

```

In[ ]:= SetDirectory[
    "C:/Users/serha/OneDrive/Masaüstü/MyRepo/master_thesis_MMT003/210714_finalising/
    fxd_bounds"];

In[ ]:= Get["../../algorithm_packages/SingleNetworks-algorithm-package-2.wl"]
    (* ?SingleNetworks` * *)

In[ ]:= stoichioforhomosapiens =
    Drop[Import["../../210324_disc_time_windows_and_OR_model/iAT_PLT_636_stoichiomat.csv",
        HeaderLines → 1], None, {1}];
    SparseArray@stoichioforhomosapiens

Out[ ]:= SparseArray[  Specified elements: 4006
    Dimensions: {738, 1008} ]

In[ ]:= stoichiometricmatrix = stoichioforhomosapiens;
    metabolites = 738;
    fluxexchanges = 1008;
    steadystatevector = ConstantArray[{0, 0}, metabolites];
    first[a_] := First/@GatherBy[Ordering@a, a[[#]] &] // Sort;

In[ ]:= case = "bounds";
    intvalues = {2, 4};
    interval2 = "-5+5_quadrupled";

    interval = "75percentdecreased_("<>
        ToString@intvalues[[1]] <> ", "<> ToString@intvalues[[2]] <> ")";
    subsetpositionsforsequences = Import[
        "../../cases/subsetpositionsforsequences_75percentdecreased.mx"];
    boundaries = Import[
        "../../cases/boundaries_for_deleted_reaction_series_-5and5_quadrupled.mx"];
    boundariespos0 = Table[Position[boundaries[[i]], {0, 0}], {i, 10}];
    boundariesposval = Table[Position[boundaries[[i]], {-5, 5}], {i, 10}];
    boundariesa = Table[ReplacePart[
        (Table[ReplacePart[ConstantArray[{-500, 500}, fluxexchanges], MapThread[#1 → #2 &,
            {boundariespos0[[i]], ConstantArray[{0, 0}, Length@boundariespos0[[i]]}]]],
            {i, 10}]] [[j]], MapThread[#1 → #2 &, {boundariesposval[[j]],
            ConstantArray[{-5, 5}, Length@boundariesposval[[j]]}]]], {j, 10}];

```

```

In[ ]:= syntheticseqgenerator[stoichiometricmatrix_,
    steadystatevector_, boundaries_, fluxexchanges_, subsetpositions_] :=
Module[{coefficients, objectivefunctions, solutionvectors},
    coefficients = Table[RandomReal[intvalues, Length@subsetpositions], 50];
    objectivefunctions = Table[ReplacePart[ConstantArray[0., fluxexchanges],
        MapThread[#1 → #2 &, {subsetpositions, coefficients[[i]]}], {i, 50}];
    solutionvectors = Chop[Table[LinearProgramming[-objectivefunctions[[i]],
        stoichiometricmatrix, steadystatevector, boundaries],
        {i, Length@objectivefunctions}], 10^-5];
    {objectivefunctions, solutionvectors}]

In[ ]:= (*AbsoluteTiming[resultset=
    Table[Quiet@Table[syntheticseqgenerator[stoichiometricmatrix,steadystatevector,
        j,fluxexchanges,i],{i,subsetpositionsforsequences}],{j,boundariesa}]]]*)

In[ ]:= (*Export["C:/Users/serha/NonDrive/OR_model-25.06.2021/solution_vectors/"<>
    interval<>"solutionvectors_fxd"<>case<>"_5and5_quadrupled.mx",
    Table[Flatten[resultset[[i]][[All,2]],1],{i,10}]]

Export["C:/Users/serha/NonDrive/OR_model-25.06.2021/objective_functions/"<>
    interval<>"objfunc_fxd"<>case<>"_5and5_quadrupled.mx",
    Table[Flatten[resultset[[i]][[All,1]],1],{i,10}]]*)

In[ ]:= (*solutionvectorslist=Table[Flatten[resultset[[i]][[All,2]],1],{i,10}];
objfunctionslist=Table[Flatten[resultset[[i]][[All,1]],1],{i,10}];*)

In[ ]:= solutionvectorslist =
    Import["C:/Users/serha/NonDrive/OR_model-25.06.2021/solution_vectors/"<>
        interval<>"solutionvectors_fxd"<>case<>"_5and5_quadrupled.mx"];
objfunctionslist = Import[
    "C:/Users/serha/NonDrive/OR_model-25.06.2021/objective_functions/"<>
        interval<>"objfunc_fxd"<>case<>"_5and5_quadrupled.mx"];

```

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.0005611762650405114 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method → RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.000605281938518111 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method → RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.0005584411820322412 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method → RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **General:** Further output of LinearProgramming::lpinpcv will be suppressed during this calculation.

```
In[6]:= AbsoluteTiming[featuredatalist =  
      Table[MapThread[Dot, {objfunctionslist[[j]], solutionvectorslist[[j]]}], {j, 10}];]  
Out[6]:= {1.91333, Null}
```

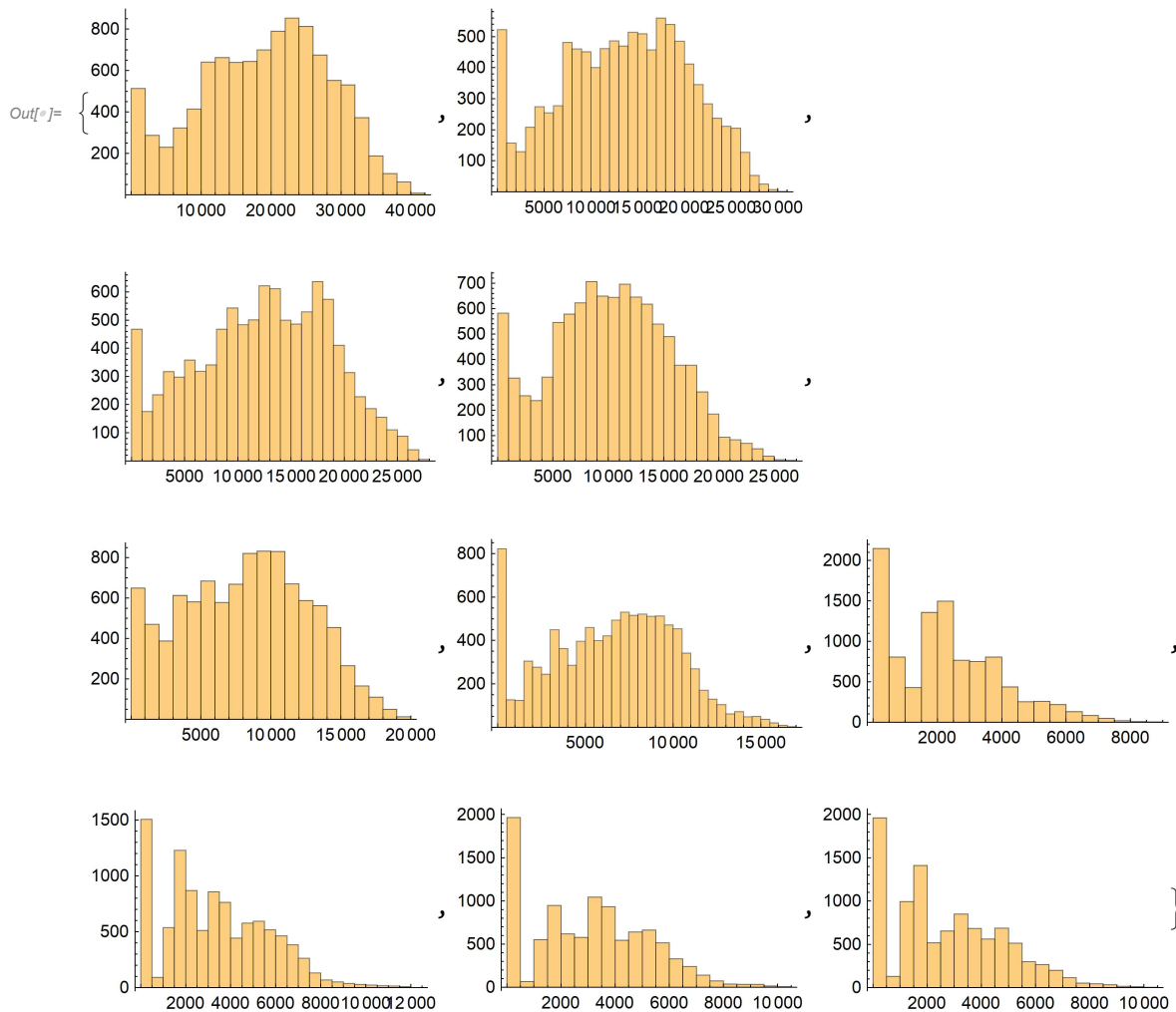
```
In[ ]:= datafulllist = Table[Join[Partition[Range@10000, 1],
  Partition[Flatten@Table[ConstantArray[i, 50], {i, 200}], 1],
  Partition[featuredatalist[[j]], 1], 2], {j, 10}];
Table[Histogram@datafulllist[[i]][[All, 3]], {i, 10}]
```

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.0005611762650405114 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method \rightarrow RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.000605281938518111 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method \rightarrow RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **LinearProgramming:** The interior point algorithm cannot converge to the tolerance of $1.4901161193847656 \times 10^{-8}$. The best residual achieved is 0.0005584411820322412 . The failure to converge might be because the problem is mildly infeasible. Setting the option Method \rightarrow RevisedSimplex should give a more definite answer, though large problems may take longer computing time.

... **General:** Further output of LinearProgramming::lpinpvcv will be suppressed during this calculation.



```

In[ ]:= thread = {{1, 1000}, {2, 800}, {3, 700}, {4, 600},
  {5, 500}, {6, 400}, {7, 200}, {8, 250}, {9, 200}, {10, 220}};
Mean@thread[[All, 2]]

Out[ ]:= 487

In[ ]:= thread = Thread[{Range@10, 390}]

Out[ ]:= {{1, 390}, {2, 390}, {3, 390}, {4, 390},
  {5, 390}, {6, 390}, {7, 390}, {8, 390}, {9, 390}, {10, 390}}

In[ ]:= AbsoluteTiming[widthdataFixedstep2 =
  Table[snetworkdatabinned[3, i[[2]], datafulllist[[i[[1]]]], {i, thread}];]

Out[ ]:= {542.989, Null}

In[ ]:= graphsandnodenumbers12 = Table[snetworkgraph[widthdataFixedstep2[[i]][[1]],
  widthdataFixedstep2[[i]][[2]], 2, 7, 400, Green], {i, 10}];
graphsandnodenumbers12[[All, 2]]

Out[ ]:= {105, 78, 71, 68, 51, 44, 23, 32, 27, 27}

In[ ]:= modularityvalues12 = Table[N@GraphAssortativity[graphsandnodenumbers12[[i]][[1]],
  FindGraphCommunities[graphsandnodenumbers12[[i]][[1]], "Normalized" -> False],
  {i, Length@graphsandnodenumbers12}];

In[ ]:= singlerandomgraphsdegfxd12 =
  Table[randomizinggraphdegfxd[i], {i, graphsandnodenumbers12[[All, 1]]}];
singerandomerdrenmodularityvalues12 =
  Table[N@GraphAssortativity[singlerandomgraphsdegfxd12[[i]],
    FindGraphCommunities[singlerandomgraphsdegfxd12[[i]], "Normalized" -> False],
    {i, Length@singlerandomgraphsdegfxd12}];
singerandomgraphscomm12 = Table[randomizinggraphmod[i],
  {i, graphsandnodenumbers12[[All, 1]]}];
singerandomcommmodularityvalues12 =
  Table[N@GraphAssortativity[singlerandomgraphscomm12[[i]],
    FindGraphCommunities[singlerandomgraphscomm12[[i]], "Normalized" -> False],
    {i, Length@singlerandomgraphscomm12}];

In[ ]:= AbsoluteTiming[Zscoresmodularity12 =
  Table[zscorefunctionfortwonullmodels[i], {i, graphsandnodenumbers12[[All, 1]]}];]

Out[ ]:= {181.617, Null}

In[ ]:= bucketnode12 = graphsandnodenumbers12[[All, 2]]

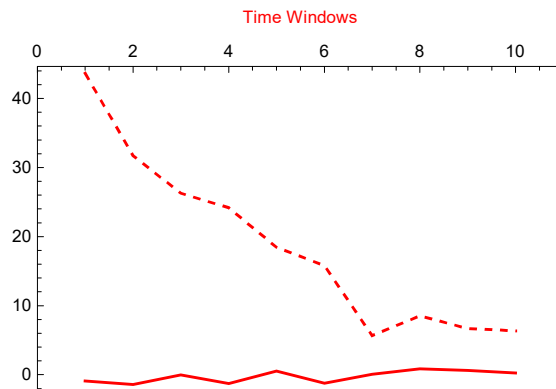
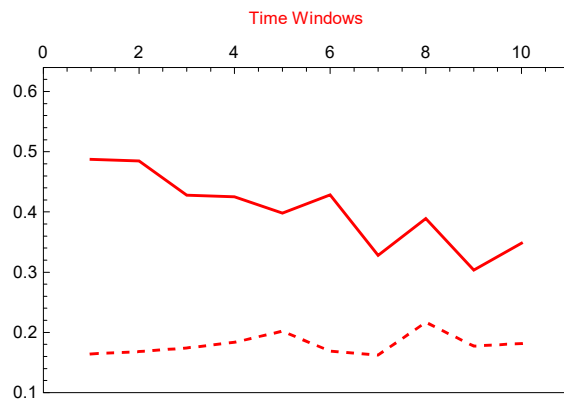
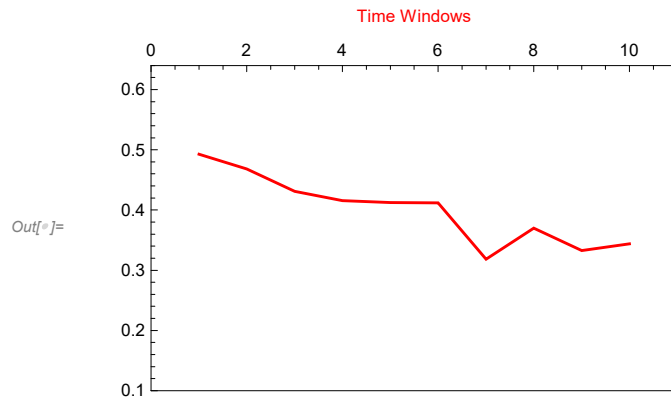
Out[ ]:= {105, 78, 71, 68, 51, 44, 23, 32, 27, 27}

```

```

In[ ]:= modularityvaluestimewinsmall = modularityvalues12;
randommodtimewinsmalldegreefxd = singlerandomerdrenmodularityvalues12;
randommodtimewinsmallcomm = singlerandomcommmodularityvalues12;
Zscoretimewinsmall = Zscoresmodularity12;
modularityplotrange = {0.1, 0.64};
(*MinMax[{modularityvalues1,singlerandomcommmodularityvalues1,
singlerandomerdrenmodularityvalues1,modularityvalues12}]*
padding = 38;
win2 = 10;
Row[{ListLinePlot[Thread[{Range@win2, modularityvaluestimewinsmall}],
Frame → True, ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}}, PlotStyle → Red,
ImageSize → 350, PlotRange → {{0, win2 + 1}, modularityplotrange}],
Row[{ListLinePlot[{Thread[{Range@win2, randommodtimewinsmalldegreefxd}],
Thread[{Range@win2, randommodtimewinsmallcomm}]]}, Frame → True,
ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}},
PlotStyle → {{Dashed, Red}, Red}, ImageSize → 350,
PlotRange → {{0, win2 + 1}, modularityplotrange}],
ListLinePlot[{Thread[{Range@win2, Zscoretimewinsmall[[All, 1]]}],
Thread[{Range@win2, Zscoretimewinsmall[[All, 2]]}]]}, Frame → True,
ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}},
PlotStyle → {{Dashed, Red}, Red}, ImageSize → 350,
PlotRange → {{0, win2 + 1}, MinMax[Flatten[Zscoretimewinsmall], 1]}]],
LineLegend[{Dashed, Black}, {"Degrees Fixed N.M.", "Modularity N.M."},
LegendMargins → 0, LegendMarkerSize → {20, 20}], Spacer@0.1]]

```



--- Degrees Fixed N.M.
 — Modularity N.M.

```
In[*]:= AbsoluteTiming[widthdataFixedbucket2 =  

  Table[snetworkdatafxdbucket[3, bucketnode12[[i]], datafulllist[[i]]], {i, 10}];]
```

Out[*]= {408.768, Null}

```

In[ ]:= graphsandnodenumbers32 = Table[snetworkgraph[widthdataFixedbucket2[[i]][[1]],
      widthdataFixedbucket2[[i]][[2]], 1.5, 7, 400, Green], {i, 10}];
modularityvalues32 = Table[N@GraphAssortativity[graphsandnodenumbers32[[i]][[1]],
      FindGraphCommunities[graphsandnodenumbers32[[i]][[1]], "Normalized" -> False],
      {i, Length@graphsandnodenumbers32}];

In[ ]:= singlerandomgraphsdegfxd32 =
      Table[randomizinggraphdegfxd[i], {i, graphsandnodenumbers32[[All, 1]]}];
singerandomerdrenmodularityvalues32 =
      Table[N@GraphAssortativity[singlerandomgraphsdegfxd32[[i]],
      FindGraphCommunities[singlerandomgraphsdegfxd32[[i]], "Normalized" -> False],
      {i, Length@singlerandomgraphsdegfxd32}];
singerandomgraphscomm32 = Table[randomizinggraphmod[i],
      {i, graphsandnodenumbers32[[All, 1]]}];
singerandomcommmodularityvalues32 =
      Table[N@GraphAssortativity[singlerandomgraphscomm32[[i]],
      FindGraphCommunities[singlerandomgraphscomm32[[i]], "Normalized" -> False],
      {i, Length@singlerandomgraphscomm32}];

In[ ]:= AbsoluteTiming[Zscoresmodularity32 =
      Table[zscorefunctionfortwonullmodels[i], {i, graphsandnodenumbers32[[All, 1]]}];]

Out[ ]:= {174.473, Null}

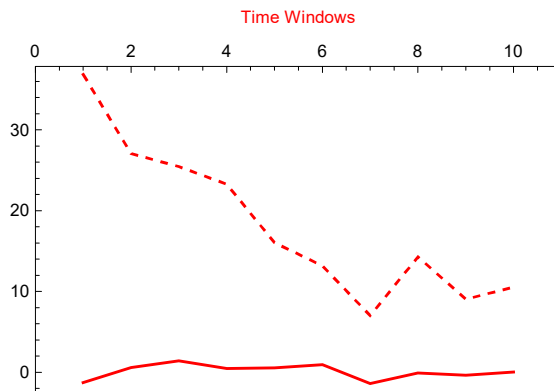
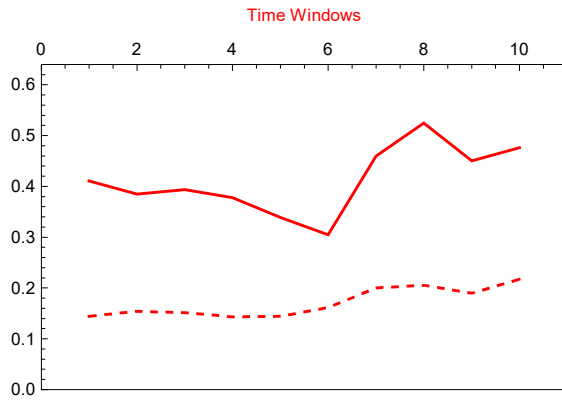
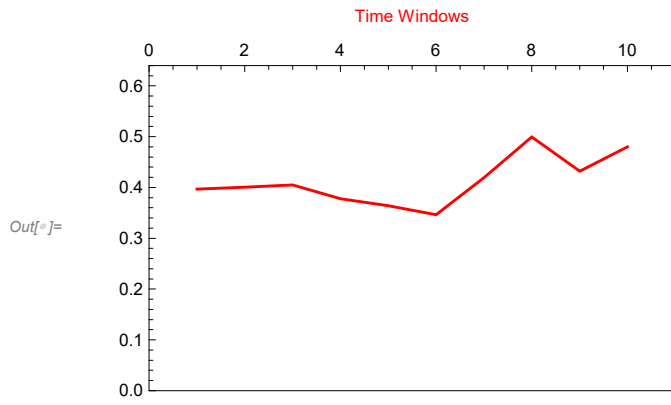
```



```

In[ ]:= modularityvaluestimewinsmall = modularityvalues32;
randommodtimewinsmalldegreefxd = singlerandomerdrenmodularityvalues32;
randommodtimewinsmallcomm = singlerandomcommmodularityvalues32;
Zscoretimewinsmall = Zscoresmodularity32;
modularityplotrange = {0, 0.64};
(*MinMax[{modularityvalues1,singlerandomcommmodularityvalues1,
singlerandomerdrenmodularityvalues1,modularityvalues12}]*
padding = 38;
win2 = 10;
Row[{ListLinePlot[Thread[{Range@win2, modularityvaluestimewinsmall}],
Frame → True, ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}}, PlotStyle → Red,
ImageSize → 350, PlotRange → {{0, win2 + 1}, modularityplotrange}],
Row[{ListLinePlot[{Thread[{Range@win2, randommodtimewinsmalldegreefxd}],
Thread[{Range@win2, randommodtimewinsmallcomm}]}], Frame → True,
ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}},
PlotStyle → {{Dashed, Red}, Red}, ImageSize → 350,
PlotRange → {{0, win2 + 1}, modularityplotrange}],
ListLinePlot[{Thread[{Range@win2, Zscoretimewinsmall[[All, 1]]}],
Thread[{Range@win2, Zscoretimewinsmall[[All, 2]]}]}], Frame → True,
ImagePadding → padding, FrameTicks → {{All, None}, {None, All}},
FrameLabel → {{None, None}, {None, Style["Time Windows", Red]}},
PlotStyle → {{Dashed, Red}, Red}, ImageSize → 350,
PlotRange → {{0, win2 + 1}, MinMax[Flatten[Zscoretimewinsmall], 1]}]}],
LineLegend[{Dashed, Black}, {"Degrees Fixed N.M.", "Modularity N.M."},
LegendMargins → 0, LegendMarkerSize → {20, 20}], Spacer@0.1]]

```



--- Degrees Fixed N.M.
 — Modularity N.M.

```

In[ ]:= Export["plot_values/fxd_" <> case <> "/" <> interval <>
  "_" <> interval2 <> "-modularityvalues-fss.mx", modularityvalues12]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <>
  "-singrand-erd-modularityvalues-fss.mx", singlerandomerdrenmodularityvalues12]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <>
  "-singrand-comm-modularityvalues-fss.mx", singlerandomcommmodularityvalues12]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <> "-zscores-fss.mx",
  Zscoresmodularity12]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <>
  interval2 <> "-modularityvalues-fbs.mx", modularityvalues32]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <>
  "-singrand-erd-modularityvalues-fbs.mx", singlerandomerdrenmodularityvalues32]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <>
  "-singrand-comm-modularityvalues-fbs.mx", singlerandomcommmodularityvalues32]
Export["plot_values/fxd_" <> case <> "/" <> interval <> "_" <> interval2 <> "-zscores-fbs.mx",
  Zscoresmodularity32]

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-modularityvalues-fss.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-singrand-erd-
  modularityvalues-fss.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-singrand-comm-
  modularityvalues-fss.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-zscores-fss.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-modularityvalues-fbs.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-singrand-erd-
  modularityvalues-fbs.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-singrand-comm-
  modularityvalues-fbs.mx

Out[ ]:= plot_values/fxd_bounds/75percentdecreased_(2,4)_-5+5_quadrupled-zscores-fbs.mx

```