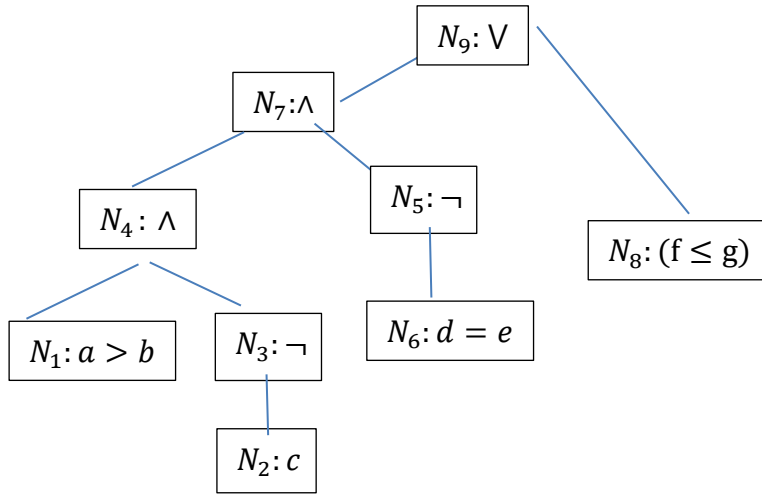


1. a) We need a test case in which  $x = y$  and  $x + y$  is not equal to  $x * y$ . Such a case can be  $x=3, y=3$ , or  $x=-1, y=-1$ .

b) Again, we need a test case in which  $x = y$  and  $x + y$  is not equal to  $x * y$ . Such a case can be  $x=3, y=3$  or  $x=-1, y=-1$

c) Again, we need a test case in which  $x = y$  and  $x + y$  is not equal to  $x * y$ . Such a case can be  $x=3, y=3$  or  $x=-1, y=-1$

2.  $(a > b) \wedge \neg c \wedge \neg(d = e) \vee (f \leq g)$



$$S_{N1}^T = \{>\}, S_{N1}^F = \{=, <\}, \quad S_{N2}^T = \{T\}, S_{N2}^F = \{F\}, \quad S_{N3}^T = \{F\}, S_{N3}^F = \{T\}$$

$$S_{N4}^T = S_{N1}^T \otimes S_{N3}^T = \{> F\}, S_{N4}^F = (S_{N1}^F \times \{t_{N3}\}) \cup (\{t_{N1}\} \times S_{N3}^F) = \{= F, < F, > T\}$$

$$S_{N6}^T = \{=\}, S_{N6}^F = \{<, >\}, \quad S_{N5}^T = \{<, >\}, S_{N5}^F = \{=\}$$

$$S_{N7}^T = S_{N4}^T \otimes S_{N5}^T = \{> F <, > F >\}, S_{N7}^F = (S_{N4}^F \times \{t_{N5}\}) \cup (\{t_{N4}\} \times S_{N5}^F) = \{= F <, < F <, > T <, > F =\}$$

$$S_{N8}^T = \{<, =\}, S_{N8}^F = \{>\}$$

$$S_{N9}^F = S_{N7}^F \otimes S_{N8}^F = \{= F <>, < F <>, > T <>, > F = >\}$$

$$S_{N9}^T = (S_{N7}^T \times \{f_{N8}\}) \cup (\{f_{N7}\} \times S_{N8}^T) = \{> F <>, > F >>, = F <<\}$$

b.

$t_1: \{ a=1, b=1, c=F, d=0, e=1, f=1, g=0, ER=False \}$ ,

$t_2: \{ a=0, b=1, c=F, d=0, e=1, f=1, g=0, ER=False \}$ ,

$t_3: \{ a=1, b=0, c=T, d=0, e=1, f=1, g=0, ER=False \}$ ,

$t_4: \{ a=1, b=0, c=F, d=0, e=0, f=1, g=0, ER=False \}$ ,

$t_5: \{ a=1, b=0, c=F, d=0, e=1, f=1, g=0, ER=True \}$ ,

$t_6: \{ a=1, b=0, c=F, d=1, e=0, f=1, g=0, ER=True \}$ ,

$t_7: \{ a=0, b=0, c=F, d=0, e=1, f=0, g=1, ER=True \}$

3. a)  $T = \{ t_1: (a=2, b=0, x=4) \}$  will cover all the statements.  
 b)  $t_2: (a=1, b=1, x=0)$  will add decision coverage.  
 c)  $t_1$  and  $t_2$  also have condition coverage

4.

LCSAJ	Start	End	Jump
1	1	3	11
2	11	11	Exit
3	1	6	3
4	3	3	11
5	1	5	7
6	7	8	3
7	3	6	3
8	3	5	7

- $t_1: \{ a=5, b=5 \}$  will cover LCSAJs 1,2  
 $t_2: \{ a=6, b=2 \}$  will cover LCSAJs 3, 7, 4, 2  
 $t_3: \{ a=2, b=6 \}$  will cover LCSAJs 5, 6, 8, 6, 4, 2