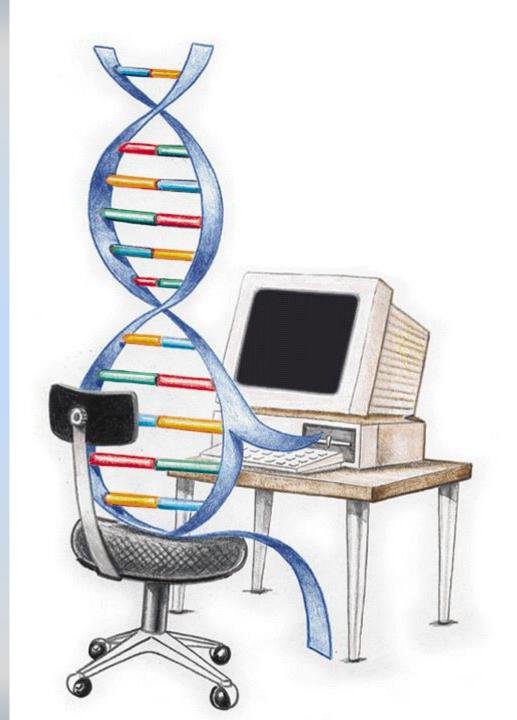
# Nature inspired computing

Prof Marko Robnik Šikonja, PhD November 2014



#### Evolutionary and natural computation

- Many engineering and computational ideas from nature work fantastically!
- Evolution as an algorithm
- Abstraction of the idea:
- progress, adaptation learning, optimization
- Survival of the fittest competition of agents, programs, solutions
- Populations parallelization
- (Over)specialization local extremes

## Template of evolutionary program

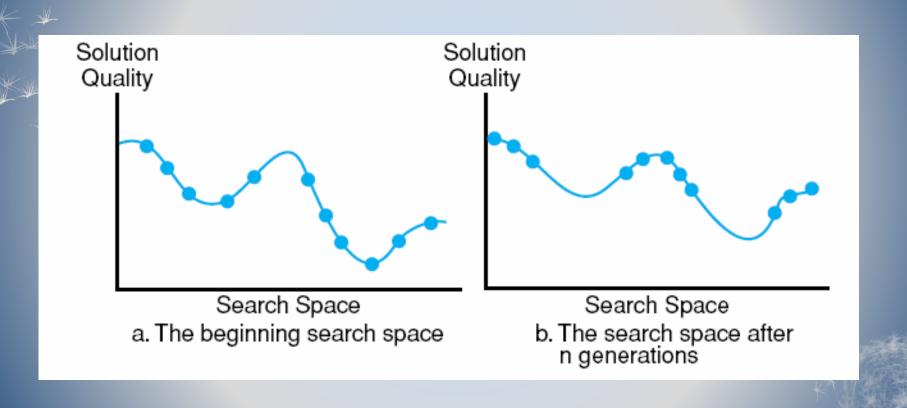
generate a population of agents (objects, data structures)
do {

compute fitness (quality) of the agents select candidates for the reproduction using fitness create new agents by combining the candidates replace old agents with new ones

} while (not satisfied)

immensely general -> many variants

## A result of successful evolutionary program



## Strengths and weaknesses

- \* ...
- no-free-lunch theorem

#### Main approaches

- Genetic algorithms
- Genetic programming
- \* Swarm methods (particles, ants, bees, ...)
- \* Self organized fields,
- \* ....

#### Biological equivalents

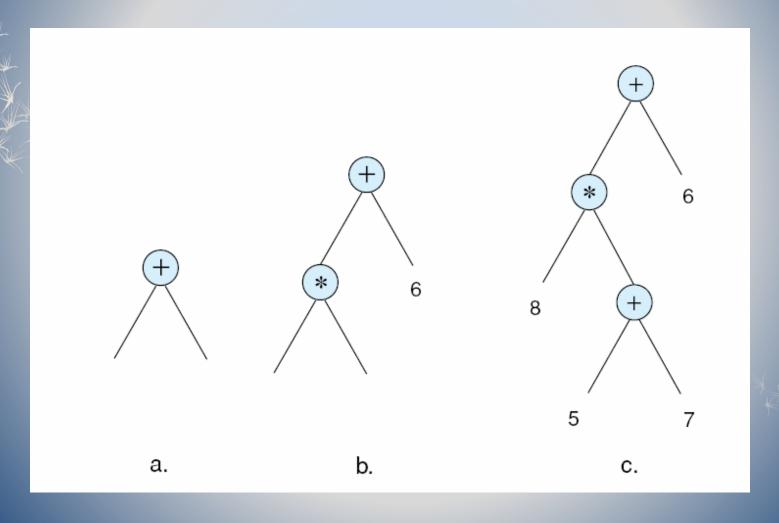
- Gen, allele
- Evolution is a variation of alleles frequencies through time.
- Reproduction, variation (mutation, crossover), selection

#### Evolutionary computation keywords

- Representation: data structures, operations
- Fitness, heuristics
- Population variability
- Local and global extremes
- \* Coevolution
- Variability of fitness function

#### Gen representation

- Bit vector
- Numeric vectors
- Strings
- Permutations
- Trees: functions, expressions, programs
- \* ...



#### Crossover

- Single point/multipoint
- Shall preserve individual objects
  - **Bit representation**

Parents: 1101011100 0111000101

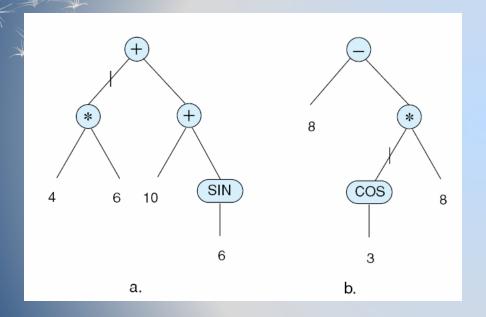
Children: 1101010101 0111001100

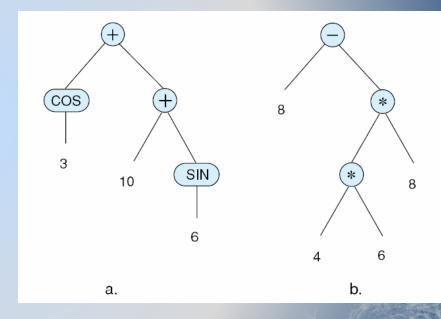
Vector representation

Parents: (6.13, 4.89, 17.6, 8.2) (5.3, 22.9, 28.0, 3.9)

Children: (6.13, 22.9, 28.0, 3.9) (5.3, 4.89, 17.6, 8.2)

#### Crossover on trees





## Gray coding of binary numbers

Keeping similarity

Binary	Gray
0000	0000
0001	0001
0010	0011
0011	0010
0100	0110
0101	0111
0110	0101
0111	0100
1000	1100
1001	1101
1010	1111
1011	1110
1100	1010
1101	1011
1110	1001
1111	1000

#### Adaptive crossover

- Different evolution phases
- Crossover templates
- o first parent, 1 second parent
- Different dynamics of template crossover

	Gene	Template
	1.2 3.4 5.6 4.5 7.9 6.8	
Parent 2	4.7 2.3 1.6 3.2 6.4 7.7	011100
Child 1	$1.2\ 2.3\ 5.6\ 3.2\ 7.9\ 7.7$	010100
Child 2	4.7 3.4 1.6 4.5 6.4 6.8	011101

#### Mutation

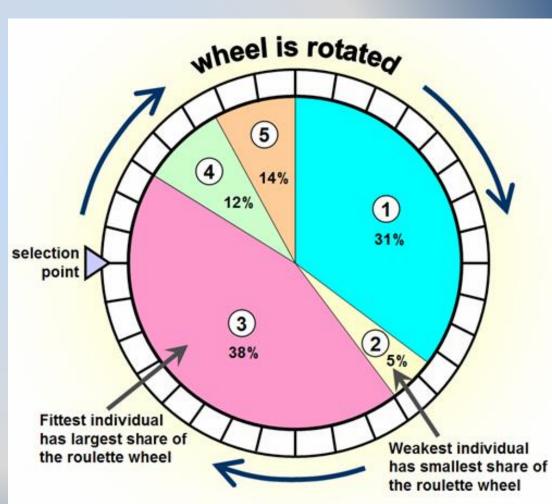
- Adding new information
- \* Random search?
- Binary representation:
  0111001100 --> 0011001100
- Single point/multipoint
- \* Lamarckian

#### **Evolutional** model

- Keeping the good
- Prevent premature convergence
- heterogeneity of population

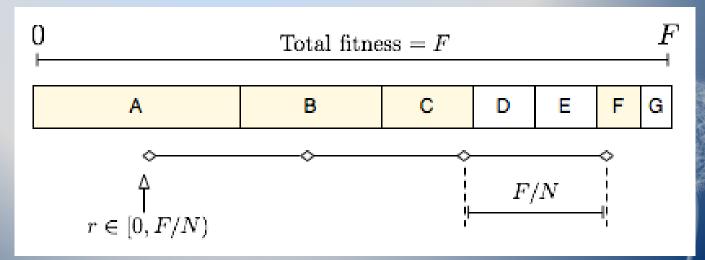
#### Selection

- \* Proportional
- Rank proportional
- \* Tournament
- Single tournament
- Stochastic universal sampling



#### Stochastic universal sampling (SUS)

- unbiased
- $*r \in [o, F/N]$
- $*r + i*N, i \in 0, 1, ..., N-1$



## Replacement

- \* All
- According to fitness
- # Elitism
- Local elitism

## Population size

## Niche specialization

```
f'_i = f_i/q(r,i)

q(r,i) = \{1 ; sim(i) <=4, sim(i)/4 ; otherwise \}
```

## Stopping criteria

## Why genetic algorithms work?

- building blocks hypothesis
- Controversial (mutations)

## Applications

## Where to use evolutionary algorithms?

- Local extremes
- Just fitness, without derivations
- No specialized methods
- Multiobjective optimization
- \* Robustness
- Combined approaches

#### Multiobjective optimization

- Fitness function with several objectives
- \* min  $F(x) = min (f_1(x), f_2(x), ..., f_n(x))$
- Pareto optimal solution

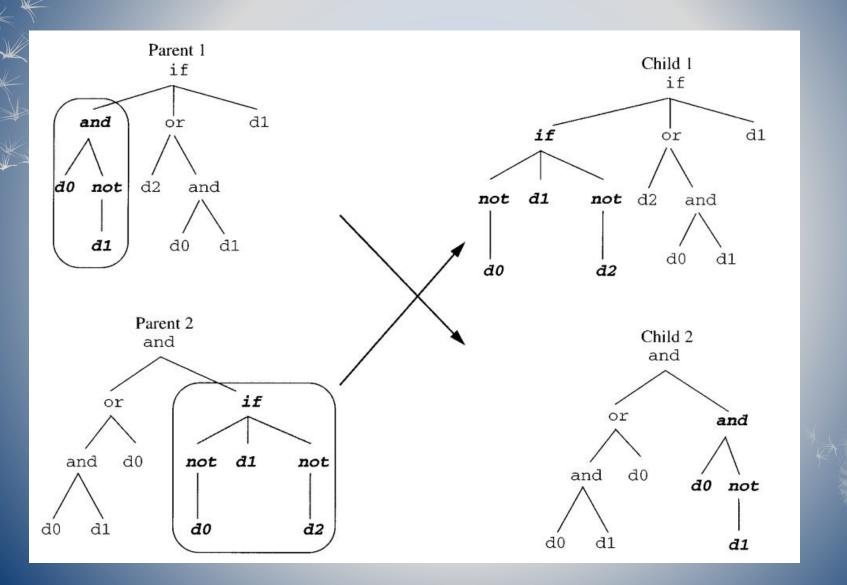
#### Toolboxes and libraries

- Cllib computational intelligence library
- EO (C++) evolutionary computation library
- # ECJ (Java)
- EvA2 (Java),
- JAGA (Java)
- ECF- Evolutionary Computation Framework (C++)
- \* Matlab, ...
- R: Rfreak, ppso, numDeriv,...

#### Genetic programming

- Functions, programs, expression trees
- Keep the structures valid
- \* Tree crossover, type closure
- applications

#### Crossover of expression trees



#### Other nature inspired methods

- properties
  - Fixed population
    - **Communication** between agents
- particle swarm optimization
  - X Collective behavior: swarms of insects, fish, bird flocks
  - \* Autonomous individual
  - Communication, sharing food information
- ant colony optimization

## Swarm intelligence, PSO

Particle location and velocity

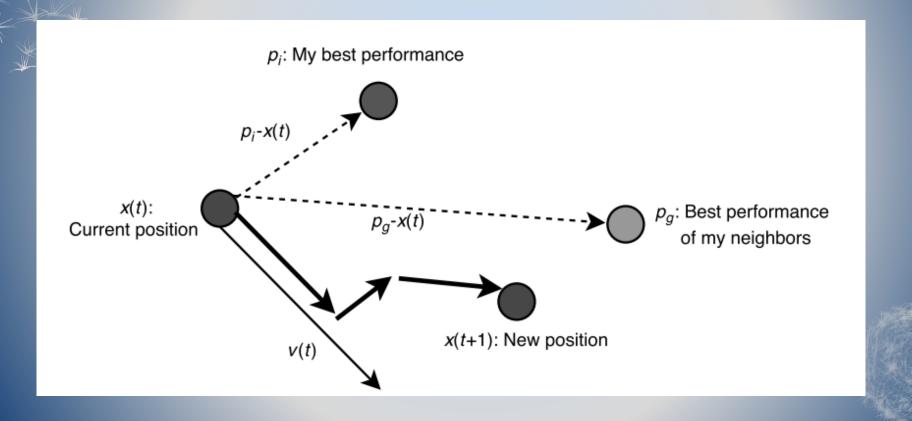
Location 
$$x = (x_1, x_2, ...)$$
 $velocity v = (v_1, v_2, ...)$ 
 $v = x(t) - x(t-1)$ 

Initialization of locations and velocities

#### Information exchange in the swarm

- ★ Historically best location x\*
- ★ Best location of informants x<sup>+</sup>

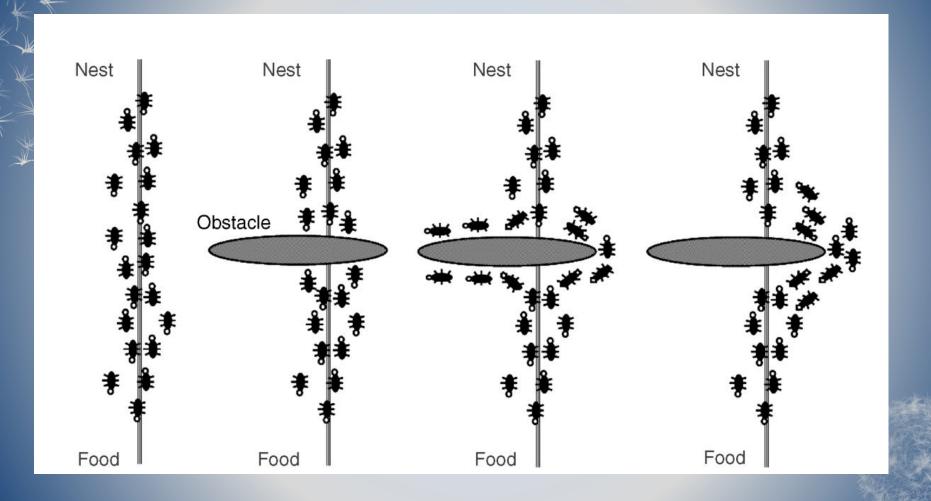
#### Computing new position



#### Ant colony

- Pheromones
- \* Ants lead their sisters to food source
- Evaporation
- Moving targets

#### Illustration of the idea



#### ACO pseudo code

Initialization of pheromones

do {

for each ant

find solution using pheromones and quality update pheromones: enforcement, evaporation

} while (! satisfied)

return best overall solution

#### ACO details

- Pheromones updates
  - \* ρ speed of evaporation
  - \* Trails updates
  - **Many variants**

$$\tau_{i,j} = (1 - \rho)\tau_{i,j} + \Delta\tau_{i,j}$$

$$\Delta \tau_{i,j} = \begin{cases} 1/C & \text{if ant takes the connection between i, j} \\ 0 & \text{otherwise} \end{cases}$$

where C is a cost of edge i, j

#### ACO for TSP

- cities 1,2,...,n
- cost c<sub>i,j</sub>
- \* Attractiveness  $\eta_{i,j} = 1/c_{i,j}$
- Probability of ant's transition
- \*  $\alpha$  impact of pheromones
- \*  $\beta$  impact of transition cost

$$p_{i,j} = \frac{\tau_{i,j}^{\alpha} \eta_{i,j}^{\beta}}{\sum \tau_{i,j}^{\alpha} \eta_{i,j}^{\beta}}$$

#### More ideas

- Bee swarm
- Immune systems
- Simulated annealing
- \* ...