Numerical Analysis

<Home Assignment #1>

(**Deadline: April 17, 2024**)

Figure 1 shows a uniform beam subject to a linearly increasing distributed load. The equation for the resulting elastic curve is

$$y = \frac{w_0}{120EIL} \left(-x^5 + 2L^2 x^3 - L^4 x \right) \tag{1}$$

Use <u>following root finding methods</u> to determine the point of maximum deflection (i.e., the value of x where dy/dx = 0). Then substitute this value into Eq. (1) to determine the value of the maximum deflection. Use the following parameter values in your computation: L = 600 cm, $E = 50,000 \text{ kN/cm}^2$, $E = 50,000 \text{ cm}^4$, and $E = 50,000 \text{ kN/cm}^2$.

A) Bracketing method

Problem A1: Use the **bisection** method to determine the point of maximum deflection.

B) Open method

Problem B1: Use the **Newton Raphson** method to determine the point of maximum deflection.

Problem B2: Use the **secant** method to determine the point of maximum deflection.

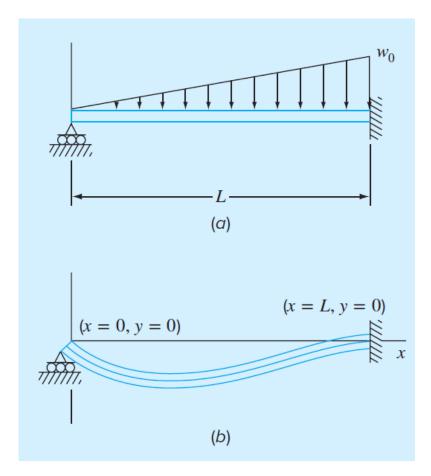


Figure 1