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Summary Sheet

**The Comprehensive Evacuation Planing Model in Case of
Emergency**

Summary

Keywords: VRP; optimal path; Tyson polygon; Time-varying curve;
Time-varying curve

Contents

1	Introduction	1
	1.1 Background	1
	1.2 Problem Restatement	1
	1.3 Our Work	2
2	Assumptions	2
3	List of Notation	2
4	Analysis and Modeling	3
5	The fish accumutation model	3
	5.1 basic idea	3
	5.2 The varying temperature model	4
	5.2.1 The yearly change prediction model	4
	5.2.2 Monthly correct of the prediction	5
	5.2.3 Spatial distribution model	5
	5.3 The fish-temperature model	7
	5.4 The prediction of fish accumutation distribution	7
6	The Demand Distribution Model	8
	6.1 The predicted fish accumutation distribution	8
7	The Demand Distribution Model	8
	7.1 Initial costs and profits	8
	7.2 the spatial profit distribution model	12
8	The third question	12
	8.1 Costs and profits after port relocation	12
9	The forth question	15
10	The Comprehensive Evacuation Planning Model	16
	10.1 Model Preparation	16
	10.2 Modeling	16

	10.3 Model Solution	16
11	Strengths and Weaknesses.....	17
	11.1 Strengths.....	17
	11.2 Weaknesses and Extensions.....	17
12	An article for Hook Line and Sinker magazine	18
	Reference.....	19
	Appendices.....	19
A	Appendix First appendix	19
B	Appendix Second appendix	20

1 Introduction

1.1 Background

Changes in global ocean temperature will cause various marine lives to migrate. When the temperature varies too great, these animals can no longer survive and they will migrate to more suitable habitats.

herring and mackerel are very important pelagic fish in the Scottish fisheries. herring is widely distributed throughout the Northeast Atlantic, while mackerel is mostly distributed in the North and West Seas. They are located in the deep water during the day and move towards the surface at dusk and spread over a wide area.

It has been suggested that observed spatial variation in mackerel fisheries, extending over several hundreds of kilometers, is reflective of climate-driven changes in mackerel migration patterns.

In recent years, with the global ocean temperature rising, the distribution of these populations has changed dramatically. However, the geographic population shift may seriously affect the disrupt the livelihood of the smaller Scottish Fisheries companies who depend on these ocean-dwelling species.

1.2 Problem Restatement

In order to develop the Scottish fishing industries steadily, we need to analyze the characteristics, requirements, and interactions of herring and mackerel

1. How does the location of herring and mackerel change according to temperature
2. What are the best case, worse case and most likely time about small fishing companies based on the rate
3. Whether these small fishing companies should change the way they operate, what is the best way to run a small fishing company
4. What will happen if a certain percentage of fishery enters the territorial seas of another country
5. What solutions will improve the future business prospects of fishermen

1.3 Our Work

2 Assumptions

To simplify our problems, we make the following basic assumptions, each of which is properly justified.

- Assumed that the fishing time of Scottish vessels negligible
- Assumed that the ship travels in a straight line and its sailing route is from the port to the center of the position of fish.
- Supposed that the salaries of crews in Scotland are equal to the average wage of the British people, at 7 pounds per hour.
- Supposed the number of crew members is related to the length of the Scottish boats, about one person every two meters
- Assumed that the maximum catch per vessel of a small Scottish company is 10 percent of its own weight
-

3 List of Notation

Table 1: The List of Notation

Symbol	Meaning
L	The length of the Scottish vessels
B	The width of the Scottish vessels
D	The height of the Scottish vessels
W	The weight of the Scottish vessels
d	The waterline length of the Scottish vessels
l	Length between perpendiculars
v	The average velocity of the Scottish vessels
P	The average power of the Scottish vessels
P_0	The average power of small Scottish vessels
V	The displacement of the Scottish vessels
V_o	The volume of the fuel consumption
A_1	Total purchase cost of a Scottish vessel
A_2	Total salary of a crew member
A_3	Total fuel cost of a Scottish vessel
A	total cost of a Scottish vessel
A_e	Extra cost for one voyage.
A_o	The total cost of a Scottish vessel if some proportion of fishery moves into the territorial waters of another country

A_i	The total cost of a Scottish vessel if some proportion of fishery does not move into the territorial waters of another country
c_1	The purchase cost of a Scottish vessel per hour
c_2	The salary of a crew member per hour
c_3	Unit fixed cost of the ship
c_o	access fishing fee
T_1	The time spent in fishing of a Scottish vessel
T_2	Fish preservation time at ambient temperature
T_3	The time spent in fishing of a Scottish vessel
S	The distance sailed of a Scottish vessel in the waters of another country
S_m	The maximum distance sailed of a large Scottish vessel that small fishing companies continue to operate out of their current location
S_o	The maximum distance sailed of a Scottish vessel if some proportion of fishery moves into the territorial waters of another country
S_i	The maximum distance sailed of a Scottish vessel if some proportion of fishery does not move into the territorial waters of another country
a	Fish density ratio
a_o	Oil density
r_o	Fuel consumption ratio
E	The earnings of herrings and mackerels
E_0	The small Scottish vessel's earnings of herrings and mackerels
E_1	The earnings of herrings
E_2	The earnings of mackerels
p_1	The price of herrings
p_2	The price of mackerels
p_o	The price of oil
n	The number of crews in ferries

4 Analysis and Modeling

5 The fish accumulation model

5.1 basic idea

Below, we are going to find the trend of the yearly change and demonstrate a monthly correct and a reference expression of the spatial distribution to reach the prediction of the temperature after years, then find the relationship between

temperature and the density of fishes, and finally obtain the change of fish accumulation area over time.

5.2 The varying temperature model

The changing of the sea surface temperature(SST) can be regarded as a short-term monthly average temperature change, a long-term yearly average temperature change from a time perspective; and a spatial distribution from geographical perspective. We separate those changing trend by analyzing the data from project ERSST which contains 1deg resolution data from 1981 to 2010 and 2deg data from 1854 to 2020. Specifically, we use the long-term data to predicte the yearly change, and use high resolution data to be the begining of long-term prediction as well as to analyze the spatial distribution and the monthly change. The area we analyze lies in W15.5 to E13.5 and N46.5 to N65.5.

5.2.1 The yearly change prediction model

From the Long's previous work[4],we know that the major factor of the yearly SST change is related to the concentration of carbon dioxide, which affect SST's retard growth model. By analyzing the yearly avarage SST of the entired area, we found an obviously increasing trend especially after 1980s. However, that model is more precise on a time scale of hundreds of years, and we found a quadratic model is more accurate to predicte the temperature on a time scale over years, fitting the rising segment of the logistic curve, especially with the consider that the concentration of carbon dioxide are only dramatic growth in recent decades and affect the retard growth model.

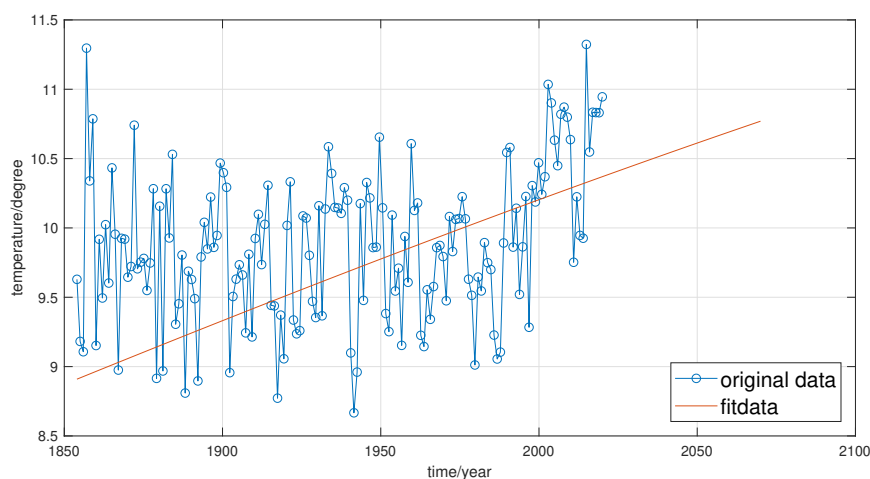


Figure 1: using logistic model

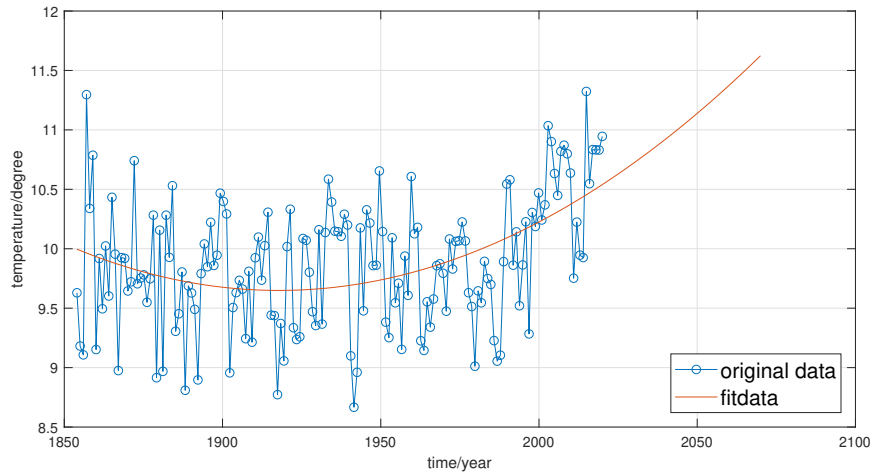


Figure 2: using quadratic model

5.2.2 Monthly correct of the prediction

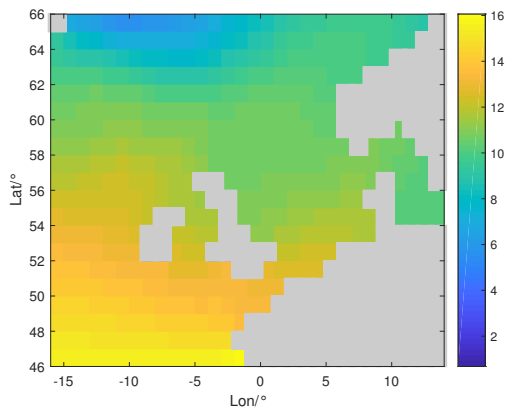
The monthly or even daily rate of SST change is much stronger than the rate of yearly SST change and is important to the analysis of the fishes distribution. In our model, we assume that the monthly change has a central value related to its annual average temperature. We also assume that the monthly change are determined by the seasonal change and independent of the factors which affect the yearly change of average temperature. Then we are going to use the predicted annual average temperature above and add a monthly correction to get the actual temperature accurate to month. A long-term daily average and a spatial average are made based on SST data from 1981 to 2010 in the area we Analyzed. Since the seasonal change of temperature are mostly related to the rotation of the earth, it is convenience to suppose this change has a trigonometric form. And we find the monthly correction is:

$$T(t) = 3.3598 \sin(-0.0184t + 0.5921\pi) + 0.1382 + T_{annual} \quad (1)$$

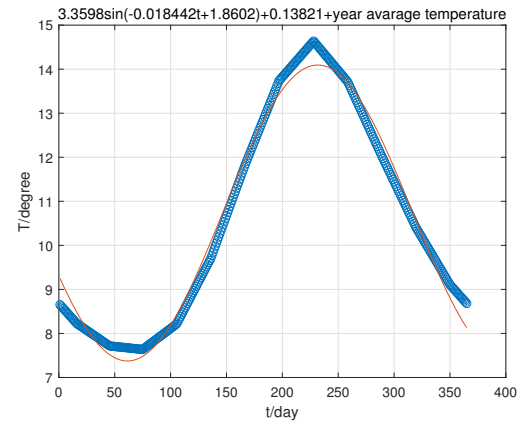
where T_{annual} is the annual average temperature, and t is days ranging from 1 to 365. To simplicity the representation, our further work are still using the annual average temperature, which is actually close to the temperature in spring and fall, as the beginning of the yearly prediction model. The affect of the seasonal change will be considered in the profit model, which will be discussed in later section.

5.2.3 Spatial distribution model

During the work above, we make a spatial average of the data, but we are also interested in the spatial distribution of the SST. From Jansen's work[3], the SST of a given location in Scottish area are strongly related to the distance between that



(a) spatial temperature distribution

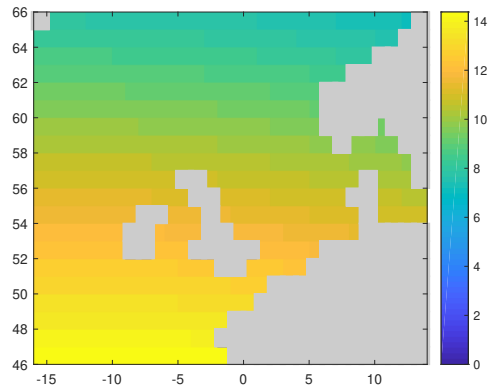


(b) monthly changing and fit

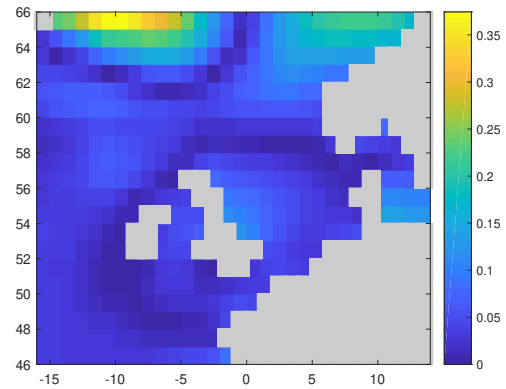
place and the continental shelf. In our model, we assume that those dependencies of distance can be converted into the dependencies of longitude and latitude. We also assume this distribution is damping from the mean temperature value of the area at a given time, which offers a way to predict the future's SST distribution based on the predicted value of annual average SST. The equation we obtain is:

$$T(t) = -0.34\sqrt{(Lon + 14.08)^2 + (Lat + 104.87)^2} + T_{annual} + 55.65 \quad (2)$$

where T_{annual} is the annual average temperature.



(c) fit of the spatial temperature distribution



(d) relative error of fit

However, in order to reduce the error, we will not use that analytical method, but based on the original spatial distribution data which we used to get this analytical representation.

5.3 The fish-temperature model

As we known, fish need the proper habitat to service, and temperature play an important role in multiply of fish, such as the mackerel population is found further upstream in warmer waters as the current cools through winter[3]. In our previous predictions, the increase of SST because global warming is obvious, so we take fisheries data from The International Council for the Exploration of the Sea(ICES) and make a comparison.

According to the graph, we can tell that besides fisheries productivity growth and some statistical gaps, the density of fish is particularly relevant to SST. So we use Pearson correlation coefficient to correlation analysis.

Table 2: The result of correlation analysis

result	herring	mackerel
r	0.4637	0.5463

So it's highly correlative. Then we use them to fitting the Gaussian distribution, and get the desired relationship between temperature and fish density.

5.4 The prediction of fish accumutation distribution

We have obtained the relationship between fish density and temperature as well as the basic model to caculate the temperature distribution in the future. The following figure are going to reveal the sea surface temperature distribution and fish accumulation area in the current and after 10,25,50 years.

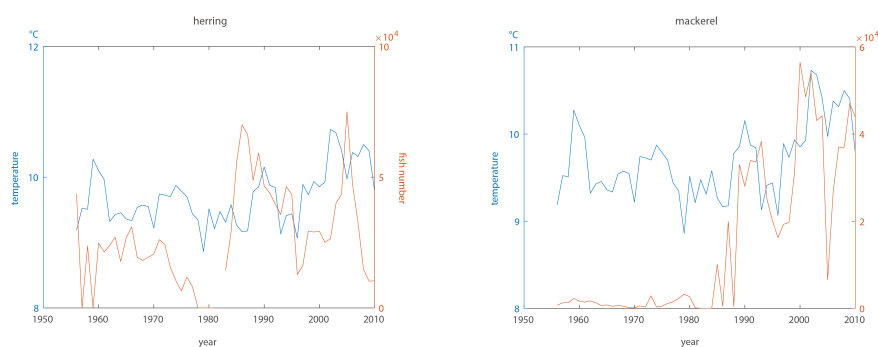


Figure 3: Comparison graph

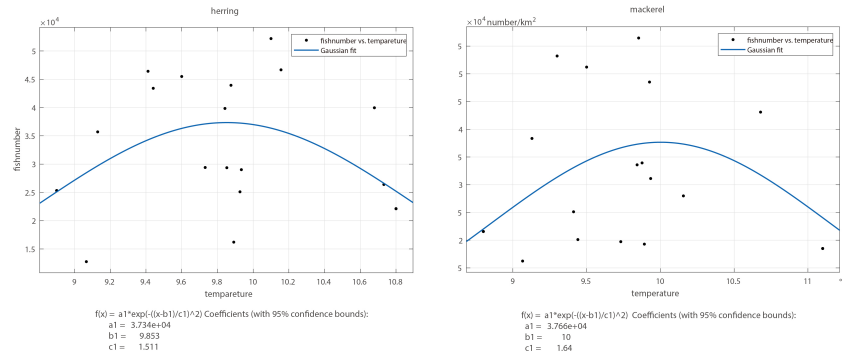


Figure 4: Fitting result

6 The Demand Distribution Model

6.1 The predicted fish accumulation distribution

7 The Demand Distribution Model

7.1 Initial costs and profits

Table 3: The range dimension ratios of trawlers

parameter	L/B	B/d	D/d
Range of steel materials	3.93-5.00	2.38-3.65	1.19-1.38
Range of wood materials	3.19-4.53	2.61-4.67	1.06-1.44

As can be seen from the 2016 Scottish Marine Statistics (Table 3), most of the Scottish vessels that capture herring and mackerel are larger than 40 meters in length. Figure 6 is the structural model of the ship. We simplified the structure of the ship to a cuboid, and the relationship between its length, width, and height is shown in Table 3. We assume that the length of the Scottish vessels in small company is about 40 meters, the width is one quarter of its length, the height of the waterline is one twelfth of the length, and the length between the perpendiculars is equal to the length of the boat.

From Table 4, it is estimated that the average power of a 40-meter-long Scottish vessel is 4000 kilowatt and. the average tonnage is about 1300 tonnes. The speed and flight time are calculated from the speed-related formula.

$$\begin{cases} v = 1.84 \times \left(\frac{P}{V}\right)^{0.237} \times \sqrt{l} \\ l = L \approx 40 \\ P = 4000 \\ V = L \times B \times d = \frac{1}{48 \times L^3} \end{cases} \quad (3)$$

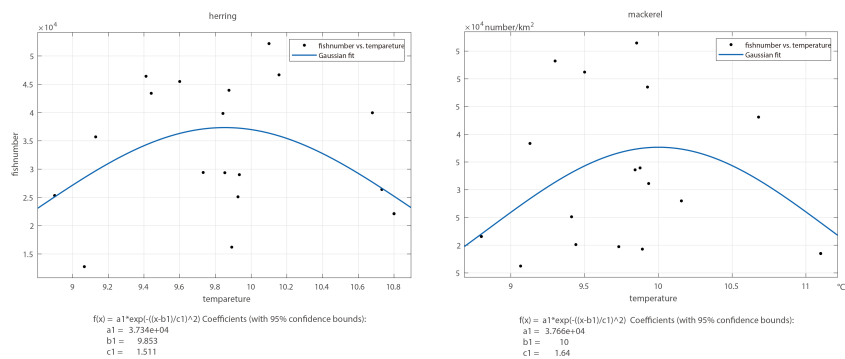
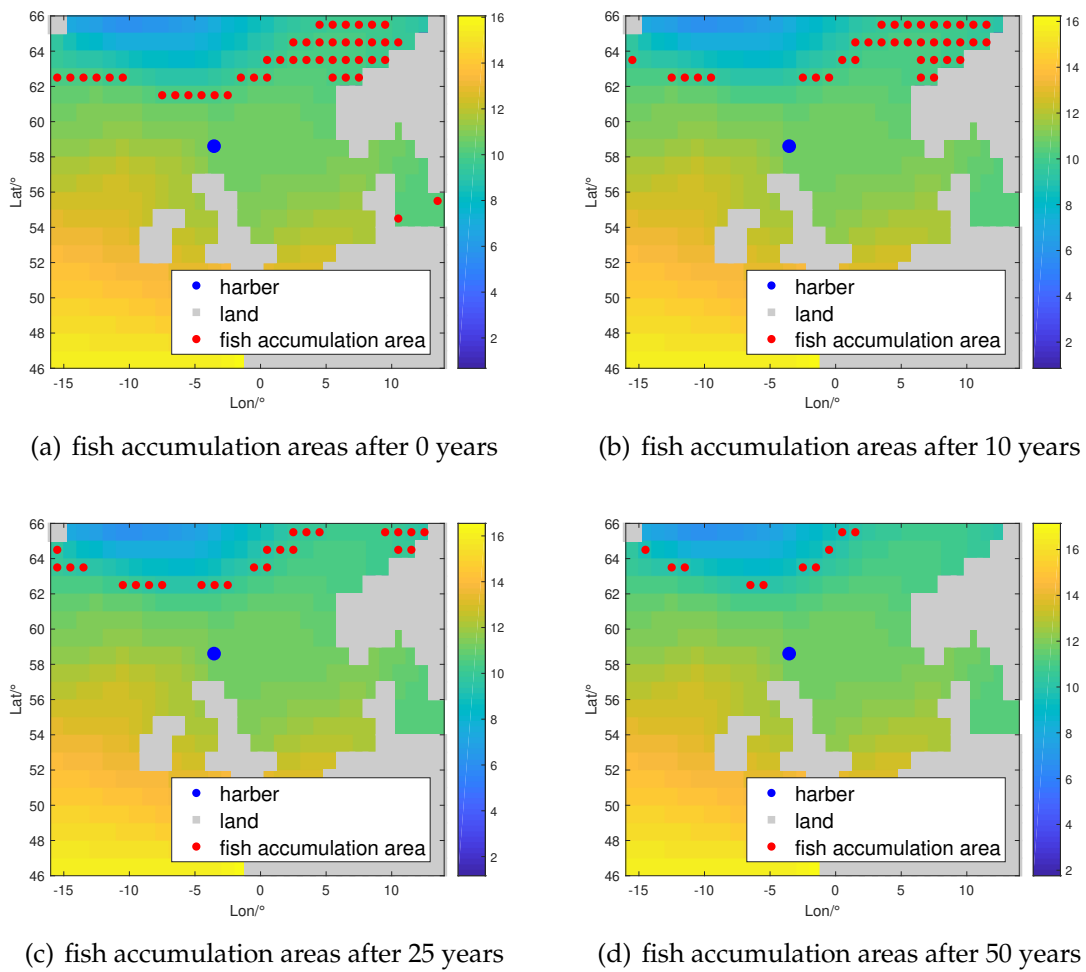


Figure 5: Fitting result



Figure 6: English Harbor Division

Table 4: The prices of two species : 2012 to 2016

Year	2012	2013	2014	2015	2016	average
Herring (pound per tonne)	565	408	308	369	665	463
Mackerel (pound per tonne)	1034	979	832	664	895	880.8

Table 5: The information about Scottish registered vessels

vessel length (metres)	<=10	10-12	12-15	15-24	24-40	>=40
Herring (tonnes)	0	0	0	7	1505	63031
Mackerel (tonnes)	811	0	0	42	3802	183831
Average tonnage (tonnes)	4	13	22	110	273	1748
Average age (year)	26	33	29	31	28	17
Average engine power (kW)	57	127	190	325	641	4327

$$T = \frac{S}{v} \quad (4)$$

$$A_1 = c_1 \times T_1 \quad (5)$$

$$A_2 = c_2 \times T_1 \times L \times \frac{1}{2} \quad (6)$$

$$A_3 = V_o \times p_o \quad (7)$$

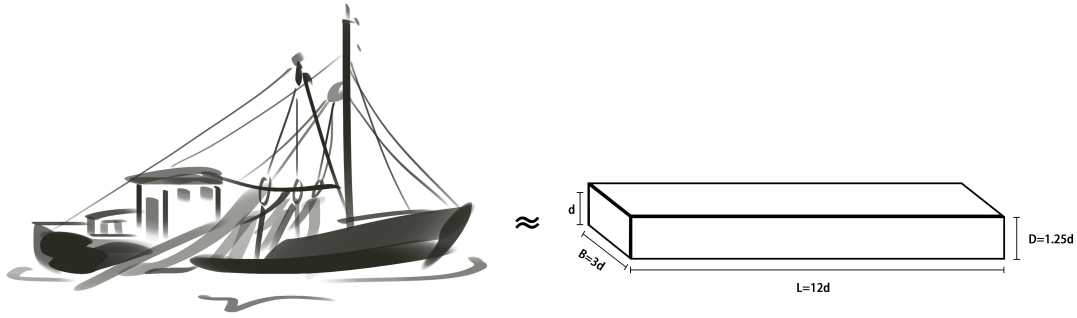


Figure 7: The model of a ship

$$\begin{cases} V_o = r_o \times P \times T_1 \times a_o \\ a_o = 0.8 \\ p_o = 0.5 \\ A_3 = V_o \times p_o \end{cases} \quad (8)$$

$$A = A_1 + A_2 + A_3 + A_e \quad (9)$$

Where:

A_1 represents the average working cost per hour of the large Scottish vessel. As a Scottish vessel with a length of 40 meters, the purchase price is approximately 44,000 pounds, the number of days of operation is 180 days per year, and the daily working time is 13 hours.

A_2 is the cost that the small company need to pay about 20 crew members during a voyage

A_3 is the cost about fuel for one voyage

A_e is a fixed cost of about 20,000 pounds for a small sailing company in Scotland, including depreciation fees for fishing boats, fishing nets, hook fees, port fees, and loss costs during the off-season.

$$\begin{cases} E_1 = 1300 \times 10\% \times a_1 \times p_1 \\ E_2 = 1300 \times 10\% \times a_2 \times p_2 \\ E = \frac{a_1 \times p_1}{a_1 \times p_1 + a_2 \times p_2} \times E_1 + \frac{a_2 \times p_2}{a_1 \times p_1 + a_2 \times p_2} \times E_2 \end{cases} \quad (10)$$

The weighted average prices and the proportion of density in different regions of herring and mackerel is used to calculate the earnings of small Scottish companies during a voyage.

Since no refrigerant fishing, in order to ensure fresh fish, the return time of Scottish vessel must be shorter than the fresh-keeping period of the fish

$$\frac{T_1}{2} \leq T_2 \quad (11)$$

7.2 the spatial profit distribution model

We have obtained the predicted fish density distribution in last section, and after the work above we can calculate the net profit by the sailing cost, the gross profit from fishing, and a constant cost appears on every voyage.

Ignoring national territorial limits, it can be seen from the figure(a) and (b) that there is no obvious change in the income of fishing in 10 years, which is because the slow increase of sea temperature has a time lag to the migration of fish. After 25 years (c), the largest income gradually migrates northward. Fifty years later, the school of fish is obviously moving north. At this time, the port is far from the school of fish, and the fishing cost will increase significantly (d)

Due to the limitation of fish preservation time, Scotland small company can make a large profit offshore. From the comparison about the offshore distance and income (e), it can be concluded that when the distance is less than 200 kilometers, the company's profit is positively related to the density of the local fish school. There are obvious differences in various years, because the fish school moves northward with the change in temperature. As can be seen from the figure (f) that after about 40 years, the net profit will drop to 0. Therefore, these small companies should take measures in advance to deal with changes in fish stocks.

However, when the distance is more than 200 kilometers, due to the higher inherent cost of navigation, the fishing income will decline rapidly, showing a consistent downward trend among different years. At the same time, the 50-year net profit curve fluctuated slightly compared to others due to the change in the position of fish density.

8 The third question

8.1 Costs and profits after port relocation

Assume that the fishing boat is a cuboid with a length of L , and its width and height are consistent with the previous assumptions.

Based on the data in Table 5, the power and mass corresponding to the different lengths of small fishing boats in Scotland are fitted to the relevant functional relations. The speed and flight time are calculated from the speed-related formula. It is assumed that the operation of the refrigerant on the small fishing boat is supplied by the Scotland vessel, and that the refrigerator and engine at the same rated power consume the same amount of oil. Based on the density of the

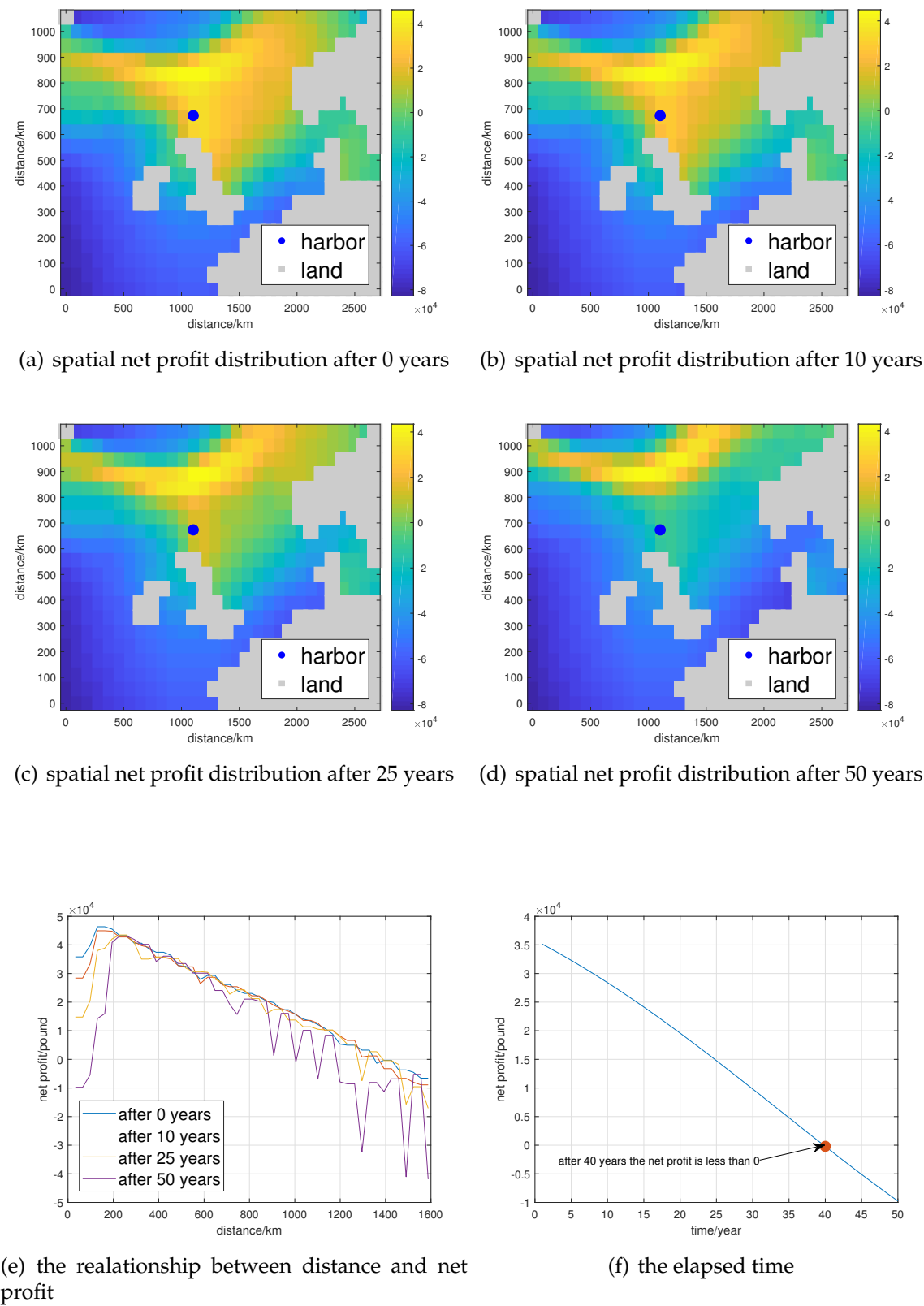


Figure 8:

refrigerator, the price of diesel, and its comparison with the capacity of the vessel and its rated power, considering natural losses and energy conversion rates, it can be calculated that the operation of the refrigerant requires about 20% from the Scotland vessel the rated power

$$v = 1.84 \times \left(\frac{P_0}{V}\right)^{0.237} \times \sqrt{l} \quad (12)$$

$$\begin{cases} P_0 = P \times (1 - 20\%) \\ P = 0.3358 \times L^2 - 9.4446 \times L - 3.6361 \end{cases} \quad (13)$$

$$V = L \times B \times d = \frac{1}{48 \times L^3} \quad (14)$$

$$l = L \approx 40 \quad (15)$$

Due to the limitation of fuel storage space, fresh water, food and fishing supplies, it is assumed that the ship's navigation distance does not exceed twice the original maximum navigation distance.

$$T_1 = \frac{S}{v} \quad (16)$$

$$S \leq 2 \times S_m \quad (17)$$

$$\begin{cases} V_o = r_o \times P \times T_1 \times a_o \\ a_o = 0.8 \\ p_o = 0.5 \end{cases} \quad (18)$$

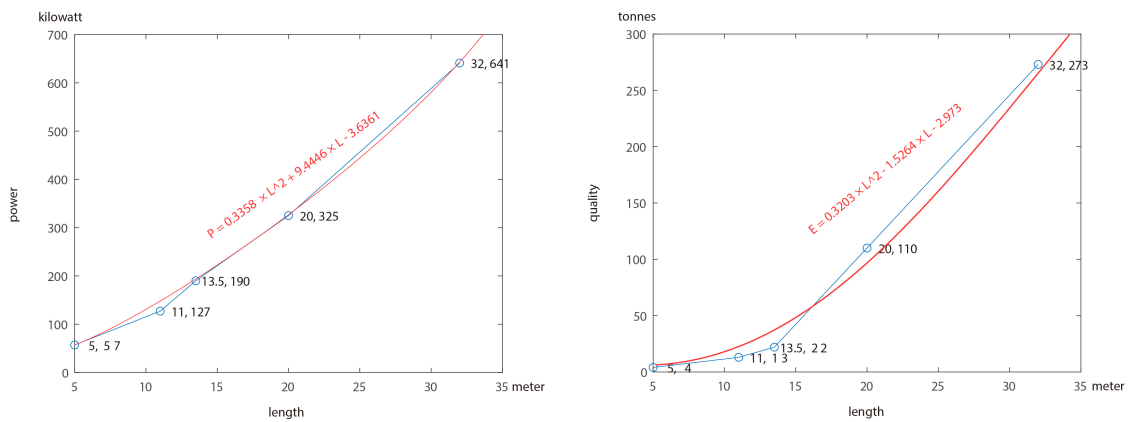


Figure 9: The relationship between length and power and the relationship between length and quality

By comparing the price of different sizes of refrigerants, it can be inferred that the cost of the refrigerant is about 10% of the inherent cost of the ship. And both the labor cost and the inherent cost of the ship are positively related to the length of the vessel. Besides, due to the relocation of the port, A_e in a single operation will increase appropriately from 20,000 to 25,000 pounds.

$$\begin{cases} A_1 = c_3 \times T_1 \times L \times (1 + 10\%) \\ A_2 = c_2 \times T_1 \times L \times \frac{1}{2} \\ A_3 = V_o \times P_o \\ A = A_1 + A_2 + A_3 + A_e \end{cases} \quad (19)$$

$$\begin{cases} E = 0.3203 \times L^2 - 1.5264 \times L - 2.973 \\ E_1 = E \times 10\% \times a_1 \times p_1 \\ E_2 = E \times 10\% \times a_2 \times p_2 \\ E = \frac{a_1 \times p_1}{a_1 \times p_1 + a_2 \times p_2} \times E_1 + \frac{a_2 \times p_2}{a_1 \times p_1 + a_2 \times p_2} \times E_2 \end{cases} \quad (20)$$

9 The forth question

As can be known that territorial Waters is a belt of coastal waters extending at most 12 nautical miles (22.2 km) from the baseline (usually the mean low-water mark) of a coastal state, which are allowed innocent passage through it, or transit passage for straits. It is assumed that the maritime division of the British Overseas Territories uses an equal distance method. As the waters of Scotland and Norway meet for 700 kilometers, it can be estimated that the range of Scottish fishing boats is within 350 kilometers.

$$\begin{cases} A_i = A \\ S_i \leq 350 + 22 = 372 \end{cases} \quad (21)$$

Assume that Norway's entry fee for foreign fishing vessels is the same as that of the member states of the Nauru agreement, which is about 10,000 US dollars per day, which is 320 pounds per hour per boat. At the same time, due to Norwegian fishery restrictions, foreign fishing vessels can only work in 12-200 nautical miles. Scottish fishing boats have a range of 720 kilometers.

$$\begin{cases} A_o = A + c_o \times T_3 \\ T_3 = \frac{S - S_i}{v} \\ S_o \leq 350 + 370 = 720 \end{cases} \quad (22)$$

10 The Comprehensive Evacuation Planning Model

10.1 Model Preparation

VRP [1, 2] generally

Based on the traditional VRP, a comprehensive evacuation planning model is established to satisfy the constraint conditions:

- Time constraint: the total withdrawal time is the shortest in the case of meeting all the evacuees' needs and not violating the constraints;

10.2 Modeling

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time is crucial [8, 9].

as is shown in Figure 9.

ve Evacuation Problem (CEP)[5–7]

In this mixed integer program we use the following variables: δ_{ij} denotes traversal of arc $(i,j) \in A$. x_{ij}^t denotes the spend time passing arc (i,j) . r_{ij}^t denotes the risk factor passing arc (i,j) at time t . f_{ij}^t denotes the number of evacuees using cars passing arc (i,j) at time t . In contrast, g_{ij}^t denotes the number of evacuees using bus b to go from node i to node j at time t . η represents the jam factor, which depends on the magnitude of the hurricane, the location of the landing, and the average number of evacuees passing arc (i,j) at time t . B_{ij}^t denotes the number of bus driving on arc (i,j) at time t . In the same way, C_{ij}^t denotes the number of car driving on arc (i,j) at time t . P_j^t denotes the number of people in the j shelter at time t . r denotes the capacity factor.

10.3 Model Solution

Based on the above model and the parameters involved in the model, the final evacuation time is obtained by programming, and the result is shown in the table below:

11 Strengths and Weaknesses

11.1 Strengths

- The comprehensive evacuation planning model takes the shortest time and lowest risk and low economic losses as the total constraint conditions to get the optimal solution;

11.2 Weaknesses and Extensions

- Without considering the evacuation of the county itself;
- Without considering the refueling problem of cars and buses;
- Without considering the risk caused by large numbers of people in station nodes;
- Without considering other means of transportation, such as aircraft, railway, etc.;
- Without considering the subsequent material problems of the shelter.

Optimization method: When the forecast hat hurricane level is high, we can arrange inland evacuation ahead, in the case of ensure the overall time is enough for the coastal areas to evacuate to the site of the corresponding time calculation.

Advantage: Inland remove first can reduce the road pressure; Coastal remove later can increase the economic benefit. Compare the results again and get the final optimization plan.

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12 An article for Hook Line and Sinker magazine

There are all kinds of interesting repertoires in the ocean at all times. We humans are not only spectators, but hunters. In the 21st century today, the ocean is our last hunting ground, and fishermen continue to bring food back to the whole society. According to statistics, 25% of the proteins required by humans come directly from the ocean, and with the increase of the global population, this proportion will continue to rise, among which the most contributions are those rich fishing grounds.

For Scottish fishermen, herring and mackerel are gracious regulars in their lives. Mackerel is the most important pelagic species for the Scottish fishing industry. It is caught predominantly with pelagic trawl mainly in western waters and the North Sea. At the same time, herring is the second most important species landed by the Scottish pelagic fleet. It has been one of the favorite fish in Europe for centuries, and there are many ways to eat outside of "street food". For example, "Swedish herring can" has also become a Internet celebrity. herring is mainly caught for human consumption by vessels towing large pelagic mid-water trawls, with very little by-catch of other fish.

Herring and mackerel are regulars on Scottish tables in that they are abundant, and the large number of herrings and mackerels also provide a good employment environment for Scotsman.

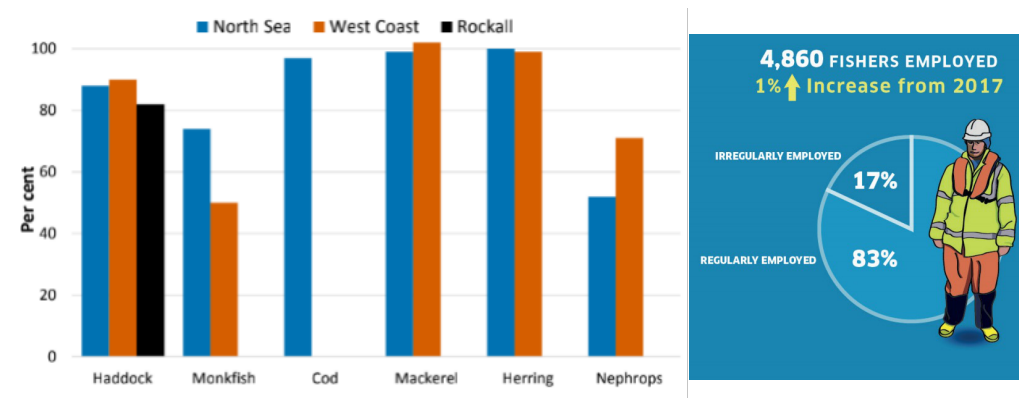


Figure 10: Percentage quota uptakes of key commercial stocks by vessels in Scottish Producer Organizations in 2018

The cost of fishing vessels are fixed expenditures. A fishing vessel costs hundreds of thousands of pounds. The maintenance of sailing is a relatively large expenditure. Compared with automobiles, the fuel consumption of boats is quite large. The rising oil prices have made shipowners miserable. In addition to the basic equipment of fishing boats, port rents, access fishing fee, staff salaries, refrigerators are all huge expenses

Nowadays, due to over-fishing offshore and global warming, there are fewer and fewer fish offshore, and fishermen have to go north to fish. The cost of equipment and labor has increased significantly. As the density of fish schools

decreases, fishermen need to spend more time fishing. With the increase of time cost, fishing companies will use more professional and high-tech transport vessels, which is also a significant expense.

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Appendices

Appendix A First appendix

Aliquam lectus. Vivamus leo. Quisque ornare tellus ullamcorper nulla. Mauris porttitor pharetra tortor. Sed fringilla justo sed mauris. Mauris tellus. Sed non leo. Nullam elementum, magna in cursus sodales, augue est scelerisque sapien, venenatis congue nulla arcu et pede. Ut suscipit enim vel sapien. Donec congue. Maecenas urna mi, suscipit in, placerat ut, vestibulum ut, massa. Fusce ultrices nulla et nisl.

Here are simulation programmes we used in our model as follow.

Input matlab source:

Appendix B Second appendix

some more text **Input C++ source:**