

# Hybrid Experimental-Numerical Approach to Solve Inverse Convection Problems

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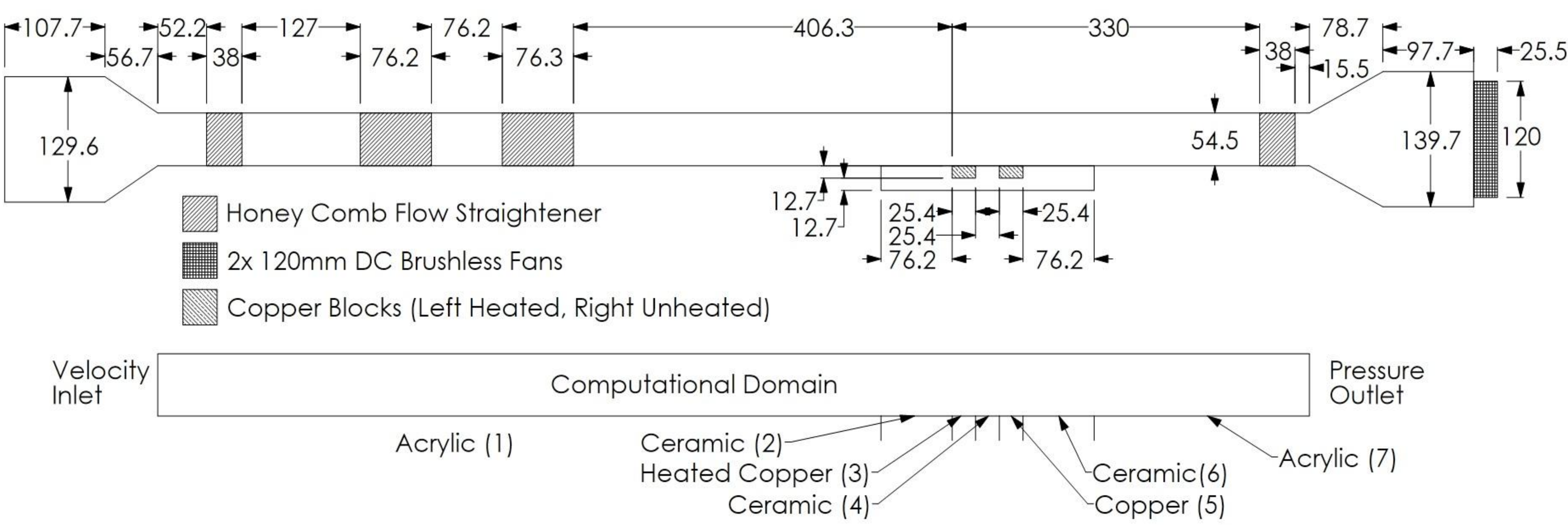
## Introduction

A combined experimental and numerical study was performed to determine the plausibility and effectiveness of a method to solve inverse convection problems.

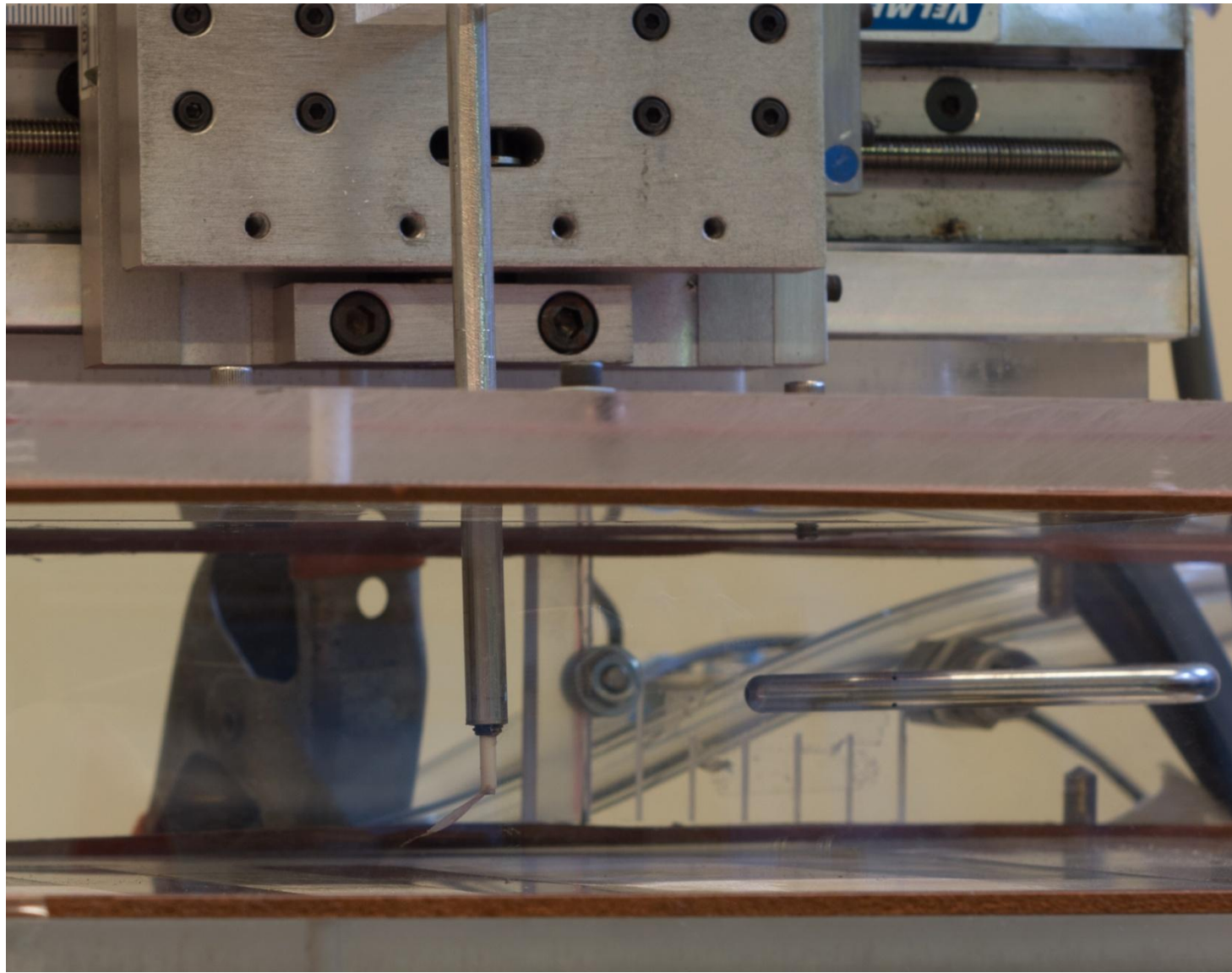
A plume in a crosswind was selected due to its relative simplicity and wide range of applications.

The goal was to predict both plume location and temperature.

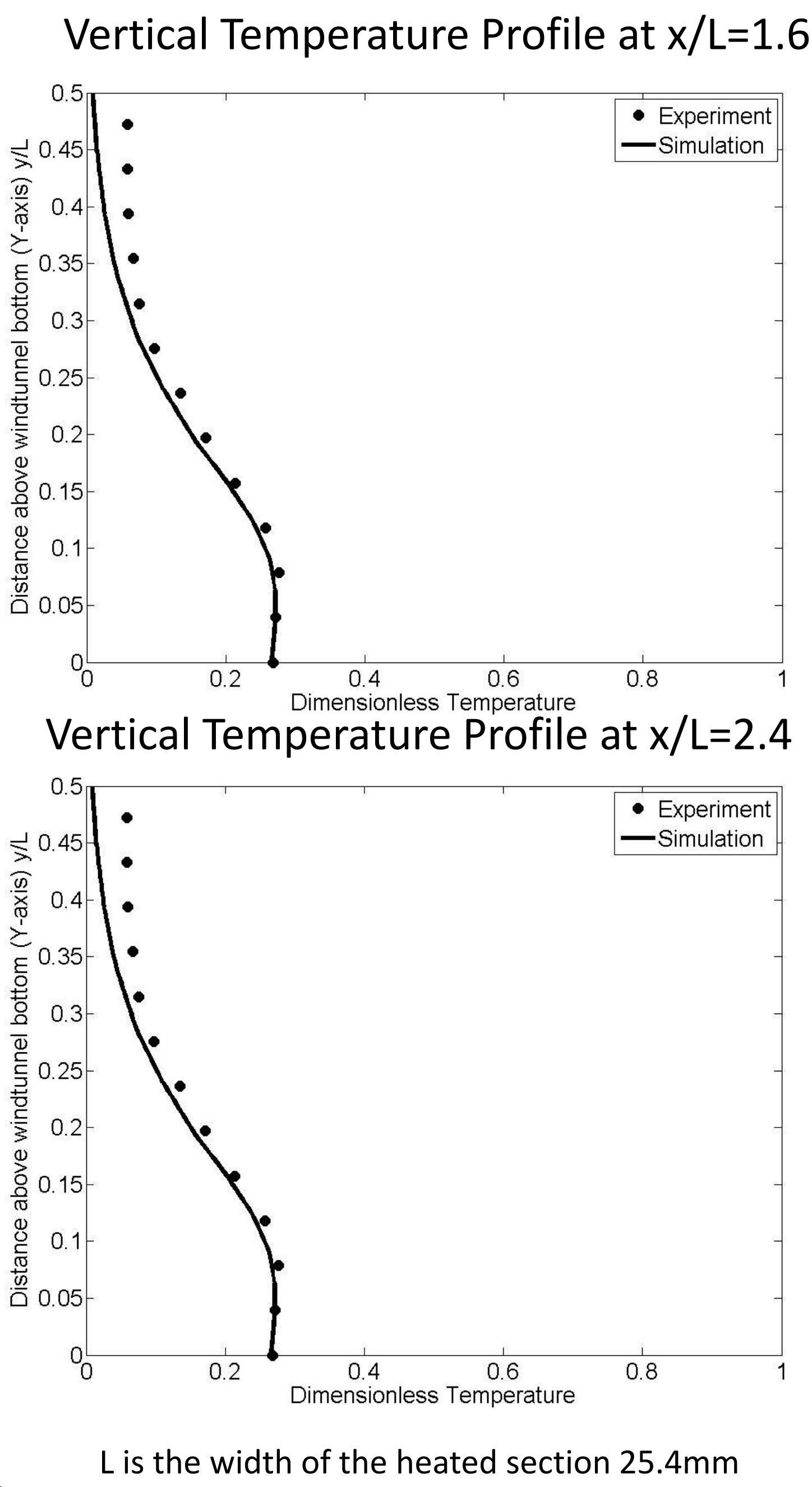
## Experimental Layout and Simulation Domain



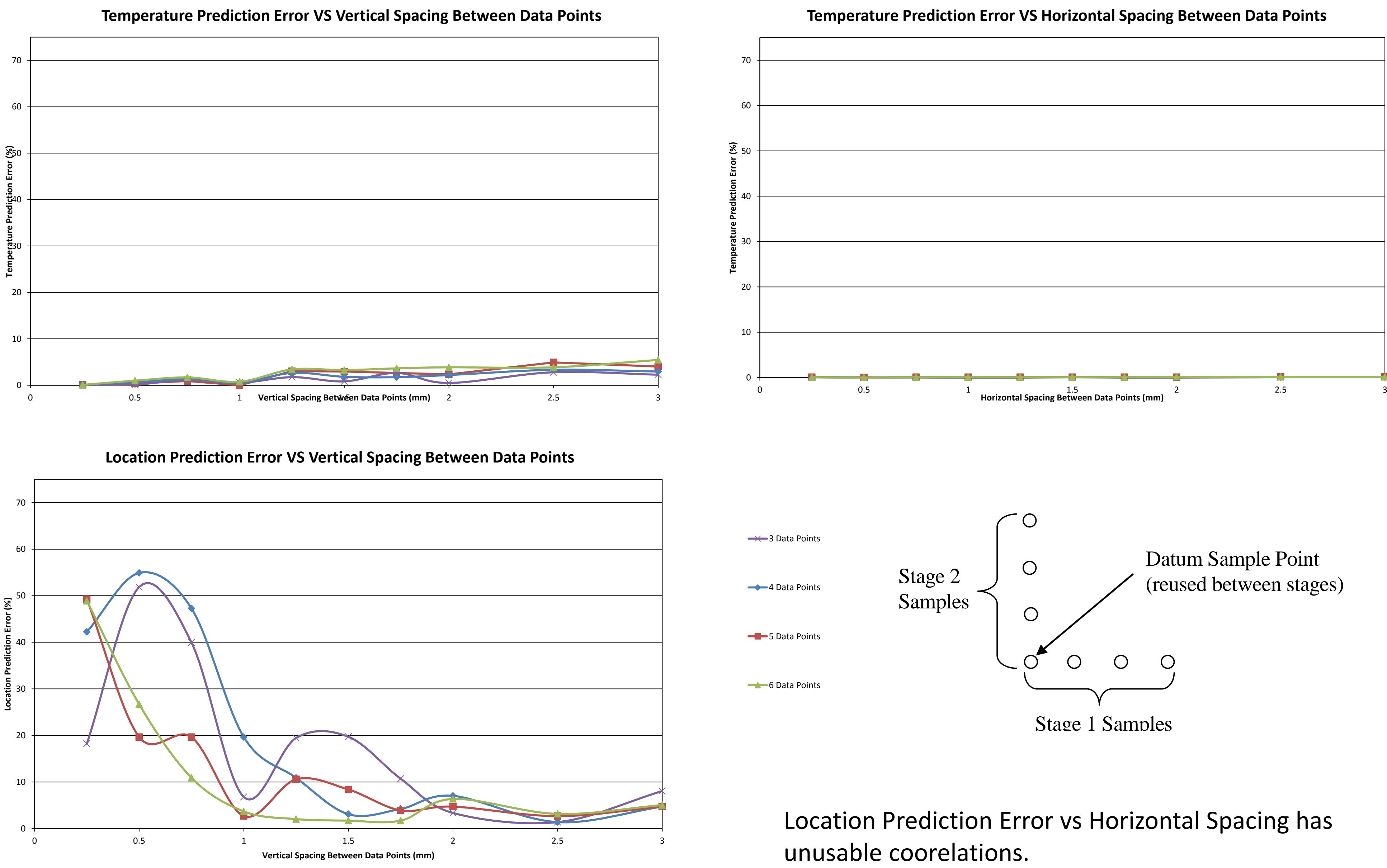
## Experimental Test Section Close-Up



## Experiment – Simulation Agreement



## Sampling Pattern



## Objective Function

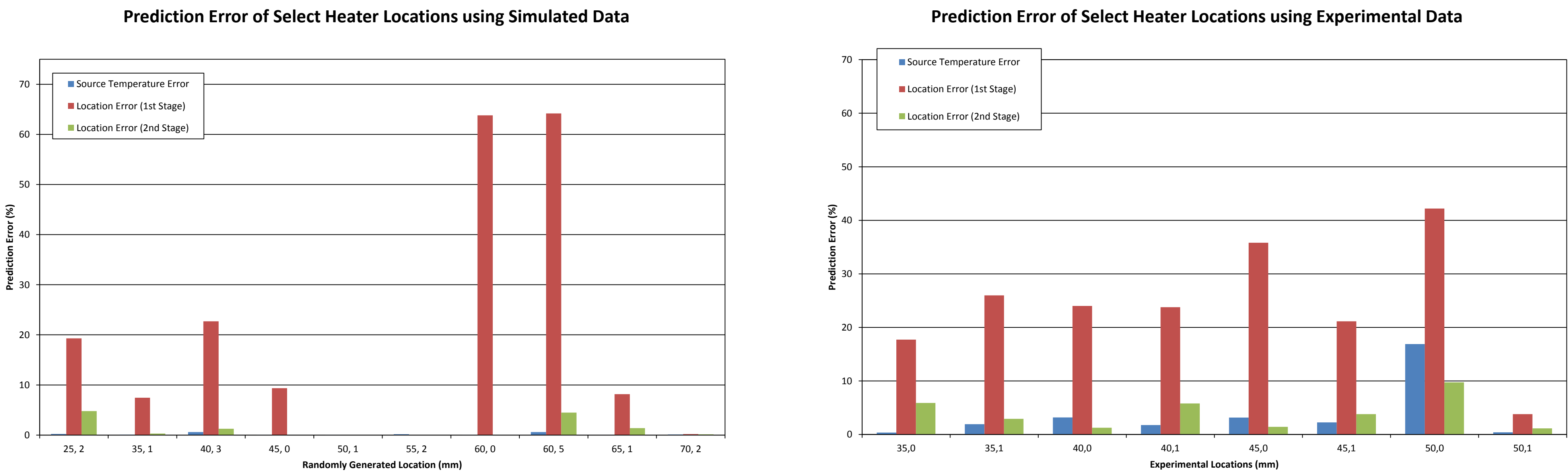
### First Stage (Predict Source Temperature)

$$F(x, y) = \sum_{i=2}^n [m(x + \Delta x_i, y + \Delta y_i) T(x_i, y_i) + b(x + \Delta x_i, y + \Delta y_i) - m(x, y) T(x_i, y_i) - b(x, y)]^2$$
$$T_{SP} = \frac{\sum_{i=1}^n [m(x_{SP}^* + \Delta x_i, y_{SP}^* + \Delta y_i) T(x_i, y_i) + b(x_{SP}^* + \Delta x_i, y_{SP}^* + \Delta y_i)]}{n}$$

### Second Stage (Predict Source Location)

$$F_{mod}(x, y) = \sum_{i=1}^n [m(x + \Delta x_i, y + \Delta y_i) T(x_i, y_i) + b(x + \Delta x_i, y + \Delta y_i) - T_{SP}]^2$$
$$T_s = m(x, y) T(x, y) + b(x, y) \quad x_i = x_1 + \Delta x_i \quad x_{SP}^*, y_{SP}^* \text{ coorespond to the minimum of } F$$
$$m(x, y) = \frac{T_{SA} - T_{SP}}{T_A(x, y) - T_B(x, y)} \quad y_i = y_1 + \Delta y_i$$
$$b(x, y) = T_{SA} - m(x, y) T_A(x, y)$$

## Results



## Conclusions

- Algorithm tests show less than 1% temperature prediction error is possible and 5% for location prediction error
- Experimental tests show 3% and 6% for temperature prediction error and location prediction error respectively
- The methodology demonstrates robust potential