



# [CS 11 25.1] Lab 3b – Compatibility 2

Cheatsheet is available here: <https://oj.dcs.upd.edu.ph/cs11cheatsheet/>

Submit solution  
[CS 11 25.1]  
Lab Exercise 3

## Problem Statement

There are  $n$  intervals, numbered 1 to  $n$ . You are also given an integer  $m$ .

For each integer  $k$  such that  $0 \leq k < m$ , answer the following question:

How many pairs of integers  $(i, j)$  are there with  $1 \leq i < j \leq n$  such that intervals  $i$  and  $j$  have an intersection of length  $k$ ? Two intervals have an intersection of length  $k$  if there are exactly  $k$  unique integers that are in both intervals.

**Note.** An *interval* is given in the form  $[\ell, r)$ , which consists of all integers  $x$  such that  $\ell \leq x < r$ .

Points: 120 (partial)

Time limit: 15.0s

Memory limit: 2G

Problem type

Allowed languages

py3

## Task Details

Your task is to implement a function named `intersection_stats`, which should have the following *signature*:

```
def intersection_stats(intervals, m):
```

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The above says that it has two arguments `intervals` and `m`.

- `intervals` is a length- $n$  `tuple` of pairs (tuples of length 2) denoting the  $n$  intervals.
- `m` is an integer (`int`) as described in the **Problem Statement**.

The function must return a length- $m$  list of integers, where the  $i^{\text{th}}$  item in this list (0-indexed) refers to the answer when  $k = i$ .

## Restrictions

- Your source code must have at most 1,000 bytes.
- The following symbol is allowed: `sorted`.

## Examples

### Example 1 Function Call

```
intersection_stats(((1, 3), (2, 4), (1, 5)), 4)
```

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### Example 1 Return Value

```
[0, 1, 2, 0]
```

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## Constraints

- The function `intersection_stats` will be called at most 100 times.
- $0 \leq \ell < r \leq 10^{20}$
- The length of `intervals` is at most 100.
- $1 \leq m \leq 50$

## Scoring

**Note:** New tests may be added and all submissions may be rejudged at a later time. (All future tests will satisfy the constraints.)

- You get 20 ❤ points if you solve all test cases where:
  - $r \leq 50$
- You get 100 ❤ points if you solve all test cases.

## Clarifications

Report an issue

No clarifications have been made at this time.