1,b,ag}^{cell} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$

To unbinding from receptor To internalization into cell To dilution as cells grow and divide From binding to drug

$$+K_{off}^{Ab,Drug} \times ADC_{b1,m1,b,ag}^{cell} + K_{on}^{Ab,Meta} \times 2 \times ADC_{f,b,ag}^{cell} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}}$$

To unbinding of drug

From binding to metabolite

$$-K_{off}^{Ab,Meta} \times ADC_{m1,b,ag}^{cell} - K_{on}^{Ab,Meta} \times ADC_{m1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times ADC_{m2,b,ag}^{cell}$$

To unbinding of metabolite

To binding to metabolite

Number of ADC molecules bound to 2 Metabolites1 bound to binding target on a single cell

$$\frac{d(ADC_{m2,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{m2}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{nax} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{nax} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{nax} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{nax} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times ADC_{m2,b,ag}^{cell} - K_{int}^{ADC,cell} \times ADC_{m2,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{m2,b,ag}^{cell}$$
To unbinding from receptor
To internalization into cell
To dilution as cells grow and divide

$$+K_{on}^{Ab,Meta} \times ADC_{m1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times ADC_{m2,b,ag}^{cell}$$

From binding to metabolite To unbinding of metabolite

Number of ADC molecules bound 1 Protac and 1 Metabolite1 bound to binding target on a single cell

$$\frac{d(ADC_{b1,m1,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell}\right)$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times ADC_{b1,m1,b,ag}^{cell} - K_{int}^{ADC,cell} \times ADC_{b1,m1,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{b1,m1,b,ag}^{cell}$$

To unbinding from receptor To internalization into cell To dilution as cells grow and divide

$$+K_{on}^{Ab,Drug}\times ADC_{m1,b,ag}^{cell}\times \frac{Drug_{f}^{ex}}{V^{tumor}\times \varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times ADC_{b1,m1,b,ag}^{cell}$$

From binding to drug

To unbinding of drug

$$+K_{on}^{Ab,Meta} \times ADC_{b1,b,ag}^{cell} \times \frac{Meta1_{f}^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times ADC_{b1,m1,b,ag}^{cell}$$

From binding to metabolite
To unbinding of metabolite

Number of free Antibody (bound to 0 Protacs) molecules bound to binding target on a single cell

$$\frac{d(Ab_{f,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{f}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_{t}^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{f,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{f,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{f,b,ag}^{cell} - K_{on}^{Ab,Drug} \times max \times Ab_{f,b,ag}^{cell} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$
To unbinding from receptor To internalization into cell and divide and divide and divide
$$+K_{off}^{Ab,Drug} \times Ab_{b1,b,ag}^{cell} - K_{on}^{Ab,Meta} \times max \times Ab_{f,b,ag}^{cell} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times Ab_{m1,b,ag}^{cell}$$
From unbinding of drug To binding to metabolite

Units:
$$\frac{1}{h} = \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol/l}{1} \times (1 - 1 - 1) - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to i Protacs bound to binding target on a single cell, i = 1,2,3

$$\frac{d(Ab^{cell}_{bi,b,ag})}{dt} = K^{ADC,cell,ag}_{on} \times \frac{Ab^{ex}_{bi}}{\varepsilon^{ADC}} \times \left(Ag^{cell}_t - \sum_{i=0}^{max} Ab^{cell}_{bi,b,ag} - \sum_{j=1}^{max} Ab^{cell}_{mj,b,ag} - \sum_{i,j=1}^{i+j \leq max} Ab^{cell}_{bi,mj,b,ag} - \sum_{i=0}^{2} ADC^{cell}_{bi,b,ag} - \sum_{j=1}^{2} ADC^{cell}_{bi,b,ag} - \sum_{j=1}$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{bi,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{bi,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{bi,b,ag}^{cell} - K_{on}^{Ab,Drug} \times (max-i) \times Ab_{bi,b,ag}^{cell} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}}$$

$$\text{To unbinding from receptor into cell grow and divide } + K_{off}^{Ab,Drug} \times Ab_{bi+1,b,ag}^{cell} + K_{on}^{Ab,Drug} \times (max-i+1) \times Ab_{bi-1,b,ag}^{cell} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^{Drug}} - K_{off}^{Ab,Drug} \times Ab_{bi,b,ag}^{cell} \times Ab_{bi,b,ag}^{cell}$$

$$\text{From unbinding of drug} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times Ab_{bi,m1,b,ag}^{cell} \times Ab_{bi,m1,b,ag}^{cell}$$

$$\text{To unbinding of drug} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times Ab_{bi,m1,b,ag}^{cell}$$

To binding to metabolite

Units:
$$\frac{1}{h} = \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol/l}{1} \times (1 - 1 - 1) - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to 4 Protacs bound to binding target on a single cell

$$\frac{d(Ab_{b4,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{b4}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{b4,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{b4,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{b4,b,ag}^{cell}$$

To unbinding from receptor To internalization into cell To dilution as cells grow and divide

$$+K_{on}^{Ab,Drug}\times Ab_{b3,b,ag}^{cell}\times \frac{Drug_{f}^{ex}}{V^{tumor}\times \varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times Ab_{b4,b,ag}^{cell}$$

From binding to drug

To unbinding of drug

Units:
$$\frac{1}{h} = \frac{1}{\frac{nmol}{l} \times h} \times \frac{nmol/l}{1} \times (1 - 1 - 1) - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to j Metabolites1 bound to binding target on a single cell, j = 1,2,3

$$\frac{d(Ab_{mj,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{mj,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{mj,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{mj,b,ag}^{cell} - K_{on}^{Ab,Drug} \times (max-j) \times Ab_{mj,b,ag}^{cell} \times \frac{Drug_f^{ex}}{V^{tumor} \times \varepsilon^D} + K_{off}^{Ab,Drug} \times Ab_{b1,mj,b,ag}^{cell} + K_{on}^{Ab,Meta} \times (max-j+1) \times Ab_{mj-1,b,ag}^{cell} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}}$$

To unbinding of drug

From binding to metabolite

$$-K_{off}^{Ab,Meta} \times Ab_{mj,b,ag}^{cell} - K_{on}^{Ab,Meta} \times (max - j) \times Ab_{mj,b,ag}^{cell} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} + K_{off}^{Ab,Meta} \times Ab_{mj+1,b,ag}^{cell}$$

To unbinding of metabolite

To binding to metabolite

Number of Antibody molecules bound to 4 Metabolites 1 bound to binding target on a single cell

$$\frac{d(Ab_{m4,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{m4}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{m4,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{m4,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{m4,b,ag}^{cell}$$
To unbinding from receptor. To internalization into cell. To dilution as cells gro

To unbinding from receptor

To internalization into cell

To dilution as cells grow and divide

$$+K_{on}^{Ab,Meta}\times Ab_{m3,b,ag}^{cell}\times \frac{Meta1_{f}^{ex}}{V^{tumor}\times \varepsilon^{Meta}}-K_{off}^{Ab,Meta}\times Ab_{m4,b,ag}^{cell}$$

From binding to metabolite

Number of Antibody molecules bound i Protacs and j Metabolites1 bound to binding target on a single cell, i = 1,2 and j = 1,2

$$\frac{d(Ab_{bi,mj,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \le max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{ce$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{bi,mj,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{bi,mj,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{bi,mj,b,ag}^{cell}$$

To unbinding from receptor
To internalization into cell
To dilution as cells grow and divide

$$-K_{on}^{Ab,Drug}\times(max-i-j)\times Ab_{bi,mj,b,ag}^{cell}\times\frac{Drug_{f}^{ex}}{V^{tumor}\times\varepsilon^{Drug}}+K_{off}^{Ab,Drug}\times Ab_{bi+1,mj,b,ag}^{cell}-K_{off}^{Ab,Drug}\times Ab_{bi,mj,b,ag}^{cell}$$

To binding to drug

From unbinding of drug To unbinding of drug

$$+K_{on}^{Ab,Drug}\times(max-i+1-j)\times Ab_{bi-1,mj,b,ag}^{cell}\times\frac{Drug_{f}^{ex}}{V^{tumor}\times\varepsilon^{Drug}}-K_{on}^{Ab,Meta}\times(max-i-j)\times Ab_{bi,mj,b,ag}^{cell}\times\frac{Meta1_{f}^{ex}}{V^{tumor}\times\varepsilon^{Meta1}}$$

From binding to drug

To binding to metabolite

$$+K_{off}^{Ab,Meta} \times Ab_{bi,mj+1,b,ag}^{cell} + K_{on}^{Ab,Meta} \times (max-i-j+1) \times Ab_{bi,mj-1,b,ag}^{cell} \times \frac{Meta1_f^{ex}}{V^{tumor} \times \varepsilon^{Meta}} - K_{off}^{Ab,Meta} \times Ab_{bi,mj,b,ag}^{cell}$$

From unbinding of metabolite

From binding to metabolite

Number of Antibody molecules bound i Protacs and j Metabolites 1 bound to binding target on a single cell, i = 1,2,3 and j = 1,2,3with i + j = max

$$\frac{d(Ab_{bi,mj,b,ag}^{cell})}{dt} = K_{on}^{ADC,cell,ag} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC}} \times \left(Ag_t^{cell} - \sum_{i=0}^{max} Ab_{bi,b,ag}^{cell} - \sum_{j=1}^{max} Ab_{mj,b,ag}^{cell} - \sum_{i,j=1}^{i+j \leq max} Ab_{bi,mj,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,b,ag}^{cell} - \sum_{j=1}^{2} ADC_{bi,b,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,ag}^{cell} - \sum_{i=0}^{2} ADC_{bi,ag}^{cel$$

From binding to receptor

$$-K_{off}^{ADC,cell,ag} \times Ab_{bi,mj,b,ag}^{cell} - K_{int}^{ADC,cell} \times Ab_{bi,mj,b,ag}^{cell} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{bi,mj,b,ag}^{cell}$$

To unbinding from receptor To internalization into cell To dilution as cells grow and divide

$$+K_{on}^{Ab,Drug}\times(max-i+1-j)\times Ab_{bi-1,mj,b,ag}^{cell}\times\frac{Drug_{f}^{ex}}{V^{tumor}\times\varepsilon^{Drug}}-K_{off}^{Ab,Drug}\times Ab_{bi,mj,b,ag}^{cell}$$

From binding to drug

To unbinding of drug

$$+K_{on}^{Ab,Meta}\times(max-i-j+1)\times Ab_{bi,mj-1,b,ag}^{cell}\times\frac{Meta1_{f}^{ex}}{V^{tumor}\times\varepsilon^{Meta}}-K_{off}^{Ab,Meta}\times Ab_{bi,mj,b,ag}^{cell}$$

From binding to metabolite

Number of ADC molecules bound to i Protacs internalized in endosomal/lysosomal space on a single cell, i = 1,2

$$\frac{d(ADC_{bi}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times ADC_{bi,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times ADC_{bi}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{ADC_{bi}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{bi}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of ADC molecules bound to j Metabolites1 internalized in endosomal/lysosomal space on a single cell, j = 1,2

$$\frac{d(ADC_{mj}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times ADC_{mj,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times ADC_{mj}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{ADC_{mj}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{mj}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of ADC molecules bound to 1 Protac and 1 Metabolite1 internalized in endosomal/lysosomal space on a single cell

$$\frac{d(ADC_{b1,m1}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times ADC_{b1,m1,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times ADC_{b1,m1}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{ADC_{b1,m1}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times ADC_{b1,m1}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to i Protacs internalized in endosomal/lysosomal space on a single cell, i = 1,2,3,4

$$\frac{d(Ab_{bi}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times Ab_{bi,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times Ab_{bi}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{Ab_{bi}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{bi}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to j Metabolites 1 internalized in endosomal/lysosomal space on a single cell, j = 1,2,3,4

$$\frac{d(Ab_{mj}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times Ab_{mj,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times Ab_{mj}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{Ab_{mj}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{mj}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of Antibody molecules bound to i Protacs and j Metabolites1 internalized in endosomal/lysosomal space on a single cell, i = 1,2,3,4 and j = 1,2,3,4 with $i + j \le max$

$$\frac{d(Ab_{bi,mj}^{cell,lyso})}{dt} = K_{int}^{ADC,cell} \times Ab_{bi,mj,b,ag}^{cell}$$

From internalization into cell

$$-K_{deg}^{ADC} \times Ab_{bi,mj}^{cell,lyso} + K_{pino}^{ADC,cell,lyso} \times \frac{Ab_{bi,mj}^{ex}}{\varepsilon^{ADC} \times SF} - \frac{\ln(2)}{DT^{tumor}} \times Ab_{bi,mj}^{cell,lyso}$$
To degradation From pinocytosis To dilution as cells grow and divide

Units:
$$\frac{1}{h} = \frac{1}{h} \times 1 - \frac{1}{h} \times 1 + \frac{l}{h} \times \frac{nmol/l}{1 \times nmol} - \frac{1}{h} \times 1$$

Number of free (unbound) drug molecules in endosomal/lysosomal space on a single cell

$$\frac{d(Drug_{f}^{cell,lyso})}{dt} = \sum_{i,j=1}^{max} K_{deg}^{ADC} \times \left(Ab_{bi}^{cell,lyso} + Ab_{bi,mj}^{cell,lyso}\right) \times i - K_{out}^{Drug,lyso} \times \left(\frac{V^{cell}}{V^{cell,lyso}}\right) \times Drug_{f}^{cell,lyso}$$
From degradation of Shuttle

$$+K_{in}^{Drug,lyso}\times Drug_{f}^{cell,cyto}-\frac{\ln(2)}{DT^{tumor}}\times Drug_{f}^{cell,lyso}-K_{met}^{Drug,cell}\times Drug_{f}^{cell,lyso}$$
 From cytosol To dilution as cells grow and divide

$$+ K_{\underline{deg}}^{\underline{ADC}} \times \left(\underline{ADC}_{b1}^{\underline{cell,lyso}} + \underline{ADC}_{b2}^{\underline{cell,lyso}} \times 2 + \underline{ADC}_{b1,m1}^{\underline{cell,lyso}} \right) + K_{\underline{deg}}^{\underline{ADC}} \times \left(\sum_{i=1}^{2} \underline{ADC}_{bi}^{\underline{cell,lyso}} + \sum_{j=1}^{2} \underline{ADC}_{mj}^{\underline{cell,lyso}} + \underline{ADC}_{b1,m1}^{\underline{cell,lyso}} \right) \times \overline{DAB}$$
From degradation of non-covalent bound Protac of ADC

Number of free (unbound) Metabolite1 molecules in endosomal/lysosomal space on a single cell

$$\frac{d(\textit{Meta1}^{\textit{cell,lyso}}_f)}{dt} = \sum_{i,j=1}^{\textit{max}} K^{\textit{ADC}}_{\textit{deg}} \times \left(Ab^{\textit{cell,lyso}}_{mj} + Ab^{\textit{cell,lyso}}_{bi,mj}\right) \times j - K^{\textit{Meta,lyso}}_{out} \times \left(\frac{V^{\textit{cell}}}{V^{\textit{cell,lyso}}}\right) \times \textit{Meta1}^{\textit{cell,lyso}}_f$$
 From degradation of ADC

$$+K_{in}^{Meta,lyso}\times Meta1_{f}^{cell,cyto}-\frac{\ln(2)}{DT^{tumor}}\times Meta1_{f}^{cell,lyso}+K_{met}^{Drug,cell}\times Drug_{f}^{cell,lyso}$$
 From cytosol To dilution as cells From metabolism grow and divide
$$+K_{deg}^{ADC}\times \left(ADC_{m1}^{cell,lyso}+ADC_{m2}^{cell,lyso}\times 2+ADC_{b1,m1}^{cell,lyso}\right)$$

From degradation of non-covalent bound Meta1 of ADC

Units:

$$\frac{1}{h} = \frac{1}{h} \times (1+1) - \frac{1}{h} \times \left(\frac{l}{l}\right) \times 1 + \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of free (unbound) Metabolite2 molecules in endosomal/lysosomal space on a single cell

$$\frac{d(Meta2_f^{cell,lyso})}{dt} = -K_{out}^{Meta,lyso} \times \left(\frac{V^{cell}}{V^{cell,lyso}}\right) \times Meta2_f^{cell,lyso}$$
To cytosol

$$+K_{in}^{Meta,lyso}\times Meta2_{f}^{cell,cyto}-\frac{\ln(2)}{DT^{tumor}}\times Meta2_{f}^{cell,lyso}+K_{met}^{Drug,cell}\times Drug_{f}^{cell,lyso}$$
 From cytosol To dilution as cells grow and divide

$$\frac{1}{h} = \frac{1}{h} \times (1+1) - \frac{1}{h} \times \left(\frac{l}{l}\right) \times 1 + \frac{1}{h} \times 1 - \frac{1}{h} \times 1$$

Number of free (unbound) drug molecules in cytosol on a single cell

$$\frac{d(Drug_f^{cell,cyto})}{dt} = + K_{out}^{Drug,lyso} \times \left(\frac{V^{cell}}{V^{cell,lyso}}\right) \times Drug_f^{cell,lyso} - K_{in}^{Drug,lyso} \times Drug_f^{cell,cyto} - K_{out}^{Drug,ex} \times Drug_f^{cell,cyto}$$

$$From and to lysosome \qquad To efflux$$

$$-K_{met}^{Drug,cell} \times Drug_f^{cell,cyto} + K_{in}^{Drug,ex} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Drug}}\right) \times \frac{Drug_f^{ex}}{SF} - \frac{\ln(2)}{DT^{tumor}} \times Drug_f^{cell,cyto}$$

$$To metabolism \qquad From influx \qquad To dilution as cells grow and divide$$

$$-K_{met}^{Drug} \times Drug_f^{cell,cyto} + K_{off}^{Drug,E3} \times Drug_{-E3_n^{cell,cyto}} + K_{off}^{Drug,Target} \times Drug_{-Drug,Target}^{Cell,cyto}$$

$$To metabolism \qquad From unbinding from E3-ligase \qquad From unbinding from drug target$$

$$-K_{on}^{Drug,E3} \times SF \times Drug_f^{cell,cyto} \times \left(E3_f^{cell,cyto} - Drug_{-E3_n^{cell,cyto}} - Drug_{-Drug,E3_n^{cell,cyto}} - Meta1_{-E3_n^{cell,cyto}} - Drug_{-Drug,E3_n^{cell,cyto}} - Drug_{-Drug,E3_n^$$

Number of free (unbound) Metabolite1 molecules in cytosol on a single cell

$$\frac{d(\textit{Meta1}^{\textit{cell,cyto}}_f)}{dt} = + K_{out}^{\textit{Meta,lyso}} \times \left(\frac{V^{\textit{cell}}}{V^{\textit{cell,lyso}}}\right) \times \textit{Meta1}^{\textit{cell,lyso}}_f - K_{in}^{\textit{Meta,lyso}} \times \textit{Meta1}^{\textit{cell,cyto}}_f$$
From and to lysosome

$$-K_{out}^{Meta,ex} \times Meta1_{f}^{cell,cyto} + K_{in}^{Meta,ex} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times \frac{Meta1_{f}^{ex}}{SF} - \frac{\ln(2)}{DT^{tumor}} \times Meta1_{f}^{cell,cyto}$$

To efflux From influx

To dilution as cells grow and divide

$$+K_{met}^{Drug,cell} \times Drug_{f}^{cell,cyto} + K_{off}^{Meta,E3} \times Meta1_E3_{b}^{cell,cyto}$$
From metabolism From unbinding from E3-ligase
$$-\frac{K_{on}^{Meta,E3} \times SF}{V^{cell}} \times Meta1_{f}^{cell,cyto} \times \left(E3_{f}^{cell,cyto} - Drug_E3_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} - Meta1_E3_{b}^{cell,cyto}\right)$$

To binding to E3-ligase

Number of free (unbound) Metabolite2 molecules in cytosol on a single cell

$$\frac{d(Meta2_{f}^{cell,cyto})}{dt} = + K_{out}^{Meta,lyso} \times \left(\frac{V^{cell}}{V^{cell,lyso}}\right) \times Meta2_{f}^{cell,lyso} - K_{in}^{Meta,lyso} \times Meta2_{f}^{cell,cyto} - \frac{\ln(2)}{DT^{tumor}} \times Meta2_{f}^{cell,cyto}$$
To dilution as a cells recovered divide

From and to lysosome

To dilution as cells grow and divide

$$+K_{met}^{Drug,cell} \times Drug_{f}^{cell,cyto} - K_{out}^{Meta,ex} \times Meta2_{f}^{cell,cyto} + K_{in}^{Meta,ex} \times \left(\frac{V^{cell}}{V^{tumor} \times \varepsilon^{Meta}}\right) \times \frac{Meta2_{f}^{ex}}{SF}$$

From metabolism

To efflux

From influx

$$-\frac{K_{on}^{Meta,Target} \times SF}{V^{cell}} \times Meta2_{f}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

To binding to drug target

$$+K_{off}^{Meta,Target} \times Meta2_DrugTarget_{b}^{cell,cyto}$$

From unbinding from drug target

Number of target and E3-ligase-bound drug molecules in cytosol on a single cell

$$\frac{d(Drug_{b,dt}^{cett,cyto})}{dt} = -\frac{\ln(2)}{DT^{tumor}} \times Drug_{b,dt}^{cetl,cyto} = \mathbf{K_{off}^{Drug,E3}} \times Drug_{b,dt}^{cetl,cyto}$$

$$\text{To dilution as cells grow and divide} \qquad \text{To unbinding from E3-ligase}$$

$$+\alpha \times \frac{\mathbf{K_{on}^{Drug,E3}} \times SF}{\mathbf{V^{cell}}} \times Drug_{\mathbf{D}} - Drug_{\mathbf{D$$

From binding to drug target

To unbinding from drug target

Number of target molecules in cytosol on a single cell

$$\frac{d(DrugTarget_f^{cell,cyto})}{dt} = -\frac{\ln(2)}{DT^{tumor}} \times DrugTarget_f^{cell,cyto} + K_{off}^{Drug,Target} \times Drug_DrugTarget_b^{cell,cyto}$$

To dilution as cells grow and divide From unbinding from drug

$$-\frac{K_{on}^{Drug,Target} \times SF}{V^{cell}} \times Drug_{f}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

To binding to $Drug_DrugTarget_h^{cell,cyto}$ with drug

$$-\alpha \times \frac{K_{on}^{Drug,Target} \times SF}{V^{cell}} \times Drug_E3_{b}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

To binding to
$$Drug_{b,dt}^{cell,cyto}$$
 with $Drug_E3_{b}^{cell,cyto}$ $+K_{off}^{Drug,Target} \times Drug_{b,dt}^{cell,cyto} - K_{met}^{Drug} \times DrugTarget_{f}^{cell,cyto} + K_{off}^{Meta,Target} \times Meta2_DrugTarget_{b}^{cell,cyto}$

From unbinding from $Drug_{h,dt}^{cell,cyto}$ To metabolism From unbinding from $Meta2_DrugTarget_h^{cell,cyto}$

$$-\frac{K_{on}^{Meta,Target} \times SF}{V^{cell}} \times Meta2_{f}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \end{pmatrix} + k_{prod}$$

$$-Meta2_DrugTarget_{b}^{cell,cyto}$$

To binding to $Meta2_DrugTarget_b^{cell,cyto}$ with $Meta2_f^{cell,cyto}$

Number of E3-ligase molecules in cytosol on a single cell

$$\frac{d(E3_f^{cell,cyto})}{dt} = 0$$

Als Konstante!

$$\frac{K_{on}^{Drug,E3} \times SF}{V^{cell}} \times Drug_f^{cell,cyto} \times E3_f^{cell,cyto}$$

$$+K_{\overbrace{off}}^{Drug,E3} \times Drug_E3_{\textcolor{red}{b}}^{cell,cyto} - \underbrace{K_{on}^{Drug,E3} \times SF}_{\textcolor{red}{Vcell}} \times Drug_DrugTarget_{\textcolor{red}{b}}^{cell,cyto} \times E3_{\textcolor{red}{f}}^{cell,cyto}$$

$$+K_{\overline{off}}^{\overline{Drug,E3}} \times Drug_{b,dt}^{\overline{cell,cyto}} - \frac{\ln(2)}{DT^{\underline{tumor}}} \times E3_f^{\underline{cell,cyto}} + k_{\underline{prod}} \times \left(E3_f^{\underline{cell,cyto}}(0) - E3_f^{\underline{cell,cyto}}\right)$$

Number of E3-ligase-bound drug molecules in cytosol on a single cell

$$\frac{d(Drug_E3_{b}^{cell,cyto})}{dt} = -\frac{\ln(2)}{DT^{tumor}} \times Drug_E3_{b}^{cell,cyto} + K_{off}^{Drug,Target} \times Drug_{b,dt}^{cell,cyto}$$

To dilution as cells grow and divide From unbinding from drug target

$$-\alpha \times \frac{K_{on}^{Drug,Target} \times SF}{V^{cell}} \times Drug_E3_{b}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

To binding to drug target

$$+\frac{K_{on}^{Drug,E3}\times SF}{V^{cell}}\times Drug_{f}^{cell,cyto}\times \left(E3_{f}^{cell,cyto}-Drug_E3_{b}^{cell,cyto}-Drug_{b,dt}^{cell,cyto}-Meta1_E3_{b}^{cell,cyto}\right)$$

From binding to E3-ligase

$$-K_{off}^{Drug,E3} \times Drug_E3_{b}^{cell,cyto}$$

To unbinding from E3-ligase

Number of target-bound drug molecules in cytosol on a single cell

$$\frac{d(Drug_DrugTarget_{b}^{cell,cyto})}{dt} = -\frac{\ln(2)}{DT^{tumor}} \times Drug_DrugTarget_{b}^{cell,cyto} + K_{off}^{Drug,E3} \times Drug_{b,dt}^{cell,cyto}$$

To dilution as cells grow and divide

From unbinding from E3-ligase

$$-\alpha \times \frac{K_{on}^{Drug,E3} \times SF}{V^{cell}} \times \left(E3_{f}^{cell,cyto} - Drug_E3_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} - Meta1_E3_{b}^{cell,cyto}\right) \times Drug_DrugTarget_{b}^{cell,cyto}$$

To binding to E3-ligase

$$+\frac{K_{on}^{Drug,Target} \times SF}{V^{cell}} \times Drug_{f}^{cell,cyto} \times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

From binding to drug target

$$-\mathit{K}_{off}^{\mathit{Drug,Target}} \times \mathit{Drug_DrugTarget}_{b}^{\mathit{cell,cyto}}$$

To unbinding from drug target

Number of target-bound Metabolite2 molecules in cytosol on a single cell

$$\frac{d(\textit{Meta2_DrugTarget}^{\textit{cell,cyto}})}{dt} = -K_{off}^{\textit{Meta,Target}} \times \textit{Meta2_DrugTarget}^{\textit{cell,cyto}}_{\textit{b}} - \frac{\ln(2)}{\textit{DT}^{tumor}} \times \textit{Meta2_DrugTarget}^{\textit{cell,cyto}}_{\textit{b}}$$

$$\text{To unbinding from drug target}$$

$$\text{To dilution as cells grow and divide}$$

$$+\frac{K_{on}^{Meta,Target}\times SF}{V^{cell}}\times Meta2_{f}^{cell,cyto}\times \begin{pmatrix} DrugTarget_{f}^{cell,cyto} - Drug_DrugTarget_{b}^{cell,cyto} - Drug_{b,dt}^{cell,cyto} \\ -Meta2_DrugTarget_{b}^{cell,cyto} \end{pmatrix}$$

From binding to drug target

Number of E3-ligase-bound Metabolite1 molecules in cytosol on a single cell

$$\frac{d(Meta1_E3_{b}^{cell,cyto})}{dt} = -K_{off}^{Meta,E3} \times Meta1_E3_{b}^{cell,cyto} - \frac{\ln(2)}{DT^{tumor}} \times Meta1_E3_{b}^{cell,cyto}$$

To unbinding from E3-ligase To dilution as cells grow and divide

$$+\frac{K_{on}^{Meta,E3}\times SF}{V^{cell}}\times Meta1_{f}^{cell,cyto}\times \left(E3_{f}^{cell,cyto}-Drug_E3_{b}^{cell,cyto}-Drug_{b,dt}^{cell,cyto}-Meta1_E3_{b}^{cell,cyto}\right)$$

From binding to E3-ligase

$$V_{mm3}^{tumor} = V_{pro,mm3}^{tumor} + V_{dyi,1,mm3}^{tumor} + V_{dyi,2,mm3}^{tumor} + V_{dyi,3,mm3}^{tumor}$$

$$\frac{\mathrm{d}(V_{pro,mm3}^{tumor})}{\mathrm{dt}} = \begin{pmatrix} \frac{\ln(2)}{\mathrm{DT}^{tumor}} \times \left(1 - \frac{V_{pro,mm3}^{tumor}}{V_{max}^{tumor}}\right) \\ \left(1 + \left(\frac{\ln(2)}{\mathrm{DT}^{tumor}} \times \frac{V_{pro,mm3}^{tumor}}{k_{lin}}\right)^{\Psi}\right)^{\frac{1}{\Psi}} - \mathrm{R_{Kill}} \end{pmatrix} \cdot V_{pro,mm3}^{tumor} \\ t_{l}^{EC} = \ln\left(\frac{\mathrm{Drug}_{b,dt}^{cell,cyto} \times SF}{V_{cell}^{total}}\right) - \ln(EC_{50}) \\ LOGI^{EC} = \frac{k_{g}}{1 + \left(\frac{k_{g}}{k_{z}} - 1\right) \times e^{-k_{r} \times k_{g} \times t_{l}^{EC}}} \\ \frac{\mathrm{d}(V_{dyi,1,mm3}^{tumor})}{\mathrm{d}(V_{dyi,1,mm3}^{tumor})} - \mathrm{R_{min}} \cdot V_{tumor}^{tumor} = \frac{1}{l} \cdot V_{tumor}^{tumor}$$

$$\frac{\mathrm{d}(V_{dyi,1,mm3}^{tumor})}{\mathrm{dt}} = R_{\mathrm{Kill}} \cdot V_{pro,mm3}^{tumor} - \frac{1}{\tau} \cdot V_{dyi,1,mm3}^{tumor}$$

$$\frac{\mathrm{d}(V_{dyi,2,mm3}^{tumor})}{\mathrm{dt}} = \frac{1}{\tau} \cdot (V_{dyi,1,mm3}^{tumor} - V_{dyi,2,mm3}^{tumor})$$

$$\frac{\mathrm{d}(V_{dyi,3,mm3}^{tumor})}{\mathrm{dt}} = \frac{1}{\tau} \cdot (V_{dyi,2,mm3}^{tumor} - V_{dyi,3,mm3}^{tumor})$$

$$t_{l}^{DC} = \ln\left(\frac{Drug_{b,dt}^{cell,cyto} \times SF}{V^{cell}}\right) - \ln(DC_{50})$$

$$LOGI^{DC} = \frac{k_g}{1 + (\frac{k_g}{k_z} - 1) \times e^{-k_r \times k_g \times t_l^{DC}}}$$

$$t_l^{EC} = \ln\left(\frac{\frac{Drug_{b,dt}^{cell,cyto} \times SF}{V^{cell}}\right) - \ln(\frac{EC_{50}}{V^{cell}})$$

$$LOGI^{EC} = \frac{k_g}{1 + (\frac{k_g}{k_z} - 1) \times e^{-k_r \times k_g \times t_l^{EC}}}$$

$$R_{kill} = k_{kill, max} \times \left(\frac{\ln(2)}{\text{DT}^{tumor}}\right)^{f_DT_kill} \times \text{LOGI}^{EC}$$