

# CSCI 375 Class Notes

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## CPU Scheduling

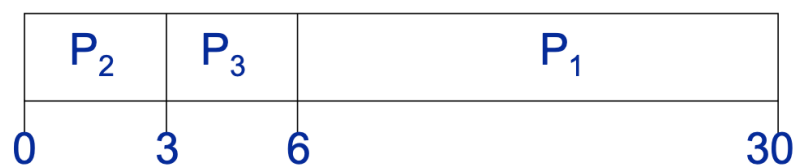
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### First-Come First-Served Scheduling

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- Fairly self explanatory
- The *convoy effect* refers to the placement of short process after long ones, leading to a higher average waiting time
- **CPU-Bound Process**
  - Process that is bottlenecked by the usage or speed of the CPU - the process "waits" on the CPU
- **I/O-Bound Process**
  - Process that is bottlenecked by the I/O of the system - the process "waits" on the I/O

- The Gantt chart for the schedule is:



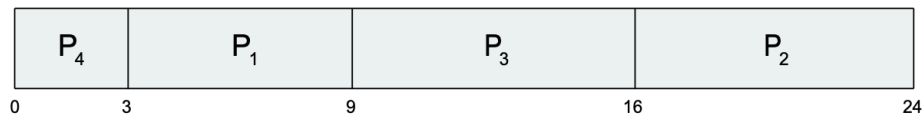
- Waiting time for  $P_1 = 6$ ;  $P_2 = 0$ ;  $P_3 = 3$
- Average waiting time:  $(6 + 0 + 3)/3 = 3$

### Shortest Job First Scheduling

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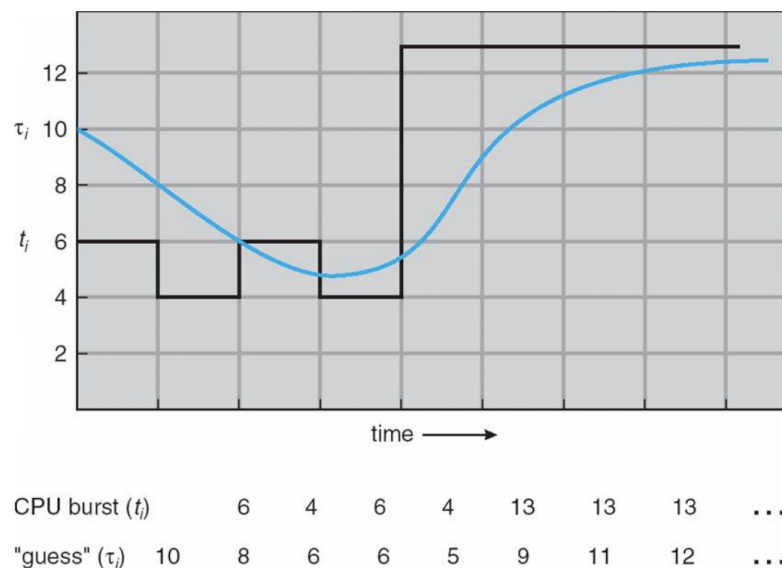
- This guarantees *minimum average waiting time*

- This algorithm is unrealistic to implement in real systems due to the complication of the system not knowing how long each process will take to start



- **Average waiting time =  $(3 + 16 + 9 + 0) / 4 = 7$**

- As far as determining the length, in time, of the next CPU length, the best a system can do is estimate it based on previous bursts



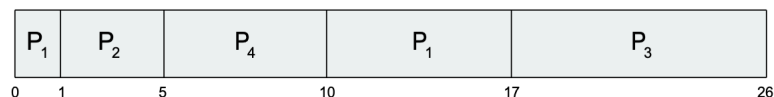
- How is this estimation done?

- Let  $t_n$  be the length of the nth CPU burst
- $\tau_{n+1}$  is the predicted value of the next CPU burst
- $\alpha, 0 \leq \alpha \leq 1$
- Define:
  - $\tau_{n+1} = \alpha t_n + (1 - \alpha) \tau_n$
  - commonly,  $\alpha = \frac{1}{2}$
  - We can recursively define  $\tau$  and expand the formula to:
  - $\tau_{n+1} = \alpha t_n + (1 - \alpha) \alpha t_{n-1} + \dots + (1 - \alpha)^j \alpha t_{n-j} + \dots + (1 - \alpha)^{n+1} \tau_0$

- Since both  $\alpha$  and  $(1 - \alpha)$  are less than or equal to 1, each successive term is less and less weighted than its predecessor
- If  $\alpha$  is set to 0, *recent history* does not count
- If  $\alpha$  is set to 1, only the single previous CPU burst count
- *Shortest Remaining Time First Scheduling* employs preemptive scheduling to allow for the concepts of varying arrival times and preemption

<u>Process</u>	<u>Arrival Time</u>	<u>Burst Time</u>
$P_1$	0	8
$P_2$	1	4
$P_3$	2	9
$P_4$	3	5

■ *Preemptive SJF Gantt Chart*



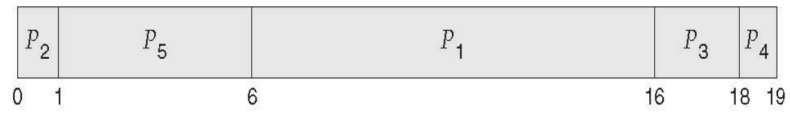
■ Average waiting time =  $[(10-1)+(1-1)+(17-2)+5-3]/4 = 26/4 = 6.5 \text{ msec}$

## Priority Scheduling

- Under priority scheduling, a priority number, which is an integer, is associated with each process
- The CPU is allocated the process with highest priority
  - Can be either *preemptive* or *non-preemptive*
- Shortest Job First scheduling is a priority scheduling algorithm where the priority is the predicted next CPU burst time
- *Problem: Starvation*
  - Low priority processes might never get the chance to execute
- *Solution: Aging*
  - As time progresses, we can increase the priority of a process such that older processes are more heavily prioritized

<u>Process</u>	<u>Burst Time</u>	<u>Priority</u>
$P_1$	10	3
$P_2$	1	1
$P_3$	2	4
$P_4$	1	5
$P_5$	5	2

- Priority scheduling Gantt Chart



- Average waiting time = 8.2 msec