

stochmatrix . Vvector = steadystatevector
 -objectivefunc ∈ solution space within boundaries

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In[ ]:= stochmatrix = {{-1, -1, 1, 0, 1, 0, 0}, {1, 0, 0, 1, 0, -1, 0}, {0, 1, -1, -1, 0, 0, -1}};
objectivefunc1 = {2, 0, 0, 1, 0, 0, 0};
objectivefunc2 = {1, 0, 0, 2, 0, 0, 0};
boundaries = {{0, Infinity}, {0, Infinity}, {0, 0}, {0, Infinity}, {0, 1}, {0, 2}, {0, 0}};
steadystatevector = {{0, 0}, {0, 0}, {0, 0}};
Vvector = {v1, v2, v3, v4, b1, b2, b3};
Vvector1 = LinearProgramming[-objectivefunc1, stochmatrix, steadystatevector, boundaries]
Vvector2 = LinearProgramming[-objectivefunc2, stochmatrix, steadystatevector, boundaries]
```

Out[]:= {1, 0, 0, 0, 1, 1, 0}

Out[]:= {0, 1, 0, 1, 1, 1, 0}

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In[ ]:= FindMaximum[{2 v1 + v4, -v1 - v2 + v3 + b1 == 0 && v1 + v4 - b2 == 0 && v2 - v3 - v4 - b3 == 0 &&
  0 ≤ v1 + v2 ≤ 1 && 0 ≤ v1 + v4 ≤ 2 && v2 - v4 == 0 && 0 ≤ b1 ≤ 1 && 0 ≤ b2 ≤ 2 &&
  b3 == 0 && v1 ≥ 0 && v2 ≥ 0 && v3 == 0 && v4 ≥ 0}, {v1, v2, v3, v4, b1, b2, b3}]
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Out[]:= {2., {v1 → 1., v2 → 0., v3 → 0., v4 → 0., b1 → 1., b2 → 1., b3 → 0.}}

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In[ ]:= Show[RegionPlot[0 < v1 + v4 < 2, {v1, 0, 2},
  {v4, 0, 2}, PlotLabels → Placed["0 < v1 + v4 < 2", {0.8, 0.5}]],
  Plot[-v1 + 2, {v1, 0, 1.2}, PlotLabels → Placed["v1 + v4 = 2", {1.1, 1}]],
  PlotRange → All, ImageSize -> Small]
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