

Push the Limit of Highly Accurate Ranging on Commercial UWB Devices

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Background

Ranging plays a crucial role in many sensing applications

- Indoor localization
- In-air handwriting recognition
- Device tracking in virtual reality (VR)



Indoor localization



In-air handwriting



Device tracking in VR

Limitations of existing techniques

Existing methods cannot achieve robust and fine-grained ranging



- Limited bandwidth, low multipath resolution
- Decimeter-level accuracy

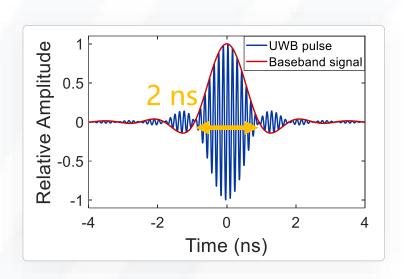
Acoustic signals



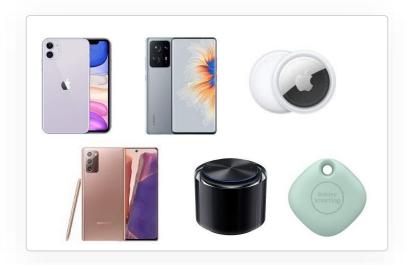
- Rapid attenuation (i.e. < 1 m)
- Sensitive to environmental factors (e.g. temperature, occlusion)

Ultra-Wideband (UWB): A new opportunity

- ☐ UWB offers cm-level ranging accuracy, owing to its large bandwidth
- UWB modules are widely adopted on consumer-level electronics
- The ecosystem of UWB is well established



Baseband waveform of UWB signal



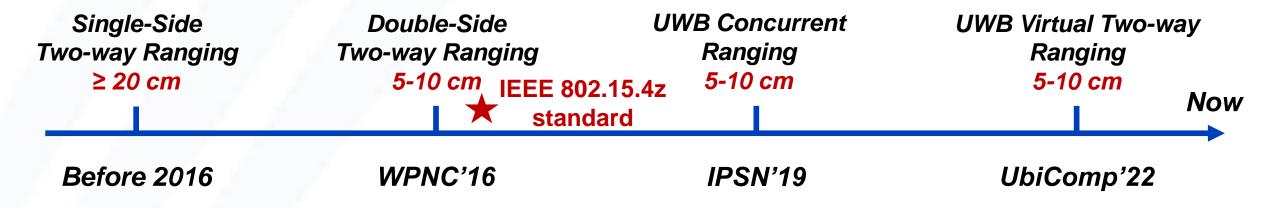
Widely adopted on consumerlevel electronics



Well-established standards

Limitations of existing UWB ranging solutions

- Existing solutions are mainly based on Time of Arrival (ToA) estimation
- ☐ The ranging accuracy is constrained to cm-level due to the limited timestamp resolution of commercial UWB devices

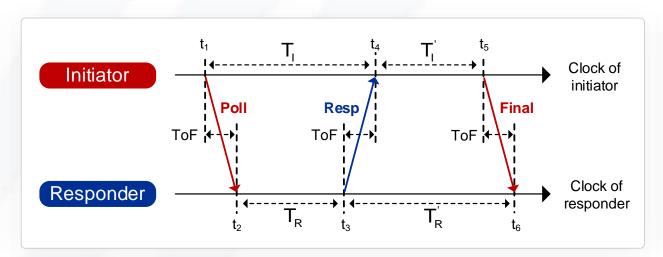


- Modern sensing applications typically require sub-cm-level accuracy
 - In-air handHöw to further push the limit of
 - Trajectory trackUWB/ranging accuracy?

UWB Primer

Principle of traditional UWB ranging (DS-TWR)

- □ IEEE 802.15.4z standard employs DS-TWR scheme to remove clock skew in UWB ranging
- ☐ The ranging devices sequentially exchange 3 UWB messages, and extract 6 timestamps for ToF calculation
- □ Consider a bandwidth of 500 MHz and SNR of 10 dB, the CRLB for TWR is about 2 cm



$$var(ToF) \geq \frac{1}{8\pi^2 c\eta B^2}$$

C: Speed of light η: SNRB: Signal bandwidth

DS-TWR scheme^[1]

CRLB for DS-TWR accuracy^[2]

[1] Dries Neirynck, Eric Luk, and Michael McLaughlin. "An alternative double-sided two-way ranging method." IEEE WPNC, 2016. [2] WC Chung, and Dong Ha. "An accurate ultra wideband (UWB) ranging for precision asset location." IEEE Conference on Ultra Wideband Systems and Technologies, 2003. IEEE, 2003.

Ranging with UWB phase

■ Opportunity: Commercial UWB devices can report fine-grained phase estimates, which is related to the distance between ranging devices

$$\Phi = \arctan \frac{imag(h_{los})}{real(h_{los})} = \left(-2\pi \frac{d}{\lambda}\right) mod \ 2\pi$$

■ We can thus obtain the distance using UWB phase estimates

$$d = \left(\frac{\Phi}{2\pi} + N\right) \lambda$$

Integer ambiguity Wavelength number

□ The phase estimates on commercial devices has a precision of 0.003 rad, corresponding to a distance resolution of 0.03 mm at 4.5 GHz

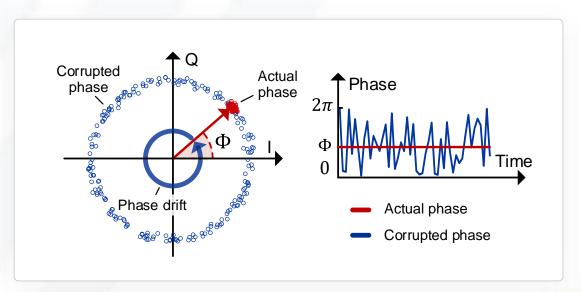
Challenges of ranging with UWB phase

Challenge1: How to remove time-varying phase offset?

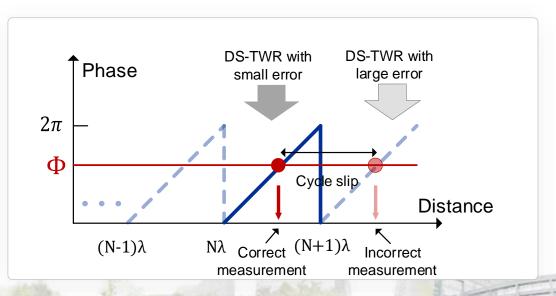
■ Due to the lack of synchronization, the raw extracted UWB phase is corrupted by CFO, PLL initial phase, which change rapidly overtime

Challenge2: How to robustly resolve integer ambiguity?

Due to the phase wrapping issue, the distance measured from UWB phase includes an unknown number of whole wavelengths, which should be correctly resolved



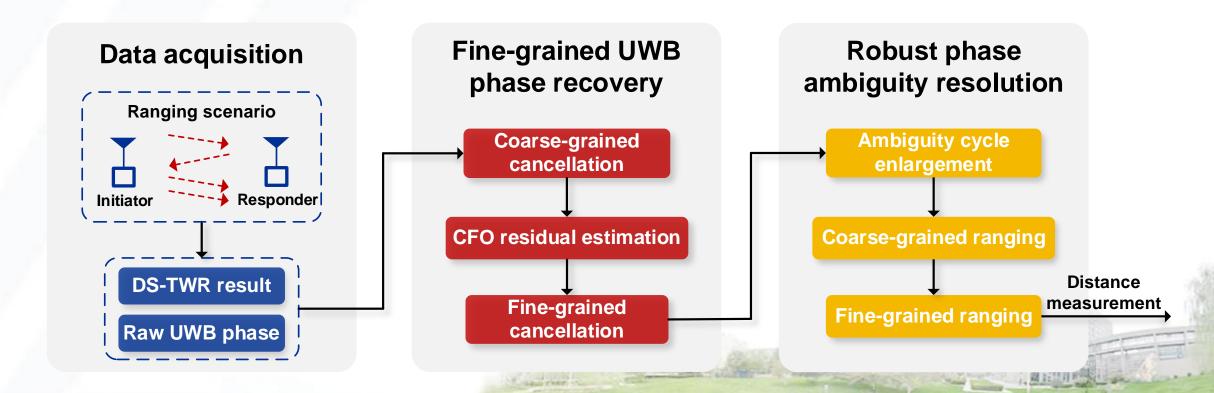
Time-varying phase offset



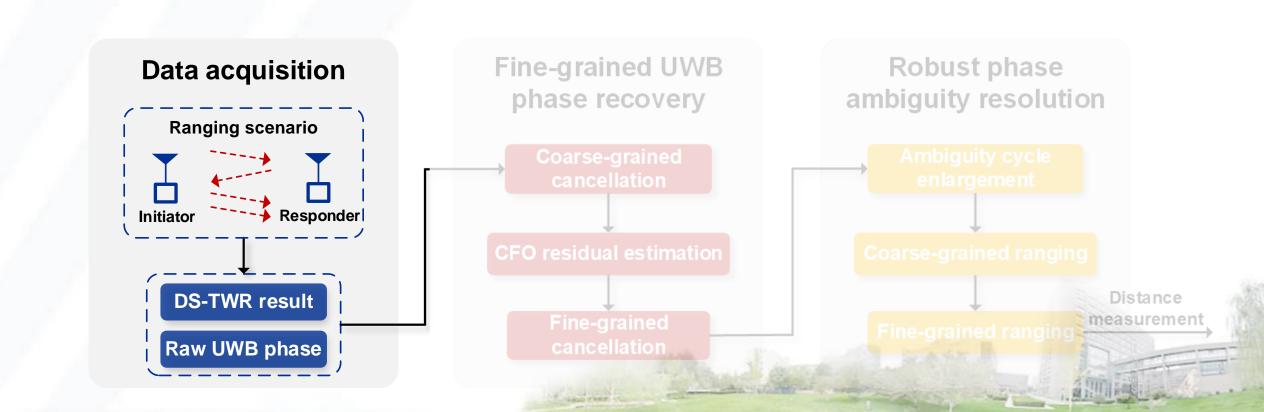
Unknown integer ambiguity

System Design

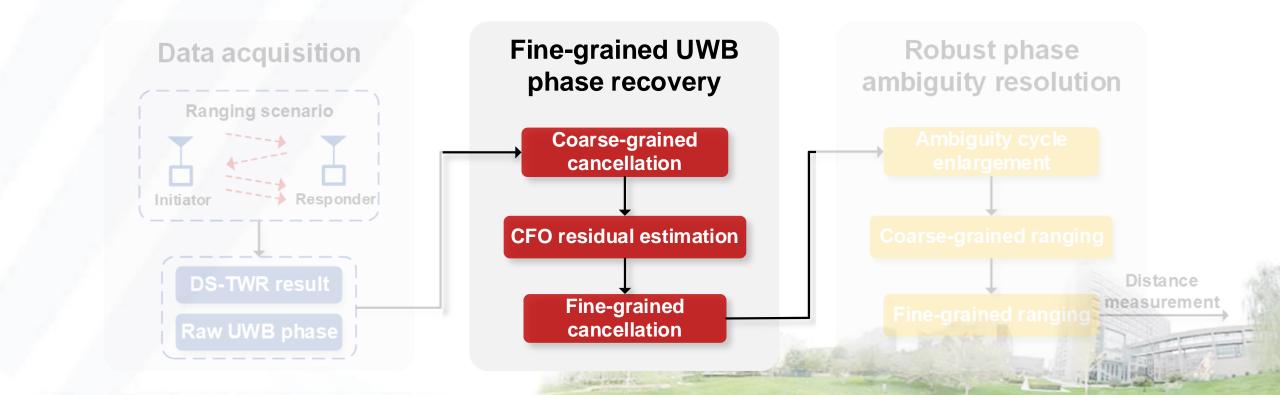
- □ Data acquisition: Obtaining raw UWB estimates (DS-TWR result & phase)
- Phase recovery: Removing time-varying offsets in raw phase estimates
- Integer ambiguity resolution: Resolving ambiguity number and obtain the absolute distance between devices



□ Data acquisition: Obtaining raw UWB estimates (DS-TWR result & phase)

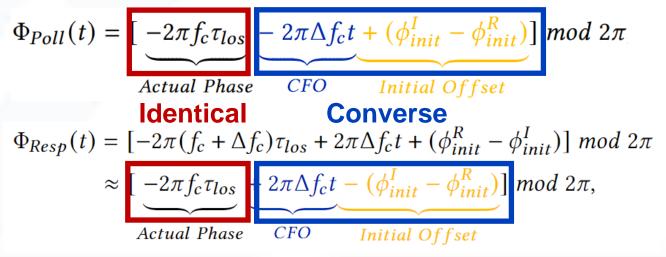


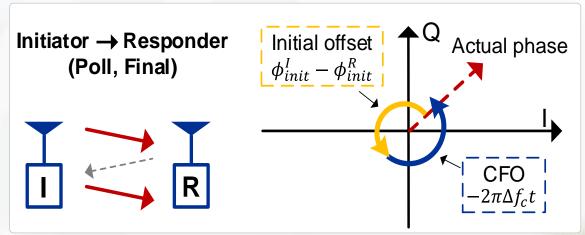
- □ Data acquisition: Obtaining raw UWB estimates (DS-TWR result & phase)
- ☐ Phase recovery: Removing time-varying offsets in raw phase estimates

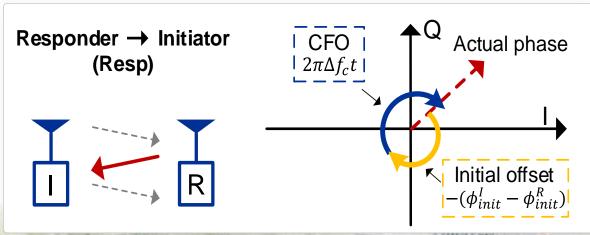


Coarse-grained phase recovery

☐ The bi-directional UWB signals in DS-TWR propagate through the same path and share identical actual phase, but exhibit converse time-varying offsets







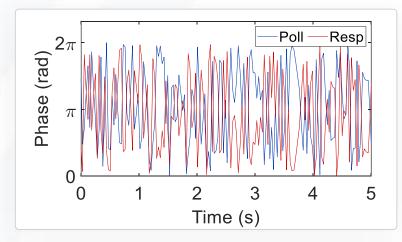
Coarse-grained phase recovery

■ We can thus remove these offsets by adding the phase of bi-directional signals (e.g. Poll and Resp)

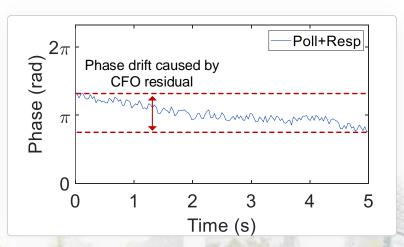
$$\begin{split} \Phi_{Poll}(t_{2}) + \Phi_{Resp}(t_{4}) &= \left[-2\pi f_{c} \tau_{los} - 2\pi f_{c} \tau_{los} - 2\pi \Delta f_{c} t_{2} + 2\pi \Delta f_{c} t_{4} + (\phi_{init}^{I} - \phi_{init}^{R}) - (\phi_{init}^{I} - \phi_{init}^{R}) \right] \ mod \ 2\pi \\ &= \left[-4\pi f_{c} \tau_{los} + 2\pi \Delta f_{c} (t_{4} - t_{2}) \right] \ mod \ 2\pi \\ &= \left[-4\pi f_{c} \tau_{los} + 2\pi \Delta f_{c} (t_{3} - t_{2}) + 2\pi \Delta f_{c} (t_{4} - t_{3}) \right] \ mod \ 2\pi \\ &\approx \left[-4\pi f_{c} \tau_{los} + 2\pi \Delta f_{c} (t_{3} - t_{2}) \right] \ mod \ 2\pi, \end{split}$$

$$CFO \ Residual$$

☐ However, due to the interval between these signals, a small residual term still exists



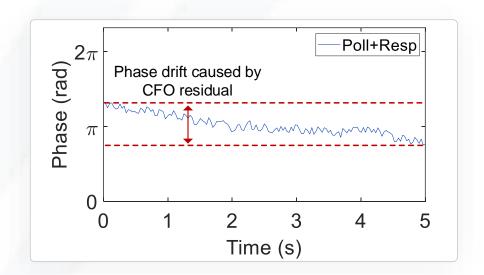
Raw UWB phase estimates



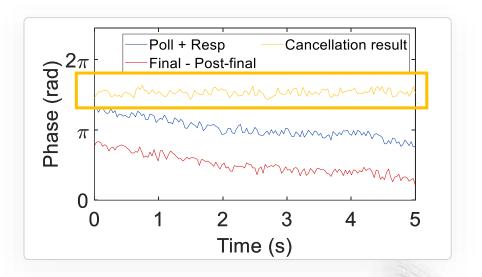
Result of coarse-grained recovery

Fine-grained phase recovery

- Observation: UWB signals with the same propagation direction also share the same actual phase but have different CFO
- We can thus estimate the residual CFO by subtracting the phase of these signals and remove it from coarse-grained result

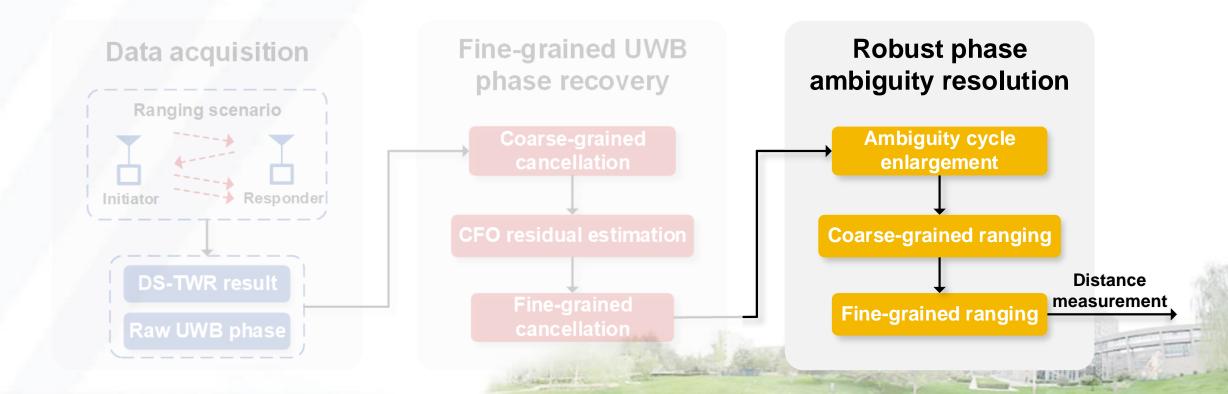


Result of coarse-grained recovery (exhibit long-term drift)



Result of fine-grained recovery (exhibit no long-term drift)

- □ Data acquisition: Obtaining raw UWB estimates (DS-TWR result & phase)
- □ Phase recovery: Removing time-varying offsets in raw phase estimates
- ☐ Integer ambiguity resolution: Resolving ambiguity number and obtain the absolute distance between devices



Enlarging ambiguity cycle with two UWB frequencies

- **Observation:** IEEE 802.15.4 standard divides the UWB band (3-10 GHz) into 15 sub-channels with different center frequencies
- Commercial devices typically support more than two sub-channels (e.g. Ch.1-5 are supported by DW1000)
- Our idea: We find that the phase difference also has a relationship to the distance d, We can thus ranging with the phase difference

$$\Delta \Phi = \Phi_{rec}^{1} - \Phi_{rec}^{2} = \left[-2\pi (f_{eq}^{1} - f_{eq}^{2}) \frac{d}{c} \right] \bmod 2\pi$$

$$d_{diff} = \left(\frac{\Delta\Phi}{2\pi} + N_{diff}\right) \frac{c}{f_{eq}^1 - f_{eq}^2} = \left(\frac{\Delta\Phi}{2\pi} + N_{diff}\right) \lambda_{diff} \qquad \lambda_{diff} = \frac{c}{f_{eq}^1 - f_{eq}^2}$$

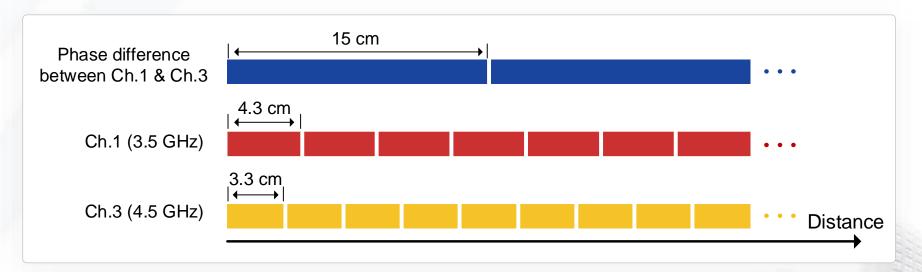
$$\lambda_{diff} = \frac{c}{f_{eq}^1 - f_{eq}^2}$$

Formular of ranging with phase difference

New ambiguity cycle

Enlarging ambiguity cycle with two UWB frequencies

- We perform frequency hooping between UWB Ch.1 and 3 (3.5 and 4.5 GHz)
- ☐ The new ambiguity cycle of ranging result with phase difference is 15 cm, which is much larger than the result of using a single frequency
- Note that DS-TWR typically has a ranging error of less than 10 cm, we can thus safely determine the ambiguity cycle with DS-TWR result



Enlarged ambiguity cycle with phase difference

Demonstration

Push the Limit of Highly-accurate Ranging on Commercial UWB Devices

Conclusion

- We propose a novel approach to cancel phase drift and retrieve UWB phase with high accuracy
- We propose a method to enlarge the ambiguity cycle with phase differences and greatly improving the robustness in phase ambiguity resolution
- We design three real-life applications to demonstrate that the performance of our system significantly outperforms the state-of-the-art in UWB ranging

Thank you! Q & A

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