main_advertising

October 22, 2023

1 Advanced Java & Advanced Python Assignment

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- 1.1.1 Advertising Dataset

```
[]: import matplotlib.pyplot as plt from scipy.stats import spearmanr

from Class.ModelClass import * # Importing the Model class from ModelClass.

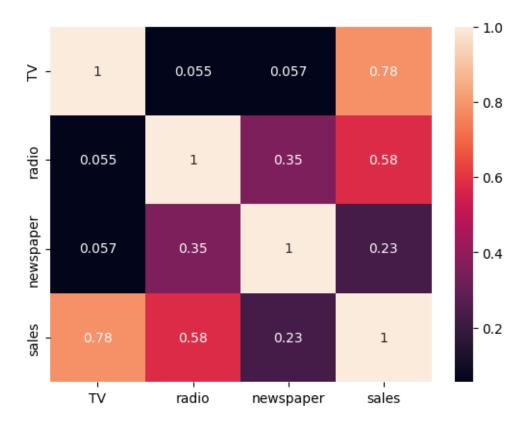
py
from functions.utils import * # Importing the utils functions from utils.py
```

Before computing regression, let's do some data analysis

```
[]: x, y, df = import_clean_data('./data/Advertising.csv', input_list=['TV', user'], output_list=['sales'])
df.head()

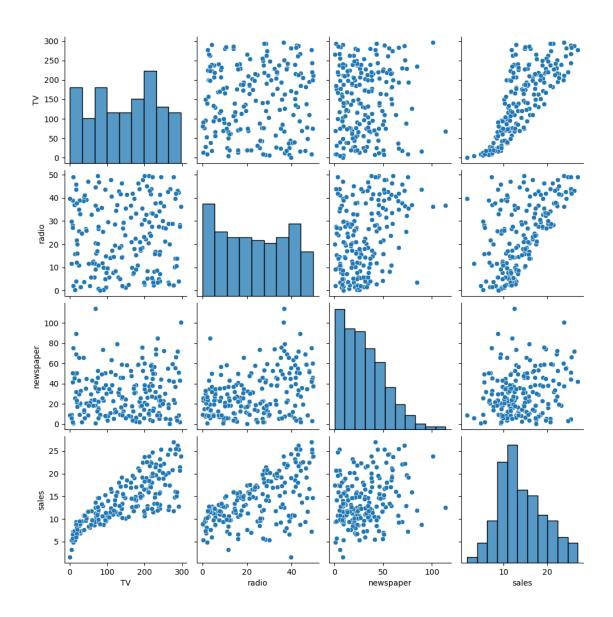
#heatmap for the correlation coefficient between the variables
import seaborn as sns
sns.heatmap(df.corr(), annot=True)
```

[]: <AxesSubplot: >



[]: #plot correlation between all variables
%matplotlib inline
sns.pairplot(df)

[]: <seaborn.axisgrid.PairGrid at 0x180af04d0d0>



Spearmans correlation between TV and radio is: 0.05612339226247207

Spearmans correlation between TV and newspaper is: 0.05083973485105542

Spearmans correlation between TV and sales is: 0.8006143768505688

Spearmans correlation between radio and newspaper is: 0.3169794890663236

Spearmans correlation between radio and sales is: 0.5543037314053145

Spearmans correlation between newspaper and sales is: 0.19492188424873094

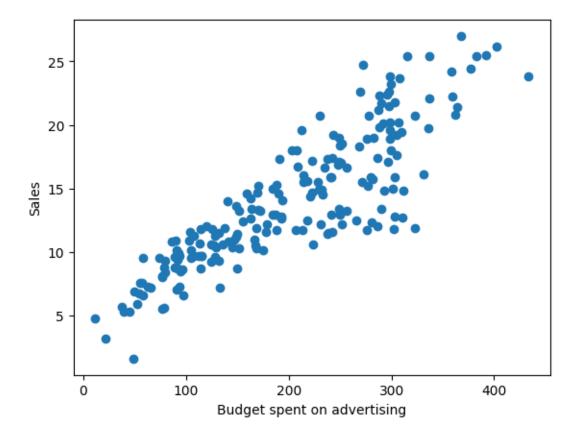
```
[]: # Create a new column of the sum of the budget spent on advertising
    df['adv_budget'] = df['TV'] + df['radio'] + df['newspaper']

#spearman
    corr, _ = spearmanr(df['adv_budget'], df['sales'])
    print('Spearmans correlation between sum and sales is: {}'.format(corr))

#plot
    plt.scatter(df['adv_budget'], df['sales'])
    plt.xlabel('Budget spent on advertising')
    plt.ylabel('Sales')
```

Spearmans correlation between sum and sales is: 0.8770508999294694

[]: Text(0, 0.5, 'Sales')



Let's compute the regression using TV and RADIO predictors only

```
[]: x, y, df = import_clean_data('./data/Advertising.csv', input_list=['TV', using continuous cont
```

Let's find out what is the best combinaison of: - Test size - Number of iterations - Learning rate

```
[]: test_size_list = [0.1, 0.2, 0.3, 0.4, 0.5, 0.6, 0.7]
iteration_list = [50, 100, 500, 1000, 3000, 5000, 7000, 10000]
rate_list = [0.1, 0.05, 0.01, 0.001, 0.0001]

model1_df, model1_dict = find_combination(X, y, test_size_list, iteration_list, u arate_list)
```

```
[]: model1_df #model1_df.to_csv('model_df.csv') #to save in a csv file model1_df.head()
```

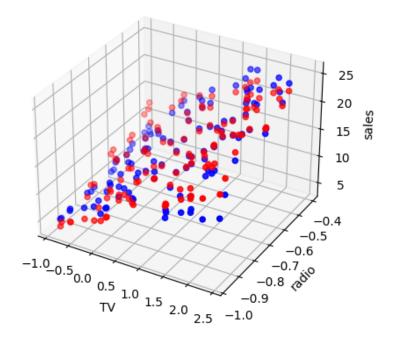
```
[]:
       test_size
                  iteration rate r_square
                                                  mse
                                             2.232220
             0.4
                    10000.0 0.10 0.914199
             0.4
    1
                     7000.0 0.10 0.914199
                                             2.232220
                    10000.0 0.05 0.914199
    2
             0.4
                                             2.232220
    3
             0.4
                     5000.0 0.10 0.914199
                                             2.232220
             0.4
                     7000.0 0.05 0.914198
                                            2.232255
```

In this case, the best model the 4th one. Because the other computes more iterations without improving significatively the model: Best: - Test size = 0.4 - Number of iterations = 5000 - Learning rate = 0.1 Warning: because of the randomness of the split, the best model can change from one execution to another

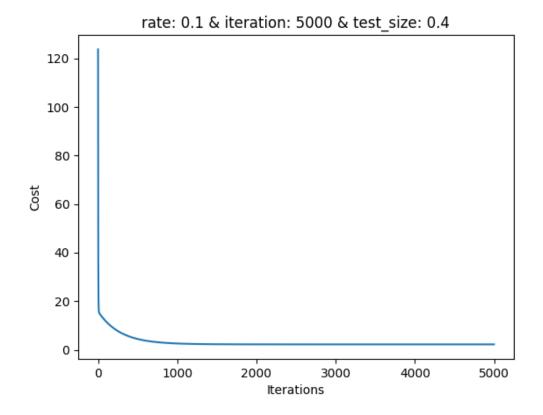
Let's visualize the regression line and the cost function

```
[]: best_model = model1_dict[3][1] #get best model (the 4th one)
    #make sure ipympl is installed (pip intall ipympl)
    %matplotlib widget
    best_model.plot_regression_3D('TV', 'radio', 'sales')
    best_model.theta
```

Regression : Red & Data : Blue



[]: %matplotlib widget best_model.plot_cost()



Now we can test our model

```
[]: mse, r_square, predictions = best_model.test_model()
    print('mse: ', mse)
    print('r_square: ', r_square)
```

mse: 3.6984684000727555 r_square: 0.8685642978945274

Check with sklearn

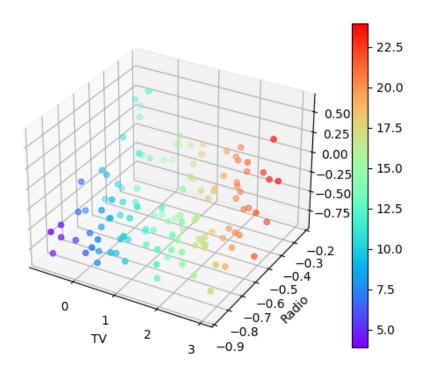
```
[]: theta, mse, r2 = best_model.sklearn_regression()
print('mse = ',mse)
print('r2 = ',r2)
```

mse = 3.698414654255468r2 = 0.8685662079065827

1.1.2 Let's import the data Adversiting.csv to process TV and RADIO and NEWS-PAPERS predictors with the same methodology

Let's find out what is the best combinaison of: - Test size - Number of iterations - Learning rate

```
[]: #import data
    x, y, df = import_clean_data('./data/Advertising.csv', input_list=['TV',__
     X, y = prepare vectors(x, y)
[]: #compute all models
    model2_df, model2_dict = find_combination(X, y, test_size_list, iteration_list,_
      →rate list)
[]: model2_df.head()
[]:
       test_size iteration rate r_square
                                                  mse
    0
             0.4
                    10000.0 0.10 0.915685 2.193546
    1
             0.4
                     7000.0 0.10 0.915685 2.193546
    2
             0.4
                     5000.0 0.10 0.915685 2.193546
             0.4 10000.0 0.05 0.915685 2.193546
    3
                     7000.0 0.05 0.915685 2.193549
             0.4
[]: #Test of the model
    model2_best = model2_dict[2][1] #get best model (the 3rd one)
    mse, r_square, predictions =model2_best.test_model()
    print(model2_best.theta)
    print('mse: ', mse)
    print('r_square: ', r_square)
    [[ 3.4018712 ]
     [14.76012689]
     [-0.76086955]
     [18.67781763]]
    mse: 3.862023458501355
    r_square: 0.8627518989195783
[]: theta, mse, r2 = model2_best.sklearn_regression()
    print(theta)
    print('mse: ', mse)
    print('r_square: ', r2)
    [[ 3.40185922 14.76049072 -0.76099136 0.
                                                     11
    mse: 3.8620591708406864
    r_square: 0.8627506297789811
    Create a 3D plot and add a colorbar which maps values to colors to represent the sales
[]: \#Create \ a \ 3D \ plot \ and \ add \ a \ colorbar \ which \ maps \ values \ to \ colors \ to \ represent_{\sqcup}
     ⇔the sales
    fig = plt.figure()
    ax = fig.add_subplot(111, projection='3d')
```



Suppose that spending money on radio advertising actually increases the effectiveness of TV advertising

```
sales = 0 + 1 *TV + 2 *radio + 3 *(radio *TV)
```

```
[]: x, y, df = import_clean_data('./data/Advertising.csv', input_list=['TV', u o'radio', 'newspaper'], output_list=['sales'])

X, y = prepare_vectors(x, y)
```

```
X[:,2] = X[:,0] * X[:,1] #add interaction between TV and radio and rewrite itu
in the 3rd column

model3_df, model3_dict = find_combination(X, y, test_size_list, iteration_list,u
rate_list)
```

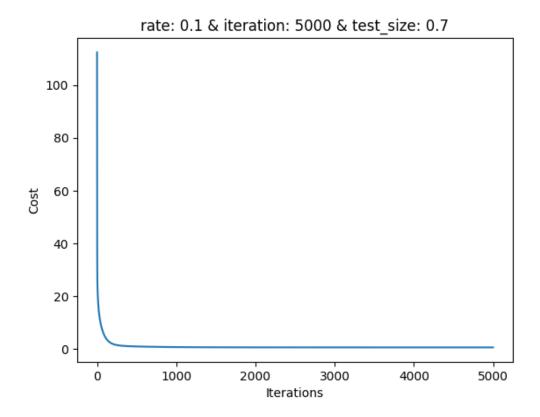
```
[]: model3_df.head(5) #model3_df.to_csv('model3_df.csv') #to save in a csv file
```

```
[]:
       test_size iteration rate r_square
                                                mse
             0.7
                   10000.0 0.10 0.978194 0.611915
             0.7
    1
                    7000.0 0.10 0.978194 0.611915
    2
             0.7
                   10000.0 0.05 0.978194 0.611922
    3
             0.7
                    5000.0 0.10 0.978194 0.611928
    4
             0.7
                    7000.0 0.05 0.978183 0.612217
```

In this case, the best one is the 4th one. Because the other computes more iterations without improving the model.

Best: - Test size = 0.7 - Number of iterations = 5000 - Learning rate = 0.1

```
[]: best_model3 = model3_dict[3][1] #get best model (the 1st one)
%matplotlib widget
best_model3.plot_cost()
```



```
[]: #test the model with the test set
     mse, r_square, predictions = best_model3.test_model()
     print(best_model3.theta)
     print('mse: ', mse)
     print('r_square: ', r_square)
    [[ 7.16945799]
     [7.87299426]
     [ 6.76239729]
     [14.92821759]]
    mse: 1.015088013948224
    r_square: 0.9616153473720442
    Check with sklearn
[]: theta, mse, r2 = best_model3.sklearn_regression()
     print(theta)
     print('mse: ', mse)
     print('r_square: ', r2)
                                                  ]]
    [[7.16192562 7.89811298 6.74898984 0.
    mse: 1.0150069957186065
```

r_square: 0.9616184110045152

