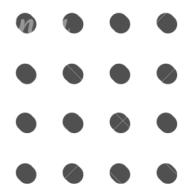




*VMES Grinds*





## 2580. Count Ways to Group Overlapping Ranges



## 2580. Count Ways to Group Overlapping Ranges

Solved

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You are given a 2D integer array `ranges` where `ranges[i] = [starti, endi]` denotes that all integers between `starti` and `endi` (both **inclusive**) are contained in the `ith` range.

You are to split `ranges` into **two** (possibly empty) groups such that:

- Each range belongs to exactly one group.
- Any two **overlapping** ranges must belong to the **same** group.

Two ranges are said to be **overlapping** if there exists at least **one** integer that is present in both ranges.

- For example, `[1, 3]` and `[2, 5]` are overlapping because `2` and `3` occur in both ranges.

Return the **total number** of ways to split `ranges` into two groups. Since the answer may be very large, return it **modulo** `109 + 7`.



**Example 1:**

**Input:** ranges = [[6,10], [5,15]]

**Output:** 2

**Explanation:**

The two ranges are overlapping, so they must be in the same group.

Thus, there are two possible ways:

- Put both the ranges together in group 1.
- Put both the ranges together in group 2.

**Example 2:**

**Input:** ranges = [[1,3], [10,20], [2,5], [4,8]]

**Output:** 4

**Explanation:**

Ranges [1,3], and [2,5] are overlapping. So, they must be in the same group.

Again, ranges [2,5] and [4,8] are also overlapping. So, they must also be in the same group.

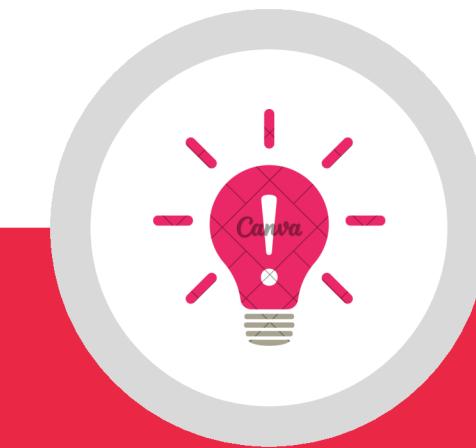
Thus, there are four possible ways to group them:

- All the ranges in group 1.
- All the ranges in group 2.
- Ranges [1,3], [2,5], and [4,8] in group 1 and [10,20] in group 2.
- Ranges [1,3], [2,5], and [4,8] in group 2 and [10,20] in group 1.



## Constraints:

- $1 \leq \text{ranges.length} \leq 10^5$
- $\text{ranges[i].length} == 2$
- $0 \leq \text{start}_i \leq \text{end}_i \leq 10^9$



# Explanation



- **Step 1: Sort the ranges by when they start  
(Like organizing tasks by start time)**
- **Step 2: Walk through them one by one:**
  - **Start a new "group" with the first range**
  - **If next range is in current group → add it to group**
  - **If next range doesn't → start a new group**
- **Step 3: Count how many groups**
- **Step 4: Answer =  $2^{\text{number of groups}}$  (Each group can go to Group A or Group B)**



# Initial Approach



```
● ● ●

class Solution(object):
    def countWays(self, ranges):
        MOD = 10**9 + 7
        ranges.sort()

        groups = 0

        i = 0
        n = len(ranges)
        while i < n:
            groups += 1
            end = ranges[i][1]
            i += 1
            while i < n and ranges[i][0] <= end:
                end = max(end, ranges[i][1])
                i += 1

        return pow(2, groups, MOD)
```



# Optimized Approach



**Same complexity ( $O(n \log n)$ ), but the for-loop + tuple unpacking cuts Python-level overhead and branches – lower constants => faster  
Making it 31ms to 19ms**



```
● ○ +  
  
class Solution:  
    def countWays(self, ranges):  
        MOD = 10**9 + 7  
        ranges.sort()  
        components = 0  
        end = -1  
  
        for start, finish in ranges:  
            if start > end:  
                components += 1  
                end = finish  
            else:  
                end = max(end, finish)  
  
        return pow(2, components, MOD)
```



# Time and Space Complexity Analysis



```
class Solution(object):
    def countWays(self, ranges):
        MOD = 10**9 + 7
        ranges.sort()           ← Time - O(nlogn)
        groups = 0

        i = 0
        n = len(ranges)
        while i < n:           ← Time - O(n)
            groups += 1
            end = ranges[i][1]
            i += 1
            while i < n and ranges[i][0] ≤ end:
                end = max(end, ranges[i][1])
                i += 1

        return pow(2, groups, MOD)
```

Space -  $O(1)$ Time -  $O(n) + O(nlogn) = O(nlogn)$



```
class Solution:
    def countWays(self, ranges):
        MOD = 10**9 + 7
        ranges.sort()
        components = 0
        end = -1

        for start, finish in ranges: ← Time - O(n)
            if start > end:
                components += 1
                end = finish
            else:
                end = max(end, finish)

        return pow(2, components, MOD)
```

Space -  $O(1)$

Time -  $O(n) + O(n\log n) = O(n\log n)$



## Key Takeaway



- Sort & Merge (Greedy): Sorting ranges and extending the current group's end is a greedy strategy to efficiently form groups.
- Connected Components: Each non-overlapping cluster forms a separate group.
- Exponentiation: Total ways =  $2^{\text{number of groups}}$  modulo  $10^9 + 7$