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In [ ]:
# importing necessary packages
import numpy as np
import matplotlib.pyplot as plt
In [ ]:
# generating a dataset
X = np.random.normal(0,2,size=(100,10))
In [ ]:
# SVD
U,S,Vt = np.linalg.svd(X)
In [ ]:
print(U.shape,S.shape,Vt.shape)
(100, 100) (10,) (10, 10)
In [ ]:
# Function to get the principal components
def get_principal_comps(X,Vt,n):
 X: data matrix
  Vt: right singular matrix
  PC = X_0(Vt.T)
  return PC[:,:n]
In [ ]:
PC = get_principal_comps(X,Vt,2)
In [ ]:
# Function to get the variance explained
def get_var_exp(S,n):
 S: vector of singular values
  eig = S**2
  return eig[n]/np.sum(eig)
In [ ]:
first_comp_var_exp = get_var_exp(S,1)
print(first_comp_var_exp)
0.1452368124224459
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In [ ]:
second_comp_var_exp = get_var_exp(S,2)
print(second_comp_var_exp)
0.12026535693663559
In [ ]:
M = list(range(1,10)) # components
var_exp = [get_var_exp(S,i-1) for i in M] # Variance explained by each of the component
In [ ]:
# Scree plot
plt.plot(M, var_exp, 'go--')
plt.xlabel('Components')
plt.ylabel('Variance expalined')
plt.title('Scree plot')
In [ ]:
# Function to reconstruc the data from the principal components
def reconstruct_data_mat(PC,Vt,n):
  PC: principal components
  Vt: Right singular matrix
  1 1 1
  X_{=} PC@(Vt[:n,:])
  return X_
In [ ]:
X_ = reconstruct_data_mat(PC,Vt,2)
In [ ]:
X_.shape
Out[22]:
(100, 10)
In [ ]:
```