

Magnet Precalculus CD  
Polar coordinates

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# Chapter 1

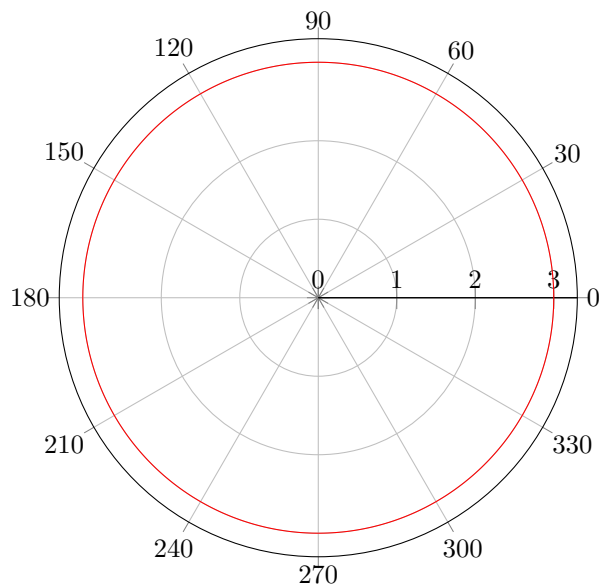
## Introduction to Polar Coordinates

Normally, points and functions are represented rectangularly, with an  $x$  and a  $y$  coordinate. However, they can also be represented in polar form.

### Definition 1.0.1: Polar Coordinates

A coordinate represented by a distance from the origin  $r$  and an angle from the positive x-axis  $\theta$ . Polar coordinates are in the form  $(r, \theta)$ .

In polar functions, the dependent variable is generally  $r$ . With polar, you can far more easily graph circles and other curves. For instance, take  $r = 3$ :



## Chapter 2

# Polar function types

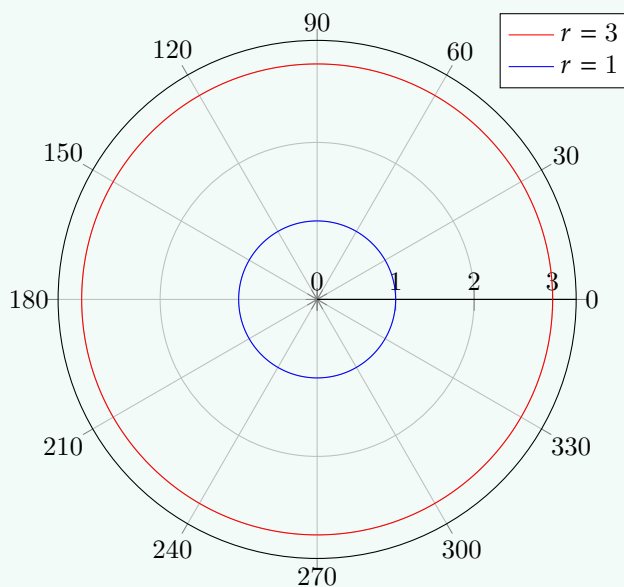
### 2.1 Circle

Circles in polar form are fairly simple. There are three kinds:

- $r = n$
- $r = n \sin(\theta)$
- $r = n \cos(\theta)$

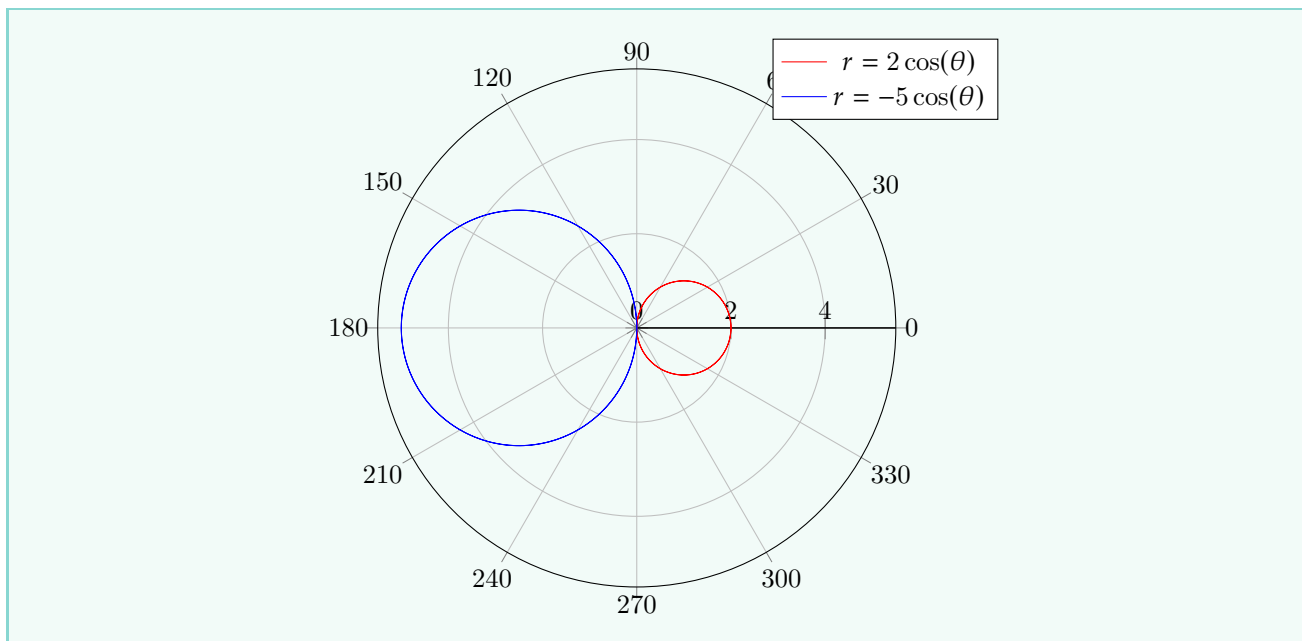
In the case of  $r = n$ , the circle is centered on the pole (or the origin), and has a radius of  $|n|$ .

**Example 2.1.1** ( $r = n$  circle)



In the case of  $r = n \cos(\theta)$ , the circle is centered at (polar)  $(\frac{n}{2}, 0)$  and has a radius of  $\frac{n}{2}$ . You can also think of it as being centered on the polar axis (or positive x-axis), tangent to the pole, and tangent to the polar point  $(n, 0)$ .

**Example 2.1.2** ( $r = n \cos(\theta)$  circle)



The function  $r = n \sin(\theta)$  is the same as  $r = n \cos(\theta)$ , but instead of being centered on the polar axis, it is centered on the polar line  $\theta = \frac{\pi}{2}$  (or the y-axis).

**Example 2.1.3** ( $r = n \sin(\theta)$  circle)

