# **Data Import**

# Modifications in the Dataset

Width Feature

**Thickness Feature** 

Time Windows Generation by Data Partitioning

# Investigation of Constraints Impact in Time Windows

Simple Association Networks

Width Feature

**Thickness Feature** 

Fixed Step Size Networks

Width Feature

Thickness Feature

Fixed Bucket Size Networks

Width Feature

## Data Import

```
In[2]:= SetDirectory[
      "C:/Users/serha/OneDrive/Masaüstü/MyRepo/master thesis MMT003/210210 impacts in time
         _windows"];
In[3]:= datafull = Import[".../data/ccm1_data_modified.csv", HeaderLines → 1];
    datafullwithheading = Import["../data/ccm1_data_modified.csv"];
In[5]:= Get["../algoritm_packages/SingleNetworks-algorithm-package.wl"]
    (* ?SingleNetworks`* *)
In[6]:= Print["Dataset Length: ", Dimensions@datafull[[All, 9]]]
    Dataset Length: {459 203}
```

In[10]:= Magnify[TableView[datafullwithheading], 0.6]

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1		SEQUENC :	R_OS _ID	PRODUCTION:	REFERENCE	PIECE_ID	MATERIAL	MOLD_ %	WIDTH	THICKNESS	WEIGHT	LENGTH	HEAT_ID	STEEL_\	EXIT_	SLAB_TR:
1		E_ID		_LINE _NAME	_DATE		_ID	WIDTH						GRADE	TEMP	ANSITIO:
2	1	122	115 686	CCM1	14.12×.16	16 000 181	148 956	#NAME?	1.24×10 <sup>6</sup>	87.	2.74×10 <sup>9</sup>	3.35×10 <sup>9</sup>	16 000 181	26	0	0
3	2	122	115 686	CCM1	14.12×.16	16 000 181	148 958	#NAME?	1.24×10 <sup>6</sup>	87.	2.74×10 <sup>9</sup>	3.35×10 <sup>9</sup>	16 000 181	26	0	0
4	3	122	115 686	CCM1	14.12×.16	16 000 181	148 959	⊞NAME?	1.24×10 <sup>6</sup>	87.	2.74×10 <sup>9</sup>	3.35×10 <sup>9</sup>	16 000 181	26	9	0
5	4	122	115 686	CCM1	14.12×.16	16 000 181	148 957	₩NΔME?	1.24×10 <sup>6</sup>				16 000 181	26	9	0
6	5						000 000-1						16 000 181	26	9	0
7	_			-											_	
-	6	122			14.12×.16				1.24×10 <sup>6</sup>				16 000 181	26	0	0
8	7	122	115 686	CCM1	14.12×.16	16 000 181	148 955		1.24×10 <sup>6</sup>	87.	2.74×10 <sup>9</sup>	3.35×10 <sup>9</sup>	16 000 181	26	0	0
9	8	173	117 744	CCM1	03.01×.17	17 000 341	150 353	∷NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	0	0
10	9	173	117 744	CCM1	03.01×.17	17 000 341	150 351	∷NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	0	0
11	10	173	117 744	CCM1	03.01×.17	17 000 341	150 352	∷NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	0	0
12	11	173	117 744	CCM1	03.01×.17	17 000 341	150 354	#NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	0	0
13	12	173	117 744	CCM1	03.01×.17	17 000 341	150 355	∷NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	0	0
14	13	173	117 744	CCM1	03.01×.17	17 000 341	150 356	∷NAME?	1.23×10 <sup>6</sup>	65.	1.97×10 <sup>9</sup>	3.23×10 <sup>9</sup>	17 000 341	30	9	0
15	14	173	117 744			17 000 341			1.23×10 <sup>6</sup>		1 97×10 <sup>9</sup>	3 23×10 <sup>9</sup>	17 000 341	30	9	0
16	15		117 701	-					1.22×10 <sup>6</sup>				17 000 341		9	_
-				-		17 000 281						-		30	- 6	4
17	16	169	117 701	CCM1	03.01×.17	17 000 281	150 469	#NAME?	1.22×10 <sup>6</sup>	65.	2.07×10 <sup>5</sup>	3.42×10 <sup>9</sup>	17 000 281	30	0	4
18	47	160	117701	CCM4	02 04 47	17,000,001	150 470	MAMES	4 22 406	CF.	2 07 105	2 42 409	17,000,001	- 20		

```
l_{n/e}:= Print["Width Feature Data Summary: ", Counts@(Head /@datafull[[All, 9]])]
    Print["Thickness Feature Data Summary: ", Counts@(Head /@datafull[[All, 10]])]
```

Width Feature Data Summary:  $\langle | \text{Real} \rightarrow 397\,873 \rangle$ , Integer  $\rightarrow 61\,183$ , String  $\rightarrow 147\,| > 100\,100$ 

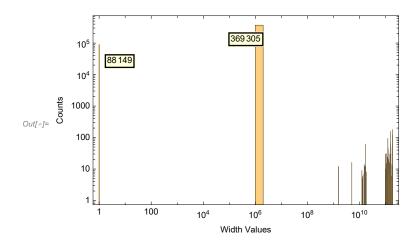
Thickness Feature Data Summary:  $\,\,\triangleleft\,\, Real \rightarrow 397\,860$  , Integer  $\rightarrow 61\,199$  , String  $\rightarrow 144\,\,|\,\rangle\,\,$ 

#### Modifications in the Dataset

#### Width Feature

```
l_{n/e}:= Histogram[datafull[[All, 9]], {10^6}, ScalingFunctions \rightarrow {"Log", "Log"},
      PlotRange → Full, Frame → True, ChartLabels → Placed[{88149, 369305},
        {{0.07, 0.8}, Top}, Framed[#, FrameMargins → 1, Background → LightYellow] &],
      FrameLabel → {"Width Values", "Counts"}]
```

Out[10]=

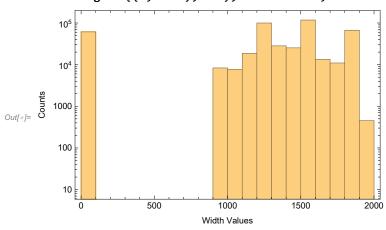


In[\*]:= widthmodified = Table[ If[StringQ@i, i, If[(RealDigits@i)[[2]] > 4, i / 10^((RealDigits@i)[[2]] - 4), i, i]], {i, datafull[[All, 9]]}] Counts@(Head /@widthmodified)

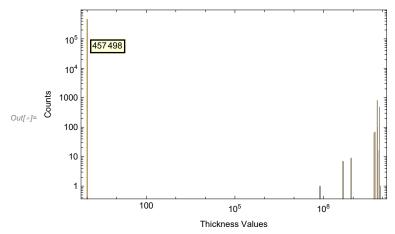
```
\{1240., 1240., 1240., 1240., 1240., 1240., 1240., 1230., 1230., 1230., 1230., 1230., 1230.,
        1230., 1230., 1220., 1220., 1220., 1220., 1220., 1220., 1220., 1220., 1230., 1230.,
        1230., 1230., 1230., 1230., 1230., 1530., 1530., 1530., 1530., 1530., 1530.,
        1520., 1520., 1520., 1520., 1520., 1520., 1520., 1520., 0, 0, 0, 0, 1240., 1240.,
        (... 459 103 ··· ), 0, 0, 0, 0, 0, 0, 1350., 1350., 1350., 1350., 1350., 1350.,
Out[ • ]=
        1350., 1350., 1350., 1350., 1350., 1360., 1360., 1360., 1360., 0, 0, 0, 1360.,
        1360., 1360., 1360., 1360., 1360., 1360., 1360., 1360., 1360., 1360.,
        1360., 1360., 1360., 1360., 1360., 1360., 1350., 1350., 1350., 1350., NA, NA
                   show less
                             show more
                                        show all
                                                  set size limit...
       large output
```

 $Out[\circ]=\langle | Real \rightarrow 397873, Integer \rightarrow 61183, String \rightarrow 147 | \rangle$ 

In[\*]:= Histogram[widthmodified, ScalingFunctions → "Log", PlotRange → {{0, 2000}, All}, Frame → True, FrameLabel → {"Width Values", "Counts"}]



```
In[@]:= Histogram[datafull[[All, 10]], {10^6},
      ScalingFunctions \rightarrow {"Log", "Log"}, PlotRange \rightarrow Full, Frame \rightarrow True, ChartLabels \rightarrow
        Placed[457498, {0.07, 0.85}, Framed[#, FrameMargins → 1, Background → LightYellow] &],
      FrameLabel → {"Thickness Values", "Counts"}]
```

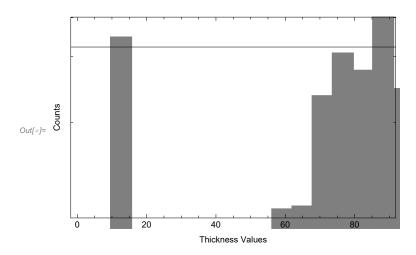


In[\*]:= thicknessmodified = Table[ If[StringQ@i, i, If[(RealDigits@i)[[2]] > 2, i / 10^((RealDigits@i)[[2]] - 2), i, i]], {i, datafull[[All, 10]]}] Counts@(Head /@thicknessmodified)

```
Out[ • ]=
set size limit...
large output
 show less
  show more
    show all
```

 $\textit{Out[\circ]}$ =  $\langle \mid \text{Real} \rightarrow 397\,860$ , Integer  $\rightarrow 61\,199$ , String  $\rightarrow 144 \mid \rangle$ 

```
histogram[thicknessmodified, ScalingFunctions → "Log",
     PlotRange → Full, Frame → True, FrameLabel → {"Thickness Values", "Counts"}]
```



#### Time Windows Generation by Data Partitioning

# Investigation of Constraints Impact in Time Windows

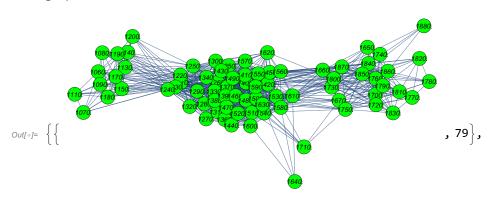
## Simple Association Networks

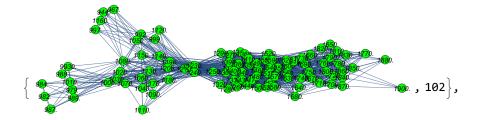
#### Width Feature

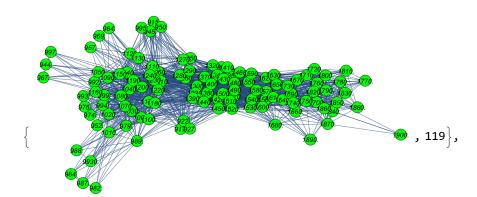
```
In[*]:= AbsoluteTiming[widthdataintimewindows = snetworkdatasingleintimewindows[9, 10];]
Out[*]:= {3.9276, Null}
In[*]:= graphsandnodenumbers = Table[snetworkgraphsinglenodes[widthdataintimewindows[[1]][[i]],
```

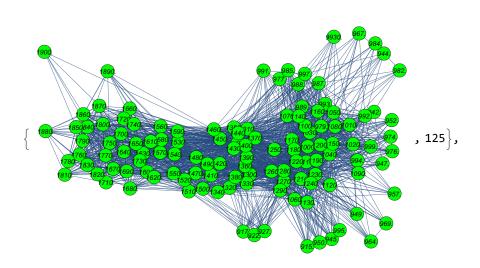
widthdataintimewindows[[2]][[i]], 2, 7, 400, Green], {i, Range@10}];

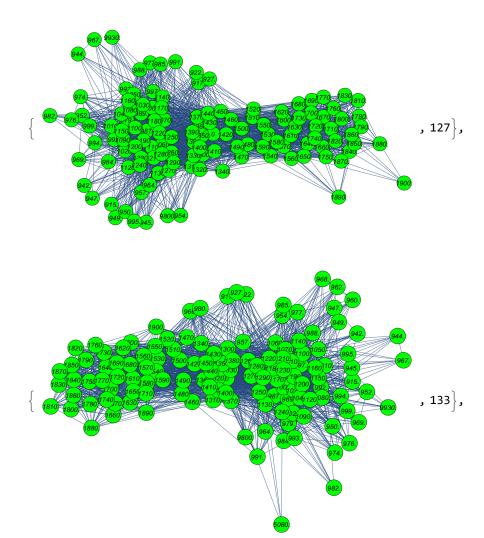
#### In[ • ]:= graphsandnodenumbers

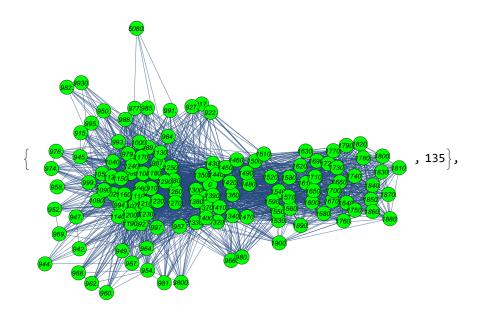


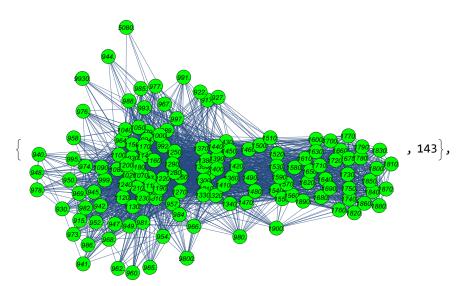


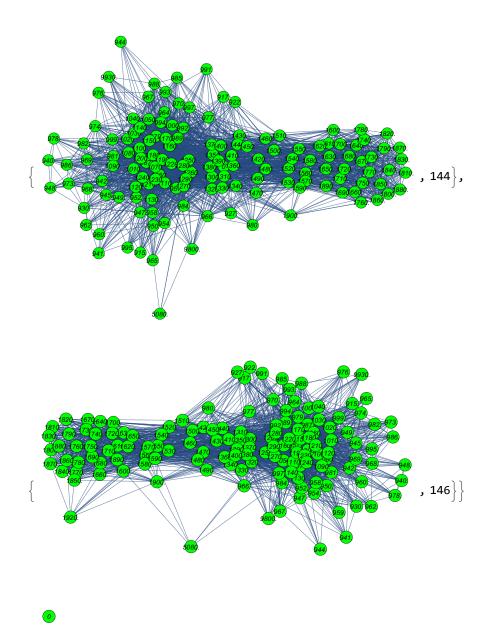






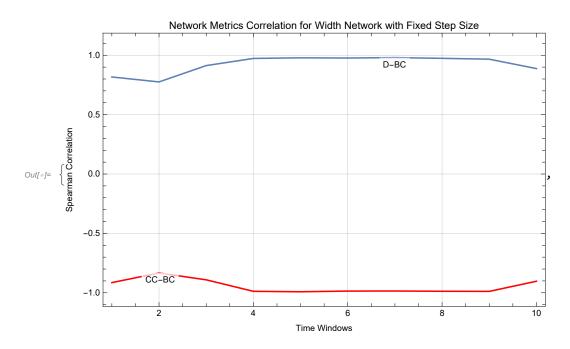


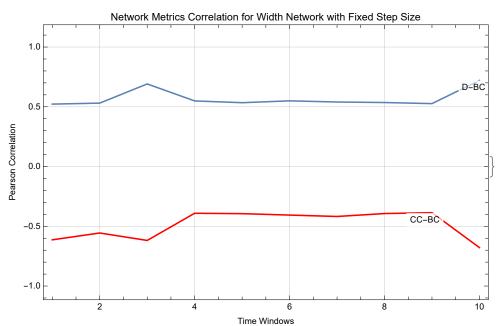




```
In[@]:= correlationvaluesthroughwindowsspearman =
                                   Table[correlationfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}];
                        correlationvaluesthroughwindowspearson =
                                   Table[correlationfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}];
  In[\bullet]:= correlationvaluesthroughwindowsspearman
                        correlationvaluesthroughwindowspearson
\textit{Out[o]} = \{\{0.816837, -0.914287\}, \{0.775318, -0.833272\}, \{0.912826, -0.890899\}, \{0.9729, -0.987608\}, \{0.912826, -0.890899\}, \{0.912826, -0.890899\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.890899\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.912826, -0.987608\}, \{0.98826, -0.987608\}, \{0.98826, -0.988608\}, \{0.98826, -
                              \{0.978297, -0.991312\}, \{0.976393, -0.985596\}, \{0.979992, -0.984999\},
                              \{0.973833, -0.987195\}, \{0.966704, -0.988102\}, \{0.887562, -0.902762\}\}
```

```
out_{0} = \{\{0.522385, -0.613315\}, \{0.530661, -0.556155\}, \{0.691093, -0.618492\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.549054, -0.3911\}, \{0.559054, -0.3911\}, \{0.559054, -0.3911\}, \{0.559054, -0.3911\}, \{0.559054, 
                \{0.534222, -0.394403\}, \{0.549708, -0.406185\}, \{0.539973, -0.417934\},
               \{0.535635, -0.393469\}, \{0.526522, -0.386032\}, \{0.720341, -0.678254\}\}
 In[*]:= {Show[ListPlot[Transpose[
                       {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 1]], {j, 1, 10}]}],
                    Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
                    FrameLabel → {"Time Windows", "Spearman Correlation"}], ListPlot[Transpose[
                       {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 2]], {j, 1, 10}]}],
                    Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
                    Frame → True, FrameLabel → {"Time Windows", "Spearman Correlation"}],
                 PlotRange -> {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
                 PlotLabel → "Network Metrics Correlation for Width Network with Fixed Step Size"],
               Show[ListPlot[Transpose[
                       {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 1]], {j, 1, 10}]}],
                    Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
                    FrameLabel → {"Time Windows", "Pearson Correlation"}], ListPlot[Transpose[
                       {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 2]], {j, 1, 10}]}],
                    Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
                    Frame → True, FrameLabel → {"Time Windows", "Pearson Correlation"}],
                 PlotRange → {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
                 PlotLabel → "Network Metrics Correlation for Width Network with Fixed Step Size"]}
```

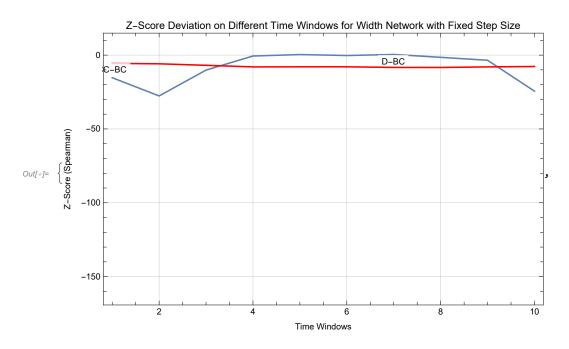


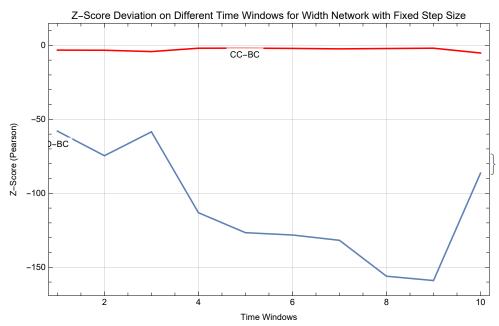


```
In[*]:= ZscoreDeBCspearman = Transpose[{Range[1, 10],
                                                                                    Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
\textit{Out} = \{\{1, -15.3086\}, \{2, -27.6464\}, \{3, -10.1391\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{5, 0.370311\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, -0.619594\}, \{4, 
                                                               \{6, -0.281378\}, \{7, 0.426047\}, \{8, -1.50236\}, \{9, -3.50008\}, \{10, -24.4219\}\}
    In[*]:= ZscoreCCBCspearman = Transpose[{Range[1, 10],
                                                                                    Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
Out_{0} = \{\{1, -5.60894\}, \{2, -5.8892\}, \{3, -6.9099\}, \{4, -7.9931\}, \{5, -7.9275\}, \{6, -7.9275\}, \{6, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7, -7.9275\}, \{7
```

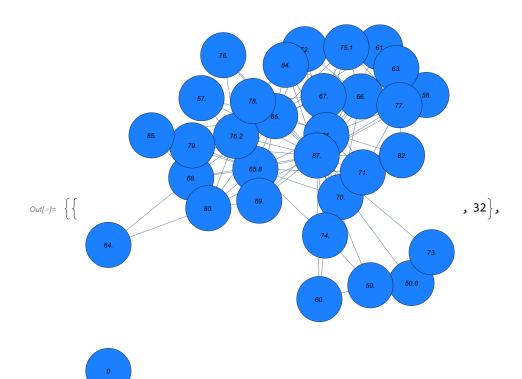
 $\{6, -7.91104\}, \{7, -8.34481\}, \{8, -8.37427\}, \{9, -7.98517\}, \{10, -7.71136\}\}$ 

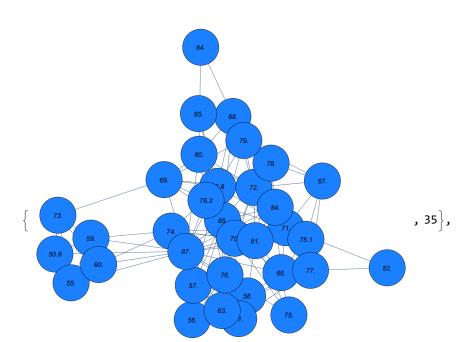
```
In[*]:= ZscoreDeBCpearson = Transpose[{Range[1, 10],
                                 Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
Out_{e} = \{\{1, -57.9931\}, \{2, -74.5995\}, \{3, -58.4635\}, \{4, -113.126\}, \{5, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\}, \{6, -126.63\},
                         \{6, -128.182\}, \{7, -131.784\}, \{8, -156.037\}, \{9, -158.978\}, \{10, -86.3946\}\}
 In[*]:= ZscoreCCBCpearson = Transpose[{Range[1, 10],
                                 Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
Out[a] = \{\{1, -3.22148\}, \{2, -3.32278\}, \{3, -4.21425\}, \{4, -1.94097\}, \{5, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89757\}, \{6, -1.89
                         \{6, -2.08029\}, \{7, -2.38328\}, \{8, -2.14969\}, \{9, -1.93196\}, \{10, -5.18526\}\}
 In[e]:= {Show[ListPlot[ZscoreDeBCspearman, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                                 Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                            ListPlot[ZscoreCCBCspearman, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                                PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                            PlotRange \rightarrow {All, {-160, 0}}, Axes -> False, ImageSize \rightarrow 500,
                            GridLines -> Automatic, PlotLabel →
                                 "Z-Score Deviation on Different Time Windows for Width Network with Fixed Step Size"],
                       Show[ListPlot[ZscoreDeBCpearson, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                                 Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                            ListPlot[ZscoreCCBCpearson, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                                PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                            PlotRange -> {All, \{-160, 0\}}, Axes -> False, ImageSize \rightarrow 500,
                            GridLines -> Automatic, PlotLabel →
                                 "Z-Score Deviation on Different Time Windows for Width Network with Fixed Step Size"]}
```

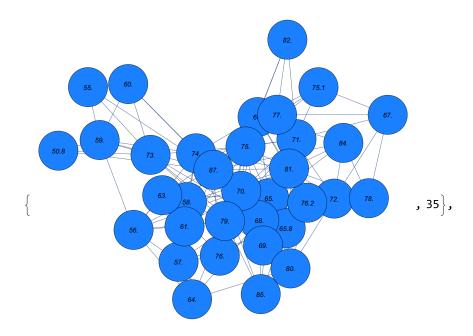




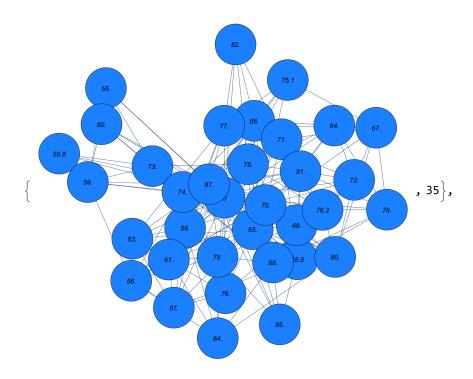
```
m[\cdot]: AbsoluteTiming[thicknessdataintimewindows = snetworkdatasingleintimewindows[10, 10];]
Out[*]= {4.35942, Null}
In[*]:= graphsandnodenumbers = Table[snetworkgraphsinglenodes[
         thicknessdataintimewindows[[1]][[i]], thicknessdataintimewindows[[2]][[i]],
         2, 7, 400, RGBColor[0.1, 0.5, 1.]], {i, Range@10}];
In[•]:= graphsandnodenumbers
```

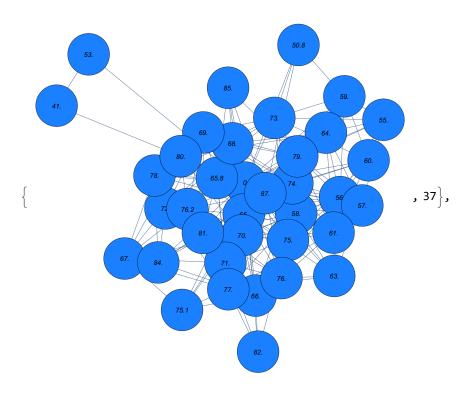


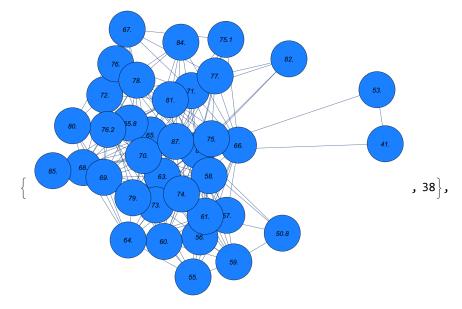


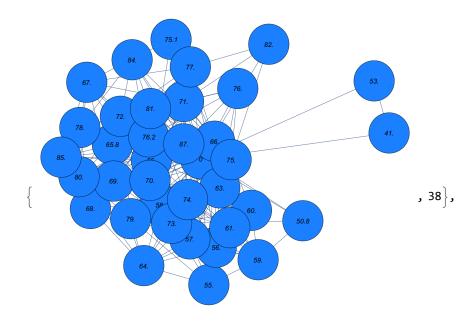




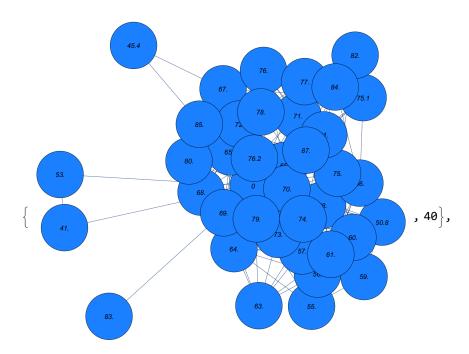


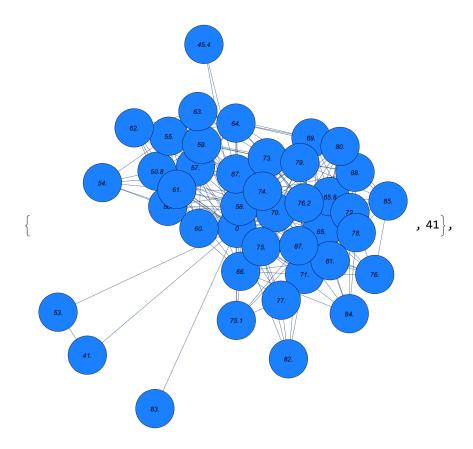


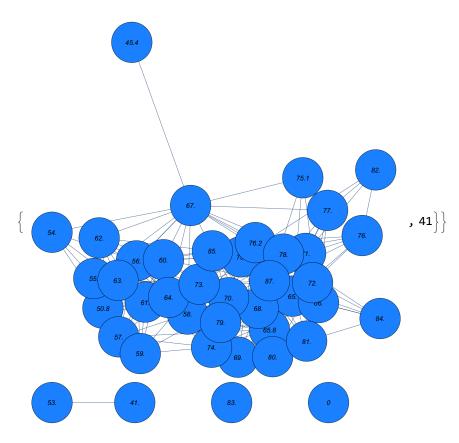






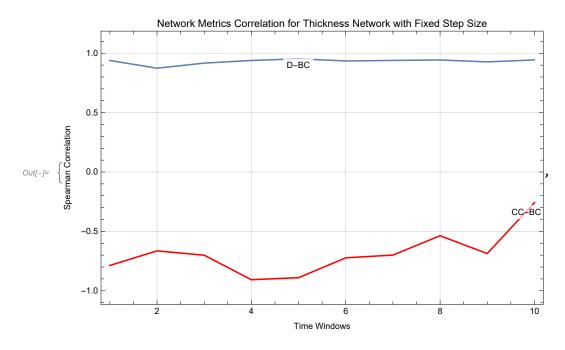


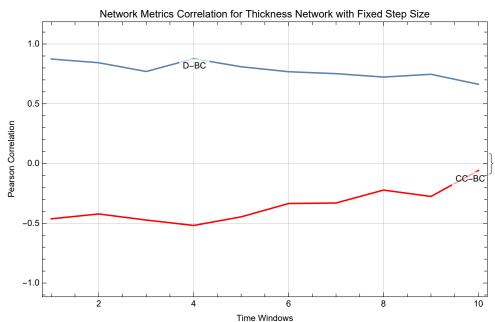




```
In[@]:= correlationvaluesthroughwindowsspearman =
      Table[correlationfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}];
    correlationvaluesthroughwindowspearson =
      Table[correlationfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}];
Info]:= correlationvaluesthroughwindowsspearman
    correlationvaluesthroughwindowspearson
\{0.95285, -0.889666\}, \{0.935017, -0.722435\}, \{0.939483, -0.699436\},
      \{0.943043, -0.53645\}, \{0.927237, -0.686511\}, \{0.94354, -0.25778\}\}
Out[\circ] = \{ \{0.874484, -0.462631\}, \{0.843387, -0.422115\}, \}
      \{0.770286, -0.472945\}, \{0.877292, -0.518271\}, \{0.809918, -0.446188\},
      \{0.768257, -0.334724\}, \{0.752032, -0.330238\}, \{0.723693, -0.22225\},
      \{0.746908, -0.275495\}, \{0.663251, -0.0583977\}\}
```

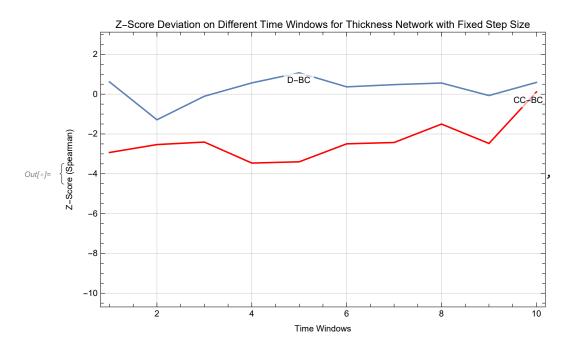
```
In[*]:= {Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Spearman Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame \rightarrow True, FrameLabel \rightarrow {"Time Windows", "Spearman Correlation"}],
       PlotRange -> {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Thickness Network with Fixed Step Size"],
     Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Pearson Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame → True, FrameLabel → {"Time Windows", "Pearson Correlation"}],
       PlotRange → {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Thickness Network with Fixed Step Size"]}
```

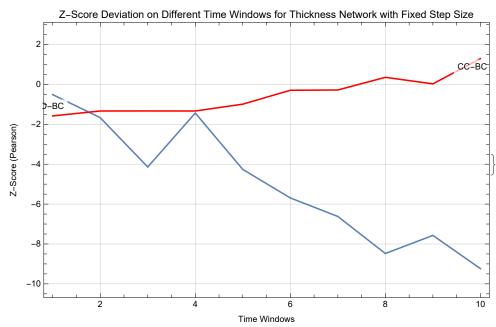




```
In[*]:= ZscoreDeBCspearman = Transpose[{Range[1, 10],
                                                                          Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
Out_{0} = \{\{1, 0.616193\}, \{2, -1.28733\}, \{3, -0.104282\}, \{4, 0.565508\}, \{5, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}
                                                       \{6, 0.367045\}, \{7, 0.478779\}, \{8, 0.559077\}, \{9, -0.0694945\}, \{10, 0.590463\}\}
   In[*]:= ZscoreCCBCspearman = Transpose[{Range[1, 10],
                                                                          Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
\textit{Out[e]} = \{\{1, -2.93182\}, \{2, -2.53266\}, \{3, -2.40751\}, \{4, -3.46177\}, \{5, -3.3986\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.
                                                      \{6, -2.49543\}, \{7, -2.42854\}, \{8, -1.50394\}, \{9, -2.47674\}, \{10, 0.109912\}\}
```

```
In[*]:= ZscoreDeBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
\{6, -5.6921\}, \{7, -6.62055\}, \{8, -8.47877\}, \{9, -7.56998\}, \{10, -9.23535\}\}
 In[*]:= ZscoreCCBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
Out[\circ] = \{\{1, -1.57851\}, \{2, -1.33152\}, \{3, -1.32984\}, \{4, -1.33201\}, \{5, -0.9891\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.332
               \{6, -0.2925\}, \{7, -0.278031\}, \{8, 0.356254\}, \{9, 0.0282377\}, \{10, 1.29413\}\}
 In[e]:= {Show[ListPlot[ZscoreDeBCspearman, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 ListPlot[ZscoreCCBCspearman, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 PlotRange \rightarrow {All, {-10, 2}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel → "Z-Score Deviation on Different
                         Time Windows for Thickness Network with Fixed Step Size"],
              Show[ListPlot[ZscoreDeBCpearson, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 ListPlot[ZscoreCCBCpearson, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 PlotRange -> {All, \{-10, 2\}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel → "Z-Score Deviation on Different
                         Time Windows for Thickness Network with Fixed Step Size"]}
```





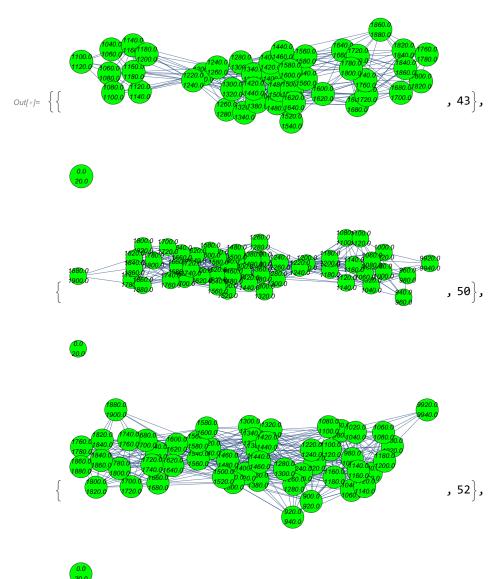
Fixed Step Size Networks

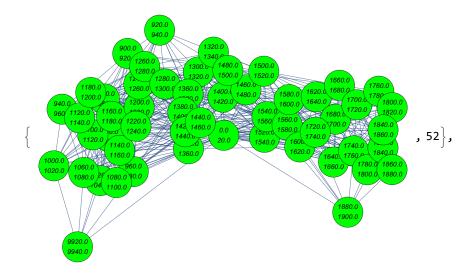
# Width Feature

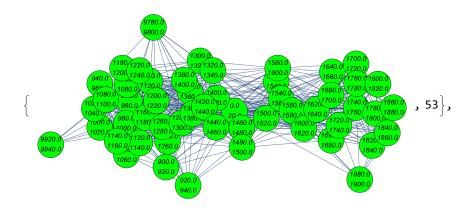
```
In[@]:= AbsoluteTiming[
      widthdataintimewindowsFixedstep = snetworkdatabinnedintimewindows[9, 20, 10];]
Out[*]= {939.348, Null}
ln[\cdot]:= graphsandnodenumbers = Table[snetworkgraph[widthdataintimewindowsFixedstep[[1]][[i]],
```

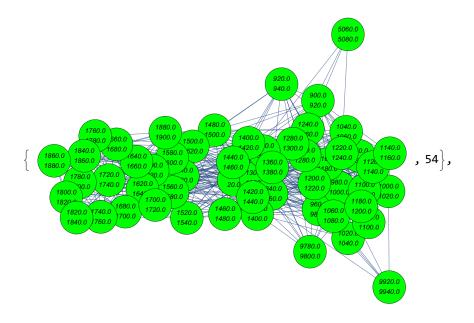
widthdataintimewindowsFixedstep[[2]][[i]], 2, 7, 400, Green], {i, Range@10}];

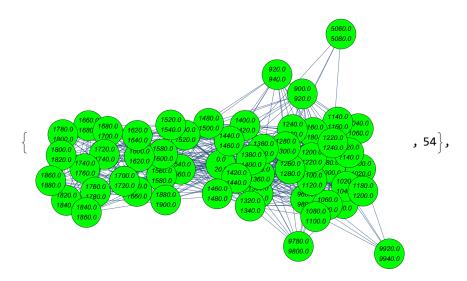
## In[\*]:= graphsandnodenumbers

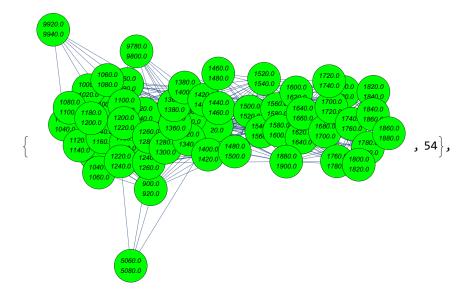


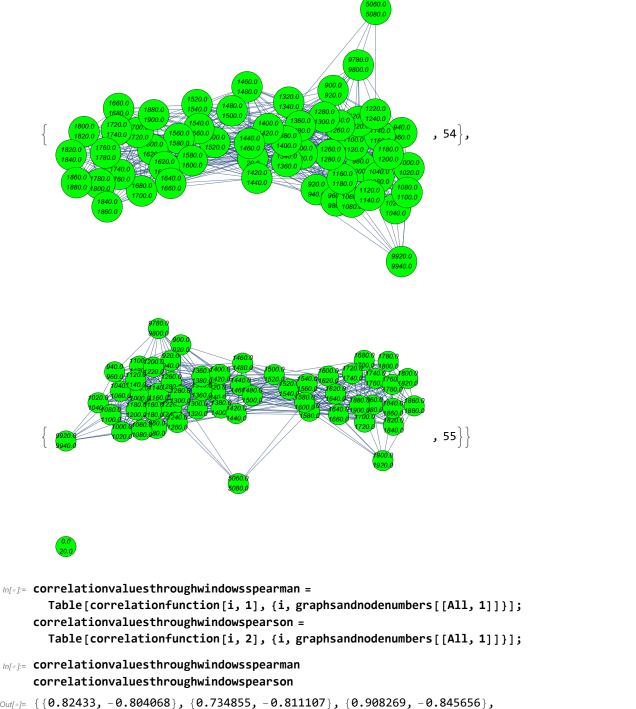






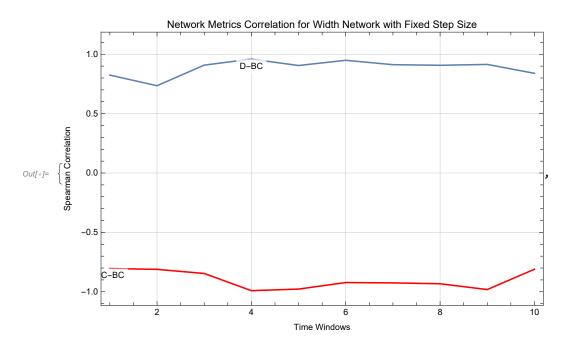


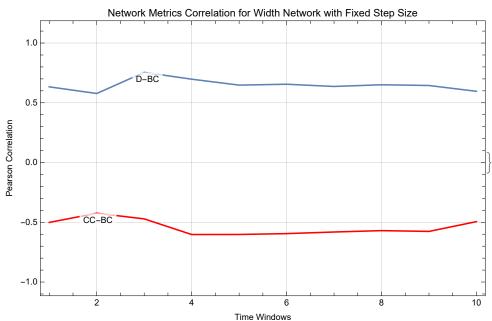




```
correlationvaluesthroughwindowspearson
Out[*] = \{ \{0.82433, -0.804068\}, \{0.734855, -0.811107\}, \{0.908269, -0.845656\}, \}
       \{0.959018, -0.990457\}, \{0.904981, -0.977276\}, \{0.948857, -0.922007\},
       \{0.912036, -0.92532\}, \{0.906995, -0.932347\}, \{0.914195, -0.981357\}, \{0.839404, -0.81029\}\}
Out[\circ] = \{\{0.633363, -0.501172\}, \{0.577619, -0.424247\}, \}
       \{0.754601, -0.471542\}, \{0.697417, -0.602426\},
       \{0.647809, -0.601992\}, \{0.655278, -0.594798\}, \{0.636646, -0.581435\},
       \{0.650767, -0.56981\}, \{0.644673, -0.576368\}, \{0.596069, -0.494557\}\}
```

```
In[*]:= {Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Spearman Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame \rightarrow True, FrameLabel \rightarrow {"Time Windows", "Spearman Correlation"}],
       PlotRange -> {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Width Network with Fixed Step Size"],
     Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Pearson Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame → True, FrameLabel → {"Time Windows", "Pearson Correlation"}],
       PlotRange → {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Width Network with Fixed Step Size"]}
```

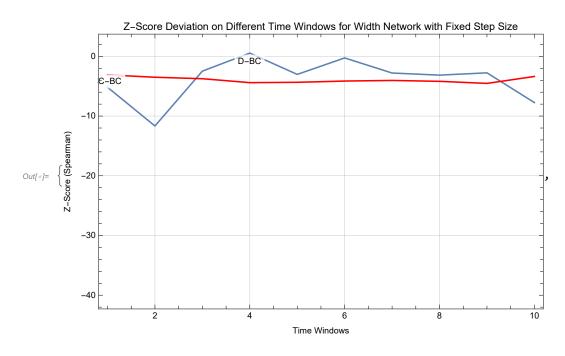


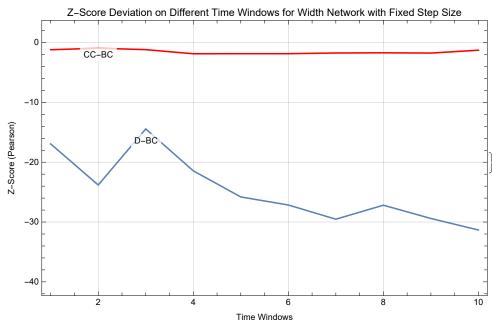


```
In[*]:= ZscoreDeBCspearman = Transpose[{Range[1, 10],
                                                     Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
Out_{?} = \{\{1, -5.1755\}, \{2, -11.6583\}, \{3, -2.47415\}, \{4, 0.543807\}, \{5, -3.0229\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.6583\}, \{6, -11.65
                                        \{6, -0.266199\}, \{7, -2.79112\}, \{8, -3.14454\}, \{9, -2.76298\}, \{10, -7.74058\}\}
  In[*]:= ZscoreCCBCspearman = Transpose[{Range[1, 10],
                                                     Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
```

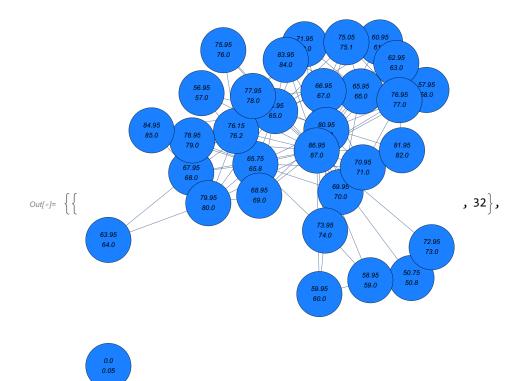
```
Out_{0} = \{\{1, -3.10541\}, \{2, -3.49844\}, \{3, -3.74481\}, \{4, -4.40348\}, \{5, -4.34677\}, \{4, -4.40348\}, \{5, -4.34677\}, \{4, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40348\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.40484\}, \{6, -4.4
                                                                                              \{6, -4.13687\}, \{7, -4.03405\}, \{8, -4.18468\}, \{9, -4.52992\}, \{10, -3.36863\}\}
```

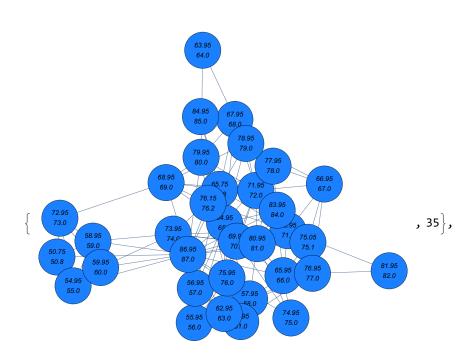
```
In[*]:= ZscoreDeBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
Out_{?} = \{\{1, -16.9464\}, \{2, -23.8082\}, \{3, -14.4413\}, \{4, -21.4366\}, \{5, -25.8088\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.4366\}, \{6, -21.
               \{6, -27.1513\}, \{7, -29.5267\}, \{8, -27.1861\}, \{9, -29.4036\}, \{10, -31.3332\}\}
 In[*]:= ZscoreCCBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
\{6, -1.86466\}, \{7, -1.74752\}, \{8, -1.71597\}, \{9, -1.75729\}, \{10, -1.28099\}\}
 In[e]:= {Show[ListPlot[ZscoreDeBCspearman, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 ListPlot[ZscoreCCBCspearman, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 PlotRange \rightarrow {All, {-40, 0}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel →
                    "Z-Score Deviation on Different Time Windows for Width Network with Fixed Step Size"],
              Show[ListPlot[ZscoreDeBCpearson, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 ListPlot[ZscoreCCBCpearson, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 PlotRange -> {All, \{-40, 0\}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel →
                    "Z-Score Deviation on Different Time Windows for Width Network with Fixed Step Size"]}
```



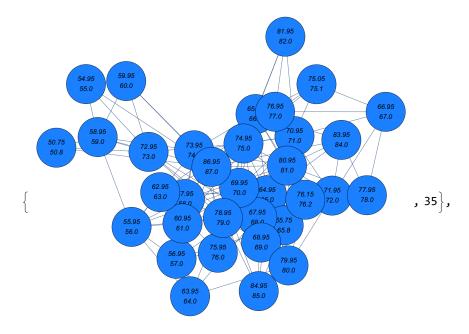


```
In[*]:= AbsoluteTiming[
                                         thicknessdataintimewindowsFixedstep = snetworkdatabinnedintimewindows[10, 0.05, 10];]
Out[*]= $Aborted
   ln[\cdot] = graphs and node numbers = Table[snetwork graph[thickness data in time windows Fixed step[[1]][[i]], for the five statement of the fixed step [[1]] and the fixed 
                                                                thicknessdataintimewindowsFixedstep[[2]][[i]],
                                                                2, 7, 400, RGBColor[0.1, 0.5, 1.]], {i, Range@10}];
   In[ \ \ \ \ \ ] := \ \ graphs and node numbers
```

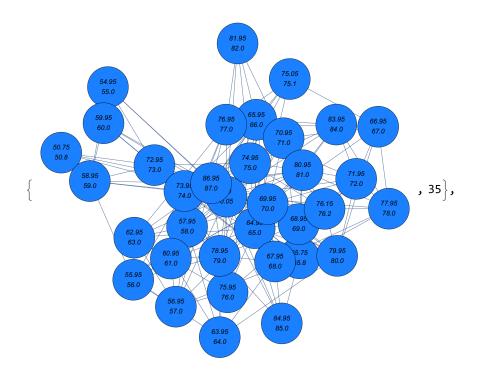


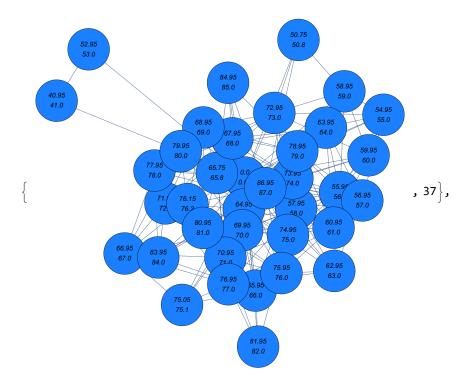


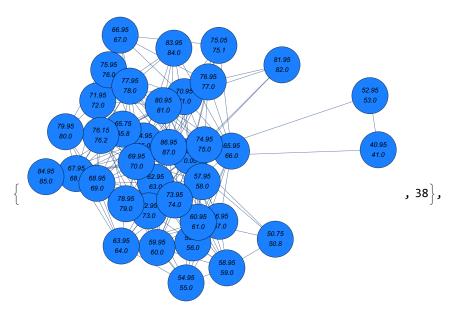
0.0 0.05

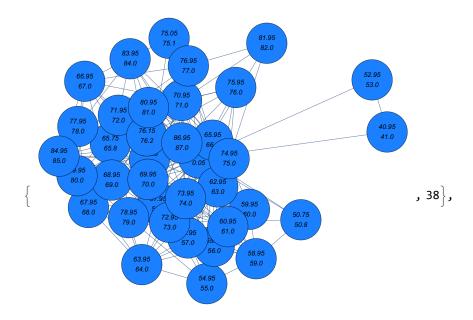




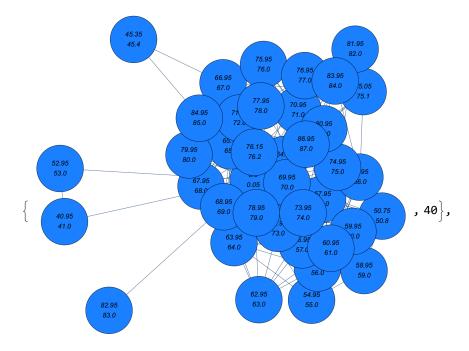


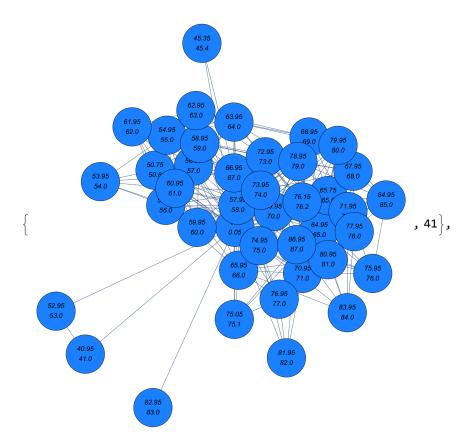


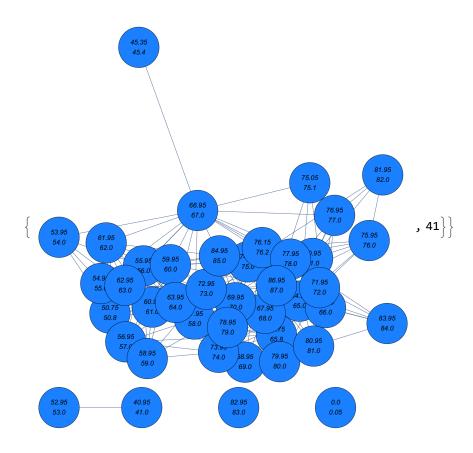












```
In[@]:= correlationvaluesthroughwindowsspearman =
```

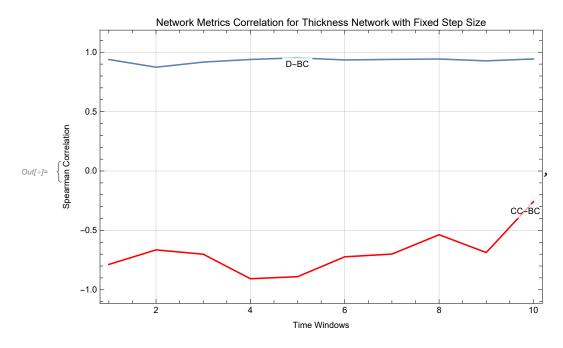
Table[correlationfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}]; correlationvaluesthroughwindowspearson =

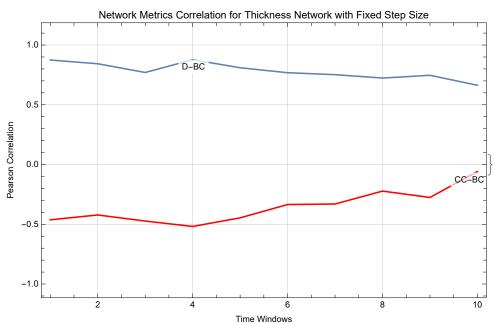
Table[correlationfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}];

#### Info]:= correlationvaluesthroughwindowsspearman correlationvaluesthroughwindowspearson

```
\{0.95285, -0.889666\}, \{0.935017, -0.722435\}, \{0.939483, -0.699436\},
     \{0.943043, -0.53645\}, \{0.927237, -0.686511\}, \{0.94354, -0.25778\}\}
Out[\circ] = \{ \{0.874484, -0.462631\}, \{0.843387, -0.422115\}, \}
     \{0.770286, -0.472945\}, \{0.877292, -0.518271\}, \{0.809918, -0.446188\},
     \{0.768257, -0.334724\}, \{0.752032, -0.330238\}, \{0.723693, -0.22225\},
     \{0.746908, -0.275495\}, \{0.663251, -0.0583977\}\}
```

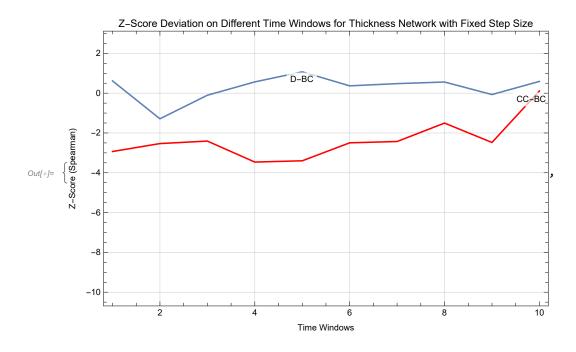
```
In[*]:= {Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Spearman Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowsspearman[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame \rightarrow True, FrameLabel \rightarrow {"Time Windows", "Spearman Correlation"}],
       PlotRange -> {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Thickness Network with Fixed Step Size"],
     Show[ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 1]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"D-BC"}, Top], Frame → True,
        FrameLabel → {"Time Windows", "Pearson Correlation"}], ListPlot[Transpose[
         {Range@10, Table[correlationvaluesthroughwindowspearson[[j, 2]], {j, 1, 10}]}],
        Joined → True, PlotLabels → Placed[{"CC-BC"}, Top], PlotStyle → Red,
        Frame → True, FrameLabel → {"Time Windows", "Pearson Correlation"}],
       PlotRange → {All, {-1, 1}}, Axes -> False, ImageSize → 500, GridLines -> Automatic,
       PlotLabel → "Network Metrics Correlation for Thickness Network with Fixed Step Size"]}
```

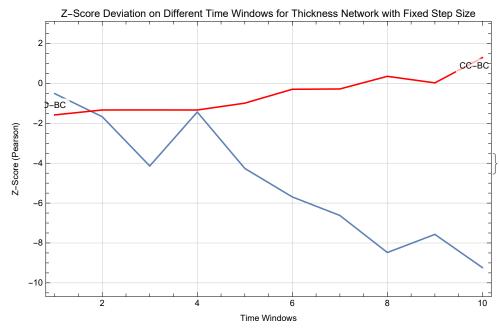




```
In[*]:= ZscoreDeBCspearman = Transpose[{Range[1, 10],
                                                                          Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
Out_{0} = \{\{1, 0.616193\}, \{2, -1.28733\}, \{3, -0.104282\}, \{4, 0.565508\}, \{5, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}, \{6, 1.07189\}
                                                       \{6, 0.367045\}, \{7, 0.478779\}, \{8, 0.559077\}, \{9, -0.0694945\}, \{10, 0.590463\}\}
   In[*]:= ZscoreCCBCspearman = Transpose[{Range[1, 10],
                                                                          Table[randomnessfunction[i, 1], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
\textit{Out[e]} = \{\{1, -2.93182\}, \{2, -2.53266\}, \{3, -2.40751\}, \{4, -3.46177\}, \{5, -3.3986\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.46177\}, \{6, -3.
                                                      \{6, -2.49543\}, \{7, -2.42854\}, \{8, -1.50394\}, \{9, -2.47674\}, \{10, 0.109912\}\}
```

```
In[*]:= ZscoreDeBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 1]]}]
\{6, -5.6921\}, \{7, -6.62055\}, \{8, -8.47877\}, \{9, -7.56998\}, \{10, -9.23535\}\}
 In[*]:= ZscoreCCBCpearson = Transpose[{Range[1, 10],
                    Table[randomnessfunction[i, 2], {i, graphsandnodenumbers[[All, 1]]}][[All, 2]]}]
Out[\circ] = \{\{1, -1.57851\}, \{2, -1.33152\}, \{3, -1.32984\}, \{4, -1.33201\}, \{5, -0.9891\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.33201\}, \{6, -1.332
               \{6, -0.2925\}, \{7, -0.278031\}, \{8, 0.356254\}, \{9, 0.0282377\}, \{10, 1.29413\}\}
 In[e]:= {Show[ListPlot[ZscoreDeBCspearman, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 ListPlot[ZscoreCCBCspearman, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Spearman)"}],
                 PlotRange \rightarrow {All, {-10, 2}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel → "Z-Score Deviation on Different
                         Time Windows for Thickness Network with Fixed Step Size"],
              Show[ListPlot[ZscoreDeBCpearson, Joined → True, PlotLabels → Placed[{"D-BC"}, Top],
                    Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 ListPlot[ZscoreCCBCpearson, Joined → True, PlotLabels → Placed[{"CC-BC"}, Top],
                    PlotStyle → Red, Frame → True, FrameLabel → {"Time Windows", "Z-Score (Pearson)"}],
                 PlotRange -> {All, \{-10, 2\}}, Axes -> False, ImageSize \rightarrow 500,
                 GridLines -> Automatic, PlotLabel → "Z-Score Deviation on Different
                         Time Windows for Thickness Network with Fixed Step Size"]}
```





Fixed Bucket Size Networks

Width Feature