

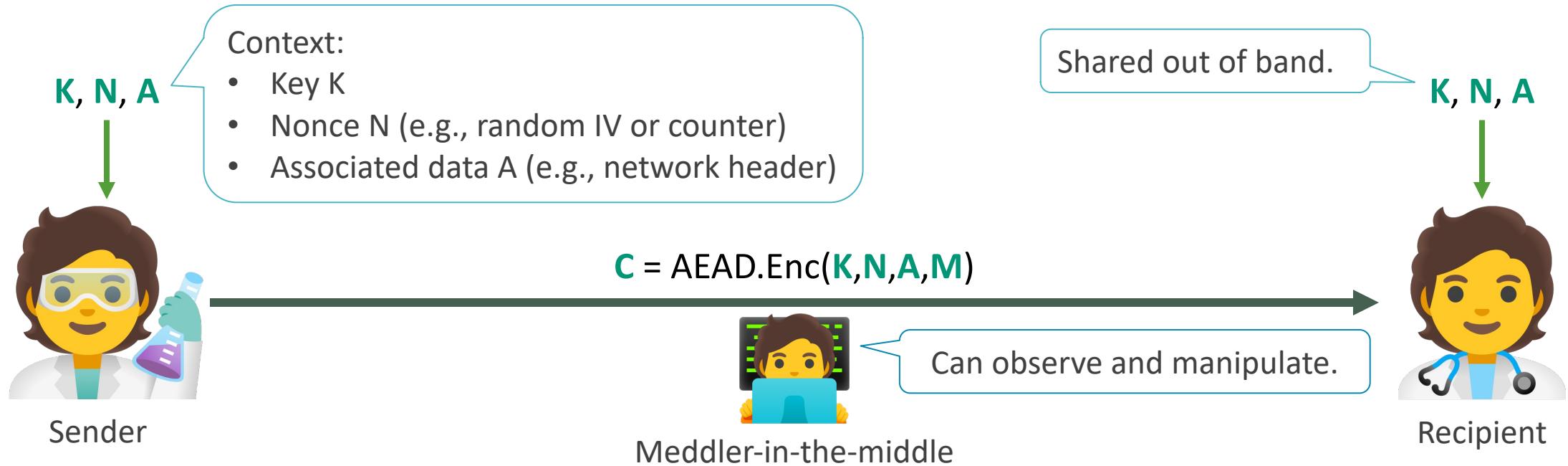
Context Discovery and Commitment Attacks

How to Break CCM, EAX, SIV, and More

Sanketh Menda, Julia Len, Paul Grubbs, and Thomas Ristenpart

Eurocrypt 2023

Authenticated Encryption with Associated Data (AEAD)



Standardized

1. AES-GCM
2. ChaCha20/Poly1305
3. AES-GCM-SIV

Provably Secure

1. Confidentiality
2. Authenticity

Recent Attacks on AEAD

Fast Message Franking:
From Invisible Salamanders to Encryption*

Yevgeniy Dodis¹, Paul Grubbs^{2,†}, Thomas Ristenpart², Joanne Woodage^{3,†}

¹ New York University

² Cornell Tech

³ Royal Holloway

These attacks work in new threat models!

How to Abuse and Fix

Ange Albertini¹, Thai Duong²

Abstract

Authenticated encryption (AE) is used in a wide variety of applications, potentially in settings for which it was not originally designed. Recent research tries to understand what happens when AE is not used as prescribed by its designers. A question given relatively little attention is whether an AE scheme guarantees “key commitment”: ciphertext should only decrypt to a valid plaintext under the key used to generate the

of cryptographic algorithms such as SHA-1 [SBK⁺17].

The vast majority of applications should default to using authenticated encryption (AE) [BN00, KY00], a well-studied primitive which avoids the pitfalls of unauthenticated SKE with relatively small performance overhead. AE schemes are used in widely adopted protocols like TLS [Res18], standard-

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Invisible Salamanders in AES-GCM-SIV

No Comments

X Security 2021. This is the full version.

These attacks exploit lack of *key commitment*:
An adversary can find keys K_1, K_2 and ciphertext
 C s.t. C can be decrypted under both keys

the first partitioning oracles which arise when encryption schemes are not committing with respect to their keys. We detail novel adaptive chosen ciphertext attacks that exploit partitioning oracles to efficiently recover passwords and de-anonymize anonymous communications. The attacks utilize efficient key multi-collision algorithms — a cryptanalytic tool that we define — against widely used authenticated en-

cryption schemes because attacks exploiting lack of robustness have been seen in relatively niche applications like auction systems [22, 30] or recently as an integrity issue in moderation systems for messaging [22, 30].

duce partitioning oracle attacks, a new type of attack. These are similar to previous attacks considered in the password-authenticated key exchange (PAKE) literature [11, 72, 98]; we provide a unifying attack framework that transcends PAKE and show partitioning oracle attacks that exploit weaknesses in widely used non-committing AEAD schemes. Briefly, a partitioning oracle arises when an adversary can: (1) efficiently craft ciphertexts that suc-

Context Commitment Security [BH22]

For AEAD, computationally efficient to find

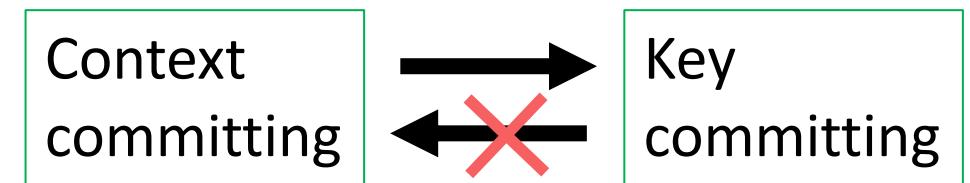
(K_1, N_1, A_1) , (K_2, N_2, A_2) and C

such that decryption

$M_1 \leftarrow \text{AEAD.Dec}(K_1, N_1, A_1, C)$

$M_2 \leftarrow \text{AEAD.Dec}(K_2, N_2, A_2, C)$

succeeds.



Commitment Attacks (Before this Paper)

Scheme	Key Committing	Context Committing
GCM	✗ [GLR17, DGRW19]	✗ ↗
AES-SIV	?	?
CCM	?	?
EAX	?	?
OCB3	✗ [ADGKLS20]	✗ ↗
PaddingZeros	✓ [ADGKLS20]	?
KeyHashing	✓ [ADGKLS20]	?
CAU-C1	✓ [BH22]	?

Do CCM and EAX provide key commitment?

Asked 2 years, 2 months ago Modified 2 years, 2 months ago Viewed 171 times

10

In an interesting paper called "[Partitioning Oracle Attacks](#)" by [Julia Len, Paul Grubbs & Thomas Ristenpart](#) an attack is presented on 1.5 pass AEAD schemes that utilize GMAC (GCM, AES-GCM, AES-GCM-SIV) and Poly1305 which is often used with a ChaCha/Salsa variant.

In the paper they mention that older schemes based on HMAC authentication are not vulnerable against this attack because they provide the key commitment property.

Do CCM with CBC-MAC and EAX with AES-CMAC provide key commitment as well? Or is - for instance - the output size of the MAC constructions too small? If they don't provide full key commitment, are they susceptible to this attack?

[cryptanalysis](#) [cbc-mac](#) [cmac](#) [decryption-oracle](#) [eax](#)

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asked Jan 25, 2021 at 15:57



Maarten Bodewes ♦

89.5k 13 153 307



Sophie, indistinguishable from random noise @SchmiegSophie · Sep 7, 2020

Given that I've now done the work of setting up the blog, I used the chance to write a bit about invisible salamanders, i.e. ciphertexts that decrypt to two different plaintexts depending on the used key, for AES-GCM and AES-GCM-SIV.



4

40

128

↑



JP Aumasson @veorq · Sep 9, 2020

Replying to @SchmiegSophie
no such trick for SIV-AES I guess?

1

4

2

↑



Sophie, indistinguishable from random noise
@SchmiegSophie

Replying to @veorq

Yeah, for AES-SIV it's much harder. You can construct a collision for the CMAC, but it's non-linear, so the encrypted text would not collide easily.

Similar issue if you replace GMAC with Poly1305 in AES-GCM-SIV, because you mix characteristic.

1:44 PM · Sep 9, 2020 · Twitter for Android

Commitment Attacks (After this Paper)

Scheme	Key Committing	Context Committing
GCM	✗ [GLR17, DGRW19]	✗ ↗
AES-SIV	✗ ✨	✗ ↗ ✨
CCM	✗ ✨	✗ ↗ ✨
EAX	✗ ✨	✗ ↗ ✨
OCB3	✗ [ADGKLS20]	✗ ↗
PaddingZeros	✓ [ADGKLS20]	✗ ✨
KeyHashing	✓ [ADGKLS20]	✗ ✨
CAU-C1	✓ [BH22]	✗ ✨



= new result

Our Contributions

New granular framework for context commitment

Key commitment attack against the original SIV mode

New context commitment security notion: context discovery

Context discovery attacks against GCM, OCB3, EAX, CCM, SIV

Our Contributions

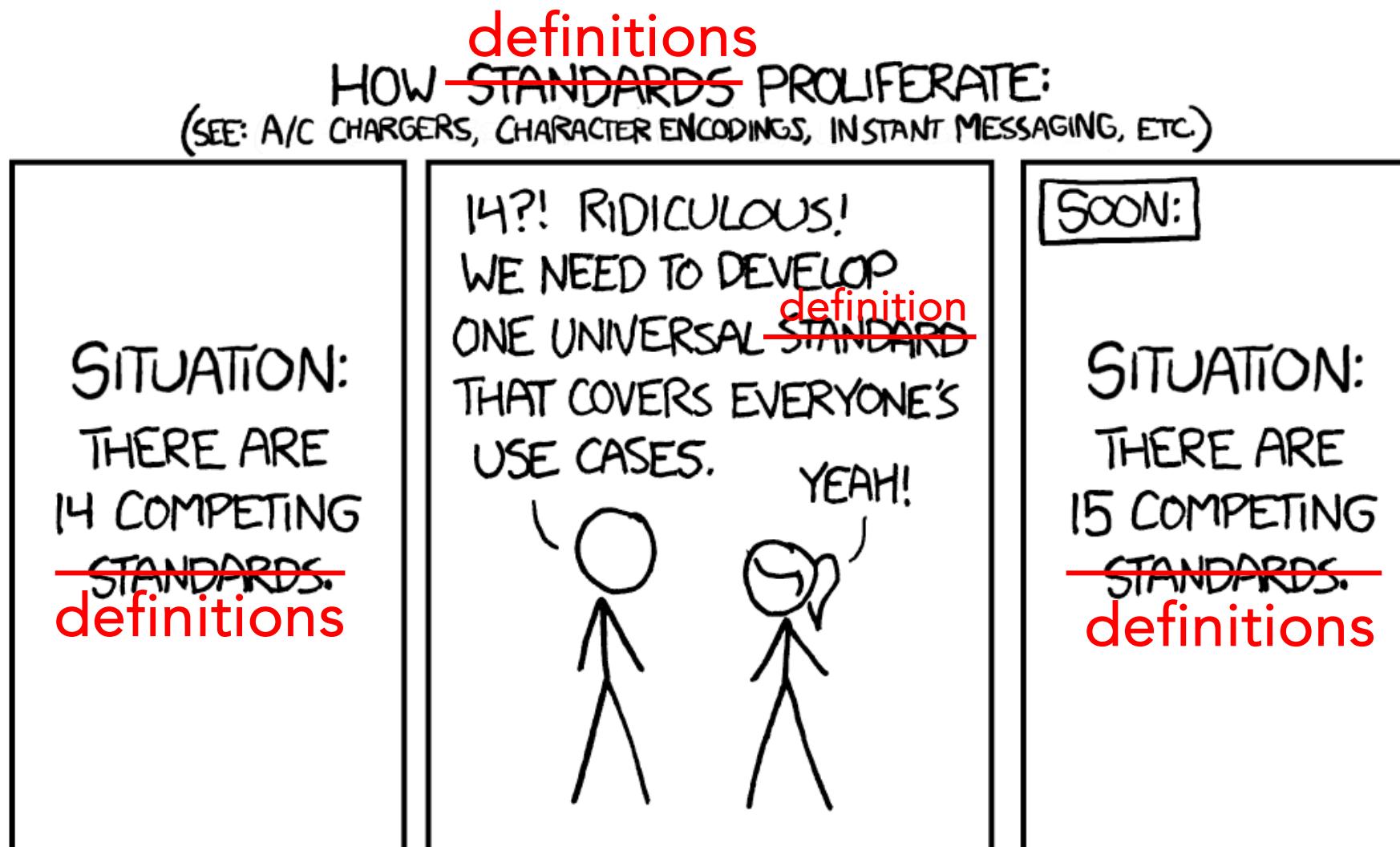
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Don't we already have committing security definitions?



Ambiguity in Key Commitment Definitions

FROB_{AE}^A(λ):

```
(C, K1, K2) ← A(1λ)
if K1 = K2 return 0
M1 ← Dec(K1, C)
M2 ← Dec(K2, C)
return (M1 ≠ ⊥ ∧ M2 ≠ ⊥)
```

FROB_{SE}^A:

```
((H, K), (H', K'), C) ←\$ A
If K = K' then Return false
M ← Dec(K, H, C)
M' ← Dec(K', H', C)
Return (M ≠ ⊥) ∧ (M' ≠ ⊥)
```

[FOR17] doesn't mention associated data, and implicitly requires the same nonce.

[GLR17] allows different associated data, but still implicitly requires the same nonce.

We define targeted multi-key collision resistance (TMKCR) security by the following game. It is parameterized by a scheme AEAD and a target key set $\mathbb{K} \subseteq \mathcal{K}$. A possibly randomized adversary \mathcal{A} is given input a target set \mathbb{K} and must produce nonce N^* , associated data AD^* , and ciphertext C^* such that $\text{AuthDec}_K(N^*, AD^*, C^*) \neq \perp$ for all $K \in \mathbb{K}$. We define the advantage via

$$\mathbf{Adv}_{\text{AEAD}, \mathbb{K}}^{\text{tmk-cr}}(\mathcal{A}) = \Pr \left[\text{TMKCR}_{\text{AEAD}, \mathbb{K}}^{\mathcal{A}} \Rightarrow \text{true} \right]$$

[LGR20] requires same nonces and associated data.

Granular Framework for Context Committing Security

For AEAD, computationally efficient to find

(K_1, N_1, A_1) , (K_2, N_2, A_2) and C

such that decryption

$M_1 \leftarrow \text{AEAD.Dec}(K_1, N_1, A_1, C)$

$M_2 \leftarrow \text{AEAD.Dec}(K_2, N_2, A_2, C)$

succeeds.

Granular Framework for Context Committing Security

Step 1: Arbitrary Predicates

For AEAD, computationally efficient to find

$(K_1, N_1, A_1), (K_2, N_2, A_2)$ and C

such that

$P((K_1, N_1, A_1), (K_2, N_2, A_2))$ for predicate P

and decryption

$M_1 \leftarrow \text{AEAD.Dec}(K_1, N_1, A_1, C)$

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Notion	Predicate
Context Commitment	$(K_1, N_1, A_1) \neq (K_2, N_2, A_2)$

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succeeds.

Notion	Predicate
Context Commitment	$(K_1, N_1, A_1) \neq (K_2, N_2, A_2)$
CMT-k	$K_1 \neq K_2$
CMT-n	$N_1 \neq N_2$
CMT-a	$A_1 \neq A_2$

Granular Framework for Context Committing Security

Step 1: Arbitrary Predicates

For AEAD, computationally efficient to find

$$(\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1), (\mathbf{K}_2, \mathbf{N}_2, \mathbf{A}_2) \text{ and } \mathbf{C}$$

such that

$$\mathbf{P}((\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1), (\mathbf{K}_2, \mathbf{N}_2, \mathbf{A}_2)) \text{ for predicate } \mathbf{P}$$

and decryption

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succeeds.

Notion	Predicate
Context Commitment	$(\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1) \neq (\mathbf{K}_2, \mathbf{N}_2, \mathbf{A}_2)$
Permissive	CMT-k $\mathbf{K}_1 \neq \mathbf{K}_2$
	CMT-n $\mathbf{N}_1 \neq \mathbf{N}_2$
	CMT-a $\mathbf{A}_1 \neq \mathbf{A}_2$
Restrictive	CMT-k* $\mathbf{K}_1 \neq \mathbf{K}_2 \wedge (\mathbf{N}_1, \mathbf{A}_1) = (\mathbf{N}_2, \mathbf{A}_2)$
	CMT-n* $\mathbf{N}_1 \neq \mathbf{N}_2 \wedge (\mathbf{K}_1, \mathbf{A}_1) = (\mathbf{K}_2, \mathbf{A}_2)$
	CMT-a* $\mathbf{A}_1 \neq \mathbf{A}_2 \wedge (\mathbf{K}_1, \mathbf{N}_1) = (\mathbf{K}_2, \mathbf{N}_2)$

Granular Framework for Context Committing Security

Step 2: Target Selection

For AEAD, given

$$K_1, K_2 \leftarrow \$ \{0, 1\}^k \quad [\text{target selection}]$$

computationally efficient to find

$$(K_1, N_1, A_1), (K_2, N_2, A_2) \text{ and } C$$

such that

$$P((K_1, N_1, A_1), (K_2, N_2, A_2)) \text{ for predicate } P$$

and decryption

$$M_1 \leftarrow \text{AEAD.Dec}(K_1, N_1, A_1, C)$$

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	CMT-a*	$A_1 \neq A_2 \wedge (K_1, N_1) = (K_2, N_2)$

Granular Framework for Context Committing Security

Step 2: Target Selection

For AEAD, given

$$\mathbf{C} \leftarrow \text{AEAD.Enc}(\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1, \mathbf{M}_1) \quad [\text{target selection}]$$

and not given

$$\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1 \quad [\text{target hiding}]$$

computationally efficient to find

$$(\mathbf{K}_2, \mathbf{N}_2, \mathbf{A}_2)$$

such that

$$\mathbf{P}((\mathbf{K}_1, \mathbf{N}_1, \mathbf{A}_1), (\mathbf{K}_2, \mathbf{N}_2, \mathbf{A}_2)) \text{ for predicate } \mathbf{P}$$

and decryption

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succeeds.

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Permissive	CMT-k $\mathbf{K}_1 \neq \mathbf{K}_2$
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Restrictive	CMT-k* $\mathbf{K}_1 \neq \mathbf{K}_2 \wedge (\mathbf{N}_1, \mathbf{A}_1) = (\mathbf{N}_2, \mathbf{A}_2)$
	CMT-n* $\mathbf{N}_1 \neq \mathbf{N}_2 \wedge (\mathbf{K}_1, \mathbf{A}_1) = (\mathbf{K}_2, \mathbf{A}_2)$
	CMT-a* $\mathbf{A}_1 \neq \mathbf{A}_2 \wedge (\mathbf{K}_1, \mathbf{N}_1) = (\mathbf{K}_2, \mathbf{N}_2)$

Granular Framework for Context Committing Security

Step 2: Target Selection

For AEAD, given

$$C \leftarrow \text{AEAD.Enc}(K_1, N_1, A_1, M_1) \quad [\text{target selection}]$$

and not given

$$K_1, N_1, A_1 \quad [\text{target hiding}]$$

computationally efficient to find

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such that

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CMT-n*	$A_1 \neq A_2 \wedge (K_1, N_1) = (K_2, N_2)$

This looks like preimage resistance.

Our Contributions

New granular framework for context commitment

Key commitment attack against the original SIV mode

New context commitment security notion: context discovery

Context discovery attacks against GCM, OCB3, EAX, CCM, SIV

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SIV vs. GCM for CMT-k* attacks

Recall: CMT-k* means nonces and associated data of both contexts must be the same

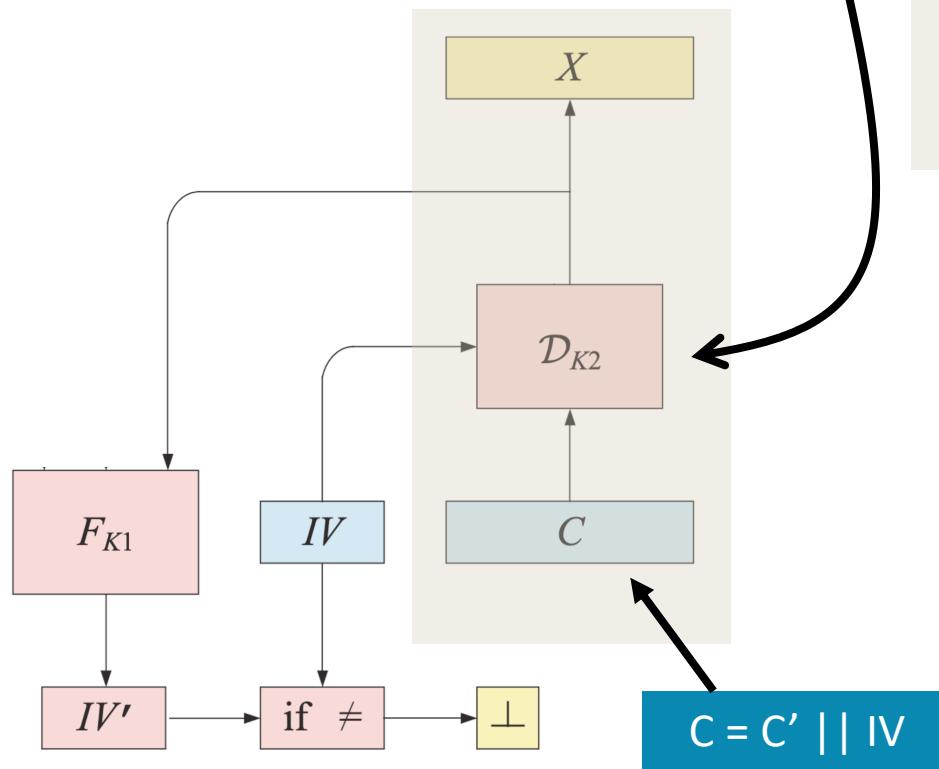
GCM uses a highly-structured polynomial MAC

Finding CMT-k* attack is *easy*: this is just solving a simple system of 2 linear equations

SIV does not use a polynomial MAC so we can't adapt the attacks we already have...

The Original SIV Mode

For simplicity, we assume no associated data

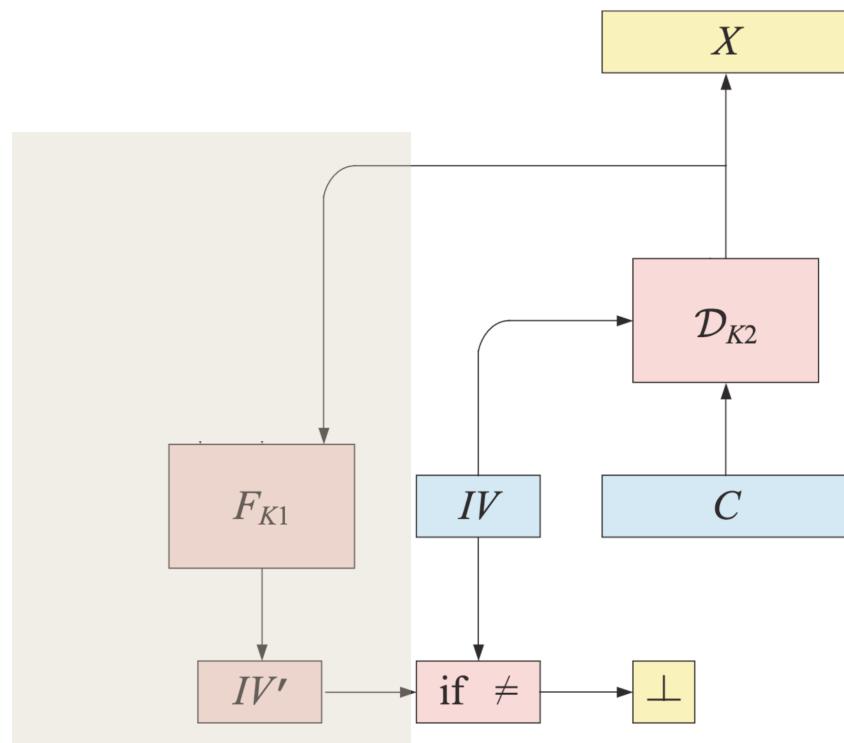


CTR mode with “synthetic IV” in ciphertext as initial counter

1. Use CTR mode with key $K2$ to decrypt the ciphertext and recover message.
2. Recompute the “synthetic IV” from the message using $S2V[CMAC]$ with key $K1$.
3. Compare this computed synthetic IV with that stored as part of the ciphertext:
 - a) If they are different, then reject.
 - b) Otherwise, return message.

The Original SIV Mode

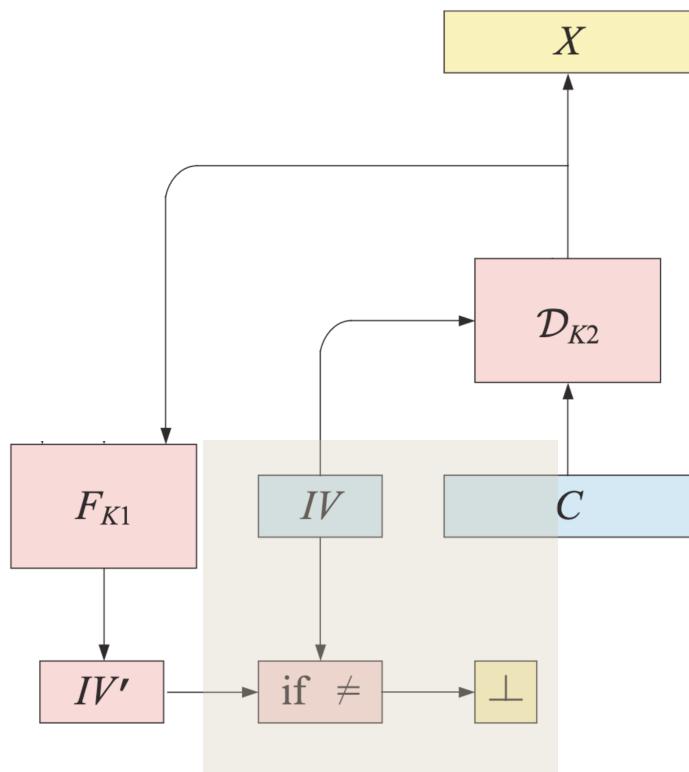
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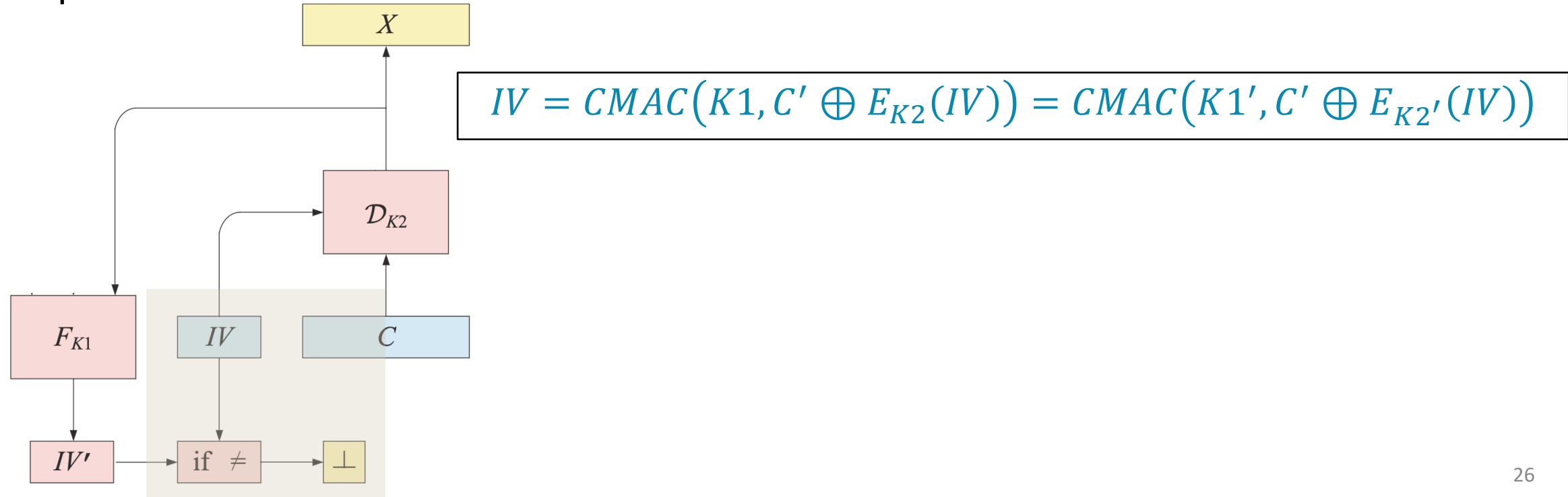


CMT-k* attack on SIV

For simplicity, we'll consider 1-block ciphertexts with no associated data or nonce

Goal: Find two keys $(K1, K2) \neq (K1', K2')$ and ciphertext C (of the form $C' || IV$) so that decryption of C under both keys succeeds

- This means that the computed synthetic IV's match the stored IV that is part of ciphertext C



CMT-k* attack on SIV

For simplicity, we'll consider 1-block ciphertexts with no associated data or nonce

Goal: Find two keys $(K_1, K_2) \neq (K'_1, K'_2)$ and ciphertext $C \leftarrow C' \parallel IV$ such that:

$$\left(E_{K_1}^{-1}(IV) \oplus (2 \cdot E_{K_1}(0^n)) \oplus E_{K_1}(2 \cdot E_{K_1}(0^n)) \right) \oplus E_{K_2}(IV)$$

$$\oplus \left(E_{K'_1}^{-1}(IV) \oplus (2 \cdot E_{K'_1}(0^n)) \oplus E_{K'_1}(2 \cdot E_{K'_1}(0^n)) \right) \oplus E_{K'_2}(IV) = 0^n$$

If we model block cipher E as an ideal cipher, then this looks *very close* to the Generalized Birthday Problem!

CMT-k* attack on SIV: Using Generalized Birthday Problem

For simplicity, we'll consider 1-block ciphertexts with no associated data or nonce

4-list Birthday Problem:

Given lists L_1, L_2, L_3, L_4 of elements drawn uniformly and independently at random from $\{0,1\}^n$, find $x_1 \in L_1, x_2 \in L_2, x_3 \in L_3, x_4 \in L_4$ s.t. $x_1 \oplus x_2 \oplus x_3 \oplus x_4 = 0^n$

Wagner gives the *k-tree algorithm* to solve this in $O(2^{n/3})$ space and time [W02]

$$\begin{aligned} & \left(E_{K1}^{-1}(IV) \oplus (2 \cdot E_{K1}(0^n)) \oplus E_{K1}(2 \cdot E_{K1}(0^n)) \right) \oplus E_{K2}(IV) \\ & \oplus \left(E_{K1'}^{-1}(IV) \oplus (2 \cdot E_{K1'}(0^n)) \oplus E_{K1'}(2 \cdot E_{K1'}(0^n)) \right) \oplus E_{K2'}(IV) = 0^n \end{aligned}$$

Problem: These values are not drawn uniformly and independently at random from $\{0,1\}^n$



$$F_1(K1) \oplus F_2(K2) \oplus F_3(K1') \oplus F_4(K2') = 0^n$$

CMT-k* attack on SIV: Using Generalized Birthday Problem

For simplicity, we'll consider 1-block ciphertexts with no associated data or nonce

- We show that we can upper bound the distinguishability between the distribution formed by the values chosen to make the list and uniformly random distribution
- We then show we can apply Wagner's k-tree algorithm with the distributions we have and still have high probability of finding collisions
- We show that with high probability we can find a collision in time $\sim 2^{53}$, making it practical and sufficiently damaging to rule out SIV as suitable for contexts where key commitment matters

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Revisiting the Framework for Context Committing Security

For AEAD, given

$$C \leftarrow \text{AEAD.Enc}(K_1, N_1, A_1, M_1) \quad [\text{target selection}]$$

and not given

$$K_1, N_1, A_1 \quad [\text{target hiding}]$$

computationally efficient to find

$$(K_2, N_2, A_2)$$

such that

$$P((K_1, N_1, A_1), (K_2, N_2, A_2)) \text{ for predicate } P$$

and decryption

$$M_1 \leftarrow \text{AEAD.Dec}(K_1, N_1, A_1, C)$$

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succeeds.

Notion	Predicate
Context Commitment	$(K_1, N_1, A_1) \neq (K_2, N_2, A_2)$
Permissive	$K_1 \neq K_2$
CMT-n	$N_1 \neq N_2$
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CMT-n*	$A_1 \neq A_2 \wedge (K_1, N_1) = (K_2, N_2)$

This looks like preimage resistance.

Context Discoverability Security

CDY Security

For AEAD, given

C [target selection]

computationally efficient to find

K, N, A

such that decryption

$M \leftarrow \text{AEAD.Dec}(K, N, A, C)$

succeeds.

Context Discoverability Security

CDY Security

For AEAD, given

\mathbf{C} [target selection]

computationally efficient to find

$\mathbf{K}, \mathbf{N}, \mathbf{A}$

such that decryption

$\mathbf{M} \leftarrow \text{AEAD.Dec}(\mathbf{K}, \mathbf{N}, \mathbf{A}, \mathbf{C})$

succeeds.

- Context Discoverability security is to Context Committing security for AEAD as preimage resistance is to collision-resistance for hash functions
- We also show that if an AEAD scheme is “context compressing” (meaning: ciphertexts are decryptable under more than one context), then Context Committing security implies Context Discoverability security
- We show Context Discoverability attacks for CCM, EAX, SIV, GCM, and OCB3
- Context Discoverability allows us to better communicate attacks and threat models

Conclusion

Full version available on eprint:
<https://ia.cr/2023/526>

Scheme	Key Committing	Context Committing
GCM	[GLR17, DGRW19]	➡
AES-SIV	★	➡ ★
CCM	★	➡ ★
EAX	★	➡ ★
OCB3	[ADGKLS20]	➡
PaddingZeros	[ADGKLS20]	★
KeyHashing	[ADGKLS20]	★
CAU-C1	[BH22]	★



= new result

References

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<https://www.iacr.org/archive/crypto2002/24420288/24420288.pdf>
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