

AutoML Challenge: AutoML Framework

Using Random Space Partitioning Optimizer



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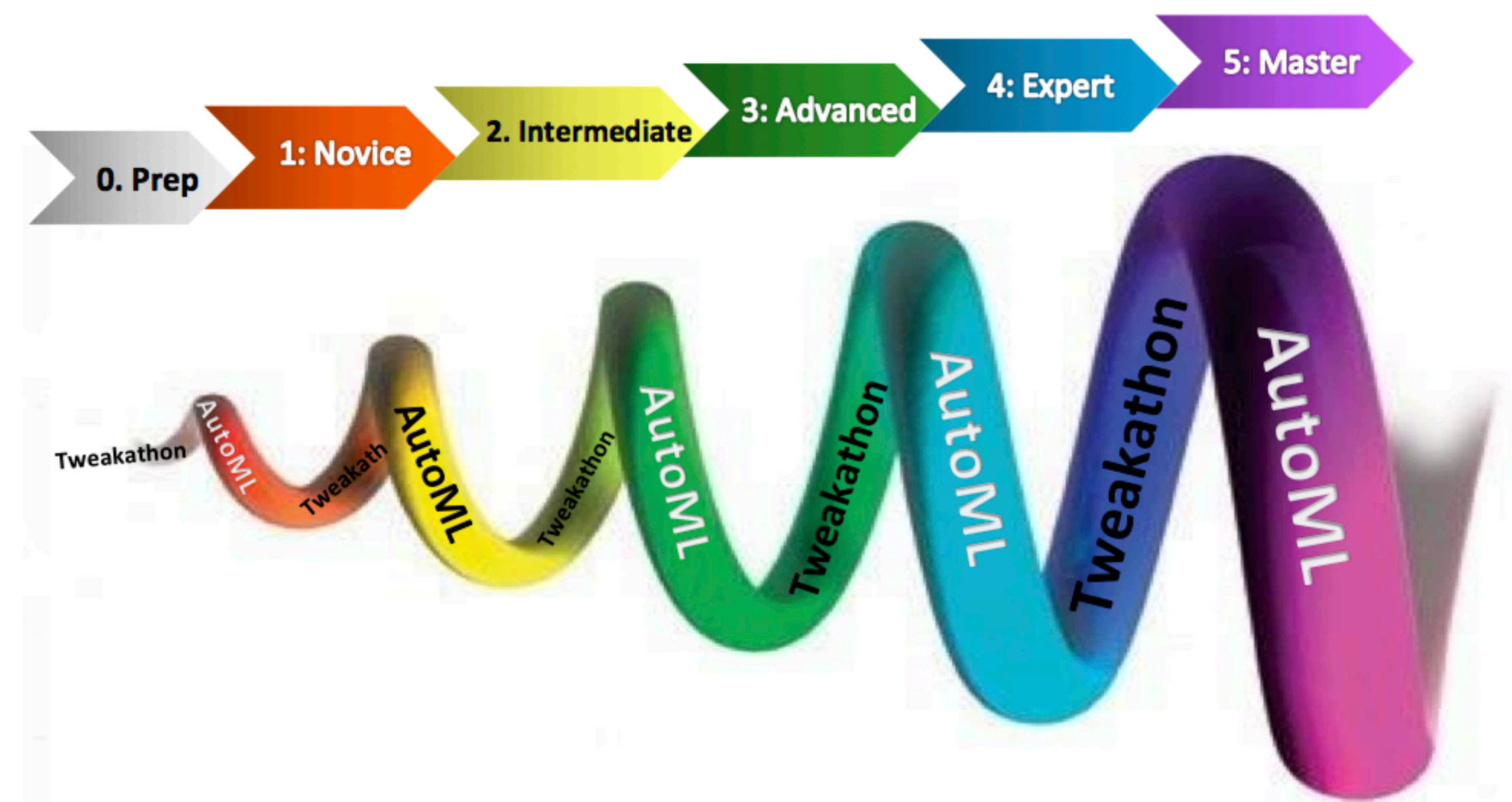
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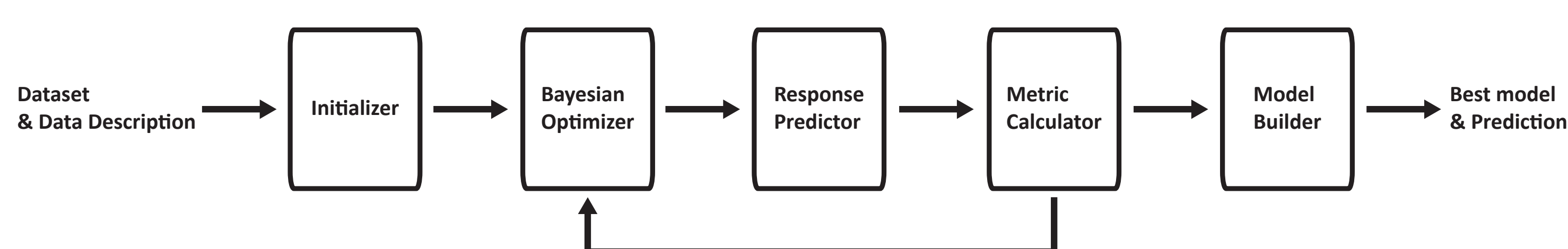
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AutoML Challenge (Guyon *et al.*, 2015, 2016)

- Started in December 2014
- 5 rounds, excluding round 0
 - Binary classification / Multi-class classification / Multi-label classification / Regression
- 3 phases per each round
 - AutoML / Tweakathon / Final



Our Architecture



- Five components; meta-learning initializer, Bayesian optimizer, response predictor, metric calculator, and model builder
- Meta-learning initializer
 - Referred from auto-sklearn (Feurer *et al.*, 2015)
- Bayesian optimizer
 - Mondrian forests optimizer

Mondrian Forests Optimizer

Algorithm 1: Mondrian Forests Optimizer

Input: $\mathcal{D} = \{(\mathbf{x}_i, y_i)\}_{i=1}^N$ where $\mathbf{x}_i \in \mathcal{ACS}$ and y_i is sampled from the performance measure, and Time budget \mathcal{T}
Output: $\mathbf{x}_{best} \in \mathcal{ACS}$

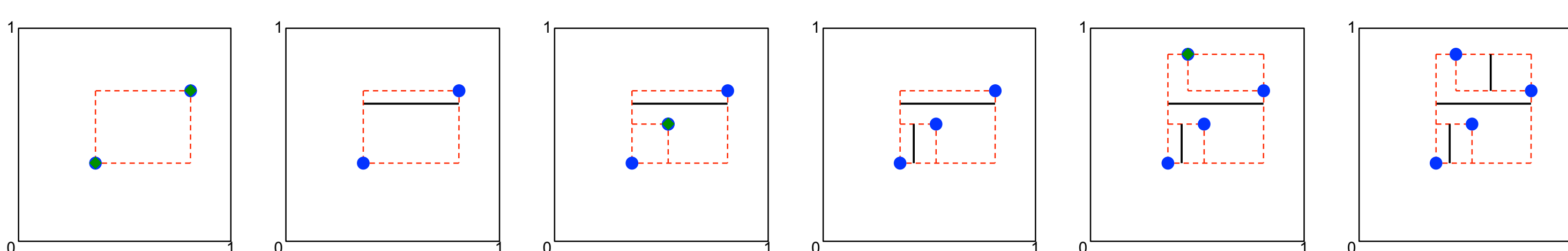
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1  $\mathcal{MF} = \text{None}$ 
2 for  $t < \mathcal{T}$  do
3   if  $\mathcal{MF} == \text{None}$  then
4     Build Mondrian forests,  $\mathcal{MF}$  for  $\mathcal{D}$ 
5   else
6     Extend  $\mathcal{MF}$  with  $\{(\mathbf{x}_{new,j}, y_{new,j})\}_{j=1}^K$ 
7   end
8   Draw seed configurations  $\in \mathcal{ACS}$  of local search for min_for_search times
9   Search the neighbors of seed configurations and find the candidates, whose responses of the acquisition function are higher
10  Merge the randomly sampled configurations  $\in \mathcal{ACS}$  with the candidates queried from the acquisition function
11  Update the best K configurations,  $\{(\mathbf{x}_{new,j}, y_{new,j})\}_{j=1}^K$  into  $\mathcal{D}$ 
12 end
13 return  $\mathbf{x}_{best} \in \mathcal{ACS}$  where  $\mathbf{x}_{best}$  is the configuration which has the largest  $y_i$  of  $(\mathbf{x}_i, y_i) \in \mathcal{D}$ 
```

- Random space partitioning optimizer
- Extended from Mondrian forests regression
- Handle all variables such as categorical and numerical variables
- Run on both Mondrian forests optimizer and actual response sampler in parallel

The Based System, *auto-sklearn* and Its Characteristics

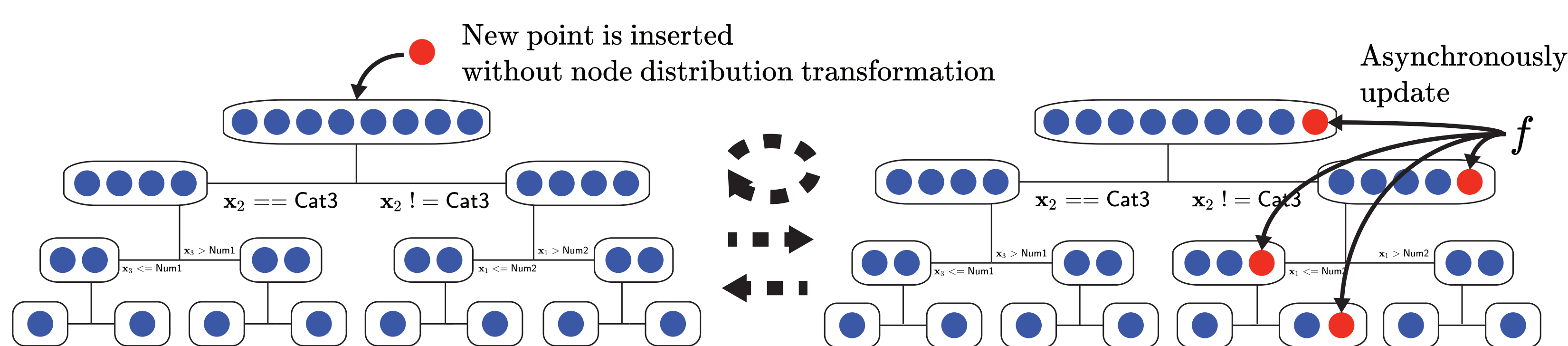
- Four components; meta-learning initializer, Bayesian optimizer, machine learning framework, and ensemble builder
- Based on scikit-learn library
- Optimized by SMAC (Hutter *et al.*, 2010)
 - Bayesian optimizer using random forests
 - Heuristic uncertainty estimation
 - Tree rebuilding is needed

Mondrian Forests Regression



- Introduced by Lakshminarayanan *et al.* (2016)
- An ensemble of probabilistic generalized k-d trees
- A restriction of a Mondrian process (Roy and Teh, 2008)
- A predictive label distribution of each tree is

$$p_{T_m}(y|\mathbf{x}_{\text{test}}, \mathcal{D}_{1:N}) = \sum_{j \in \text{path}(\text{leaf}(\mathbf{x}_{\text{test}}))} w_{mj} \mathcal{N}(y|\mu_{mj}, \sigma_{mj}^2)$$



AutoML Challenge Results

Team	Final3 Rank	Team	Final4 Rank	Team	AutoML5 Rank
aad.freiburg	1 (1.80)	aad.freiburg	1 (1.60)	aad.freiburg	1 (1.60)
djajetic	2 (2.00)	ideal.intel.analytics	2 (3.60)	djajetic	2 (2.60)
ideal.intel.analytics	3 (3.80)	abhishek4	3 (5.40)	postech.mlg_exbrain	3 (4.60)
asml.intel.com	3 (3.80)	postech.mlg_exbrain	4 (5.80)		
postech.mlg_exbrain	4 (5.40)				

Further Works and Conclusions

- Extend Mondrian forests optimizer to more straightforward assumption of Mondrian processes.
- Compare our system on a single machine and multiple machines
- Since AutoML is an online and sequential problem, Mondrian forests optimizer is proper to solve this problem.

Our System on GitHub

- <https://github.com/postech-mlg-exbrain/AutoML-Challenge>

References

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