



ECON 202 - MACROECONOMIC PRINCIPLES

Instructor: Dr. Juergen Jung

Towson University

Disclaimer

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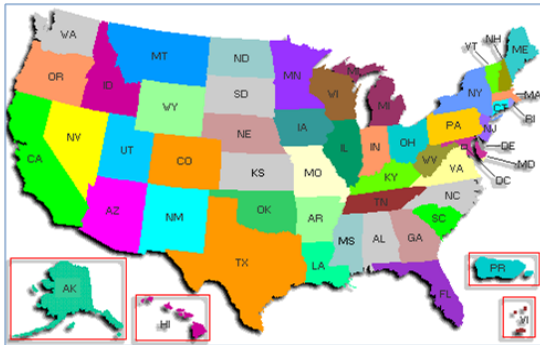
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Chapter 1 - Introduction to Macroeconomics

Some US Facts

Considering the biggest economy in the world



Quick Facts

- Land area: 3,500 mil square miles
- Population: 310 mil people
- 113 mil households
- 27 mil firms
- GDP: \$16.2 trillion (in 2012 USD)
- GDP per capita: \$50,000 (in 2012 USD)
- Gross Domestic Product (GDP): the quantity of goods and services produced within a country's borders over a particular period of time.

Aggregate Variables

Figure 1: Real GDP (2009 USD)

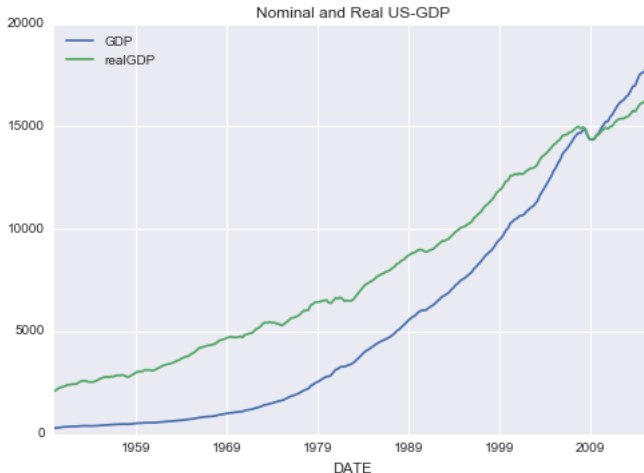


Figure 2: Per Capita Real GDP (2000 USD)

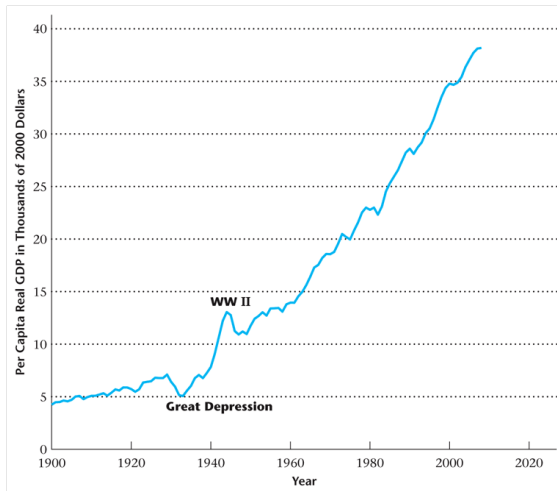


Figure 3: GDP and Consumption (2009 USD)

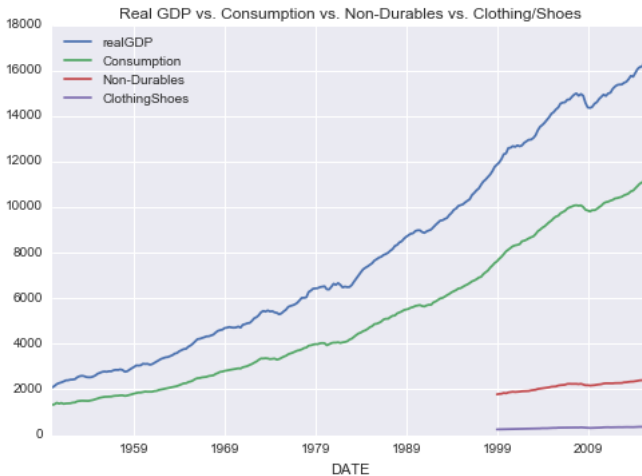


Figure 4: Growth Rates of GDP vs. Personal Consumption

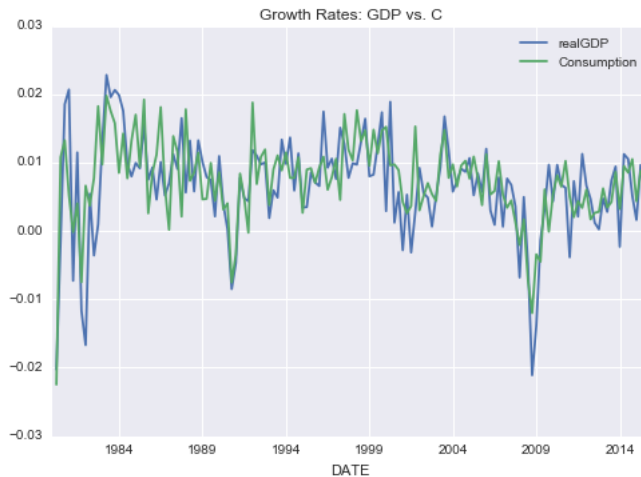


Figure 5: Growth Rates of Real GDP and Non-Durables Consumption

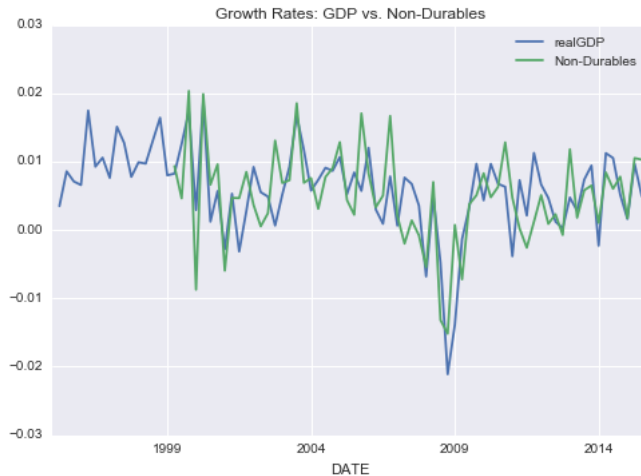
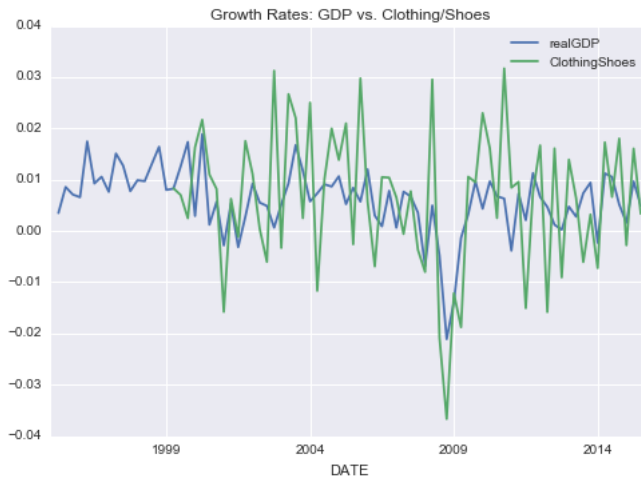


Figure 6: Growth Rate GDP vs. Consumption of Clothing/Shoes



Key Macroeconomic Facts

- Fact 1: Upward exponential trend
 - Between 1900 and 2002, average income increased eight-fold
 - Long-run growth
- Fact 2: Fluctuations around long term growth trend
 - Short-run cyclical components
 - Business cycle
- There exist stable, quantitatively accurate relations among aggregate variables

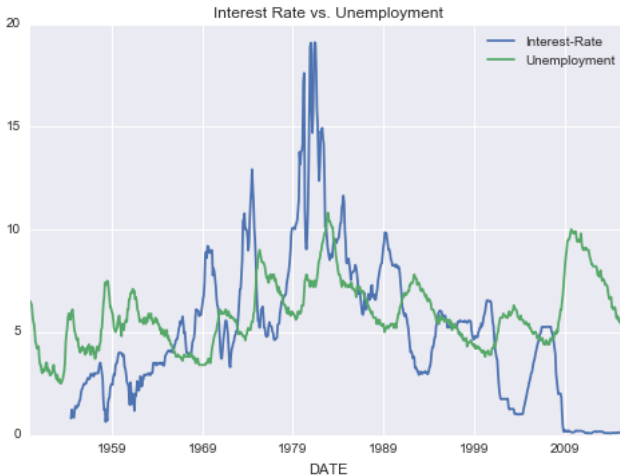
A Stable Relationship?

Figure 7: Okun's Law



A Stable Relationship?

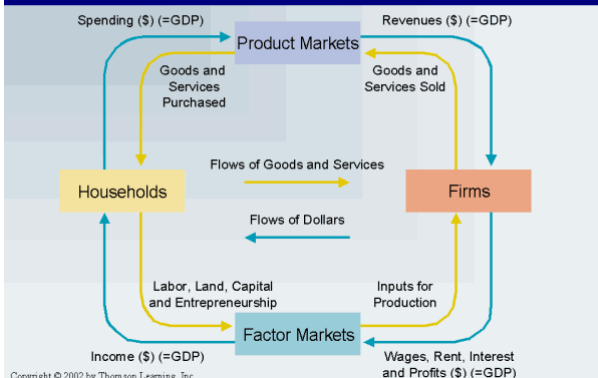
Figure 8: Interest Rates and Unemployment



A Macroeconomic Model

Model

The Circular Flow Model of Income and Output



Some fundamental macro questions

- 1 What causes sustained economic growth?
- 2 Is economic growth indefinite *i.e.* limit to growth?
- 3 Can governments (policymakers) alter the rate of growth?
- 4 What causes business cycles?
- 5 Can the booms (expansions) and busts (recessions) be repeated?
- 6 Should governments (policymakers) smooth business cycles?

Recessions

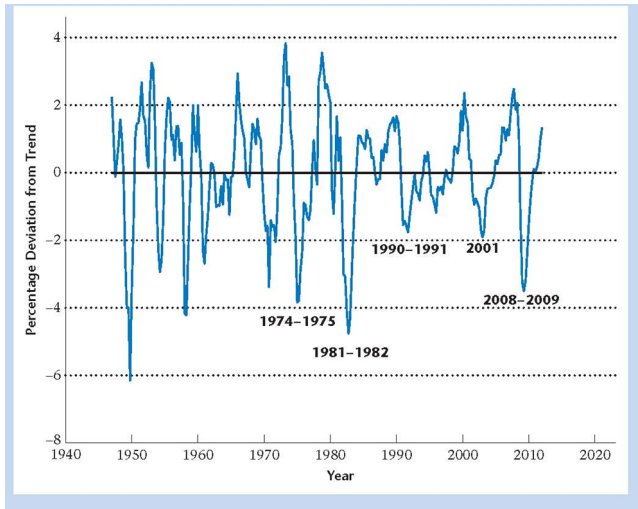
- 1 1974 – 1975: Oil price shock caused by OPEC restrictions
- 2 1981 – 1982: Fight inflation using monetary policy i.e. high interest rates (Volcker rule)
- 3 1990 – 1991: Gulf War, oil price high again
- 4 2001: Burst of Dot.com bubble and loss of optimism → start of housing bubble (Greenspan rule)
- 5 2008 – 2009: Burst of Housing bubble and financial crisis

1982 – 2008: The Great Moderation → macro aggregates become less volatile

Figures

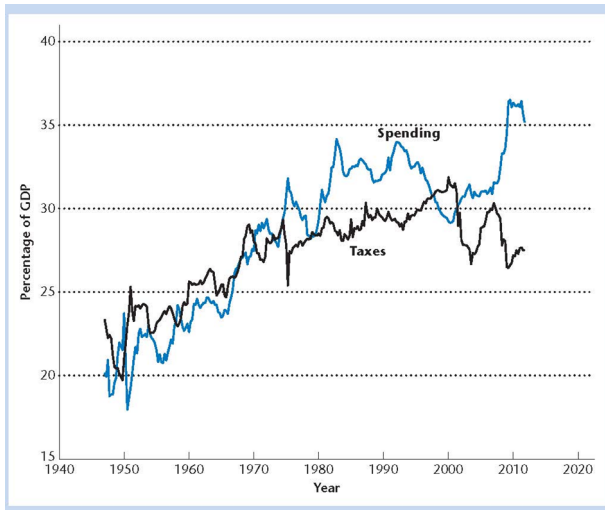
Figures (cont.)

Figure 9: Percentage Deviation from Trend in Real GDP, 1947-2009



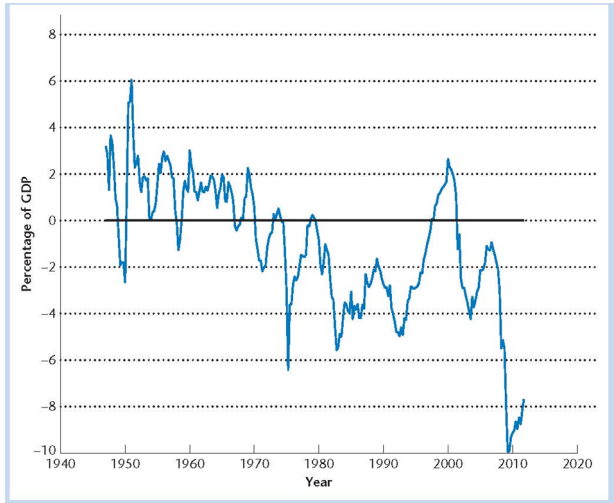
Figures (cont.)

Figure 10: Total Taxes and Total Government Spending



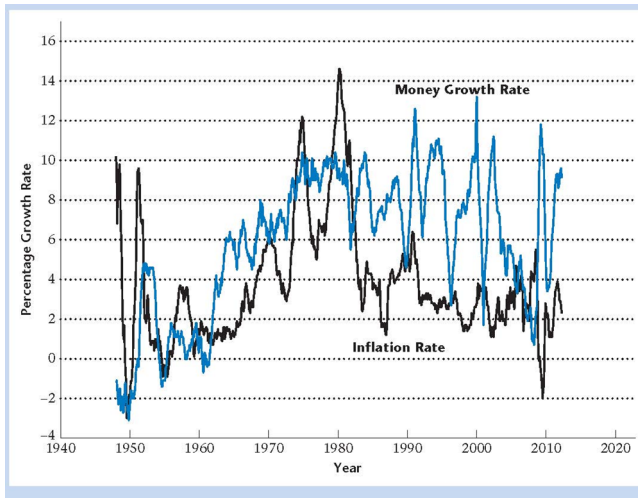
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Figure 11: Government Surplus (Deficit) as fraction of GDP



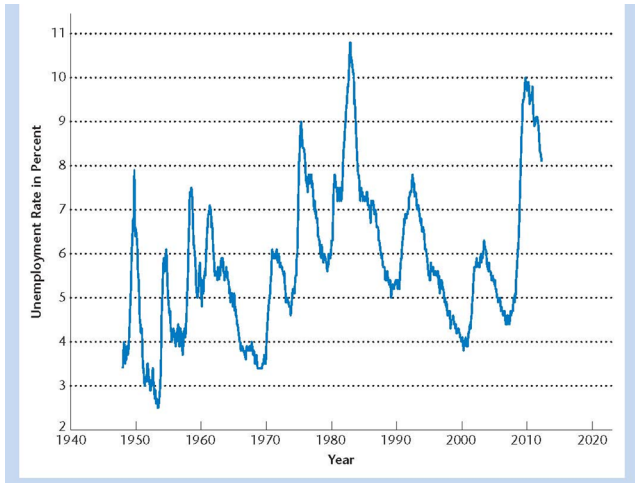
Figures (cont.)

Figure 12: The Inflation Rate and the Money Growth Rate



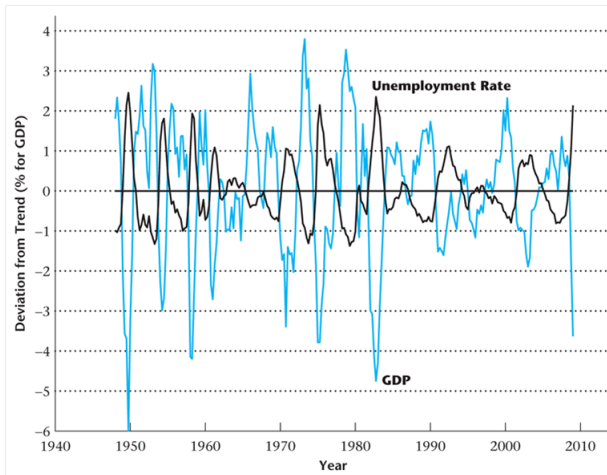
Figures (cont.)

Figure 13: The Unemployment Rate in the United States, 1948-2012



Figures (cont.)

Figure 14: Deviations from Trend in the Unemployment Rate and Percentage Deviations from Trend in Real GDP



Appendix

How to Measure Growth

- Consider a time series $y_0, y_1, \dots, y_{t-1}, y_t, \dots, y_T$
- Let y_t denote GDP in time period t i.e. US GDP 10 trillion in year t .
- Growth rate is the rate of change (Discrete vs. Continuous). The discrete rate of change is:

$$g_t = \frac{y_t - y_{t-1}}{y_{t-1}} = \frac{y_t}{y_{t-1}} - 1$$

so that

$$1 + g_t = \frac{y_t}{y_{t-1}}$$

How to Measure Growth (cont.)

- Note: If x is small then $\log(1 + x) \approx x$. So, if g_t is small then:

$$\log(1 + g_t) \approx g_t$$

$$\log\left(\frac{y_t}{y_{t-1}}\right) \approx g_t$$

or

$$\log y_t - \log y_{t-1} \approx g_t$$

$$\Delta \log y_t \approx g_t$$

- g_t is the slope of the $\log y_t$ line.
- Can think of growth rates in log as continuous time analogue of discrete approximation

How to Measure Growth (cont.)

- Remember also the definition of log

$$\ln(x) = y \rightarrow e^y = x$$

so that

$$\begin{aligned}\ln(1) &= 0 \rightarrow e^0 = 1, \\ \ln(e) &= 1 \rightarrow e^1 = e,\end{aligned}$$

where e is Euler's constant

$$e = \lim_{n \rightarrow \infty} \left(1 + \frac{1}{n}\right)^n = 2.71828$$

Figure 15: Natural Log of Per Capita Real GDP

