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# ShowPF.py
"""Examines two implementations of the perfect
shuffle.
def PF1(x):
  """ The items in x are permuted via the perfect shuffle.
  PreC: x references a list with even length
  n = len(x)
  m = n/2
  # Cut the list in two...
  top = list(x[:m])
  bot = list(x[m:])
  for k in range(m):
     # Process the kth item from the top and bottom halves
     x[2*k] = top[k]
     x[2*k+1] = bot[k]
def PF2(x):
  """ Returns a reference to a list that is a perfect shuffle of x
  PreC: x references a list with even length
  n = len(x)
  m = n/2
  y = \prod
  for k in range(m):
     # Append the kth item from the top half
     y.append(x[k])
     # append the kth item from the bottom half
    y.append(x[k+m])
  return y
if name == ' main ':
  """ To appreciate the idea that lists are objects we look
  at two perfect shuffle computations, one with the Void function PF1
  and one with the fruitful function PF2."""
  n = raw input('Enter an even whole number: ')
  n = int(n)
  # Generate a random integer list
  \mathbf{x}0 = []
  for k in range(n):
     x0.append(10*k)
  # Repeated perfect shuffles until we retrieve the original list.
  x = list(x0)
  PF1(x)
  numPFs = 1
  while x!=x0:
     PF1(x)
    numPFs+=1
  print 'n = %1d, Number of perfect shuffles = %1d (via PF1)' % (n,numPFs)
  # Repeated perfect shuffles until we retrieve the original list.
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\begin{split} x &= PF2(x0) \\ numPFs &= 1 \\ while \ x! = &x0: \\ x &= PF2(x) \\ numPFs + &= 1 \\ print \ 'n &= \%1d, \ Number \ of \ perfect \ shuffles = \%1d \ (via \ PF2)' \ \% \ (n,numPFs) \end{split}
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