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function trap0

% Integrate f(x) over [a, b] using composite trapezoidal rule
% Compares computed and exact value
% f(x) given at end of file

a=0; b=3;
exact=0.72732289075;

% calculate integral using composite trapezoidal rule
nk=11;
interv=[10 20 40 80 160 320 640 1280 2560 5120 9714];
fprintf('\n Subintervals    Composite Trapezoidal        Error \n')
for k=1:nk
    n=interv(k);
    % calculate I_T
    I_T(k)=trap_v(a,b,n);
    err(k)=abs(exact-I_T(k));
    fprintf('    n =    %i        I_T = %10.8f        E_T = %8.1e\n',interv(k),I_T(k),err(k));
    pause
end
fprintf('\n')

% function for evaluating y_i
function y_i=trap_v(a,b,n)
xd=linspace(a,b,n+1);
h=xd(2)-xd(1);
sum=0.5*trap_a(a,xd(2),1);
for j=2:n
    sum=sum+trap_a(a,xd(j),j-1);
end
y_i=h*(sum+0.5*trap_a(a,xd(n+1),n));

% function for evaluating v_i
function v_i=trap_a(a,b,n)
xd=linspace(a,b,n+1);
h=xd(2)-xd(1);
sum=0.5*f(xd(1));
for j=2:n
    sum=sum+f(xd(j));
end
v_i=h*(sum+0.5*f(xd(n+1)));

% function a(t)
function a_i=f(x)
a_i=sin(x^4);
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<i>Subintervals</i>	<i>Composite Trapezoidal</i>	<i>Error</i>
$n = 10$	$I_T = 0.55638462$	$E_T = 1.7e-01$
$n = 20$	$I_T = 0.95153832$	$E_T = 2.2e-01$
$n = 40$	$I_T = 0.70335191$	$E_T = 2.4e-02$
$n = 80$	$I_T = 0.72733859$	$E_T = 1.6e-05$
$n = 160$	$I_T = 0.72729059$	$E_T = 3.2e-05$
$n = 320$	$I_T = 0.72731391$	$E_T = 9.0e-06$
$n = 640$	$I_T = 0.72732060$	$E_T = 2.3e-06$
$n = 1280$	$I_T = 0.72732232$	$E_T = 5.8e-07$
$n = 2560$	$I_T = 0.72732275$	$E_T = 1.4e-07$
$n = 5120$	$I_T = 0.72732285$	$E_T = 3.6e-08$
$n = 9714$	$I_T = 0.72732288$	$E_T = 1.0e-08$

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