Python Tutorial

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What is Python?

- 1. Python is **Interpreted** Python is processed at runtime by the interpreter. You do not need to compile your program before executing it. This is similar to PERL and PHP.
- 2. Python is **Interactive** You can actually sit at a Python prompt and interact with the interpreter directly to write your programs.
- 3. Python is **Object-Oriented** Python supports Object-Oriented style or technique of programming that encapsulates code within objects.
- 4. Python is a **Beginner's Language** Python is a great language for the beginner-level programmers and supports the development of a wide range of applications from simple text processing to WWW browsers to games.

Difference between interpreter and compiler:

https://www.programiz.com/article/difference-compiler-interpreter

(The following material refers to the following link:

https://cs231n.github.io/python-numpy-tutorial/#python-functions)

Basic Syntax:

Indentation:

Right way:

```
if True:
    print "True"
else:
    print "False"
```

Wrong way:

```
if True:
print "Answer"
print "True"
else:
print "Answer"
print "False"
```

Comments:

This is a comment

Basic Data Type:

```
Numbers: (no x++ and x--!)
       x = 3
       print(type(x)) # Prints "<class 'int'>"
       print(x) # Prints "3"
       print(x + 1) # Addition; prints "4"
       print(x - 1) # Subtraction; prints "2"
       print(x * 2) # Multiplication; prints "6"
       print(x ** 2) # Exponentiation; prints "9"
       x += 1
       print(x) # Prints "4"
       x *= 2
       print(x) # Prints "8"
       y = 2.5
       print(type(y)) # Prints "<class 'float'>"
       print(y, y + 1, y * 2, y ** 2) # Prints "2.5 3.5 5.0 6.25"
Booleans:
       t = True
       f = False
       print(type(t)) # Prints "<class 'bool'>"
       print(t and f) # Logical AND; prints "False"
       print(t or f) # Logical OR; prints "True"
       print(not t) # Logical NOT; prints "False"
       print(t != f) # Logical XOR; prints "True"
Strings:
       hello = 'hello' # String literals can use single quotes
       world = "world" # or double quotes; it does not matter.
       print(hello) # Prints "hello"
       print(len(hello)) # String length; prints "5"
       hw = hello + ' ' + world # String concatenation
       print(hw) # prints "hello world"
       hw12 = '%s %s %d' % (hello, world, 12) # sprintf style string formatting
       print(hw12) # prints "hello world 12"
       (Some functions):
       s = "hello"
       print(s.capitalize()) # Capitalize a string; prints "Hello"
```

More is here: https://docs.python.org/3.5/library/stdtypes.html#string-methods

Containers:

Python includes several built-in container types: lists, dictionaries, sets, and tuples. Here I will emphasis the usage of **list**.

Lists

A list is the Python equivalent of an array, but is **resizeable** and can contain **elements of different types**:

```
xs = [3, 1, 2] # Create a list
print(xs, xs[2]) # Prints "[3, 1, 2] 2"
print(xs[-1]) # Negative indices count from the end of the list; prints "2"
xs[2] = 'foo' # Lists can contain elements of different types
print(xs) # Prints "[3, 1, 'foo']"
xs.append('bar') # Add a new element to the end of the list
print(xs) # Prints "[3, 1, 'foo', 'bar']"
x = xs.pop() # Remove and return the last element of the list
print(x, xs) # Prints "bar [3, 1, 'foo']"
```

More is here: https://docs.python.org/3.5/tutorial/datastructures.html#more-on-lists

(Slicing:)

```
nums = list(range(5)) # range is a built-in function that creates a list of integers

print(nums) # Prints "[0, 1, 2, 3, 4]"

print(nums[2:4]) # Get a slice from index 2 to 4 (exclusive); prints "[2, 3]"

print(nums[2:]) # Get a slice from index 2 to the end; prints "[2, 3, 4]"

print(nums[:2]) # Get a slice from the start to index 2 (exclusive); prints "[0, 1]"

print(nums[:]) # Get a slice of the whole list; prints "[0, 1, 2, 3, 4]"

print(nums[:-1]) # Slice indices can be negative; prints "[0, 1, 2, 3]"

nums[2:4] = [8, 9] # Assign a new sublist to a slice

print(nums) # Prints "[0, 1, 8, 9, 4]"
```

Careful: Python has different indexing with Matlab. In matlab, indexing with 2:4 means 2, 3, 4. In Python, indexing with 2:4 means 2, 3.

```
(Looping:)
animals = ['cat', 'dog', 'monkey']
for animal in animals:
    print(animal)
# Prints "cat", "dog", "monkey", each on its own line.
```

Functions:

Python functions are defined using the **def** keyword.

```
def sign(x):
    if x > 0:
        return 'positive'
    elif x < 0:
        return 'negative'
    else:
        return 'zero'

for x in [-1, 0, 1]:
    print(sign(x))
# Prints "negative", "zero", "positive"</pre>
```

Here is a template for you to start with Python code:

```
def main():
    print 'hello world!'

If __name__ == '__main__'
main()
```

Numpy:

In order to use numpy library, you must add import numpy **as** np at the front of your code. (Just like other library)

```
import numpy as np
a = np.array([1, 2, 3]) # Create a rank 1 array
print(type(a)) # Prints "<class 'numpy.ndarray'>"
print(a.shape) # Prints "(3,)"
```

```
print(a[0], a[1], a[2]) # Prints "1 2 3"
      a[0] = 5 # Change an element of the array
      print(a)
                       # Prints "[5, 2, 3]"
      b = np.array([[1,2,3],[4,5,6]]) # Create a rank 2 array
      print(b.shape) # Prints "(2, 3)"
      print(b[0, 0], b[0, 1], b[1, 0]) # Prints "1 2 4"
Array:
      Numpy provides lots of ways to create special matrices:
      import numpy as np
      a = np.zeros((2,2)) # Create an array of all zeros
      print(a) # Prints "[[ 0. 0.]
         # [ 0. 0.]]"
      b = np.ones((1,2)) # Create an array of all ones
      print(b) # Prints "[[ 1. 1.]]"
      c = np.full((2,2), 7) # Create a constant array
      print(c) # Prints "[[ 7. 7.]
              # [7. 7.]]"
      d = np.eye(2) # Create a 2x2 identity matrix
      print(d) # Prints "[[ 1. 0.]
               # [ 0. 1.]]"
      e = np.random.random((2,2)) # Create an array filled with random values
                         # Might print "[[ 0.91940167 0.08143941]
      print(e)
                      # [ 0.68744134  0.87236687]]"
      (Slicing and Indexing:)
      import numpy as np
      # Create the following rank 2 array with shape (3, 4)
      #[[1 2 3 4]
      # [5 6 7 8]
      # [9 10 11 12]]
      a = np.array([[1,2,3,4], [5,6,7,8], [9,10,11,12]])
```

```
# Use slicing to pull out the subarray consisting of the first 2 rows
# and columns 1 and 2; b is the following array of shape (2, 2):
# [[2 3]
# [6 7]]
b = a[:2, 1:3]
# A slice of an array is a view into the same data, so modifying it
# will modify the original array.
print(a[0, 1]) # Prints "2"
b[0, 0] = 77 # b[0, 0] is the same piece of data as a[0, 1]
print(a[0, 1]) # Prints "77"
More about slicing and indexing here:
https://docs.scipy.org/doc/numpy/reference/arrays.indexing.html
(DataType:)
import numpy as np
x = np.array([1, 2]) # Let numpy choose the datatype
print(x.dtype) # Prints "int64"
x = np.array([1.0, 2.0]) # Let numpy choose the datatype
print(x.dtype) # Prints "float64"
x = np.array([1, 2], dtype=np.int64) # Force a particular datatype
                # Prints "int64"
print(x.dtype)
(Array Math:)
import numpy as np
x = np.array([[1,2],[3,4]], dtype=np.float64)
y = np.array([[5,6],[7,8]], dtype=np.float64)
# Elementwise sum; both produce the array
# [[ 6.0 8.0]
# [10.0 12.0]]
print(x + y)
print(np.add(x, y))
# Elementwise difference; both produce the array
```

```
# [[-4.0 -4.0]
      # [-4.0 -4.0]]
      print(x - y)
      print(np.subtract(x, y))
      # Elementwise product; both produce the array
      # [[ 5.0 12.0]
      # [21.0 32.0]]
      print(x * y)
      print(np.multiply(x, y))
      # Elementwise division; both produce the array
      # [ 0.42857143 0.5 ]]
      print(x / y)
      print(np.divide(x, y))
      # Elementwise square root; produces the array
      # [[ 1. 1.41421356]
      # [ 1.73205081 2. ]]
      print(np.sqrt(x))
      Careful: * in numpy is element-wise multiplication. You must use dot function to perform
matrix multiplication:
      import numpy as np
      x = np.array([[1,2],[3,4]])
      y = np.array([[5,6],[7,8]])
      v = np.array([9,10])
      w = np.array([11, 12])
      # Inner product of vectors; both produce 219
      print(v.dot(w))
      print(np.dot(v, w))
      # Matrix / vector product; both produce the rank 1 array [29 67]
      print(x.dot(v))
      print(np.dot(x, v))
      # Matrix / matrix product; both produce the rank 2 array
```

```
# [[19 22]
# [43 50]]
print(x.dot(y))
print(np.dot(x, y))
```

Careful: If you assign matrix A = matrix B, what you change on matrix B will have the same effect on matrix A!

```
>>> x = np.array([1, 2, 3])

>>> y = x

>>> z = np.copy(x)

Note that, when we modify x, y changes, but not z:

>>> x[0] = 10

>>> x[0] == y[0]

True

>>> x[0] == z[0]

False
```

Tips for Debugging and Programming:

1. Think carefully and plan things out before coding. (flow chart, pseudo code and simple graph)

ALGORITHM 1

- 1. Given n sensor readings from m sensors
- 2. Convert sensor readings into sensor motion $T_{i,k}^{i,k-1}$. Each transformation has the associated variance $(\sigma_{i,k}^{i,k-1})^2$
- 3. Set one of the lidar or nav sensors to be the base sensor B
- 4. Convert $R_{i,k}^{i,k-1}$ to angle-axis form $A_{i,k}^{i,k-1}$

For i = 1...m

5. Find a coarse estimate for R_i^B by using the Kabsch algorithm to solve $A_{B,k}^{B,k-1}=R_B^iA_{i,k}^{i,k-1}$ weighting the elements

$$A_{B,k}^{B,k-1} = R_B^i A_{i,k}^{i,k-1}$$
 weighting the element by $W_k = (max((\sigma_{i,k}^{i,k-1})^2) + max((\sigma_{B,k}^{B,k-1})^2))^{-0.5}$

6. Label all sensor readings over 3σ from the solution outliers

end

7. Find estimate for R_i^B by minimising $\sum_{i=1}^{m} \sum_{j=i}^{m} \sum_{k=2}^{n} \sqrt{Rerr_{ijk}^T \sigma^2 Rerr_{ijk}}$

$$\begin{split} Rerr_{ijk} &= (A_{j,k}^{j,k-1} - R_j^i A_{i,k}^{i,k-1}) \\ \sigma^2 &= (\sigma_{j,k}^{j,k-1})^2 + R_j^i (\sigma_{i,k}^{i,k-1})^2 (R_j^i)^T \\ \text{using the coarse estimate as an initial guess in the optimisation.} \end{split}$$

For i = 1,...,m 8. Find a coarse estimate for t_i^B by solving $t_i^B = (R_{i,k}^{i,k-1} - I)^{-1}(R_i^B t_{B,k}^{B,k-1} - t_{i,k}^{i,k-1})$ and weighting the elements by $W_k = (max((\sigma_{i,k}^{i,k-1})^2) + max((\sigma_{B,k}^{B,k-1})^2))^{-0.5}$

9. Find estimate for t_i^B by minimising $\sum_{i=1}^{m} \sum_{j=i}^{m} \sum_{k=2}^{n} \sqrt{Terr_{ijk}^T \sigma^2 Terr_{ijk}}$

 $Terr_{ijk} = (R_{i,k}^{i,k-1} - I)t_i^j + t_{i,k}^{i,k-1} - R_i^j t_{j,k}^{j,k-1}$ using the coarse estimate as an initial guess in the optimisation.

- 10. Bootstrap sensor readings and re-estimate R_i^B and t_i^B to give variance estimate $(\sigma_i^B)^2$
- 11. Find all sensors that have overlapping field of view
- Use sensor specific metrics to estimate the transformation between sensors with overlapping field of view
- 13. Combine results to give final R_i^B , t_i^B and $(\sigma_i^B)^2$.
- 2. Use comment to track on what you are doing: Writing a function, what do you want the function do? Writing a equation, what do you want the equation to solve? Naming a parameter, what does this parameter represent?
- 3. Try to learn a good coding style: Make your code readable: Naming your variables and functions with reason. Use width, height, length, weight and etc instead of x,y,z,a,b,c. Good code should have very short and clear main function with just a few functions.
- 4. Devil is in the detail! Careful with typo, mis-sized matrix. Check everything and print everything.
 - 5. Your code is not running or doing something weird, Just google it.
 - 6. No one can get their code working in one shot, be patient.
 - 7. Start early! Start early! Start early!