
Exploring uncertainty in pseudo-label Guided Domain Adaptation

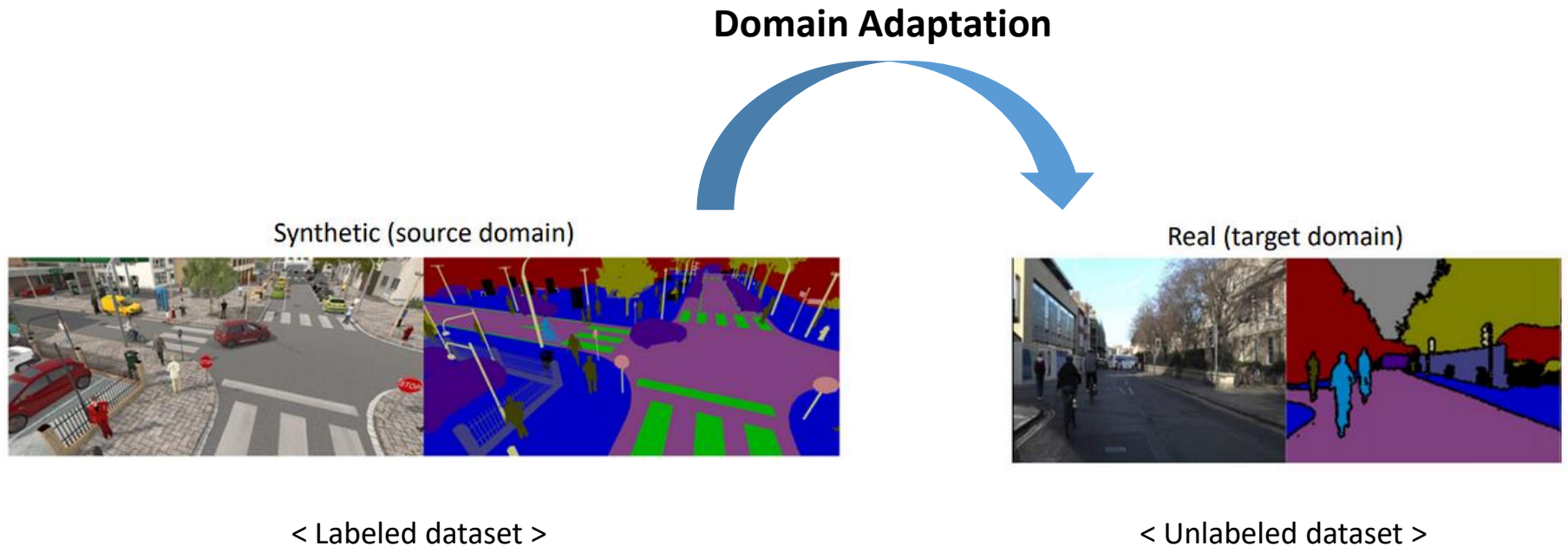
23.04.03

이정민

연구 배경

❖ Unsupervised Domain Adaptation(UDA)

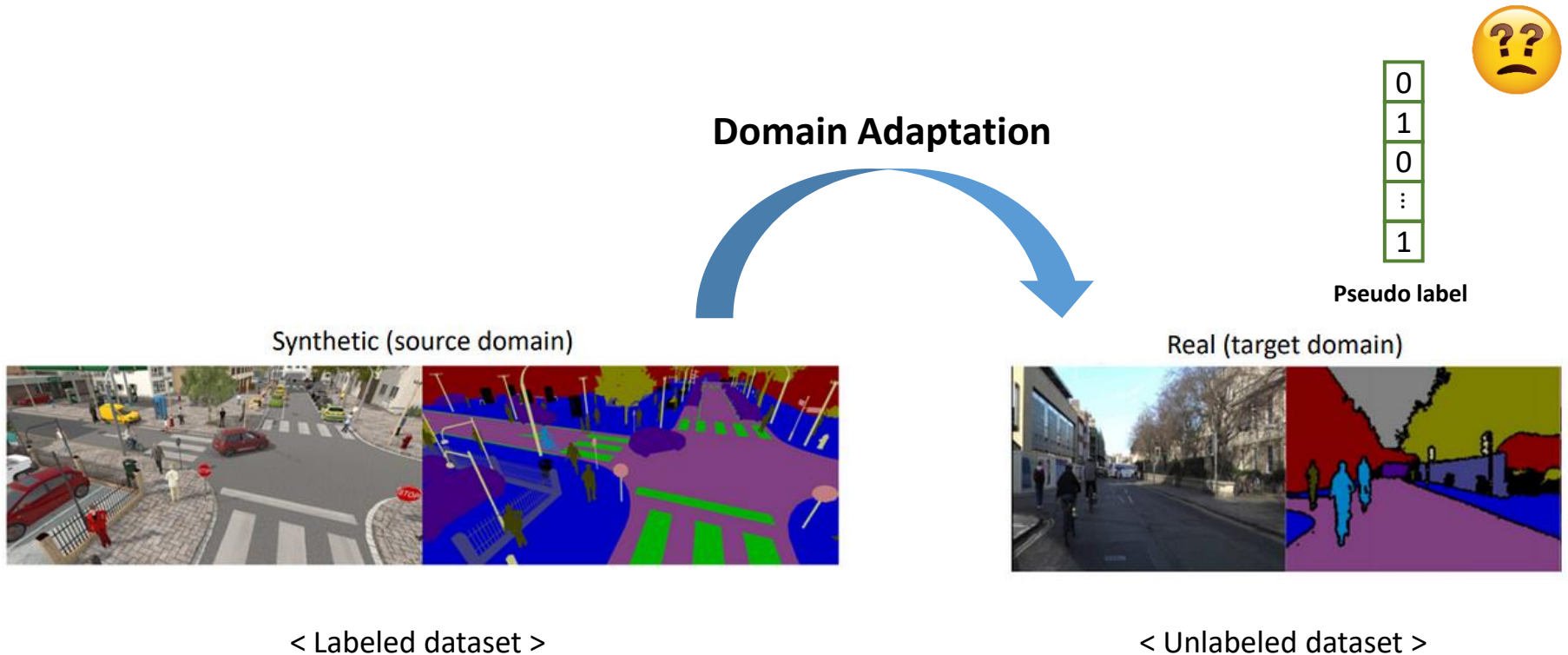
- Target domain dataset에 labeled data가 없을 때



연구 배경

❖ Unsupervised Domain Adaptation(UDA)

- Target domain dataset에 labeled data가 없을 때
- Target domain dataset에 pseudo-labeling을 진행하는 연구들 다수 존재
 - But, pseudo-label에 대한 신뢰도 부족

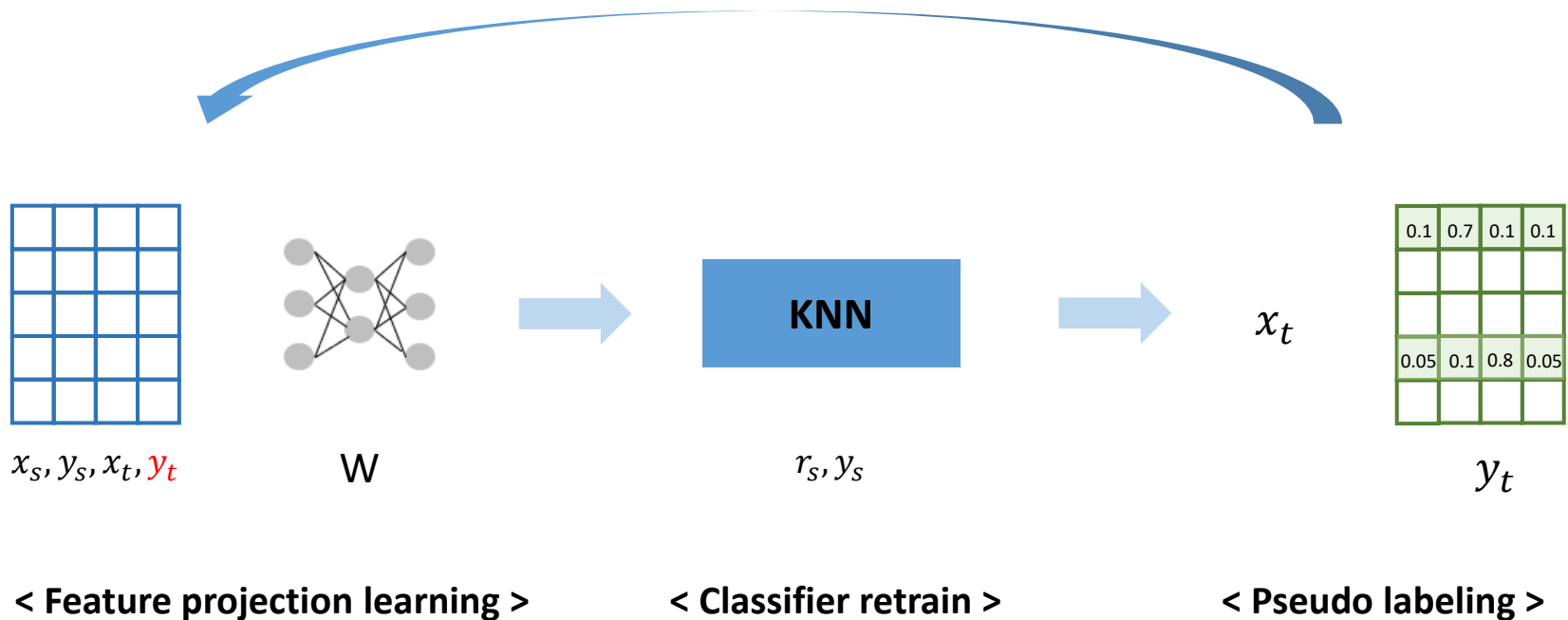


❖ PACET(Progressive leArning with Confidence-wEighted Targets)

- Target pseudo labeling에 불확실성을 반영
- within- / cross- domain relation 반영한 progressive learning 방법론 제안
- Joint distribution adaptation을 통해 discriminative cross-domain structure 구축

❖ Framework

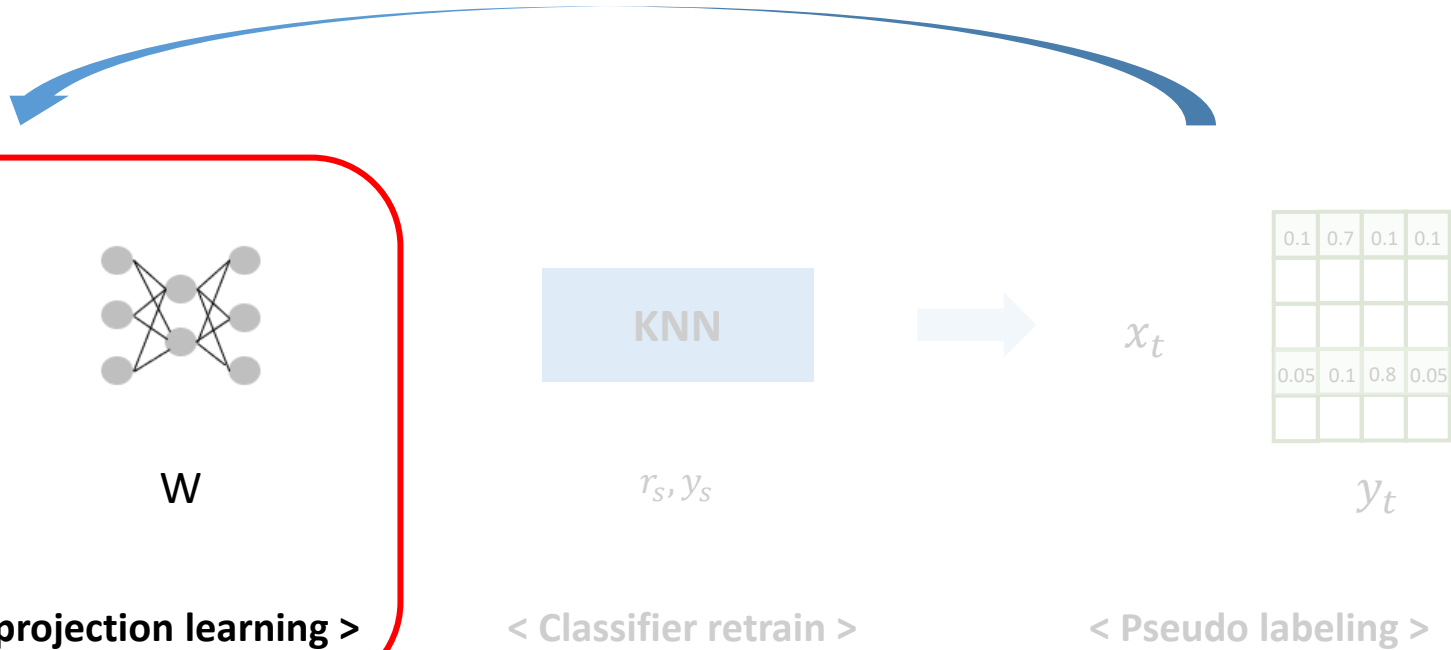
- 처음에는 source dataset을 통해 학습된 classifier로 target dataset pseudo labeling
- Target y 에 대한 확률 값들 중 상위 값(Easy)에 대한 것만 pseudo labeling -> 불확실성 반영



방법론

❖ Framework

- 처음에는 source dataset을 통해 학습된 classifier로 target dataset pseudo labeling
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❖ PACET(Progressive leArning with Confidence-wEighted Targets)

- Joint Distribution Discrepancy
- Cross-Domain Local Structure
- Intra-class variance and total variance

$$\left\| \frac{1}{n_s} \sum_{i=1}^{n_s} W^T x_i - \frac{1}{n_t} \sum_{j=n_s+1}^n W^T x_j \right\|_2^2 + \frac{1}{C} \sum_{c=1}^C \|W^T e_c^s - W^T e_c^t\|_2^2,$$

Source, target 간
 전체적인 차이

Source, target 간
 class별 차이

$$e_c^s = \sum_{i=1}^{n_s} x_i I(y_i, c) / n_s^c$$

$$e_c^t = \sum_{j=n_s+1}^n x_j I(y_j, c) / n_t^c$$

❖ PACET(Progressive leArning with Confidence-wEighted Targets)

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Target data와 그 class와 다른 class 중 가장 가까운 class에
해당하는 source data의 중심과의 거리

$$\sum_{j=n_s+1}^n \|W^T x_j - W^T e_{y_j}^s\|_2^2 - \|W^T x_j - W^T e_{z_j}^s\|_2^2,$$

Target data와 그 class에 해당하는
source data의 중심과의 거리

❖ PACET(Progressive leArning with Confidence-wEighted Targets)

- Joint Distribution Discrepancy
- Cross-Domain Local Structure
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$$\sum_{i=1}^{n_s} \left\| W^T x_i - W^T e_{y_i}^s \right\|_2^2 + \sum_{j=n_s+1}^n \left\| W^T x_j - W^T e_{y_j}^t \right\|_2^2, \quad \text{Intra-class variance}$$

Source data와 그 class의 중심과의 거리
Target data와 그 class의 중심과의 거리

$$\text{and} \quad \sum_{i=1}^n \left\| W^T x_i - \frac{1}{n} W^T \sum_{q=1}^n x_q \right\|_2^2. \quad \text{Total variance}$$

❖ PACET(Progressive leArning with Confidence-wEighted Targets)

• Joint Distribution

$$\left\| \frac{1}{n_s} \sum_{i=1}^{n_s} W^T x_i - \frac{1}{n_t} \sum_{j=n_s+1}^n W^T x_j \right\|_2^2 + \frac{1}{C} \sum_{c=1}^C \|W^T e_c^s - W^T e_c^t\|_2^2, \quad (1)$$

• Cross-Domain Loss

• Intra-class variance

$$\sum_{j=n_s+1}^n \|W^T x_j - W^T e_{y_j}^s\|_2^2 - \|W^T x_j - W^T e_{z_j}^s\|_2^2, \quad (2)$$

$$\sum_{i=1}^{n_s} \|W^T x_i - W^T e_{y_i}^s\|_2^2 + \sum_{j=n_s+1}^n \|W^T x_j - W^T e_{y_i}^t\|_2^2, \quad (3)$$

Intra-class variance

and $\sum_{i=1}^n \left\| W^T x_i - \frac{1}{n} W^T \sum_{q=1}^n x_q \right\|_2^2$.

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Total variance

최종 Optimization

$$(X\tilde{M}X^T + \lambda I_k)W = \Psi \cdot XHX^T W.$$