Worked with: Andrew Gordon

Lab 4: Uncertainty and Error

```
    norm_mean=10.4

   norm_sd=2.4
   norm 17=rnorm(17, mean=norm_mean, sd=norm_sd)
   norm 30=rnorm(30, mean=norm mean, sd=norm sd)
   norm_300=rnorm(300, mean=norm_mean, sd=norm_sd)
   norm 3000=rnorm(3000, mean=norm mean, sd=norm sd)
require(here)
   png(
    filename=here("images", "lab_04_hist_01.png"),
     width = 1500, height = 1600,
     res=180)
   par(mfrow=c(2,2))
   hist(norm 17, main="17 Random Points")
   hist(norm_30, main="30 Random Points")
   hist(norm 300, main="300 Random Points")
   hist(norm_3000, main="3000 Random Points")
   dev.off()
```

- 3. Uploaded file to Moodle
- 4. The histogram of 17 random points is the most straight across, and the 3000 random points histogram shows the most normal distribution. While each of these are representative of a normal distribution the 17 random points looks least like a normal distribution, while the 3000 random points is the closest to a normal distribution.
- 5. The histograms are different because as you add more random points to the sample the sampling error is reduced and the histograms more closely resemble a normal distribution.
- 6. A standard normal distribution has 2 parameters, mean which is equal to 0 and standard deviation which is equal to 1.

```
7. require(here)
    svg(
      filename=here("images", "norm_1.svg"),
      width=7, height=7, pointsize=12)
    x = seq(0, 20, length.out = 1000)
    y = dnorm(x, mean=10.4, sd=2.4)
```

```
plot(x, y, main = "Standard Normal PDF \nMean=10.4 SD=2.4", type = "l", xlim = c(0, 20))
    abline(h = 0)
    dev.off()
8. Uploaded file to Moodle
9. set.seed(2)
    n_pts = 8
   x min = 0
   x_max = 24
   x = runif(n = n_pts, min = x_min, max = x_max)
    dat_1 = data.frame(x = x, y_observed = rnorm(n_pts))
10. Uploaded file to Moodle
11. set.seed(2)
    n_pts = 48
   x_min = 0
   x max = 24
   x = runif(n = n_pts, min = x_min, max = x_max)
    dat_1 = data.frame(x = x, y_observed = rnorm(n_pts))
    line point slope = function(x, x1, y1, slope)
    {
     get_y_intercept =
      function(x1, y1, slope)
       return(-(x1 * slope) + y1)
     linear =
      function(x, yint, slope)
       return(yint + x * slope)
     return(linear(x, get_y_intercept(x1, y1, slope), slope))
   }
    plot(dat 1)
    curve(line_point_slope(x, 12, 0, 0.05), add=TRUE)
12. Uploaded file to Moodle
13. set.seed(2)
    n pts = 48
   x_min = 0
   x max = 24
   x = runif(n = n_pts, min = x_min, max = x_max)
    dat_1 = data.frame(x = x, y_observed = rnorm(n_pts))
   y_predicted_vec=line_point_slope(dat_1$x, 12, 0, 0.05)
    dat 1$y predicted=y predicted vec
```

resid_vec=dat_1\$y_observed - dat_1\$y_predicted
dat_1\$resids=resid_vec
dat_1

14.

Histogram of dat_1\$resids



