

**CSCD 327 Lab 7 (16 points)**

1. (6 points) A given relation  $R = \{A, B, C, D, E\}$  is decomposed into three relations:  $R_1 = \{A, B, C\}$ ,  $R_2 = \{B, C, D\}$ , and  $R_3 = \{A, C, E\}$ 
  - Based on the given set of FDs  $F = \{B \rightarrow E, CE \rightarrow A\}$ , is the above decomposition a lossless-join decomposition?

$R_1 \text{ intersect } R_2 = \{B, C\}$

$BC^+ : BC$

$R_1 \text{ intersect } R_3 = \{A, C\}$

$AC^+ : AC$

$R_2 \text{ intersect } R_3 = \{C\}$

$C^+ : C$

NO, lossy.

- Based on the given set of FDs  $F = \{AC \rightarrow E, BC \rightarrow D\}$ , is the above decomposition a lossless-join decomposition?

$R_1 \text{ intersect } R_2 = \{B, C\}$

$BC^+ : BCD$

$R_1 \text{ intersect } R_3 = \{A, C\}$

$AC^+ : ACE$

Can fully reconstruct R with joins so lossless-join decomposition

2. (10 points) A given relation  $R = \{A, B, C, D, E\}$ , and a given set of FDs  $F = \{AB \rightarrow C, DE \rightarrow C, B \rightarrow D\}$ .

- Is  $R$  in BCNF? If not, do the decomposition accordingly.

$A, B, E$  will be part of candidate key since they are only on the left side.

$ABE^+ : ABECD$

None of the attributes on the left in  $F$  are superkeys, not in BCNF.

Decomposition:

$$R1 = \{A, B, C\} \quad R2 = \{D, E, C\} \quad R3 = \{B, D\}$$

- Is your decomposition a lossless-join decomposition? Why?

Yes because if you join the three new relations together you can reconstruct  $R$ .

- Is your decomposition a dependency-preserving decomposition? Why?

Yes because each relation holds a single unique functional dependency from  $F$  that allows for the child relations to be able to be reconstructed and fully represent  $F$  and  $R$  if need be.

- List all the candidate keys of relation  $R$ .

$ABE$

- Is  $R$  in the 3<sup>rd</sup>NF? Why?

$AB^+$ : ABCD

No, after computing the closure on AB ( $AB^+$ ), alpha (AB) is not a super key of the table. For each  $\alpha \rightarrow \beta$ , alpha must be a super key for the table in order to be in 3rdNF.