## COMP4107 - Assignment 1

Student Name: Yunkai Wang Student Number: 100968473

Student Name: Jules Kuehn Student Number: 100661464

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- 1. Question 1
- 2. Question 2

```
Implementation for question 2 can be found in q2.py. The results is yullkatuemacbook-rio.yullkat jeteliya pytholi q2.py
('A=', array([[1, 2, 3],
        [2, 3, 4],
        [4, 5, 6],
        [1, 1, 1]]))
('U=', array([[-0.33306893, -0.73220483, 0.20999988, -0.55573485],
        [-0.48640367, -0.34110504, 0.13689238,
                                                      0.79266594],
        [-0.79307315, 0.44109455, -0.34689227, -0.23693109],
        [-0.15333474, 0.39109979, 0.90378442, -0.08187267]]))
('S=', array([[ 1.10528306e+01,
                                       0.00000000e+00,
                                                           0.00000000e+00],
        [ 0.0000000e+00,
                               9.13748280e-01,
                                                   0.00000000e+00],
           0.00000000e+00,
                               0.00000000e+00,
                                                   1.10715576e-16]]))
('V=', array([[-0.41903326, -0.56492763, -0.71082199],
        [ 0.81101447, 0.11912225, -0.57276996],
        [ 0.40824829, -0.81649658, 0.40824829]]))
```

3. Question 3

Implementation for question 3 can be found in q3.py. The rank-2 approximation and  $||A-A_2||$  is

```
| NunkaideMacBook-Pro:yunkai jeremy$ python3 q3.py | A2= [[0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.1744 | [0.17754332 0.18059153 0.18359756 ... 0.18359756 0.18059153 0.17754332 | [0.18056607 0.18359756 0.18658718 ... 0.18658718 0.18359756 0.18056607 | [0.18056607 0.18359756 0.18658718 ... 0.18658718 0.18359756 0.18056607 | [0.17754332 0.18059153 0.18359756 ... 0.18359756 0.18059153 0.17754332 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 ... 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 0.17754332 0.17447807 | [0.17447807 0.17754332 0.18056607 0.17754332 0.17447807 | [0.17447807 0.18056607 0.17754332 0.18056607 0.17754332 0.18056607 | [0.17447807 0.18056607 0.17754332 0.18056607 0.18056607 0.18056607 | [0.17447807 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.17447807 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.17447807 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.17447807 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 0.18056607 | [0.18056607 0.18056607 0.18056607 0.18056607 0.1
```

## 4. Question 4

Implementation for question 4 can be found in q4.py. The only learning rate that will work is when  $\varepsilon = 0.01$ , which will lead to the correct result with  $\approx 420$  iterations. The other ones won't work as we are descending too quickly, and therefore we will miss the correct answer and failed to come back. We set the program to stop

- 5. Question 5
- 6. Question 6
- 7. Question 7