

## Point cloud generation with

1. With raw GAN
2. With latent GAN (i.e., AE + GAN)

### 1. Raw GAN

#### a) Architecture

##### Generator (Decoder)

Input 128 ----> Linear 64 + ReLU ----> Linear 128 + ReLU ----> Linear 512 + ReLU  
----> Linear 1024 + ReLU ----> Linear 2048\*3

##### Discriminator (AE)

Input 2048 x 3 ---->

##### ENCODER

Conv1D (2048, 64, kernel\_size=1) + LeakyReLU ---->  
Conv1D (64, 128, kernel\_size=1) + LeakyReLU ---->  
Conv1D (128, 256, kernel\_size=1) + LeakyReLU ---->  
Conv1D (256, 256, kernel\_size=1) + LeakyReLU ---->  
Conv1D (256, 512, kernel\_size=1) + LeakyReLU ---->  
(output.shape = (512, 3))  
----> MaxPool(dim=-1) ----> (512, )

##### DECODER

----> Linear(512, 128) + ReLU ----> Linear(128, 64) + ReLU ---->  
----> Linear(64, 1) + Sigmoid

(Fake or Real)

#### b) Loss

$$J = - [ t \log(y) + (1 - t) \log(1-y) ]$$

For Discriminator

$$J^D = - [ \sum_x (\log(D(x))) + \sum_z (\log(1 - D(G(z)))) ],$$

where  $x$  -- real sample,  $z \sim p(z)$

For Generator

$$J^G = -J^D = [\sum_x (\log(D(x))) + \sum_z (\log(1 - D(G(z))))]$$

$$d \sum_x (\log(D(x))) / d \theta_G = 0$$

A problem:

If D is very good at distinguishing fake examples from real ones,  $D(G(z))$  will be 0.

Then  $\sum_z (\log(1 - D(G(z)))) = 0$ .

Then the gradient  $d J^G / d \theta_G = 0$ .

Then the parameters will not be updated!

That is, when Discriminator is too good, Generator has no chance to improve.

Solution:

The heuristic

Let's try to minimize

$$J^G = -\sum_z (\log(D(G(z)))) \quad \text{-- "non-saturating heuristics"}$$

i.e., Generator wants to make  $D(G(z)) = 1$ ,