

Problem formulation

Input:

- A sequence of images (or volumes in 3D), $-I_0, I_1, ..., I_r, ...$
- Target of interest at the initial frame I_0 - x_0

Output:

• Targets in each of the following frames $-x_1, ..., x_n, ...$

What is a "target"?

• Model a target as a state (vector)



Bounding box

No rotation: $x=(pos_x, pos_y, width, height)$ With rotation: $x=(pos_x, pos_y, width, height, \theta)$ Affine: x=(a, b, c, d, trans x, trans y)



A

Pose x=(box_1, box_2, ..., box_n)

Contour x=(point_1, point_2, ..., point_n)

Tracking and Detection

Detection: for the *t*-th frame, I_t , find x_t

 x_t =argmax_x Pr($x|I_t$)

"Tracking by detection"

Why do we still need tracking?

- Temporal consistency
- Robustness
- Efficiency
- Resolving ambiguity, multiple targets association

Tracking as State Estimation

At frame t, find the best x_t by Bayesian inference

$$\Pr(x_t|I_pI_{t-1},...,I_1,I_0)$$

In practice, we don't usually use the whole image, instead some part or local features of the image.

Named as observation

$$z_1, \ldots, z_t, \ldots$$

So the problem is

$$\Pr(x_t|X_{t-1},Z_t)$$

where

$$X_t = \{x_1, ..., x_t\}, Z_t = \{z_1, ..., z_t\}$$

Tracking as State Estimation

By Markov property

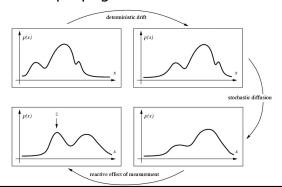
$$Pr(x_t|X_{t-1},Z_t) \rightarrow Pr(x_t|Z_t)$$

- Once we know $Pr(x_t|Z_t)$, tracking can be easily done by find the peak of $Pr(x_t|Z_t)$ or the expectation of x_t .
- Problems
 - Is there a closed form of $Pr(x_t|Z_t)$?
 - How to efficiently estimate $Pr(x_t|Z_t)$?
- Solution
 - Treat tracking as a probability propagation problem
 - Sampling techniques

Gaussian Assume Gaussian distribution "Everything" is Gaussian then Propagation Kalman filter Propagation From the proper sectors of the sectors of th

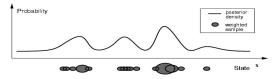
General Non-Gaussian

- No closed form representation
- No closed form propagation solution



CONDENSATION – Factored Sampling

CONDENSATION -- conditional density propagation for visual tracking, M. Isard and A. Blake, IJCV 29(1):5-28, 1998

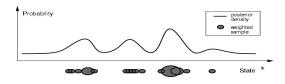


• Non-parametric representation

$$p(x \mid z) = kp(z \mid x) p(x)$$
Observation likelihood
Observation Prior dense

- Prediction: sample state x from prior density
- Correction: Weight the samples according to observation

CONDENSATION – Factored Sampling



$$\{(s^{(1)},\pi^{(1)}),\ldots,(s^{(N)},\pi^{(N)})\}$$
 Weighted samples

$$s^{(i)} \sim p(x)$$

Prior density

$$\pi^{(i)} = \frac{p(z \mid s^{(i)})}{\sum_{i=1}^{n} p(z \mid s^{(j)})}$$

Observation likelihood

We are not done yet ...

$$\{(s^{(1)}, \pi^{(1)}), \dots, (s^{(N)}, \pi^{(N)})\}$$

$$\{(s^{(1)}_t, \pi^{(1)}_t), \dots, (s^{(N)}_t, \pi^{(N)}_t)\}$$

$$\{(s_t^{(1)}, \pi_t^{(1)}), \dots, (s_t^{(N)}, \pi_t^{(N)})\}$$

- We need to model temporal information
 - For prediction, we need prior from ALL previous observation Z_{t-1}

$$p(x_t \mid Z_{t-1}) = \int_{x_{t-1}} p(x_t \mid X_{t-1}) p(x_{t-1} \mid Z_{t-1}) dx_{t-1}$$

We then update the posterior probability

$$p(x_t | Z_t) = k_t p(z_t | x_t) p(x_t | Z_{t-1})$$

Components in the tracker

$$p(x_{t} | Z_{t-1}) = \int_{x_{t-1}} p(x_{t} | x_{t-1}) p(x_{t-1} | Z_{t-1}) dx_{t-1}$$
$$p(x_{t} | Z_{t}) = k_{t} p(z_{t} | x_{t}) p(x_{t} | Z_{t-1})$$

 x_t : state, target representation

 z_t : observation, object feature

 $p(x_t | x_{t-1})$: state transition probability (drift, motion, etc)

 $p(z_t | x_t)$: observation likelihood

Particle filtering $(s_{t-1}^{(n)}, \pi_{t-1}^{(n)})$ $\text{drift } s_{t-1}^{(n)} = s_{t-1}^{(n)} + \mu_{t-1}^{(n)}$ $\text{diffuse } s_t^{(n)} = s_{t-1}^{(n)} + \nu_{t-1}^{(n)}$ density $measure \quad p(z_t^{(n)} \mid s_t^{(n)})$ $(s_t^{(n)}, \pi_t^{(n)})$

Iterate

From the "old" sample-set $\{\mathbf{s}_{t-1}^{(n)}, \pi_{t-1}^{(n)}, t_{t-1}^{(n)}, n=1,\ldots,N\}$ at time-step t-1, construct a "new" sample-set $\{\mathbf{s}_{t}^{(n)}, \pi_{t}^{(n)}, t_{t-1}^{(n)}, n=1,\ldots,N\}$ for time t.

Construct the $n^{\rm th}$ of N new samples as follows:

- Select a sample s_t⁽ⁿ⁾ as follows:
- (a) generate a random number $r \in [0, 1]$, uniformly distributed.
- (b) find, by binary subdivision, the smallest j for which $c_{t-1}^{(j)} \ge r$
- (c) set $s'_t^{(n)} = s_{t-1}^{(j)}$
- 2. Predict by sampling from

$$p(\mathbf{x}_{t}|\mathbf{x}_{t-1} = \mathbf{s'}_{t}^{(n)})$$

to choose each $\mathbf{s}_i^{(n)}$. For instance, in the case that the dynamics are governed by a linear stochastic differential equation, the new sample value may be generated as: $\mathbf{s}_i^{(n)} = A\mathbf{s}_i^{(n)} + B\mathbf{w}_i^{(n)}$ where $\mathbf{w}_i^{(n)}$ is a vector of standard normal random variates, and BB^T is the process noise covariance — see section 5.

3. Measure and weight the new position in terms of the measured features z_t:

$$\pi_t^{(n)} = p(\mathbf{z}_t | \mathbf{x}_t = \mathbf{s}_t^{(n)})$$

then normalise so that $\sum_n \pi_t^{(n)} = 1$ and store together with cumulative probability as $(s_t^{(n)}, \pi_t^{(n)}, \tau_t^{(n)})$ where

$$c_t^{(0)} = 0,$$

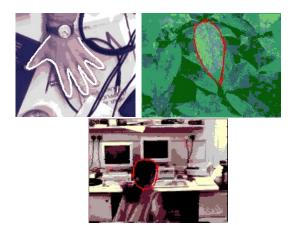
 $c_t^{(n)} = c_t^{(n-1)} + \pi_t^{(n)} \quad (n = 1, ..., N).$

Once the N samples have been constructed: ${\bf estimate},$ if desired, moments of the tracked position at time-step t as

$$\mathcal{E}[f(\mathbf{x}_t)] = \sum_{t=0}^{N} \pi_t^{(n)} f\left(\mathbf{s}_t^{(n)}\right)$$

obtaining, for instance, a mean position using $f(\mathbf{x}) = \mathbf{x}$

Particle filtering results



http://www.robots.ox.ac.uk/~misard/condensation.html

Multiple-Instance Representation

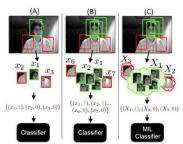


Figure 1. Updating a discriminative appearance model: (A) Using a single positive image patch to update a traditional discriminative classifier. The positive image patch chosen does not capture the object perfectly. (B) Using several positive image patches to update a traditional discriminative classifier. This can confuse the classifier causing poor performance. (C) Using one positive bag consisting of several image patches to update a MIL classifier. See Section 3 for empirical results of these three strategies.

A candidate region contains multiple instances (at least one positive).

Leverage the tool of multiple instance learning (MIL).

Sliding window for local search.

Babenko, Yang, & Belongie, CVPR 2009

Structured Inference

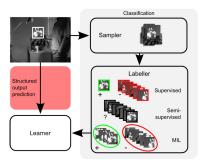


Figure 1. Different adaptive tracking-by-detection paradigms: given the current estimated object location, traditional approaches

(shown on the right-hand side) generate a set of samples and, depending on the type of learner, produce training labels. Our approach (left-hand side) avoids these steps, and operates directly on

the tracking output.

Modeling structure information in visual representation.

Structured kernel method for direct output prediction.

Hare, Saffari, & Torr, ICCV 2011

Observations and Motivations

- Representation is important.
- Number of particles is important.
- Particle filter versus sliding window?
- Speed versus accuracy?

Conjecture

• Effective representation + efficient sliding window

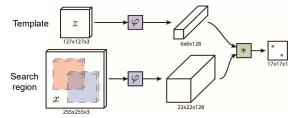
Correlation Filter Tracking

- Early ones with (nearly) raw intensity features
 - Learned "template matching" in frequency domain
 - Extremely efficient, but less impressive
 - MOSSE: Bolme et al. CVPR 2010
- Advanced solutions with richer features
 - KCF with HOG, Henriques et al. PAMI 2015
 - With deep features, Danelljan et al. 2015, Ma et al. 2015, Qi et al. 2015, ...
- Bring correlation filter into an end-to-end pipeline
 - Siamese tracking, Bertinetto et al. ECCVW 2016

Deep Similarity for Tracking SiamFC: Fully Convolutional Siamese Network for Tracking. Bertinetto et al. ECCVW 2016 Template Search 22x22x128 Each pixel value in score map z: exemplar image x: search image represents the similarity of each φ : a convolutional embedding function position in the search image to the exemplar image. The higher the (table1 in the paper) function $f(z, x) = \varphi(z) * \varphi(x) + b1$ score, the more similar they are.

Siamese Tracking

SiamFC: Fully Convolutional Siamese Network for Tracking. Bertinetto et al. FCCVW 2016



Representation

- Template and search region go through the same feature extraction network
- · No model update

Tracking inference

- · Correlation (kind of template matching), the maximum in the response map
- · No model update
- Efficient (50+ fps)

Architecture in Detection

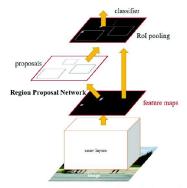


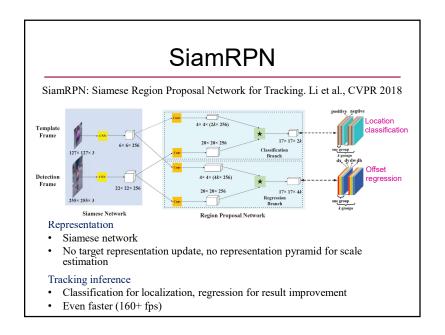
Figure 2: Faster R-CNN is a single, unified network for object detection. The RPN module serves as the 'attention' of this unified network.

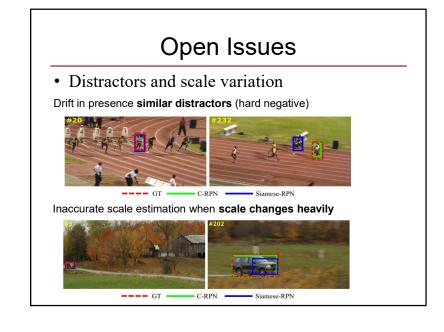
Can we borrow something from detection?

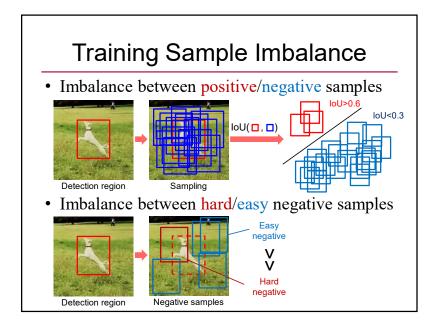
Region proposal network (RPN):

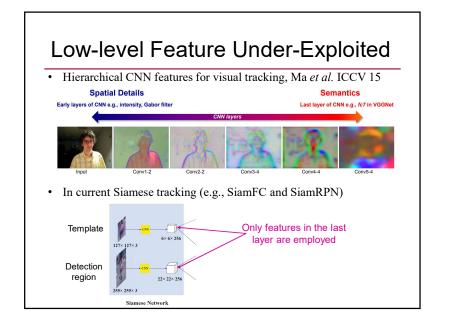
- reduce the number of candidate targets
- improve reference accuracy.

Ren et al, "Faster R-CNN: Towards Real-Time Object Detection, NeurlPS 2015.









Cascaded Siamese Region Proposal Networks Cascaded Siamese Region Proposal Networks for Real-time Visual Tracking Fan & Ling, CVPR 2019 RPN RPN RPN RPN Region Proposal Networks for Real-time Visual Tracking Fan & Ling, CVPR 2019

Three key ingredients for improvement

- Filtering out easy negative samples → More balanced training samples → Sequentially more discriminative classifier in RPN
- Multi-layer feature fusion via FTB → stronger classifier and regressor in RPN
- Multi-step regression in C-RPN → more accurate scale estimation

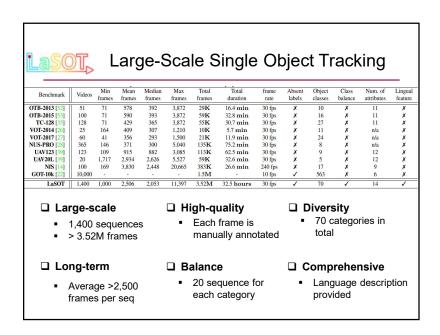
Illustrative Results • Prediction maps of RPNs of different stages (a) Region of interest (b) From left to right: response maps of stage 1, stage 2 and stage 3 • Multi-stage regression 107 C-RPN Siamese-RPN

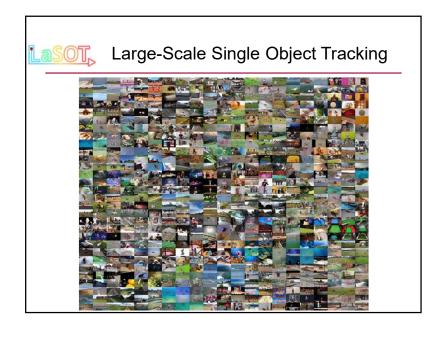
Qualitative Results on LaSOT Successful examples C-RPN C-RPN

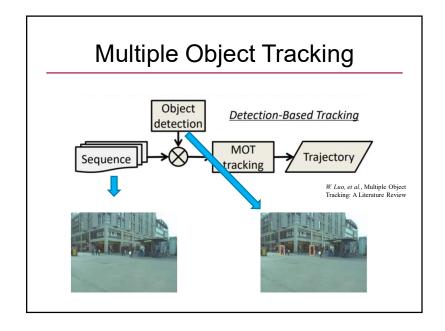
Since 2013

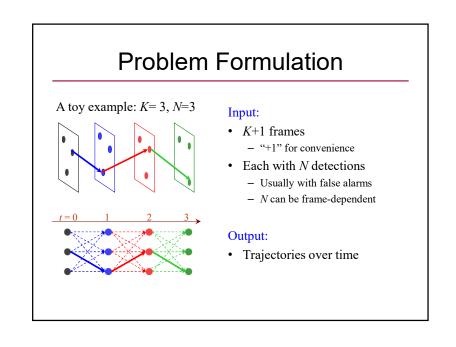
Example benchmarks

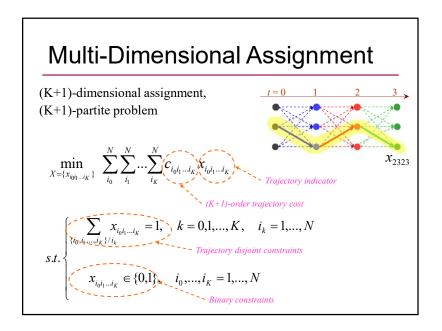
- CVPR 2013, Object Tracking Benchmark (OTB-2013)
- PAMI 2014, ALOV 300
- TIP 2015, Temple Color 128 (TC-128)
- PAMI 2015, Object Tracking Benchmark (OTB-2015)
- PAMI 2016, NUS-PRO
- ECCV 2016, UVA123
- ICCVW 2017, Visual Object Tracking (VOT 2017)
- ICCV 2017, Need For Speed (NFS)
- ECCV 2018, long-term tracking in the wild (TLP)
- CVPR 2019, Large scale Single Object Tracking (LaSOT)
- ...

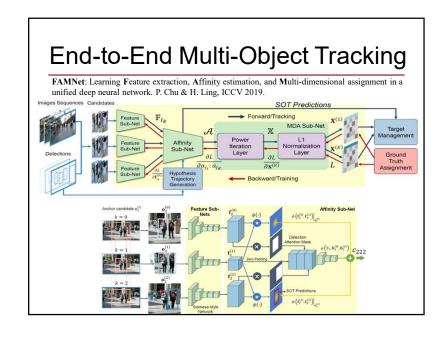


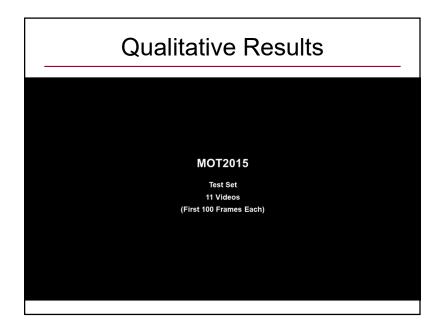


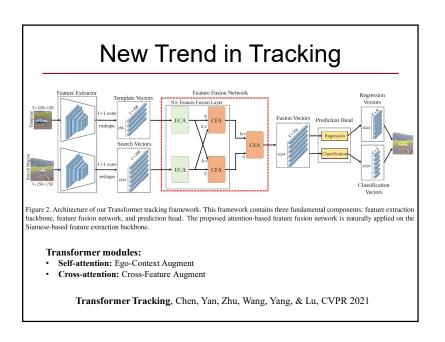












New Trend in Tracking Taget Template Backbook Search Region Transformer-based Feature Representation Extraction Transformer-based Feature Fusion Prediction Head

Figure 2: Architecture of SwinTrack, which contains three parts including Transformer-based feature representation extraction, Transformer-based feature fusion and prediction head. Our SwinTrack is a simple and neat tracking framework without complex designs such as multi-scale features or temporal template updating, yet demonstrating state-of-the-art performance. Best viewed in color.

Transformer modules:

- · Swin Transformer backbone
- Motion token: dynamically update object trajectory information

SwinTrack, Lin, Fan, Zhang, Xu, & Ling, NeurIPS 2022

New Trend in Tracking

Transformer for Multiple Object Tracking

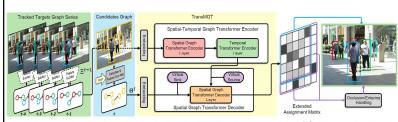


Figure 1. Overview of the proposed TransMOT pipeline for online MOT. The trajectories graph series $\mathbf{\Xi}^{t-1}$ till frame t-1 and detectio candidates graph Θ^t at frame t serve as the source and target inputs, respectively, to the spatial-temporal graph transformer.

TransMOT: Spatial-Temporal Graph Transformer for Multiple Object Tracking Chu, Wang, You, Ling, & Liu, WACV 2023