Divorce Laws and Intra-Household Bargaining

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2024

Plan for today

- Divorce law and intra-household bargaining
 Voena (2015): "Yours, Mine, and Ours: Do Divorce Laws Affect the Intertemporal Behavior of Married Couples?"
 - Limited commitment model as last time different notation \rightarrow good to see again but different!

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Reading guide:

- 1. What are the main research questions?
- 2. What is the (empirical) motivation?

3. What are the central mechanisms in the model?

4. What is the simplest model in which we could capture these?

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Reading guide:

- 1. What are the main research questions?
 - How does divorce laws affect saving and female labor supply in marriage?
 - What are the welfare consequences of unilateral divorce?
- 2. What is the (empirical) motivation?

3. What are the central mechanisms in the model?

4. What is the simplest model in which we could capture these?

Empirical Motivation: I

Reduced Form evidence from the US
 Using time- and state variation in adoption in unilateral divorce

Years since introduction of unilateral divorce

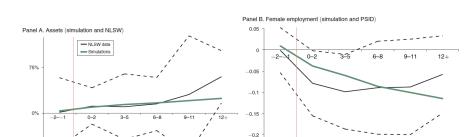
Introduction

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• Reduced Form evidence from the US

Using time- and state variation in adoption in unilateral divorce



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— PSID data

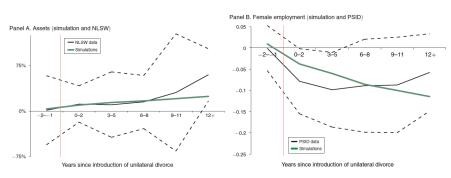
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Introduction

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Interpretation: women with low bargaining power pre-reform:
 unilateral → threat to leave → increase bargaining power → work less.

Introduction

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- 1. Unilateral vs. mutual consent divorce [One can decide vs. both has to agree]
- 2. Community vs. title-based division of property [50-50 vs. individual ownership]

Table: Mutual \rightarrow Unilateral (rows 1+2, Tab. 2).

	Savings	Employment	
Community Title-based	<u>†</u>	<u></u>	increased power of women (last slide) no sign. effect (everything is private)

Outline

Model and Mechanisms

 c_t^J : consumption of member $j \in \{H, W\}$

Model Overview

Choices:

```
P_t^W: labor market participation, wife (men always work)
  A_{t+1}^{j}: assets of member j \in \{H, W\}
   D_t: divorce
• States (\omega_t):
  A_t^j: assets of member i \in \{H, W\}
  z_t^J: income shock (perm)
  \mathcal{E}_t^J: match quality shock (love)
  h_t^W: human capital, wife only.
  \Omega_t: divorce laws.
  (\tilde{\theta}_{\star}^{W}, \tilde{\theta}_{\star}^{H}): bargaining weights (in unilateral/limited commitment).
   (Childbirth occurs at predetermined ages, perfect foresight)
```

Income is

$$\begin{split} \log(y_t^j) &= \ln(h_t^j) + z_t^j \\ z_t^j &= z_{t-1}^j + \zeta_t^j, \quad \zeta_t^j \sim \textit{iid} \mathcal{N}(0, \sigma_{7^j}^2) \end{split}$$

Human capital is

$$\log(h_t^j) = \log(h_{t-1}^j) - \delta(1 - P_{t-1}^j) + (\lambda_0^j + \lambda_1^j t) P_{t-1}^j$$

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• Why only need to keep track of h_t^W ? Because since men always work, $P_t^H = 1$, we have

$$\begin{split} \log(h_t^H) &= \log(h_{t-1}^H) + (\lambda_0^H + \lambda_1^H t) \\ &= \log(h_{t-2}^H) + (\lambda_0^H + \lambda_1^H (t-1)) + (\lambda_0^H + \lambda_1^H t) \\ &= \underbrace{\log(h_0^H)}_{\text{estimated as intercept}} + \sum_{s=1}^t (\lambda_0^H + \lambda_1^H s) \end{split}$$

If heterogeneity in initial condition, we would solve for a grid of h_0^H .

• Match quality (love) is an AR(1) process

$$\xi_t^j = \xi_{t-1}^j + \epsilon_t^j, \quad \epsilon_t^j \sim iid\mathcal{N}(0, \sigma^2)$$

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 Singles (share childcare costs):

$$A_{t+1}^{j} = (1+r)A_{t}^{j} + (y_{t}^{j} - d_{t}^{k}/2) \cdot P_{t}^{j} - c_{t}^{j} \cdot e(k)$$
 (1)

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Couples $(A_t = A_t^H + A_t^W)$:

$$A_{t+1} = (1+r)A_t + y_t^H + (y_t^W - d_t^K)P_t^W - x_t$$

where expenditures are (couples have econ. of scale, $\rho \geq 1$)

$$x_t = [(c_t^H)^{\rho} + (c_t^W)^{\rho}]^{\frac{1}{\rho}} e(k)$$

(2)

Preferences

• Individual preferences are [my notation]

$$u(c_t^i, P_t^i, D_t^i) = \frac{(c_t^i)^{1-\gamma}}{1-\gamma} - \psi P_t^i + \xi_t^i (1 - D_t^i)$$

where

 γ is the CRRA coefficient

 ψ is the dis-utility of working

 ξ_t^i is a marital match shock ("love")

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• Re-marriage with prob. $\pi_t^{j\Omega_t}$ Match with someone similar to j (I think).

Value of a Divorcee

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- (expected) Value of entering period t as divorced ($\approx V^s$)

$$V_t^{jDR}(\omega_t) = \pi_t^{j\Omega_t} V_t^{jR}(\omega_t) + (1 - \pi_t^{j\Omega_t}) V_t^{jD}(\omega_t)$$

where V_t^{jR} is value of re-marriage (defined next) and

$$\begin{split} V_t^{jD}(\omega_t) &= \max_{c_t^j, P_t^j} u(c_t^j, P_t^j, 1) \\ &+ \beta \underbrace{\{\pi_{t+1}^{j\Omega_t} \mathbb{E}_t[V_{t+1}^{jR}(\omega_{t+1})] + (1 - \pi_{t+1}^{j\Omega_t}) \mathbb{E}_t[V_{t+1}^{jD}(\omega_{t+1})]\}}_{\mathbb{E}_t[V_{t+1}^{jDR}(\omega_{t+1})]} \end{split}$$

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is the value of remaining divorced ($V^{s \to s}$ in my notation).

• Outside option is (my notation)

$$V_{i\,t}^{m\to s}(\omega_t;\kappa) = V_t^{jD}(\omega_t,(A_{t-1}-CD)\kappa_i)$$

where *CD* is divorce costs (tab 3), $\kappa_j=0.5$ in community property. $_{_{11/27}}$

Value of a Remarried

- **Re-marriage** is absorbing. See footnote 7.
- In turn,

$$V_t^{jR}(\omega_t) = u(c^{j*R}, P^{j*R}) + \beta \mathbb{E}_t[V_{t+1}^{jR}(\omega_{t+1})]$$

where

$$\begin{split} c^{W*R}, c^{H*R}, P^{W*R} &= \arg\max_{c^{W}, c^{H}, P^{W}} \theta u(c^{H}, 1, 0) + (1 - \theta) u(c^{W}, P^{W}, 0) \\ &+ \beta \mathbb{E}_{t} [\theta V_{t+1}^{HR}(\omega_{t+1}) + (1 - \theta) V_{t+1}^{WR}(\omega_{t+1})] \end{split}$$

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• This means that, in the model, divorce can only happen once.

Value of a Remarried

- **Re-marriage** is absorbing. See footnote 7.
- In turn,

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- This means that, in the model, divorce can only happen once.
- ullet Reason is computational: Assets brought into the marriage is private Keeping track of assets from all previous marriages would be unfeasible. No divorce ullet does not need to keep track of individual assets.

• Two cases:

- Mutual Consent: Both must prefer divorce for it to happen. Committed by law (there are exceptions).
- 2. *Unilateral divorce:* If one prefers divorce, they can divorce. Limited commitment.
 - See lecture note for my notation, I follow Voena (2015).

• Two cases:

- 1. Mutual Consent: Both must prefer divorce for it to happen. Committed by law (there are exceptions).
- 2. Unilateral divorce: If one prefers divorce, they can divorce. Limited commitment. See lecture note for my notation, I follow Voena (2015).
- **Timing-issue**: The bargaining weight is updated in current period. (See guide)

• Couples $(D_{t-1} = 0)$ in *mutual consent* regime solve

$$\begin{split} V_t(\omega_t) &= \max_{c_t^H, c_t^W P_t^W, A_{t+1}^H, A_{t+1}^W, D_t} \\ &(1 - D_t) \bigg(\theta u(c_t^H, 1, 0) + (1 - \theta) u(c_t^W, P_t^W, 0) + \beta \mathbb{E}_t[V_{t+1}(\omega_{t+1})] \\ &+ D_t \bigg(\theta \{ u(c_t^H, 1, 1) + \beta \mathbb{E}_t[V_{t+1}^{HDR}(\omega_{t+1})] \} \\ &+ (1 - \theta) \{ u(c_t^W, P_t^W, 1) + \beta \mathbb{E}_t[V_{t+1}^{WDR}(\omega_{t+1})] \} \bigg) \end{split}$$

with constant bargaining weights θ and $1 - \theta$.

Household Planning: Mutual Consent

• Couples $(D_{t-1} = 0)$ in mutual consent regime solve

$$\begin{split} V_{t}(\omega_{t}) &= \max_{c_{t}^{H}, c_{t}^{W} P_{t}^{W}, A_{t+1}^{H}, A_{t+1}^{W}, D_{t}} \\ &(1 - D_{t}) \bigg(\theta u(c_{t}^{H}, 1, 0) + (1 - \theta) u(c_{t}^{W}, P_{t}^{W}, 0) + \beta \mathbb{E}_{t}[V_{t+1}(\omega_{t+1})] \\ &+ D_{t} \bigg(\theta \{ u(c_{t}^{H}, 1, 1) + \beta \mathbb{E}_{t}[V_{t+1}^{HDR}(\omega_{t+1})] \} \\ &+ (1 - \theta) \{ u(c_{t}^{W}, P_{t}^{W}, 1) + \beta \mathbb{E}_{t}[V_{t+1}^{WDR}(\omega_{t+1})] \} \bigg) \end{split}$$

with constant bargaining weights θ and $1-\theta$.

• Subject to non-participation constraints, when $D_t = 1$,

$$V_{H,t}^{m \to s}(\omega_t; \kappa) = u(c_t^H, 1, 1) + \beta \mathbb{E}_t[V_{t+1}^{HDR}(\omega_{t+1})] > V_t^{HM}(\omega_t)$$
$$V_{W,t}^{m \to s}(\omega_t; \kappa) = u(c_t^W, P_t^W, 1) + \beta \mathbb{E}_t[V_{t+1}^{WDR}(\omega_{t+1})] > V_t^{WM}(\omega_t)$$

Household Planning: Mutual Consent

Divorce only if both want a divorce.

Household Planning: Mutual Consent

- Divorce only if both want a divorce.
- If one is unhappy in the marriage, say the wife θ remains unchanged asset-split in divorce, κ_m , is changed in his favor until he is indifferent \rightarrow she transfers wealth in divorce to convince him to accept divorce.

• Couples $(D_{t-1} = 0)$ in *unilateral* regime solve

$$V_{t}(\omega_{t}) = \max_{c_{t}^{H}, c_{t}^{W} P_{t}^{W}, A_{t+1}^{H}, A_{t+1}^{W}, D_{t}}$$

$$(1 - D_{t}) \left(\tilde{\theta}_{t+1}^{H} u(c_{t}^{H}, 1, 0) + \tilde{\theta}_{t+1}^{W} u(c_{t}^{W}, P_{t}^{W}, 0) + \beta \mathbb{E}_{t} [V_{t+1}(\omega_{t+1}) + D_{t} \left(\tilde{\theta}_{t+1}^{H} \{ u(c_{t}^{H}, 1, 1) + \beta \mathbb{E}_{t} [V_{t+1}^{HDR}(\omega_{t+1})] \} \right)$$

$$+ \tilde{\theta}_{t+1}^{W} \{ u(c_{t}^{W}, P_{t}^{W}, 1) + \beta \mathbb{E}_{t} [V_{t+1}^{WDR}(\omega_{t+1})] \} \right)$$

where $\tilde{\theta}_{t+1}^j = \tilde{\theta}_t^j + \mu_t^j$ and μ_t^j are Lagrange multipliers on

(3)

Household Planning: Unilateral Divorce

• Couples
$$(D_{i-1} = 0)$$
 in unilateral regime solve

• Couples
$$(D_{t-1} = 0)$$
 in unilateral regime solve

$$V_t(\omega_t) = \max_{c_t^H, c_t^W P_t^W, A_{t+1}^H, A_{t+1}^W, D_t}$$

$$(1 - D_t) \left(\tilde{\theta}_{t+1}^H u(c_t^H, 1, 0) + \tilde{\theta}_{t+1}^W u(c_t^W, P_t^W, 0) + \beta \mathbb{E}_t [V_{t+1}(\omega_{t+1}, 0) + \tilde{\theta}_{t+1}^W u(c_t^W, P_t^W, 0) + \beta \mathbb{E}_t [V_{t+1}(\omega_{t+1}, 0) + \tilde{\theta}_{t+1}^W u(c_t^W, P_t^W, 0) + \tilde{\theta}_{t+1}^W u(c_t^W, P_t^W, 0) + \tilde{\theta}_{t+1}^W u(c_t^W, P_t^W, 0) \right)$$

 $+ D_t \left(\tilde{\theta}_{t+1}^H \left\{ u(c_t^H, 1, 1) + \beta \mathbb{E}_t \left[V_{t+1}^{HDR}(\omega_{t+1}) \right] \right\} \right)$ $+ \tilde{\theta}_{t+1}^{W} \{ u(c_t^{W}, P_t^{W}, 1) + \beta \mathbb{E}_t [V_{t+1}^{WDR}(\omega_{t+1})] \}$

where
$$\tilde{\theta}_{t+1}^{j} = \tilde{\theta}_{t}^{j} + \mu_{t}^{j}$$
 and μ_{t}^{j} are Lagrange multipliers on participation constraints, when $D_{t} = 0$

participation constraints, when
$$D_t = 0$$
,
$$V_{H,t}^{m \to s}(\omega_t; \frac{1}{2}) \leq V_t^{HM}(\omega_t)$$

$$V_{W,t}^{m \to s}(\omega_t; \frac{1}{2}) \leq V_t^{WM}(\omega_t)$$

Individual value of remaining in marriage (RHS of constraint) is

$$V_t^{jM}(\omega_t) = u(c_t^{j*}, P_t^{j*}, 0) + \beta \mathbb{E}_t[V_{t+1}^j(\omega_{t+1})]$$

where c_t^{j*} , P_t^{j*} , A_{t+1}^{j*} are optimal choices from eq. (3) and

$$V_{t+1}^{j}(\omega_{t+1}) = (1 - D_{t+1}^{*})V_{t+1}^{jM} + D_{t+1}^{*}V_{t+1}^{jD}$$

is individual value of entering as married in t+1.

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$$V_t^{jM}(\omega_t) = u(c_t^{j*}, P_t^{j*}, \mathbf{0}) + \beta \mathbb{E}_t[V_{t+1}^j(\omega_{t+1})]$$

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is individual value of entering as married in t + 1.

• Choices are made as a household (with weights on individual utility) individual values are only based on own utility (and future).

- Beginning of period bargaining weights, $\tilde{ heta}_t^j$, are in ω_t .
- If both participation constraints are not violated at $\tilde{\theta}_t^H$ and $\tilde{\theta}_t^W$, the Lagrange multipliers are zero and $\tilde{\theta}_{t+1}^j = \tilde{\theta}_t^j$ is not updated.

- Beginning of period bargaining weights, $\tilde{ heta}_t^j$, are in ω_t .
- If both participation constraints are not violated at $\tilde{\theta}_t^H$ and $\tilde{\theta}_t^W$, the Lagrange multipliers are zero and $\tilde{\theta}_{t+1}^J = \tilde{\theta}_t^J$ is not updated.
- **To solve** this model (last time + note)
 - 1. solve the model for couples assuming they remain together, for a grid of bargaining weights.
 - 2. If, for a given weight, one spouse is not satisfied $(V_t^{jD} > V_t^{jM})$, update the weight on that spouse until indifferent $(V_t^{jD} = V_t^{jM})$. If the other spouse wants to remain in marriage at this new weight, then update weight and carry on! Otherwise, divorce.

Outline

Model and Mechanisms

Estimation and Counterfactuals

Simple Mode

Estimation

• 2-step estimation:

- 1. calibrate (preset) parameters in Table 3+4
- 2. estimate by SMM 3 parameters in Table 5 using policy variation from mutual to unilateral

TABLE 5—ESTIMATED STRUCTURAL PARAMETERS AND MATCH OF THE AUXILIARY MODEL

Parameter	Symbol	Estimate	Standard error
Standard deviation of preference shocks	σ	0.0008	0.0004
Disutility from labor market participation	ψ	0.0107	0.0025
Husbands' Pareto weight	θ	0.7	0.0155
Auxiliary model parameter	Symbol	Target	Simulated
Effect of uni. divorce on savings in CP	ϕ_1	13.54 percent	13.43 percen
Effect of uni. divorce on participation in CP	ϕ_2	-6.93 pcpt	-6.86 pcpt
Baseline participation rate in CP	ϕ_3	55.97 percent	56.03 percen
Baseline divorce probability in CP	ϕ_4	19.44 percent	19.44 percen

Simulation: A

 Effects from mutual to unilateral in community (50-50) regime

Simulation: A

- Effects from mutual to unilateral in community (50-50) regime
- Mutual:

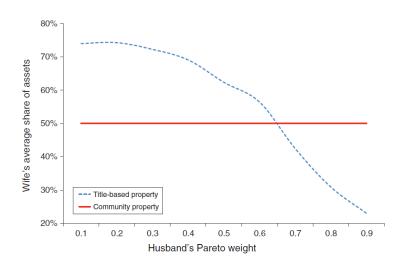
 $\theta = 0.7$ consumption share of women: 39%

• Unilateral:

19% re-bargained their power consumption share of women: 41% labor supply: \downarrow 6.86pp.

Simulation: B

• Effects of property division regimes



Divorce laws and consumption insurance

TABLE 6—DIVORCE LAWS AND CONSUMPTION INSURANCE AGAINST INCOME SHOCKS

	Married couples					
	N	Women				
Regimes	Mutual consent	Unilateral divorce	Mutual	Unilateral divorce		
Title-based	0.372	0.410	0.233	0.207		
Community property	0.371	0.390	0.235	0.192		
Equitable distribution	0.375	0.384	0.238	0.197		

Notes: The table reports the estimates of coefficients μ^{j} obtained from the regressions

$$\Delta \log(c_{ii}^H) = \kappa^H + \mu^H \Delta \log(y_{ii}^H) + \nu^{iH} \mathbf{X}_{ii}^j + e_{ii}^H$$
 and
 $\Delta \log(c_{ii}^W) = \kappa^W + \mu^W \Delta \log(y_{ii}^W) + \nu^{iW} \mathbf{X}_{i}^j + e_{ii}^W$

in each legal regime, where X_h^i are spouse f^s age and age squared. The coefficients are estimated on data obtained from simulating the model using the preset parameters and the estimated parameters for a sample of simulated households. I account for the differential selection of couples out of marriage because of divorce laws by simulating income and consumption profiles using only the policy functions of married couples.

- 1. Men have more consumption insurance under mutual (lower pass-through of income shocks; col 1 < col 2)
- 2. Property division does not matter in mutual (col 1 + 3 constant across rows)

Outline

Simple Model

Simple Model 000

Our simple model

- Same model as last time (see notebook)
- We cannot model the same counterfactuals as Alessandra Voena in our simple model.
 - But we can **change wealth distribution upon divorce**.

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- We cannot model the same counterfactuals as Alessandra Voena in our simple model.

But we can **change wealth distribution upon divorce**.

• Now, κ_i denotes the share of wealth to member i, $\kappa_1 + \kappa_2 = 1$.

$$\begin{split} V_{j,t}^{m}(a_{t-1}, \psi_{t}, \mu_{t-1}) &= D_{t}^{\star} V_{j,t}^{m \to s}(\kappa_{j} a_{t-1}, \psi_{t}, \mu_{t-1}) \\ &+ (1 - D_{t}^{\star}) V_{j,t}^{m \to m}(a_{t-1}, \psi_{t}, \mu_{t-1}) \end{split}$$

Next Time

Next time:

Marriage and Divorce (in Denmark).

Literature:

Bruze, Svarer and Weiss (2015): "The Dynamics of Marriage and Divorce" [full commitment]

- Read before lecture
 - Reading guide:

Section 1: Introduction + overview. Read.

Section 2: Data, Skim.

Section 3: Marriage patterns. Read (many figures).

Section 4: Model. Key, get the idea.

Section 5: Estimation, Skim.

Section 6: Results Read

Simple Model

References I

Bruze, G., M. Svarer and Y. Weiss (2015): "The Dynamics of Marriage and Divorce," Journal of Labor Economics, 33(1), 123-170.

VOENA, A. (2015): "Yours, Mine, and Ours: Do Divorce Laws Affect the Intertemporal Behavior of Married Couples?," American Economic Review, 105(8), 2295–2332.