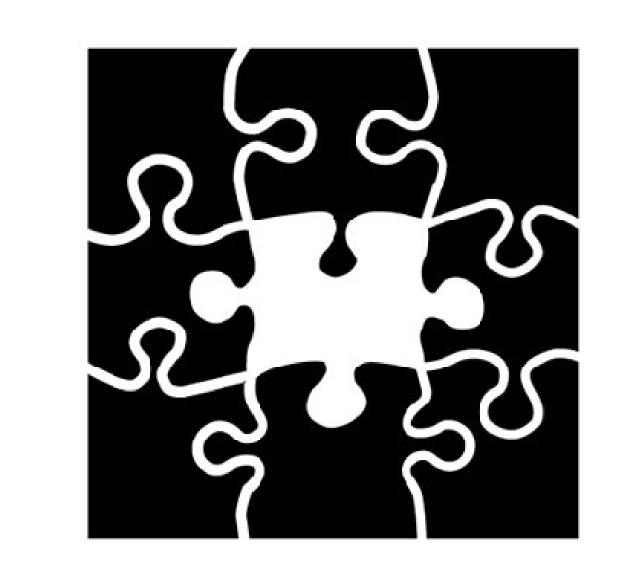


GRASP: RANDOMISED SEMIRING PARSING

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WHAT'S GRASP ABOUT?

Open source

- semiring parsing
- weighted deduction
- approximate forest rescoring
- inference by sampling

https://github.com/wilkeraziz/grasp

DEDUCTIVE PARSING

Abstracts away from implementation details.

- items represent intermediate results in the deduction process
- $\frac{A_1...A_k}{B}C_1...C_j$ is a deduction rule
- item derivations
 - $D = \langle r \rangle$ where r is a grammar rule
 - $D = \langle b' : D_{a_1}, \dots, D_{a_k} \rangle$ where $\frac{a_1 \dots a_k}{b} c_1 \dots c_j$ is an instantiation of $\frac{A_1 \dots A_k}{B} C_1 \dots C_j$ and D_{a_1}, \dots, D_{a_k} are item derivations

Hypergraph representation

- *items* are mapped to **nodes**
- $\frac{a_1...a_k}{b}c_1...c_j$ are mapped to **edges**
 - b is mapped to a **head** node
 - $a_1 \dots a_k$ are mapped to **tail** nodes

SEMIRING PARSING

The same deductive parser, multiple tasks!

FOREST parse forest
VITERBI max
INSIDE sum
BOOLEAN recognition
COUNTING counting
1-BEST argmax
K-BEST top derivations

Value recursion

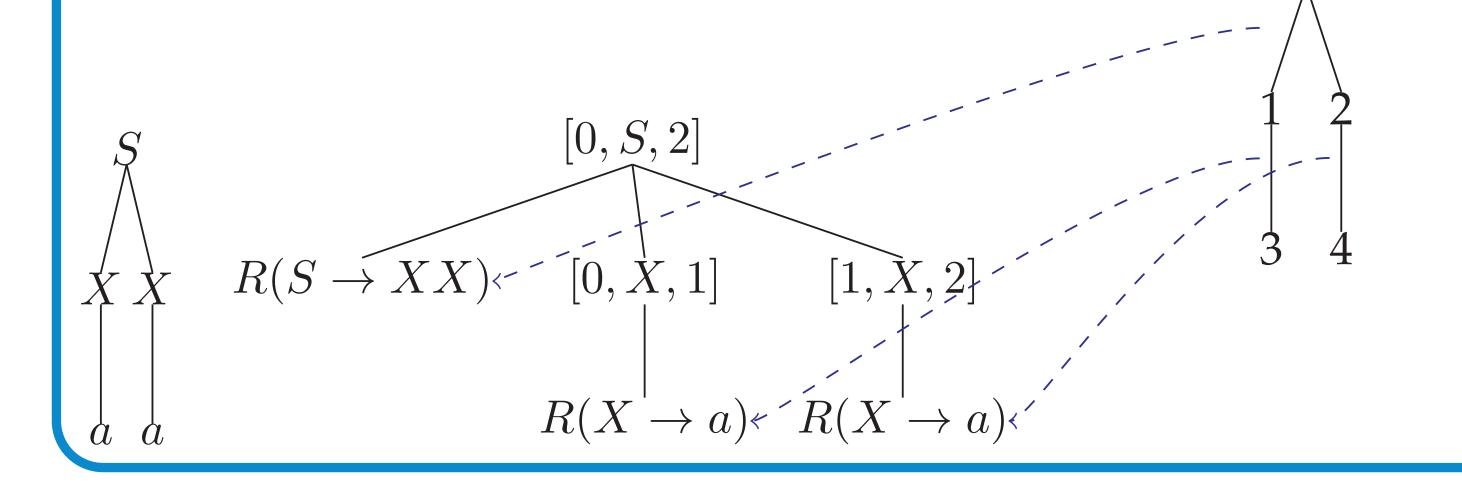
$$V(D) = \bigotimes_{i=1}^{j} R(d_i)$$

- \bullet where D is an item derivation
- yield(D) = $d_1 \dots d_j$ is a grammar derivation
- R(r) is the value of grammar rule r

$$V(D) = \begin{cases} R(r) & \text{if } D = \langle r \rangle \\ \bigotimes_{i=1}^{k} V(D_i) & \text{if } D = \langle b : D_1 \dots D_k \rangle \end{cases}$$

DERIVATIONS

Grammar derivation
Item derivation
Hyperpath



SLICE SAMPLING

Sample probabilistically from a distribution proportional to $f(\mathbf{d})$

- ullet non-negative function over derivations $\mathbf{d} \in \mathcal{D}$
- $\langle \mathcal{D}, f(\mathbf{d}) \rangle$ is represented by a hypergraph
- a derivation $\mathbf{d} = \langle e_1, \dots, e_m \rangle$ is a sequence of m steps (edges)
- $r_h \in \mathbf{d}$ refers to an edge headed by h whose underlying rule is r

$$f(\mathbf{d}) = \psi(\mathbf{d}) \times \theta(\mathbf{d}) = \psi(\mathbf{d}) \times \prod_{r_h \in \mathbf{d}} \theta_{r_h}$$

Data augmentation and slice sampling

$$f(\mathbf{d}, \mathbf{u}) = \psi(\mathbf{d}) \prod_{u_h: r_h \in \mathbf{d}} \delta_{(0, \theta_{r_h})}(u_h) \prod_{u_h \in r_h \notin \mathbf{d}} \phi(u_h; \boldsymbol{\alpha})$$

u: one auxiliary variable per item

Gibbs sampling

$$f(u_s|\mathbf{d}) = \begin{cases} \frac{\delta_{(0,\theta_{r_h})}(u_h)}{\theta_{r_h}} & \text{if } r_h \in \mathbf{d} \\ \phi(u_h;\boldsymbol{\alpha}) & \text{otherwise} \end{cases}$$

$$f(\mathbf{d}|\mathbf{u}) \propto \psi(\mathbf{d}) \prod_{r_h \in \mathbf{d}} \frac{\delta_{(0,\theta_{r_h})}(u_h)}{\phi(u_h;\boldsymbol{\alpha})}$$

Sampling from the $f(\mathbf{d}|\mathbf{u})$

- rescore the slice exactly (if $\psi(\mathbf{d})$ is simple enough)
- estimate an empirical distribution
 - uniform sampling
 - importance sampling

SLICE: SUBSET OF \mathcal{D} WHERE $f(\mathbf{d}|\mathbf{u}) > 0$

ITEM FORMS $R(X \to \alpha), T(q \xrightarrow{x} r), [X \to \alpha \bullet \beta, q, s] \text{ and } \langle X; q, r \rangle$ GOAL $\langle S'; q, r \rangle = q \in I, r \in F$ AXIOMS $R(Y \xrightarrow{\theta} \gamma) = q \in I$ PREDICT $R(Y \xrightarrow{\theta} \gamma) = [X \to \alpha \bullet Y\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \to \alpha \bullet Y\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\phi} \alpha \bullet x\beta, q, r]$ SCAN $R(X \to \alpha) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\phi} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \gamma) = [X \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$ $R(Y \xrightarrow{\theta} \alpha \bullet x\beta, q, r]$

Key: auxiliary variables are **lazily sampled** $u_h \sim f(u_h|\mathbf{d})$

FEATURES

Grammar formalism epsilon-free CFG
Weighted deduction bottom-up and top-down (exact and sliced)
Forest rescoring top-down (exact and sliced)
Real-valued semirings BOOLEAN, COUNTING, VITERBI, INSIDE

Value recursion robust to cycles

Derivation semirings 1-BEST, *k*-BEST, SAMPLE, FOREST, SLICE

Sampling algorithms ancestral sampling, slice sampling

LM queries kenlm
Applications constituency parsing, decoding for hiero models

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