Phrase-based SMT

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- 2 Estimation
- 3 Inference
- **4** Conclusions
- **5** Extensions (further reading)

Noisy channel

Bayes rule

$$P(E|F) = \frac{P(E)P(F|E)}{P(F)}$$

Inference

$$\hat{E} = \operatorname*{arg\,max}_{E} P(E) P(F|E)$$

Estimation

- P(E) n-gram LM
- P(F|E) ...

Phrase-based model

$$P(F|E) = \sum_{A} P(A, F|E)$$

Let's introduce a bidirectional alignment variable

Bidirectional alignment

Example

		I	have	black	eyes
1	J'		1		
2	ai	-	L		
3	les				3
4	yeux				
5	noirs			2	

- $\bar{f}_1 = \mathsf{J'}$ ai
- $\bar{e}_1 = I$ have
- $start_1 = 1$
- $\operatorname{end}_1 = 2$

- $\bar{f}_2 = \text{noirs}$
- $\bar{e}_2 = \mathsf{black}$
- $start_2 = 5$
- $\operatorname{end}_2 = 5$

- $\bar{f}_3 = \text{les yeux}$
- $\bar{e}_3 = \text{eyes}$
- $start_3 = 3$
- $\operatorname{end}_3 = 4$

$$\begin{split} P(F|E) &= \sum_{A} P(A,F|E) \\ &= \sum_{A} P(\text{segmentation}) \times P(\text{order}) \times P(\text{translation}) \end{split}$$

Example

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$$= \sum_{A} P(\text{segmentation}) \times P(\text{order}) \times P(\text{translation})$$

$$J'_{1} \text{ ai}_{2} \text{ les}_{3} \text{ yeux}_{4} \text{ noirs}_{5} \text{ input}$$

Example

Statistical model

$$\begin{split} P(F|E) &= \sum_A P(A,F|E) \\ &= \sum_A P(\text{segmentation}) \times P(\text{order}) \times P(\text{translation}) \\ &\quad J'_1 \text{ ai}_2 \text{ les}_3 \text{ yeux}_4 \text{ noirs}_5 & \text{input} \\ &\quad [J'_1 \text{ ai}_2] \text{ [les}_3 \text{ yeux}_4] \text{ [noirs}_5] & \text{segmentation} \end{split}$$
 Example

Statistical model

Statistical model

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Model and assumptions

$$\begin{split} P(F|E) &= \sum_{A} P(A, F|E) \\ &= \sum_{A} \frac{P(A|E)}{P(F|A, E)} \times P(F|A, E) \\ &= \sum_{A} \prod_{k} \phi(\bar{f}_{k}|\bar{e}_{k}) \delta(\mathsf{start}_{k} - \mathsf{end}_{k-1} - 1) \end{split}$$

Assumptions

- 1 uniform alignments (and segmentation)
- 2 distance-based reordering
- 3 phrase independence

Estimation

Reordering model

• exponential $\delta(x) = \alpha^{|x|}$

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Phrase translation model

 EM: requires computing expected counts of unseen events (phrase alignments) [Marcu and Wong, 2002]
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Phrase translation model

- EM: requires computing expected counts of unseen events (phrase alignments) [Marcu and Wong, 2002]
 DeNero and Klein [2008] proved the problem NP-complete
- Heuristic: view phrase pairs as **observed** irrespective of context or overlap [Koehn et al., 2003]

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- multiple derivations can explain an "observed" phrase pair
- we extract all of them once, irrespective of derivation

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Scoring

Number of times a (consistent) phrase pair is "observed"

$$c(\bar{f},\bar{e})$$

Relative frequency counting

$$\phi(\bar{f}|\bar{e}) = \frac{c(\bar{f}, \bar{e})}{\sum_{\bar{f}'} c(\bar{f}', \bar{e})}$$

Decoding

Disambiguation problem

$$\begin{split} \hat{E} &= \operatorname*{max}_{E} P(E) P(F|E) \\ &= \operatorname*{max}_{E} P(E) \sum_{A} P(A, F|E) \end{split}$$

NP-complete [Sima'an, 2002]

Decoding

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NP-complete [Sima'an, 2002]

Viterbi approximation

$$\hat{E} \approx \underset{E,A}{\operatorname{arg\,max}} P(E)P(A, F|E)$$

Viterbi decoding

The alignment space (or space of derivations)

- $O(2^n)$ segmentations
- O(n!) permutations
- $O(t^n)$ substitutions

Packed representation using finite-state transducers

$$O(n^2 \times 2^n \times t)$$

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- distortion limit $d: 2^n \to 2^d$
- maximum phrase length $m: n^2 \to n \times m$

Complete model

$$P(E)P(F, A|E) = \prod_{i=1}^{|E|} \psi(e_j|e_{j-n+1}^{j-1}) \prod_{i=1}^{|A|} \phi(\bar{f}_i|\bar{e}_i) \delta(\mathsf{start}_i - \mathsf{end}_{i-1} - 1)$$

- alignment space $O(2^d \times n \times t \times m)$
- weighted derivations $O(2^d \times n \times t \times m \times |\Delta|^{k-1})$ where P(E) is a k-gram LM components over Δ^* and $|\Delta| \propto t \times n$

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pruning: beam search

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- underlying model is unclear Do you see why?
- heuristic estimation is straightforward Can you guess why it works?

Alignment space

unconstrained reordering: NP-complete

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Do you see any problem?

Nonlocal

- penalised in general
- arbitrarily constrainedDoes it suit every language pair?

Discriminative models

Linear model

$$score(E, A|F) = \theta^{\top} h(F, E, A)$$

Features

- language model
- forward translation probability P(F|E)
- backward translation probability P(E|F)
- forward and backward lexical smoothing
- word penalty
- phrase penalty

Feature weights can be optimised

[Och, 2003]



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