Embed-Align

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I am currently working on deep generative models for

- paraphrasing (with Miguel Rios)
- phrase alignment (with Philip Schulz)
- morphology (with Sander de Vroe)
- parsing (with Joost Bastings)
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- neural networks are excellent density estimators
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If you want to know more, you will find me at F2.11.

Embed-Align

Motivation

Background

Deep generative models

Lexical paraphrasing

In the event of a chemical spill, 3/4's of the children know that they should **evacuate** as advised on radio, TV, or by people in charge.

Task: hinges on a form of context-dependent WSD

- 1. predict candidates to substitute evacuate
- 2. rank them for equivalence

Lexical paraphrasing: one typical solution

Representation learning

- 1. represent words in context (e.g. embeddings, BiLSTMs, ...)
- 2. pick your favourite metric m (e.g. cosine)
- 3. rank vocabulary as a function of $m(\vec{v}(\mathsf{charge}), \vec{v}(w))$

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Some known properties

1. seems to recover metrics (enabling word analogies) $\vec{v}(\textit{king}) - \vec{v}(\textit{man}) + \vec{v}(\textit{woman}) \approx \vec{v}(\textit{queen})$

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Some known caveats

- 1. candidates cannot be **generated** by model
- 2. disambiguation relies solely on Harris hypothesis may not hold for antonyms and closely-related senses

Lexical paraphrasing: another typical solution

Pivoting

- 1. represent words as distributions over foreign vocabulary lexical alignments in two directions
- 2. candidate set: words sharing common translations
- 3. ranking: by interpolated scores or a discriminative model

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- 2. monolingual context is mostly gone no strong results on metric recovery

Lexical paraphrasing: less typical solution

Topic modelling

- 1. generative model of documents/sentences/words
- 2. candidate set: can be sampled from the model
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Variants

1. hierarchical, nonparametric, multilingual

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hierarchical, nonparametric, multilingual
Hard to use/induce rich features

Deep generative models for lexical paraphrasing

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Harris hypothesis seems pretty strong, but it fails when context is not sufficiently discriminative

we know where to find additional learning signals

Feature-rich models seem crucial

Embed-Align

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Background

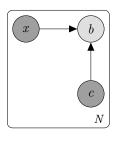
Deep generative models

Supervised embedding models

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Supervised embedding models

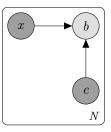
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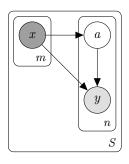
Artificial strategy to generate labels

- hinges on discriminative power of context
- ad-hoc negative samples
- but highly scalable

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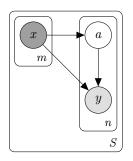
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Em caso de vazamento químico, apenas três quartos das crianças estão conscientes de que é necessário evacuar o local, como sugerem rádio, TV, e autoridades.



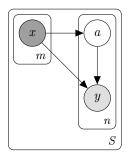
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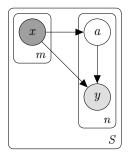
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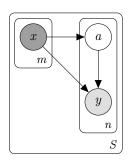


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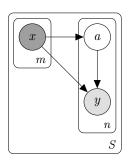
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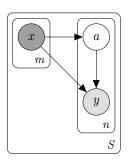
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- strong independence assumptions
- no ad-hoc negative labels



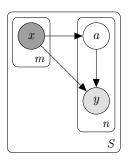
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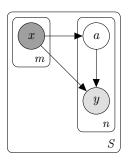
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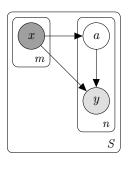
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But this **does not model** x_1^m

Embed-Align

Motivation

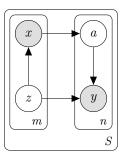
Background

Deep generative models

A generative embed-align model

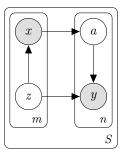
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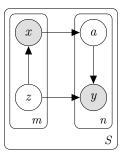
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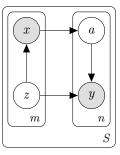
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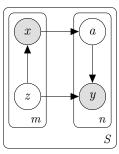
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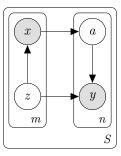
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Essentially a variational auto-encoder

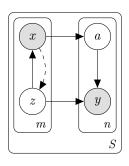
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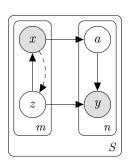
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Essentially a variational auto-encoder marginalising lexical alignments gathers additional training data

VI approximates the true posterior $p_{\theta}(Z|x)$ with an inference model $q_{\phi}(Z|x)$

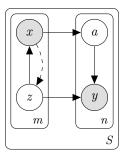


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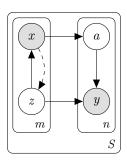
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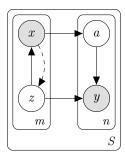
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Maximise lowerbound on log-likelihood

Preliminary results

English-French parallel data (250,000 sentences)

Model	AER
IBM 1	32.68
Embed-Align	32.06

Table: AER: dx=128, lstm=256, dz=100.

Preliminary results

English-French parallel data (250,000 sentences)

Model	Precision
Discriminative classifier (Giuliano et al, 2007)	69.03
Baseline (Wordnet and corpus frequency)	40.57
Word vecs (Melamud et al, 2015)	27.65
Embed-Align	57.70

Table: LST precision on OOT with constrained candidates

Preliminary results

English-French parallel data (250,000 sentences)

Model	Precision
Discriminative classifier (Giuliano et al, 2007)	6.95
Baseline (Wordnet and corpus frequency)	9.35
Word vecs (Melamud et al, 2015)	8.14
Embed-Align	7.38

Table: LST 1-best precision with constrained candidates

Coming soon

LST with candidates sampled from model

- for some i in x_1^m , repeat for a number of times
 - 1. $z \sim q(Z_i|x_1^m)$
 - $2. \ x \sim P(X|Z=z)$

Evaluation by word analogy

hierarchical extension to capture global context

I have presented:

▶ A generative model that "discovers" labelled data

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Message I would like to leave:

Architecture design is not the only way to express inductive biases

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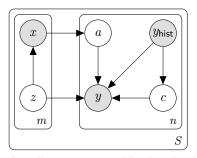
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Thanks!

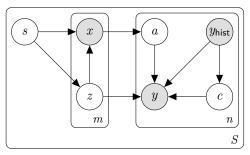
But not every word can be translated



A collocation variable decides between two components

- lacktriangle bilingual component: generates y from z_a
- lacktriangleright monolingual component: generates y from monolingual history

But what about Harris hypothesis?

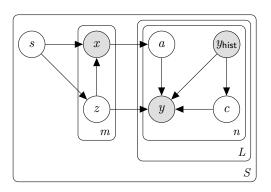


We can capture global context

- 1. by first sampling $S \sim \mathcal{N}(0, I)$
- 2. and then $Z \sim \mathcal{N}(\mu(s), \sigma^2(s))$

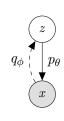
What if bilingual data is not abundant?

We can have multiple languages!



Variational auto-encoders

- Generative model $p_{\theta}(x) = \int p_{\theta}(z)p_{\theta}(x|z)\mathrm{d}z$ where $Z \sim \mathcal{N}(0, I)$
- ▶ intractable marginalisation
- variational approximation $q_{\phi}(z|x) = \mathcal{N}(\mu_{\phi}(x), \sigma_{\phi}^{2}(x))$



ELBO

$$\log p_{\theta}(x) \ge -\mathbb{E}_{q_{\phi}(Z|x)} \left[\log \frac{q_{\phi}(Z|x)}{p_{\theta}(Z)} \right] + \mathbb{E}_{q_{\phi}(Z|x)} \left[\log p_{\theta}(x|Z) \right]$$

Reparameterised gradient

$$\mathbb{E}_{q_{\phi}(Z|x)}\left[\log p(x|Z)\right] = \mathbb{E}_{\epsilon \sim N(0,I)}\left[\log p(x|Z = \mu_{\phi}(x) + \sigma_{\phi}(x)\epsilon)\right]$$