Group-10:

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Research Paper:

We have selected the research paper with **Code Not Available**.

All the code has been written by us in Full.



THFORY

We will use a **Local Difference Descriptor (LDD)** which is a set of features that we will use to discriminate between median filtered and non-median filtered images.

LDD will consist of:

- 1. Joint Histogram of Rotation Invariant Uniform LBP
- 2. Corellation Coefficient of PDM
- 1. Joint Histogram of Rotation Invariant Uniform LBP:

LBP (Local Binary Pattern):

LBP is a simple yet very efficient texture operator which labels the pixels of an image by thresholding the neighborhood of each pixel and considers the result as a binary number. Due to its discriminative power and computational simplicity, LBP texture operator has become a popular approach in various applications. It can be used for texture classification, segmentation, face recognition, and other applications.

Formulation:

The LBP operator can be written as:

$$LBP_{P,R} = \sum_{p=0}^{P-1} s(g_p - g_c)2^p$$

where g_c is the intensity of the center pixel and g_p is the intensity of the neighboring pixels. s(x) is a function that returns 0 if x is negative and 1 otherwise. P is the number of pixels in the neighborhood and R is the radius of the neighborhood.

Rotation Invariant LBP:

In rotation invariant LBP, we cycle through all possible rotations of the binary pattern and use the smallest one as the result. For example, if the binary pattern is 10010000, we would get 01001000, 00100100, 00010010, 00001001, 00000100, 00000001, and 10000010. The smallest one is 00000001, which is the result of rotation invariant LBP.

Formulation:

The rotation invariant LBP operator can be written as:

$$LBP_{PR}^{ri} = min\{ROR(x,i)\}$$

where ROR(x,i) is the result of rotating the binary pattern x by i bits to the right.

Uniform LBP:

A binary pattern is called uniform if it contains at most two bitwise transitions from 0 to 1 or vice versa when the bit pattern is traversed circularly. For example, 00000000 and 01110000 are uniform patterns, while 01010000 and 11000000 are not.

Rotation Invariant Uniform LBP:

In the paper, they have talked about rotation invariant uniform LBP because it is more discriminative than the original LBP.

Formulation:

The rotation invariant uniform LBP operator can be written as:

$$LBP_{P,R}^{riu2} = \begin{cases} \sum_{p=0}^{P-1} s \left(g_p - g_c \right) 2^p & \text{if } U \left(LBP_{P,R} \right) \le 2 \\ P+1 & \text{otherwise} \end{cases}$$

where U(x) is the number of bitwise transitions in the binary pattern x.

CLBP (Completed Local Binary Pattern):

Because the conventional **LBP** descriptor just use the sign information of image local difference, and the magnitude information is discarded. Another paper (referenced by this paper) proposed a **completed LBP** descriptor by decomposing the image local difference into two complementary components, i.e., the $Sign(s_p)$ and the $Magnitude(m_p)$, respectively.

$$s_p = s(g_p - g_c)$$
$$m_p = |g_p - g_c|$$

where g_p , g_c and s(x) are defined above.

Then they defined the CLBP - Sign(CLBPS) (i.e., LBP) and CLBP - Magnitude (CLBPM) as:

$$CLBPM_{P,R} = \sum_{p=0}^{P-1} s(m_p - c)2^p$$

where c denotes the mean value of m_p in the whole image.

Hence, we get:

$$CLBPS_{P,R}^{riu2} = \begin{cases} \sum_{p=0}^{P-1} s(g_p - g_c) 2^p & \text{if } U(LBP_{P,R}) \leq 2 \\ P+1 & \text{otherwise} \end{cases}$$

$$CLBPM_{P,R}^{riu2} = \begin{cases} \sum_{p=0}^{P-1} s(m_p - c) 2^p & \text{if } U(LBP_{P,R}) \leq 2 \\ P+1 & \text{otherwise} \end{cases}$$

Note: The Outputs will be converted to Rotation Invariant Form.

The center gray level component of CLBP is discard, because it describes the global information of an image. The histogram of the CLBPC cannot distinguish the median filtered images from non-median filtered images. The mappings from $LBP_{P,R}$ to $CLBPS_{P,R}^{riu2}$ and $CLBPM_{P,R}^{riu2}$, which have P+2 distinct output values, can be implemented with a lookup table of 2^P elements.

Finally, we use the joint 2D histogram of the $CLBPS_{P,R}^{riu2}$ and $CLBPM_{P,R}^{riu2}$ codes as our first features set (JHLBP) with $(P+2)^2$ dimensions for median filtering detection.

2. Correlation Coefficients of PDM

The local pixel differences can better describe how pixel values change and implicitly encode important micro structures. To show the behavior of local pixel difference pair, we present the joint probability distribution of local pixel difference pair which is denoted as:

$$P_{i,j}^{p,q}(t_x,t_y) = Pr(g_{i,j}^p - g_{i,j} = t_x, g_{i,j}^q - g_{i,j} = t_y)$$

where $g_{i,j}^p$ and $g_{i,j}^q$ are the pixel values of the P_{th} and Q_{th} neighbors of the center pixel (i,j), respectively. t_x and t_y are the local pixel difference pair.

Essentially it is the Probability of p_{th} neighbour differing by a difference of t_x from the center pixel $g_{i,j}$ and q_{th} neighbour differing by a difference of t_y from the center pixel $g_{i,j}$.

In order to take advantage of the correlation between the local pixel difference pair, we compute the correlation coefficients of the PDM.

PDM (Pixel Difference Matrix):

First, we obtain a PDV (Pixel Difference Vector) for each pixel in the image. The PDV is a vector of length P which contains the difference between the center pixel and its P neighbours. The PDV is denoted as:

$$d_i = [d_{i,1}, d_{i,2}, \dots, d_{i,P}]^T$$

where d_i is the PDV of i^{th} pixel in the image. $d_{i,j}$ is the difference between the center pixel and its j^{th} neighbour.

Now, we eliminate the PDVs whose elements are all 0 values.

Then, we construct a PDM (Pixel Difference Matrix) for the remaining PDVs. The PDM is denoted as:

$$M = \begin{bmatrix} d_{1,1} & d_{2,1} & \cdots & d_{N,1} \\ d_{1,2} & d_{2,2} & \cdots & d_{N,2} \\ \vdots & \vdots & \ddots & \vdots \\ d_{1,P} & d_{2,P} & \cdots & d_{N,P} \end{bmatrix}$$

where M is the PDM of the image. N is the number of PDVs after eliminating the PDVs whose elements are all 0 values.

The PDV measures the differences between the center point and neighboring pixels within a patch, thus it can better describe how pixel values change and can implicitly encode important visual patterns such as edges and lines in images.

Now, Joint probability is suitable to elaborate the behavior of local difference pairs. Therefore, the $Normalized\ Cross\ Correlation\ [NCC]$ coefficients can be used as features to capture the joint probability of local difference pairs.

Normalized Cross Correlation (NCC):

The NCC coefficient of i^{th} and j^{th} rows in the PDM is denoted as:

$$NCC(i,j) = \frac{cov([d_{1,i},d_{2,i},...,d_{N,i}]^{T},[d_{1,j},d_{2,j},...,d_{N,j}]^{T})}{\sqrt{D([d_{1,i},d_{2,i},...,d_{N,i}]^{T})D([d_{1,j},d_{2,j},...,d_{N,j}]^{T})}}$$

where *c ov* is the covariance of two vectors and *D* is defined as:

$$D([d_{1,i},d_{2,i},\ldots,d_{N,i}]^T) = c o v([d_{1,i},d_{2,i},\ldots,d_{N,i}]^T,[d_{1,i},d_{2,i},\ldots,d_{N,i}]^T)$$

The NCC coefficient is a measure of similarity between two vectors. It is equal to 1 when the two vectors are identical, and it is equal to 0 when the two vectors are orthogonal.

Our second set of features can be summarized as follows:

- 1. Group the PDV s to form the PDM with P rows;
- 2. Consider an arbitrary row of PDM as a random variable and obtain the NCC coefficients of any different variables;
- 3. Concatenate all the NCC coefficients of PDM(CPDM) to yield a $\square^P C_2 Dimensional$ feature vector C.

3. Final Features Set

Combining JHLBP features and CPDM features, we obtain the final LDD features with $(P+2)^2 + \frac{P(P-1)}{2}$ elements for median filtering detection.

NOTE: As instructed in the research paper, we will use 8 neighbours i.e. P = 8 and R = 1 where P is the number of neighbours and R is the radius of the neighbourhood.

IMPLEMENTATION

```
Importing Libraries
import numpy as np
import cv2
import matplotlib.pyplot as plt
import threading
from sklearn.discriminant analysis import LinearDiscriminantAnalysis
Importing Dataset
DATASET PATH = 'ucid dataset/ucid v2/'
# Read All Images from the UCID Dataset
def read images():
    images = []
    for i in range(1338):
        file name = str(i+1)
        while(len(file name) < 5):</pre>
            file_name = '0' + file_name
        # print("Reading Image: " + file name)
        img = cv2.imread(DATASET PATH + "ucid" + file name + '.tif')
        # Convert to Gray Scale
        img = cv2.cvtColor(img, cv2.COLOR BGR2GRAY)
        images.append(img)
    return images
ucid images = read images()
```

```
len(ucid images)
1338
ucid images[0].shape
(384, 512)
# Checking Shapes of All UCID Images
shapes = {}
for img in ucid images:
    shapes[img.shape] = shapes.get(img.shape, 0) + 1
shapes
{(384, 512): 885, (512, 384): 453}
# All Images which are of shape (512, 384), rotate them by 90 degrees
for i in range(len(ucid images)):
    if ucid_images[i].shape == (512, 384):
        ucid_images[i] = np.rot90(ucid_images[i])
# Checking Shapes of All UCID Images
shapes = \{\}
for img in ucid images:
    shapes[img.shape] = shapes.get(img.shape, 0) + 1
shapes
{(384, 512): 1338}
Now all Images are of same shape
Checking a Sample Image
# Displaying a Sample Image
plt.imshow(ucid_images[0], cmap='gray')
# Remove Axis
plt.axis('off')
plt.show()
```



```
Creating Median Filtered and Average Filtered Images
# Creating Median Filtered Dataset and Average Filtered Dataset
median filtered images 3 = []
median_filtered_images_5 = []
average filtered images 3 = []
for img in ucid images:
    median filtered images 3.append(cv2.medianBlur(img, 3))
    median filtered images 5.append(cv2.medianBlur(img, 5))
    average filtered images 3.append(cv2.blur(img, (3, 3)))
# Converting to Numpy Arrays
ucid images = np.array(ucid images)
median filtered images 3 = np.array(median filtered images 3)
median filtered images 5 = np.array(median filtered images 5)
average_filtered_images_3 = np.array(average_filtered_images_3)
# Displaying Multiple Versions of a Sample Image
fig, axs = plt.subplots(2, 2, figsize=(15, 15))
axs[0, 0].imshow(ucid images[5], cmap='gray')
axs[0, 0].set title('Original Image')
axs[0, 1].imshow(median filtered images 3[5], cmap='gray')
axs[0, 1].set_title('Median Filtered Image (3x3)')
```

```
axs[1, 0].imshow(median_filtered_images_5[5], cmap='gray')
axs[1, 0].set_title('Median Filtered Image (5x5)')

axs[1, 1].imshow(average_filtered_images_3[5], cmap='gray')
axs[1, 1].set_title('Average Filtered Image (3x3)')

# Remove Axis
for ax in axs.flat:
    ax.axis('off')

# Gap in first row and second row
plt.tight_layout(pad=0.5)

plt.show()
```





Implementing LDD (Local Difference Descriptor) Features

1. Joint Histogram of Rotation Invariant Uniform LBP ucid_images.shape (1338, 384, 512)

Function to get Joint Histogram of Rotation Invariant Uniform LBP

```
# Function to calculate Average value of |G p - G c| where c is the
center pixel and p is the neighbour pixel
def get average difference(img):
    c = 0
    cnt = 0
    # Neighbours
    dx = [-1, -1, -1, 0, 0, 1, 1, 1]
    dy = [-1, 0, 1, -1, 1, -1, 0, 1]
    for i in range(1, img.shape[0]-1):
        for j in range(1, img.shape[1]-1):
            p = img[i][j]
            for k in range(8):
                x = i + dx[k]
                y = j + dy[k]
                cnt += 1
                c += abs(int(p) - int(img[x][y]))
    return c/cnt
# Function to get rotationally invariant string for a given binary
strina
def rotational invariant(binary string):
    # Get all possible rotations
    rotations = []
    for i in range(len(binary string)):
        rotations.append(binary_string[i:] + binary_string[:i])
    # Sort the rotations
    rotations.sort()
    # Return the first rotation
    return rotations[0]
# Function to get joint histogram of rotationally invariant uniform
lbp
def get joint histogram(img):
    dx = [-1, -1, -1, 0, 0, 1, 1, 1]
    dy = [-1, 0, 1, -1, 1, -1, 0, 1]
```

```
# BINS
    pattern_to_index = {
        "00000000": 0,
        "00000001": 1,
        "00000011": 2,
        "00000111": 3.
        "00001111": 4,
        "00011111": 5,
        "00111111": 6,
        "01111111": 7,
        "111111111": 8,
        "OTHER": 9
    }
    # HISTOGRAM
    joint histogram = np.zeros((10, 10))
    # Calculate Average value of |G p - G c| where c is the center
pixel and p is the neighbour pixel
    c = get average difference(img)
    # Calculate CLBPS and CLBPM for each pixel
    for i in range(1, img.shape[0]-1):
        for j in range(1, img.shape[1]-1):
            # Get CLBPS and CLBPM for this pixel
            clbps = ""
            clbpm = ""
            for k in range(8):
                x = i + dx[k]
                y = j + dy[k]
                if img[x][y] > img[i][j]:
                    clbps += "1"
                else:
                    clbps += "0"
                if abs(int(img[x][y]) - int(img[i][j])) > c:
                    clbpm += "1"
                else:
                    clbpm += "0"
            # Convert till rotationally invariant
            clbps = rotational_invariant(clbps)
            clbpm = rotational invariant(clbpm)
            # Check Number of 0-1 and 1-0 transitions
            transitions clbps = 0
            transitions clbpm = 0
```

```
for k in range(1, len(clbps)):
                if clbps[k] != clbps[k-1]:
                    transitions clbps += 1
                if clbpm[k] != clbpm[k-1]:
                    transitions clbpm += 1
            if transitions clbps > 2:
                # P+1 ROTATION INVARIANT FORM
                clbps = "00001001"
            if transitions clbpm > 2:
                # P+1 ROTATION INVARIANT FORM
                clbpm = "00001001"
            if clbps not in pattern to index:
                clbps = "OTHER"
            if clbpm not in pattern to index:
                clbpm = "OTHER"
            # Update Joint Histogram
            joint_histogram[pattern_to_index[clbps]]
[pattern to index[clbpm]] += 1
    # Convert to Numpy Array
    joint histogram = np.array(joint histogram)
    # Return Joint Histogram
    return joint histogram
# Try for a sample image
joint histogram = get joint histogram(ucid images[5])
joint histogram.shape
(10, 10)
# Function to calculate Joint Histogram for all images
def calculate joint histograms(images, TARGET LIST,
DATASET NAME="DEFAULT"):
    for i in range(len(images)):
        if i%100 == 0:
            print(f"{i}/1338 images done for {DATASET NAME}")
        TARGET LIST.append(get joint histogram(images[i]))
# Calculate Joint Histogram for all images
joint histograms ucid = []
joint histograms_median_filtered_3 = []
joint histograms median filtered 5 = []
joint histograms average filtered 3 = []
```

```
# RUN FOR EVERY DATASET IN A SEPARATE THREAD
t1 = threading.Thread(target=lambda:
calculate joint histograms(ucid images, joint histograms ucid,
"UCID"))
t2 = threading.Thread(target=lambda:
calculate_joint_histograms(median_filtered_images_3,
joint histograms median filtered 3, "MEDIAN FILTERED 3"))
t3 = threading.Thread(target=lambda:
calculate joint histograms (median filtered images 5,
joint histograms median filtered 5, "MEDIAN FILTERED 5"))
t4 = threading.Thread(target=lambda:
calculate_joint_histograms(average_filtered_images_3,
joint histograms average filtered 3, "AVERAGE FILTERED 3"))
# START ALL THREADS
t1.start()
t2.start()
t3.start()
t4.start()
# WAIT FOR ALL THREADS TO COMPLETE
t1.join()
t2.join()
t3.join()
t4.join()
0/1338 images done for UCID
0/1338 images done for MEDIAN FILTERED 3
0/1338 images done for MEDIAN FILTERED 5
0/1338 images done for AVERAGE FILTERED 3
100/1338 images done for MEDIAN FILTERED 3
100/1338 images done for UCID
100/1338 images done for MEDIAN FILTERED 5
100/1338 images done for AVERAGE FILTERED 3
200/1338 images done for MEDIAN FILTERED 3
200/1338 images done for UCID
200/1338 images done for MEDIAN FILTERED 5
200/1338 images done for AVERAGE FILTERED 3
300/1338 images done for MEDIAN FILTERED 3
300/1338 images done for UCID
300/1338 images done for MEDIAN FILTERED 5
300/1338 images done for AVERAGE FILTERED 3
400/1338 images done for UCID
400/1338 images done for MEDIAN FILTERED 3
400/1338 images done for MEDIAN FILTERED 5
400/1338 images done for AVERAGE FILTERED 3
500/1338 images done for UCID
500/1338 images done for MEDIAN FILTERED 3
500/1338 images done for MEDIAN FILTERED 5
500/1338 images done for AVERAGE FILTERED 3
```

```
600/1338 images done for UCID
600/1338 images done for MEDIAN FILTERED 3
600/1338 images done for MEDIAN FILTERED 5
700/1338 images done for UCID
600/1338 images done for AVERAGE FILTERED 3
700/1338 images done for MEDIAN FILTERED 3
700/1338 images done for MEDIAN FILTERED 5
800/1338 images done for UCID
800/1338 images done for MEDIAN FILTERED 3
700/1338 images done for AVERAGE FILTERED 3
800/1338 images done for MEDIAN FILTERED 5
900/1338 images done for UCID
900/1338 images done for MEDIAN_FILTERED 3
800/1338 images done for AVERAGE FILTERED 3
1000/1338 images done for UCID
900/1338 images done for MEDIAN FILTERED 5
1000/1338 images done for MEDIAN FILTERED 3
900/1338 images done for AVERAGE FILTERED 3
1100/1338 images done for UCID
1100/1338 images done for MEDIAN FILTERED 3
1000/1338 images done for MEDIAN FILTERED 5
1200/1338 images done for UCID
1000/1338 images done for AVERAGE FILTERED 3
1200/1338 images done for MEDIAN FILTERED 3
1100/1338 images done for MEDIAN FILTERED 5
1300/1338 images done for UCID
1300/1338 images done for MEDIAN FILTERED 3
1100/1338 images done for AVERAGE FILTERED 3
1200/1338 images done for MEDIAN FILTERED 5
1200/1338 images done for AVERAGE FILTERED 3
1300/1338 images done for MEDIAN FILTERED 5
1300/1338 images done for AVERAGE FILTERED 3
# Convert to Numpy Arrays
joint histograms ucid = np.array(joint histograms ucid)
joint histograms median filtered 3 =
np.array(joint histograms median filtered 3)
joint_histograms_median_filtered_5 =
np.array(joint histograms median filtered 5)
joint histograms average filtered 3 =
np.array(joint histograms average filtered 3)
joint histograms ucid.shape, joint histograms median filtered 3.shape,
joint histograms median filtered 5.shape,
joint histograms average filtered 3.shape
((1338, 10, 10), (1338, 10, 10), (1338, 10, 10), (1338, 10, 10))
# Save Joint Histograms
# np.save("joint histograms_ucid.npy", joint_histograms_ucid)
# np.save("joint histograms median filtered 3.npy",
```

```
joint histograms median filtered 3)
# np.save("joint_histograms median filtered 5.npy",
joint histograms median filtered 5)
# np.save("joint histograms average filtered 3.npy",
joint_histograms_average filtered 3)
# Read Joint Histograms
# joint histograms ucid = np.load("joint histograms ucid.npy")
# joint histograms median filtered 3 =
np.load("joint histograms median filtered 3.npy")
# joint histograms median filtered 5 =
np.load("joint histograms median filtered 5.npy")
# joint histograms average filtered 3 =
np.load("joint histograms average filtered 3.npy")
joint histograms ucid.shape, joint histograms median filtered 3.shape,
joint histograms_median_filtered_5.shape,
joint_histograms_average_filtered_3.shape
((1338, 10, 10), (1338, 10, 10), (1338, 10, 10), (1338, 10, 10))
So now for every image, we have a feature vector of size 100.
2. Correlation Coefficients of PDM
ucid images.shape
(1338, 384, 512)
Function to get PDM (Pixel Difference Matrix) from an Image
# Function to calculate PDM of an Image
def calculate pdm(img):
    # Calculate PDV's for all pixels
    pdm = []
    # Neiahbours
    dx = [-1, -1, -1, 0, 0, 1, 1, 1]
    dy = [-1, 0, 1, -1, 1, -1, 0, 1]
    # Loop over all pixels
    for i in range(1, img.shape[0] - 1):
        for j in range(1, img.shape[1]-1):
            pdv = []
            # Flag to check if all elements are 0
            flaq = False
            # Check for all 8 neighbours of the pixel
            for k in range(8):
                difference = int(img[i + dx[k]][j + dy[k]]) -
```

```
int(img[i][j])
                pdv.append(difference)
                if difference != 0:
                    flag = True
            # If all elements are 0, then don't add it to the list
            if flag:
                pdm.append(pdv)
    pdm = np.array(pdm)
    # Take Transpose
    pdm = pdm.T
    return pdm
Function to get Correlation Coefficients of PDM from an Image
# UTILS
def get_D(pdm_row):
    return np.cov(pdm row, pdm row)[0][1]
# Function to get Correlation Coefficients of PDM from an Image
def get correlation coefficients(img):
    # Calculate PDM
    pdm = calculate pdm(img)
    # Calculate Correlation Coefficients
    corr coefficients = []
    for i in range(pdm.shape[0]):
        for j in range(i+1, pdm.shape[0]):
            # Calculate Correlation Coefficient
            D1 = get D(pdm[i])
            D2 = get D(pdm[i])
            corr = np.cov(pdm[i], pdm[j])[0][1] / np.sqrt(D1 * D2)
            corr coefficients.append(corr)
    return np.array(corr coefficients)
# Calculating PDM of a Sample Image
calculate pdm(ucid images[0]).shape
(8, 186657)
# Calculating Correlation Coefficients of a Sample Image
get correlation coefficients(ucid images[0]).shape
(28,)
```

```
# Calculating Correlation Coefficients of all Images
ucid images corr coefficients = []
median_filtered_images_3_corr_coefficients = []
median filtered images 5 corr coefficients = []
average filtered images 3 corr coefficients = []
print("UCID IMAGES")
for img in ucid images:
ucid images corr coefficients.append(get correlation coefficients(img)
print("MEDIAN FILTERED IMAGES (3x3)")
for img in median filtered images 3:
median filtered images 3 corr coefficients.append(get correlation coef
ficients(img))
print("MEDIAN FILTERED IMAGES (5x5)")
for img in median filtered images 5:
median filtered images 5 corr coefficients.append(get correlation coef
ficients(img))
print("AVERAGE FILTERED IMAGES (3x3)")
for img in average filtered images 3:
average filtered images 3 corr coefficients.append(get correlation coe
fficients(img))
UCID IMAGES
MEDIAN FILTERED IMAGES (3x3)
MEDIAN FILTERED IMAGES (5x5)
AVERAGE FILTERED IMAGES (3x3)
# Converting to Numpy Arrays
ucid images corr coefficients =
np.array(ucid images corr coefficients)
median filtered images 3 corr coefficients =
np.array(median filtered images 3 corr coefficients)
median_filtered_images_5_corr_coefficients =
np.array(median filtered images 5 corr coefficients)
average filtered images 3 corr coefficients =
np.array(average filtered images 3 corr coefficients)
ucid images corr coefficients.shape,
median filtered images 3 corr coefficients.shape,
median filtered images 5 corr coefficients.shape,
average filtered images 3 corr coefficients.shape
((1338, 28), (1338, 28), (1338, 28), (1338, 28))
```

```
# import pickle
# # Save using Pickle
# with open('ucid_images corr coefficients.pkl', 'wb') as f:
      pickle.dump(ucid images corr coefficients, f)
# with open('median filtered images 3 corr coefficients.pkl', 'wb') as
f:
      pickle.dump(median filtered images 3 corr coefficients, f)
#
# with open('median filtered images 5 corr coefficients.pkl', 'wb') as
f:
#
      pickle.dump(median filtered images 5 corr coefficients, f)
# with open('average filtered images 3 corr coefficients.pkl', 'wb')
as f:
      pickle.dump(average filtered images 3 corr coefficients, f)
# import pickle
# # Load using Pickle
# with open('ucid_images corr coefficients.pkl', 'rb') as f:
      ucid_images_corr_coefficients = pickle.load(f)
# with open('median_filtered_images_3_corr_coefficients.pkl', 'rb') as
f:
      median filtered images 3 corr coefficients = pickle.load(f)
#
# with open('median filtered images 5 corr coefficients.pkl', 'rb') as
f:
      median filtered images 5 corr coefficients = pickle.load(f)
#
# with open('average filtered images 3 corr coefficients.pkl', 'rb')
as f:
      average filtered images 3 corr coefficients = pickle.load(f)
# Shapes
ucid images corr coefficients.shape,
median_filtered_images_3_corr_coefficients.shape,
median filtered images 5 corr coefficients.shape,
average filtered images 3 corr coefficients.shape
((1338, 28), (1338, 28), (1338, 28), (1338, 28))
So now for every image, we have a feature vector of size 28.
```

Recreating Plots....

a.) Fig 3.

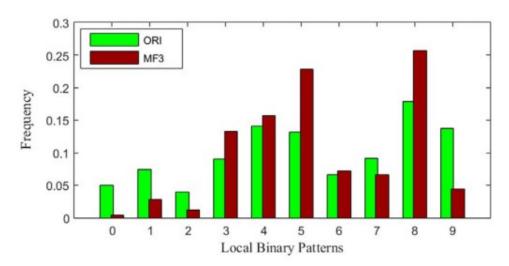


Fig. 3. The uniform rotationally invariant LBP histogram from 10000 3×3 medianfiltered images (MF3) and 10000 original images (ORI). Bins 0–8 are the quantities of the uniform patterns; bin 9 is the quantity of the non-uniform patterns. All these images are from the BOWS2 database.

We have the UCID Dataset rather than BOWS2 Dataset. And we have 1338 images rather than 10,000 images.

Let us plot the same thing and see if the pattern is similar.

```
joint_histograms_ucid.shape
(1338, 10, 10)

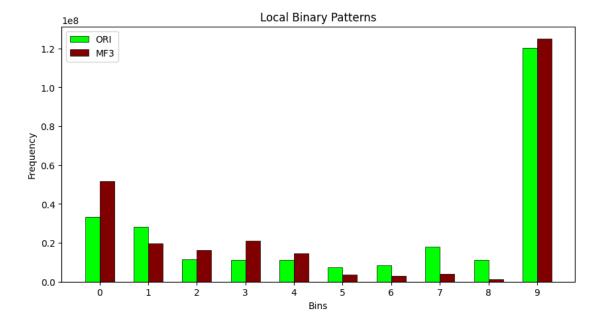
joint_histograms_median_filtered_3.shape
(1338, 10, 10)

# Creating 1-D histograms for CLBPS and UCID Images
ucid_images_corr_coefficients_ld = []
median_filtered_images_3_corr_coefficients_ld = []

# Loop over all bins
for i in range(10):
    bin_value_ori = 0
    bin_value_med_3 = 0

# Loop over all images
for j in range(1338):
    # Summation of the elements of ith row of jth histogram
```

```
bin value ori += np.sum(joint histograms_ucid[j][i])
        bin value med 3 +=
np.sum(joint_histograms_median_filtered_3[j][i])
    # Append to list
    ucid images corr coefficients 1d.append(bin value ori)
median filtered images 3 corr coefficients 1d.append(bin value med 3)
# Converting to Numpy Arrays
ucid images corr coefficients 1d =
np.array(ucid images corr coefficients 1d)
median_filtered_images_3_corr_coefficients_1d =
np.array(median filtered images 3 corr coefficients 1d)
ucid images corr coefficients 1d.shape,
median filtered images 3 corr coefficients 1d.shape
((10,),(10,))
# Plotting 1-D Histograms
plt.figure(figsize=(10, 5))
plt.bar(np.arange(10), ucid images corr coefficients 1d, width=0.3,
label="ORI", color="lime", edgecolor="black", linewidth=0.5)
plt.bar(np.arange(10)+0.3,
median filtered images 3 corr coefficients 1d, width=0.3, label="MF3",
color="maroon", edgecolor="black", linewidth=0.5)
plt.xticks(np.arange(10)+0.15, np.arange(10))
plt.xlabel("Bins")
plt.ylabel("Frequency")
plt.title("Local Binary Patterns")
plt.legend()
plt.show()
```



Above we can see that we see the same pattern in the following bins:

- -- Bin #1
- -- Bin #3
- -- Bin #4

And different pattern in rest of the bins.

b.) Fig 4.

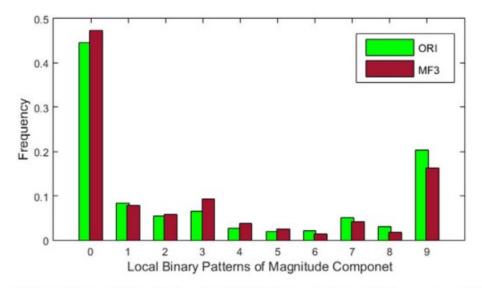
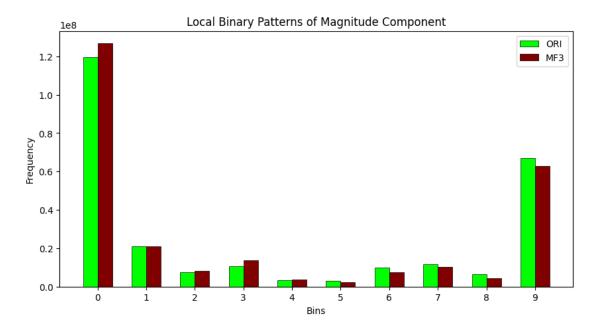


Fig. 4. The uniform rotationally invariant LBP histogram of magnitude component from $10000~3\times3$ median-filtered images (MF3) and 10000 original images (ORI). Bins 0–8 are the quantities of the uniform patterns; bin 9 is the quantity of the non-uniform patterns. All these images are from the BOWS2 database.

```
# Creating 1-D histograms for CLBPM and UCID Images
ucid images corr coefficients 1d = []
median_filtered_images_3_corr_coefficients_1d = []
# Loop over all bins
for i in range (10):
    bin value ori = 0
    bin_value_med_3 = 0
    # Loop over all images
    for j in range(1338):
        # Summation of the elements of ith column of ith histogram
        bin value ori += np.sum(joint histograms ucid[j][:, i])
        bin value med 3 +=
np.sum(joint histograms median filtered 3[j][:, i])
    # Append to list
    ucid images corr coefficients 1d.append(bin value ori)
median filtered images 3 corr coefficients 1d.append(bin value med 3)
# Converting to Numpy Arrays
ucid_images_corr_coefficients 1d =
np.array(ucid_images_corr coefficients 1d)
```

```
median filtered images 3 corr coefficients 1d =
np.array(median filtered images 3 corr coefficients 1d)
ucid images corr coefficients ld.shape,
median filtered images 3 corr coefficients 1d.shape
((10,),(10,))
# Plotting 1-D Histograms
plt.figure(figsize=(10, 5))
plt.bar(np.arange(10), ucid images corr coefficients 1d, width=0.3,
label="ORI", color="lime", edgecolor="black", linewidth=0.5)
plt.bar(np.arange(10)+0.3,
median filtered images 3 corr coefficients 1d, width=0.3, label="MF3",
color="maroon", edgecolor="black", linewidth=0.5)
plt.xticks(np.arange(10)+0.15, np.arange(10))
plt.xlabel("Bins")
plt.vlabel("Frequency")
plt.title("Local Binary Patterns of Magnitude Component")
plt.legend()
plt.show()
```



Above we see the same pattern in all the bins.

```
3. Creating the LDD Feature Set
```

```
# Creating the LDD Features
joint_histograms_ucid.shape, joint_histograms_median_filtered_3.shape,
joint_histograms_median_filtered_5.shape,
joint_histograms_average_filtered_3.shape
((1338, 10, 10), (1338, 10, 10), (1338, 10, 10))
```

```
ucid images corr coefficients.shape,
median filtered images 3 corr coefficients.shape,
median_filtered_images_5_corr_coefficients.shape,
average filtered images 3 corr coefficients.shape
((1338, 28), (1338, 28), (1338, 28), (1338, 28))
# Flattening the 2-D histogram features
histogram features ucid = []
histogram features median filtered 3 = []
histogram features median filtered 5 = []
histogram features average filtered 3 = []
for i in range(1338):
    histogram features ucid.append(joint histograms ucid[i].flatten())
histogram features median filtered 3.append(joint histograms median fi
ltered 3[i].flatten())
histogram features median filtered 5.append(joint histograms median fi
ltered 5[i].flatten())
histogram features average filtered 3.append(joint histograms average
filtered 3[i].flatten())
# Converting to Numpy Arrays
histogram features ucid = np.array(histogram features ucid)
histogram features median filtered 3 =
np.array(histogram features median filtered 3)
histogram features median filtered 5 =
np.array(histogram features median filtered 5)
histogram features average filtered 3 =
np.array(histogram features average filtered 3)
histogram_features ucid.shape,
histogram_features median filtered 3.shape,
histogram_features_median_filtered_5.shape,
histogram features average filtered 3.shape
((1338, 100), (1338, 100), (1338, 100), (1338, 100))
# # Save the Histogram Features
# np.save("histogram features ucid.npy", histogram features ucid)
# np.save("histogram features median filtered 3.npy",
histogram features median filtered 3)
# np.save("histogram features median filtered 5.npy",
histogram features median filtered 5)
# np.save("histogram features average filtered 3.npy",
histogram features average filtered 3)
```

```
# # Load the Histogram Features
# histogram features ucid = np.load("histogram features ucid.npy")
# histogram features median filtered 3 =
np.load("histogram features median filtered 3.npy")
# histogram features median filtered 5 =
np.load("histogram features median filtered 5.npy")
# histogram features average filtered 3 =
np.load("histogram features average filtered 3.npy")
histogram features ucid.shape,
histogram features median filtered 3.shape,
histogram_features_median_filtered_5.shape,
histogram features average filtered 3.shape
((1338, 100), (1338, 100), (1338, 100), (1338, 100))
Merging both sets of features into a single feature set.
# Creating the LDD Features
ldd features ucid = []
ldd features median filtered 3 = []
ldd features median filtered 5 = []
ldd features average filtered 3 = []
for i in range(1338):
ldd features ucid.append(np.concatenate((histogram features ucid[i],
ucid images corr coefficients[i]), axis=0))
ldd features median filtered 3.append(np.concatenate((histogram featur
es median filtered 3[i],
median_filtered_images_3_corr_coefficients[i]), axis=0))
ldd features median filtered 5.append(np.concatenate((histogram featur))
es median filtered 5[i],
median filtered images 5 corr coefficients[i]), axis=0))
ldd features average filtered 3.append(np.concatenate((histogram featu
res average filtered 3[i],
average_filtered_images_3_corr_coefficients[i]), axis=0))
# Converting to Numpy Arrays
ldd features ucid = np.array(ldd features ucid)
ldd features median filtered 3 =
np.array(ldd features median filtered 3)
ldd features median filtered 5 =
np.array(ldd_features_median_filtered_5)
ldd features average filtered 3 =
np.array(ldd features average filtered 3)
```

```
ldd features ucid.shape, ldd features median filtered 3.shape,
ldd features median filtered 5.shape,
ldd_features_average_filtered_3.shape
((1338, 128), (1338, 128), (1338, 128), (1338, 128))
# Saving the LDD Features
# np.save("ucid_ldd_features.npy", ldd_features_ucid)
# np.save("median_filtered_3_ldd_features.npy",
ldd features median filtered 3)
# np.save("median_filtered_5_ldd_features.npy",
ldd features median filtered 5)
# np.save("average filtered 3 ldd features.npy",
ldd_features_average filtered 3)
# Loading the LDD Features
# ldd_features_ucid = np.load("ucid_ldd_features.npy")
# ldd features median filtered 3 =
np.load("median filtered 3 ldd features.npy")
# ldd features median filtered 5 =
np.load("median filtered 5 ldd features.npy")
# ldd features average filtered 3 =
np.load("average filtered 3 ldd features.npy")
ldd features ucid.shape, ldd features median filtered 3.shape,
ldd features median filtered 5.shape,
ldd features average filtered 3.shape
((1338, 128), (1338, 128), (1338, 128), (1338, 128))
Recreating Plots....
c.) Fig 7.
```

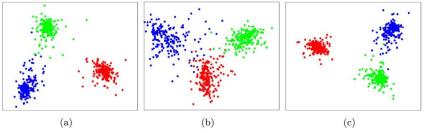


Fig. 7. Distribution of 2D projection results from the proposed features by using linear discriminant analysis (LDA). (a), (b), and (c) correspond to the JHLBP, CPDM and LDD features. Markers with the blue, red, green color denote the unaltered, median filtered and average filtered images source, respectively. Discrimination capability is shown via the clustering effects.

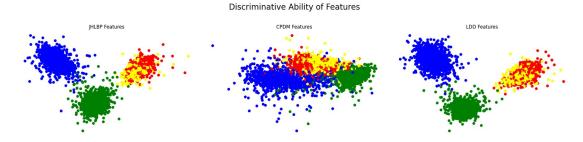
JHLBP Features Dataset
X_JHLBP = []
y_JHLBP = []

CPDM Features Dataset
X CPDM = []

```
y CPDM = []
# LDD Features Dataset
X LDD = []
y LDD = []
histogram features ucid.shape,
histogram features median filtered 3.shape,
histogram_features_median_filtered_5.shape,
histogram features average filtered 3.shape
((1338, 100), (1338, 100), (1338, 100), (1338, 100))
ucid images corr coefficients.shape,
median filtered images 3 corr coefficients.shape,
median_filtered_images_5_corr_coefficients.shape,
average filtered images 3 corr coefficients.shape
((1338, 28), (1338, 28), (1338, 28), (1338, 28))
ldd features ucid.shape, ldd features median filtered 3.shape,
ldd features median filtered 5.shape,
ldd features average filtered 3.shape
((1338, 128), (1338, 128), (1338, 128), (1338, 128))
# Creating Datasets
for i in range(1338):
    # JHLBP Features Dataset
    X JHLBP.append(histogram features ucid[i])
    X JHLBP.append(histogram features median filtered 3[i])
    X JHLBP.append(histogram features median filtered 5[i])
    X JHLBP.append(histogram features average filtered 3[i])
    y JHLBP.append("blue")
    y JHLBP.append("red")
    y JHLBP.append("yellow")
    y JHLBP.append("green")
    # CPDM Features Dataset
    X CPDM.append(ucid images corr coefficients[i])
    X CPDM.append(median filtered images 3 corr coefficients[i])
    X CPDM.append(median filtered images 5 corr coefficients[i])
    X CPDM.append(average filtered images 3 corr coefficients[i])
    y CPDM.append("blue")
    y CPDM.append("red")
    y CPDM.append("yellow")
    y CPDM.append("green")
    # LDD Features Dataset
    X LDD.append(ldd features ucid[i])
    X LDD.append(ldd features median filtered 3[i])
```

```
X LDD.append(ldd features median filtered 5[i])
    X LDD.append(ldd features average filtered 3[i])
    y_LDD.append("blue")
    y LDD.append("red")
    y LDD.append("yellow")
    y LDD.append("green")
# Converting to Numpy Arrays
X JHLBP = np.array(X JHLBP)
X CPDM = np.array(X CPDM)
X LDD = np.array(X LDD)
y JHLBP = np.array(y JHLBP)
y CPDM = np.array(y CPDM)
y LDD = np.array(y LDD)
X JHLBP.shape, y JHLBP.shape, X CPDM.shape, y CPDM.shape, X LDD.shape,
y LDD.shape
((5352, 100), (5352,), (5352, 28), (5352,), (5352, 128), (5352,))
# Save the Datasets
# np.save("X_JHLBP.npy", X_JHLBP)
# np.save("y_JHLBP.npy", y_JHLBP)
# np.save("X_CPDM.npy", X_CPDM)
# np.save("y_CPDM.npy", y_CPDM)
# np.save("X_LDD.npy", X_LDD)
# np.save("y_LDD.npy", y_LDD)
# # Load the Datasets
X_JHLBP = np.load("X_JHLBP.npy")
y JHLBP = np.load("y JHLBP.npy")
X CPDM = np.load("X CPDM.npy")
y_CPDM = np.load("y_CPDM.npy")
X LDD = np.load("X LDD.npy")
y_LDD = np.load("y_LDD.npy")
X JHLBP.shape, y JHLBP.shape, X CPDM.shape, y CPDM.shape, X LDD.shape,
y LDD.shape
((5352, 100), (5352,), (5352, 28), (5352,), (5352, 128), (5352,))
from sklearn.preprocessing import MinMaxScaler
# Normalizing the Datasets
scaler = MinMaxScaler()
X JHLBP Scaled = scaler.fit transform(X JHLBP)
X CPDM Scaled = scaler.fit transform(X CPDM)
X LDD Scaled = scaler.fit transform(X LDD)
```

```
X JHLBP Scaled.shape, X CPDM Scaled.shape, X LDD Scaled.shape
((5352, 100), (5352, 28), (5352, 128))
# LDA using JHLBP Features
lda = LinearDiscriminantAnalysis(n components=2)
# Fitting the LDA
new X JHLBP = lda.fit transform(X JHLBP Scaled, y JHLBP)
new_X_CPDM = lda.fit_transform(X_CPDM_Scaled, y_CPDM)
new X LDD = lda.fit transform(X LDD Scaled, y LDD)
new X JHLBP.shape, new X CPDM.shape, new X LDD.shape
((5352, 2), (5352, 2), (5352, 2))
# Plotting the LDAs in 3 Subplots
fig, (ax1, ax2, ax3) = plt.subplots(1, 3, figsize=(20, 5))
# Plotting the JHLBP LDA
ax1.scatter(new_X_JHLBP[:, 0], new_X_JHLBP[:, 1], c=y_JHLBP)
ax1.set title("JHLBP Features")
# axis off
ax1.axis('off')
# Border around the plot
ax1.set frame_on(True)
# Plotting the CPDM LDA
ax2.scatter(new X CPDM[:, 0], new X CPDM[:, 1], c=y CPDM)
ax2.set title("CPDM Features")
# axis off
ax2.axis('off')
# Box around the plot
ax2.set frame on(True)
# Plotting the LDD LDA
ax3.scatter(new X LDD[:, 0], new X LDD[:, 1], c=y LDD)
ax3.set title("LDD Features")
# axis off
ax3.axis('off')
# Box around the plot
ax3.set frame on(True)
# Title of Figure
fig.suptitle("Discriminative Ability of Features", fontsize=20)
# MArgin below the title
fig.tight layout(pad=2.0)
plt.show()
```



Blue refers to Unaltered Images

Red refers to Images with Median filtering applied with a kernel size 3x3

Yellow refers to Images with Median filtering applied with a kernel size 5x5

Green refers to Images with Average filtering applied with a kernel size 3x3

The Discriminative ability is shown via Clustering Effect.

We see the same pattern as shown in the research paper i.e. LDD provides better discriminative ability than the other two methods.

JHLBP provides better discriminative ability than CPDM which has very low discriminative ability.

NOTE: We see MF3 and MF5 are a bit merged, but the median filtering as a whole is separated than the original images and the average filtered images.

Experiments and Results

The C-SVM with Gaussian Kernel is used as the classifier in our experiments. Using the **five-fold cross-validation** in conjunction with a grid search, we obtain the best kernel parameters for the SVM. The grid search for the optimal parameters are performed on the multiplicative grid $[C,y] \in \{(2^i,2^j) \lor i,j \in Z\}$.

We use those optimal parameters to get the classifier model on the entire training set, and the trained classifier model is used to perform a classification on the testing set.

Specifically, the images in the UCID database are randomly divided into four folds of nearly equal size. The training set is composed of three folds, while the remaining fold is used for evaluation.

The performance of each detection method is summarized by the minimal average decision error of each technique under the assumption of equal priors and equal costs,

$$P_e = m in \left\{ \frac{P_{fp} + 1 - P_{tp}}{2} \right\}$$

where P_{fp} and P_{tp} denote the false positive and true positive rates, respectively.

```
X JHLBP.shape, y JHLBP.shape, X CPDM.shape, y CPDM.shape, X LDD.shape,
y LDD.shape
((5352, 100), (5352,), (5352, 28), (5352,), (5352, 128), (5352,))
C-SVM with Gaussian Kernel
# Importing the Libraries
from sklearn.model selection import GridSearchCV
from sklearn.svm import SVC
# Creating the C-SVM Classifier
svc jhlbp = SVC(kernel='rbf')
svc cpdm = SVC(kernel='rbf')
svc ldd = SVC(kernel='rbf')
# Creating the Grid Search Parameters
parameters = {'C': [0.1, 10, 100, 1000], 'gamma': [1, 0.1, 0.01,
0.001, 0.0001]}
# Used in Paper
parameters_2 = {'C': [2**i \text{ for } i \text{ in } range(-5, 16)], 'qamma': <math>[2**i \text{ for } i \text{ in } range(-5, 16)]
i in range(-15, 4)]}
# Creating the Grid Search
clf jhlbp = GridSearchCV(svc jhlbp, parameters, cv=5, n jobs=-1,
refit=True)
clf cpdm = GridSearchCV(svc cpdm, parameters, cv=5, n jobs=-1,
refit=True)
clf_ldd = GridSearchCV(svc_ldd, parameters, cv=5, n_jobs=-1,
refit=True)
# Using original parameters
clf_jhlbp_2 = GridSearchCV(svc_jhlbp, parameters 2, cv=5, n jobs=-1,
refit=True)
clf cpdm 2 = GridSearchCV(svc cpdm, parameters 2, cv=5, n jobs=-1,
refit=True)
clf ldd 2 = GridSearchCV(svc ldd, parameters 2, cv=5, n jobs=-1,
refit=True)
JHLBP Features
# Fitting the Grid Search on the JHLBP Features and print the best
parameters
clf jhlbp.fit(X JHLBP Scaled, y JHLBP)
GridSearchCV(cv=5, estimator=SVC(), n jobs=-1,
             param_grid={'C': [0.1, 10, 100, 1000],
                           'gamma': [1, 0.1, 0.01, 0.001, 0.0001]})
# Fitting the Grid Search using Original Parameters in Paper
clf_jhlbp_2.fit(X_JHLBP_Scaled, y_JHLBP)
```

```
GridSearchCV(cv=5, estimator=SVC(), n_jobs=-1,
             param grid={'C': [0.03125, 0.0625, 0.125, 0.25, 0.5, 1,
2, 4, 8,
                               16, 32, 64, 128, 256, 512, 1024, 2048,
4096,
                               8192, 16384, 32768],
                         'gamma': [3.0517578125e-05, 6.103515625e-05,
                                   0.0001220703125, 0.000244140625,
                                   0.00048828125, 0.0009765625,
0.001953125,
                                   0.00390625, 0.0078125, 0.015625,
0.03125,
                                   0.0625, 0.125, 0.25, 0.5, 1, 2, 4,
81})
# Printing the Best Parameters
print("Best Parameters for JHLBP Features using our own Params: ",
clf ihlbp.best params )
print("Best Parameters for JHLBP Features using Paper Params: ",
clf jhlbp 2.best params )
Best Parameters for JHLBP Features using our own Params: {'C': 1000,
'gamma': 0.1}
Best Parameters for JHLBP Features using Paper Params: {'C': 512,
'gamma': 0.125}
jhlbp best params = clf jhlbp.best params
jhlbp best params 2 = clf jhlbp 2.best params
# import pickle
# # Saving Best Parameters with Pickle
# with open("jhlbp_best_params.pickle", "wb") as f:
     pickle.dump(jhlbp best params, f)
# with open("jhlbp best params 2.pickle", "wb") as f:
     pickle.dump(jhlbp best params 2, f)
import pickle
# Loading the Best Parameters
with open("jhlbp_best_params.pickle", "rb") as f:
    jhlbp best params = pickle.load(f)
with open("jhlbp best params 2.pickle", "rb") as f:
    jhlbp best params 2 = pickle.load(f)
jhlbp best params, jhlbp best params 2
({'C': 1000, 'gamma': 0.1}, {'C': 512, 'gamma': 0.125})
```

CPDM Features

```
# Fitting the Grid Search on the CPDM Features and print the best
parameters
clf cpdm.fit(X CPDM Scaled, y CPDM)
GridSearchCV(cv=5, estimator=SVC(), n jobs=-1,
             param_grid={'C': [0.1, 10, 100, 1000],
                          gamma': [1, 0.1, 0.01, 0.001, 0.0001]})
# Fitting the Grid Search using Original Parameters in Paper
clf cpdm 2.fit(X CPDM Scaled, y CPDM)
GridSearchCV(cv=5, estimator=SVC(), n jobs=-1,
             param grid={'C': [0.03125, 0.0625, 0.125, 0.25, 0.5, 1,
2, 4, 8,
                               16, 32, 64, 128, 256, 512, 1024, 2048,
4096.
                               8192, 16384, 32768],
                         'gamma': [3.0517578125e-05, 6.103515625e-05,
                                   0.0001220703125, 0.000244140625,
                                   0.00048828125, 0.0009765625,
0.001953125,
                                   0.00390625, 0.0078125, 0.015625,
0.03125,
                                   0.0625, 0.125, 0.25, 0.5, 1, 2, 4,
8]})
# Printing the Best Parameters
print("Best Parameters for CPDM Features: ", clf cpdm.best params )
print("Best Parameters for CPDM Features using Paper Params: ",
clf cpdm 2.best params )
Best Parameters for CPDM Features: {'C': 1000, 'gamma': 1}
Best Parameters for CPDM Features using Paper Params: {'C': 16384,
'gamma': 0.125}
cpdm_best_params = clf_cpdm.best_params_
cpdm best params 2 = clf cpdm_2.best_params_
# import pickle
# # Saving Best Parameters with Pickle
# with open("cpdm_best_params.pickle", "wb") as f:
     pickle.dump(cpdm_best_params, f)
# with open("cpdm best params 2.pickle", "wb") as f:
     pickle.dump(cpdm best params 2, f)
import pickle
# Loading the Best Parameters
```

```
with open("cpdm best params.pickle", "rb") as f:
    cpdm best params = pickle.load(f)
with open("cpdm best params 2.pickle", "rb") as f:
    cpdm best params 2 = pickle.load(f)
cpdm best params, cpdm best params 2
({'C': 1000, 'gamma': 1}, {'C': 16384, 'gamma': 0.125})
LDD Features
# Fitting the Grid Search on the LDD Features and print the best
parameters
clf ldd.fit(X LDD Scaled, y LDD)
GridSearchCV(cv=5, estimator=SVC(), n jobs=-1,
             param_grid={'C': [0.1, 10, 100, 1000],
                         'gamma': [1, 0.1, 0.01, 0.001, 0.0001]})
# Fitting the Grid Search using Original Parameters in Paper
clf ldd 2.fit(X LDD Scaled, y LDD)
GridSearchCV(cv=5, estimator=SVC(), n_jobs=-1,
             param grid={'C': [0.03125, 0.0625, 0.125, 0.25, 0.5, 1,
2, 4, 8,
                               16, 32, 64, 128, 256, 512, 1024, 2048,
4096,
                               8192, 16384, 32768],
                         'gamma': [3.0517578125e-05, 6.103515625e-05,
                                   0.0001220703125, 0.000244140625,
                                   0.00048828125, 0.0009765625,
0.001953125.
                                   0.00390625, 0.0078125, 0.015625,
0.03125,
                                   0.0625, 0.125, 0.25, 0.5, 1, 2, 4,
81})
# Printing the Best Parameters
print("Best Parameters for LDD Features: ", clf_ldd.best_params_)
print("Best Parameters for LDD Features using Paper Params: ",
clf ldd 2.best params )
Best Parameters for LDD Features: {'C': 1000, 'gamma': 0.1}
Best Parameters for LDD Features using Paper Params: {'C': 1024,
'gamma': 0.125}
ldd best params = clf ldd.best params
ldd best params_2 = clf_ldd_2.best_params_
# import pickle
```

```
# # Saving Best Parameters with Pickle
# with open("ldd best params.pickle", "wb") as f:
      pickle.dump(ldd best params, f)
# with open("ldd best params 2.pickle", "wb") as f:
     pickle.dump(ldd best params 2, f)
import pickle
# Loading the Best Parameters
with open("ldd best params.pickle", "rb") as f:
    ldd best params = pickle.load(f)
with open("ldd best params 2.pickle", "rb") as f:
    ldd best params 2 = pickle.load(f)
ldd best params, ldd best params 2
({'C': 1000, 'gamma': 0.1}, {'C': 1024, 'gamma': 0.125})
Training and Testing
Splitting the Data in Training and Testing
from sklearn.model selection import train test split
from sklearn.metrics import accuracy score, confusion matrix,
classification report
from sklearn.metrics import roc curve, auc
# Split into Train and Test
X train JHLBP, X test JHLBP, y train JHLBP, y test JHLBP =
train test split(X JHLBP, y JHLBP, test size=0.25, random state=42,
stratify=y JHLBP)
X train CPDM, X test CPDM, y train CPDM, y test CPDM =
train test split(X CPDM, y CPDM, test size=0.25, random state=42,
stratify=y CPDM)
X_train_LDD, X_test_LDD, y_train_LDD, y_test_LDD =
train test split(X LDD, y LDD, test size=0.25, random state=42,
stratify=y LDD)
X_train_JHLBP.shape, X_test_JHLBP.shape, y_train_JHLBP.shape,
y test JHLBP.shape, X train CPDM.shape, X test CPDM.shape,
y train CPDM.shape, y test CPDM.shape, X train LDD.shape,
X test LDD.shape, y train LDD.shape, y test LDD.shape
((4014, 100),
 (1338, 100),
 (4014,),
 (1338,),
 (4014, 28),
 (1338, 28),
 (4014,),
```

```
(1338,),
 (4014, 128),
 (1338, 128),
 (4014,),
 (1338,))
# Scaling the Data using MinMaxScaler
X train JHLBP = scaler.fit transform(X train JHLBP)
X test JHLBP = scaler.transform(X test JHLBP)
X train CPDM = scaler.fit transform(X train CPDM)
X test CPDM = scaler.transform(X test CPDM)
X train LDD = scaler.fit transform(X train LDD)
X test LDD = scaler.transform(X test LDD)
Train Using Optimal Parameters and plot the ROC Curve
# Train on Features using the best parameters
svc_jhlbp = SVC(kernel='rbf', C=jhlbp_best_params['C'],
gamma=jhlbp best params['gamma'])
svc cpdm = SVC(kernel='rbf', C=cpdm best params['C'],
gamma=cpdm best params['gamma'])
svc_ldd = SVC(kernel='rbf', C=ldd_best_params['C'],
gamma=ldd best params['gamma'])
svc jhlbp 2 = SVC(kernel='rbf', C=jhlbp best params 2['C'],
gamma=jhlbp best params 2['gamma'])
svc_cpdm_2 = SVC(kernel='rbf', C=cpdm_best_params_2['C'],
gamma=cpdm best params 2['gamma'])
svc ldd 2 = SVC(kernel='rbf', C=ldd best params 2['C'],
gamma=ldd best params 2['gamma'])
# Fitting the JHLBP Features
svc_jhlbp.fit(X_train_JHLBP, y_train_JHLBP)
SVC(C=1000, gamma=0.1)
# Fitting the JHLBP Features using Original Parameters in Paper
svc jhlbp 2.fit(X train JHLBP, y train JHLBP)
SVC(C=512, gamma=0.125)
# Fitting the CPDM Features
svc cpdm.fit(X train CPDM, y train CPDM)
SVC(C=1000, gamma=1)
# Fitting the CPDM Features using Original Parameters in Paper
svc cpdm 2.fit(X train CPDM, y train CPDM)
SVC(C=16384, gamma=0.125)
```

```
# Fitting the LDD Features
svc_ldd.fit(X_train_LDD, y_train_LDD)
SVC(C=1000, gamma=0.1)
# Fitting the LDD Features using Original Parameters in Paper
svc ldd 2.fit(X train LDD, y train LDD)
SVC(C=1024, gamma=0.125)
# Predicting on the basis of JHLBP Features
y pred jhlbp = svc_jhlbp.predict(X_test_JHLBP)
# Predicting on the basis of CPDM Features
y pred cpdm = svc cpdm.predict(X test CPDM)
# Predicting on the basis of LDD Features
y pred ldd = svc ldd.predict(X test LDD)
# Predicting on the basis of JHLBP Features using Original Parameters
in Paper
y pred jhlbp 2 = svc jhlbp 2.predict(X test JHLBP)
# Predicting on the basis of CPDM Features using Original Parameters
in Paper
y pred cpdm 2 = svc cpdm 2.predict(X test CPDM)
# Predicting on the basis of LDD Features using Original Parameters in
Paper
y pred ldd 2 = svc ldd 2.predict(X test LDD)
# Classification Report for JHLBP Features
print("Classification Report for JHLBP Features: \n",
classification_report(y_test_JHLBP, y_pred_jhlbp))
Classification Report for JHLBP Features:
               precision
                            recall f1-score
                                               support
        blue
                   1.00
                             0.99
                                       1.00
                                                  335
                   0.99
                             0.99
                                       0.99
                                                  334
       green
                   0.99
                             0.99
                                       0.99
                                                  335
         red
     yellow
                   0.99
                             0.99
                                       0.99
                                                  334
                                       0.99
                                                 1338
    accuracy
                                                 1338
   macro avq
                   0.99
                             0.99
                                       0.99
weighted avg
                   0.99
                             0.99
                                       0.99
                                                 1338
```

Classification Report for JHLBP Features using Original Parameters in Paper

print("Classification Report for JHLBP Features using Original

Parameters in Paper: \n", classification_report(y_test_JHLBP,
y_pred_jhlbp_2))

Classification Report for JHLBP Features using Original Parameters in Paper:

•	precision	recall	f1-score	support
blue green red yellow	1.00 0.99 0.99 0.98	0.99 0.99 0.99 0.99	1.00 0.99 0.99 0.99	335 334 335 334
accuracy macro avg weighted avg	0.99 0.99	0.99 0.99	0.99 0.99 0.99	1338 1338 1338

Classification Report for CPDM Features
print("Classification Report for CPDM Features: \n",
classification_report(y_test_CPDM, y_pred_cpdm))

Classification Report for CPDM Features:

	precision	recall	f1-score	support
blue green red yellow	0.92 0.99 0.88 0.83	0.94 0.98 0.81 0.89	0.93 0.99 0.84 0.86	335 334 335 334
accuracy macro avg weighted avg	0.91 0.91	0.91 0.91	0.91 0.91 0.91	1338 1338 1338

Classification Report for CPDM Features using Original Parameters in Paper

print("Classification Report for CPDM Features using Original
Parameters in Paper: \n", classification_report(y_test_CPDM,
y_pred_cpdm_2))

Classification Report for CPDM Features using Original Parameters in Paper:

	precision	recall	f1-score	support
blue	0.96	0.94	0.95	335
green red	0.99 0.89	1.00 0.82	0.99 0.85	334 335
yellow	0.84	0.90	0.87	334
accuracy			0.92	1338

macro avg	0.92	0.92	0.92	1338
weighted ava	0.92	0.92	0.92	1338

Classification Report for LDD Features
print("Classification Report for LDD Features: \n",
classification report(y test LDD, y pred ldd))

Classification Report for LDD Features:

	precision	recall	f1-score	support
blue green red yellow	1.00 1.00 0.99 0.98	1.00 0.99 0.98 0.99	1.00 1.00 0.99 0.99	335 334 335 334
accuracy macro avg weighted avg	0.99 0.99	0.99 0.99	0.99 0.99 0.99	1338 1338 1338

Classification Report for LDD Features using Original Parameters in Paper

print("Classification Report for LDD Features using Original
Parameters in Paper: \n", classification_report(y_test_LDD,
y_pred_ldd_2))

Classification Report for LDD Features using Original Parameters in Paper:

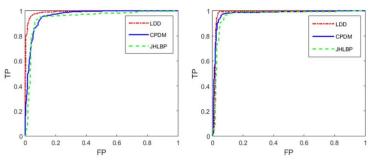
	precision	recall	f1-score	support
blue green red yellow	1.00 1.00 0.99 0.98	1.00 0.99 0.99 0.99	1.00 1.00 0.99 0.99	335 334 335 334
accuracy macro avg weighted avg	0.99 0.99	0.99 0.99	0.99 0.99 0.99	1338 1338 1338

RESULT:

Voila! From the above Classification Reports we can see that LDD features are the best, followed by JHLBP and then CPDM.

Recreating Plots....

d.) Fig 8.



 $\textbf{Fig. 8.} \ \ Roc\ cures \ show\ 3\times3\ (left)\ and\ 5\times5\ (right)\ median\ filtering\ detection\ performance\ on\ JPEG\ compressed\ images.\ The\ proposed\ JHLBP,\ CPMD\ and\ LDD\ features\ are\ tested.$

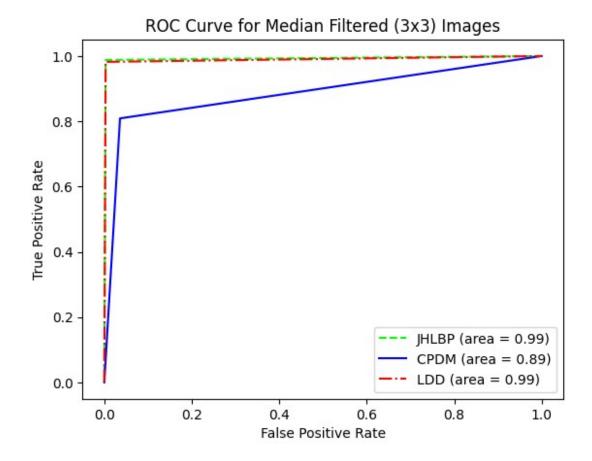
Plotting the ROC Curves

```
# Plot ROC Curve for all classes (following OvR Strategy)
# JHLBP Features
red y test JHLBP = np.where(y test JHLBP == 'red', 1, 0)
blue_y_test_JHLBP = np.where(y_test_JHLBP == 'blue', 1, 0)
green y test JHLBP = np.where(y test JHLBP == 'green', 1, 0)
yellow y test JHLBP = np.where(y test JHLBP == 'yellow', 1, 0)
red y pred jhlbp = np.where(y pred jhlbp == 'red', 1, 0)
blue_y_pred_jhlbp = np.where(y_pred_jhlbp == 'blue', 1, 0)
green_y_pred_jhlbp = np.where(y_pred_jhlbp == 'green', 1, 0)
yellow_y_pred_jhlbp = np.where(y_pred_jhlbp == 'yellow', 1, 0)
red y pred jhlbp 2 = np.where(y pred jhlbp 2 == 'red', 1, 0)
blue y pred jhlbp 2 = np.where(y pred jhlbp 2 == 'blue', 1, 0)
green_y_pred_jhlbp_2 = np.where(y_pred_jhlbp_2 == 'green', 1, 0)
yellow_y_pred_jhlbp_2 = np.where(y_pred_jhlbp_2 == 'yellow', 1, 0)
# CPDM Features
red_y_test_CPDM = np.where(y_test_CPDM == 'red', 1, 0)
blue_y_test_CPDM = np.where(y_test_CPDM == 'blue', 1, 0)
green y_test_CPDM = np.where(y_test_CPDM == 'green', 1, 0)
yellow y test CPDM = np.where(y test CPDM == 'yellow', 1, 0)
red_y_pred_cpdm = np.where(y_pred_cpdm == 'red', 1, 0)
blue_y_pred_cpdm = np.where(y_pred_cpdm == 'blue', 1, 0)
green_y_pred_cpdm = np.where(y_pred_cpdm == 'green', 1, 0)
yellow y pred cpdm = np.where(y pred cpdm == 'yellow', 1, 0)
red_y_pred_cpdm_2 = np.where(y_pred_cpdm_2 == 'red', 1, 0)
blue y pred cpdm 2 = np.where(y pred cpdm 2 == 'blue', 1, 0)
green_y_pred_cpdm_2 = np.where(y_pred_cpdm_2 == 'green', 1, 0)
yellow_y_pred_cpdm_2 = np.where(y_pred_cpdm_2 == 'yellow', 1, 0)
```

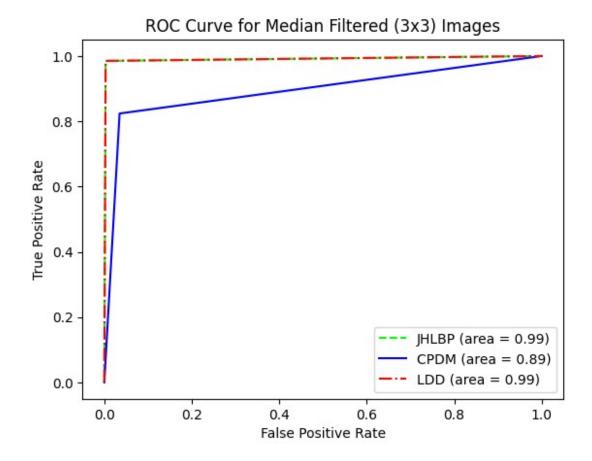
```
# LDD Features
red_y_test_LDD = np.where(y_test_LDD == 'red', 1, 0)
blue y test LDD = np.where(y test LDD == 'blue', 1, 0)
green_y_test_LDD = np.where(y_test_LDD == 'green', 1, 0)
yellow y test LDD = np.where(y test LDD == 'yellow', 1, 0)
red y pred ldd = np.where(y pred ldd == 'red', 1, 0)
blue_y_pred_ldd = np.where(y_pred_ldd == 'blue', 1, 0)
green_y_pred_ldd = np.where(y_pred_ldd == 'green', 1, 0)
yellow_y_pred_ldd = np.where(y_pred_ldd == 'yellow', 1, 0)
red_y_pred_ldd_2 = np.where(y_pred_ldd_2 == 'red', 1, 0)
blue_y_pred_ldd_2 = np.where(y_pred_ldd_2 == 'blue', 1, 0)
green_y_pred_ldd_2 = np.where(y_pred_ldd_2 == 'green', 1, 0)
yellow y pred ldd 2 = np.where(y pred ldd 2 == 'yellow', 1, 0)
# Plotting the ROC Curve for JHLBP Features
fpr red jhlbp, tpr red jhlbp, thresholds red jhlbp =
roc_curve(red_y_test_JHLBP, red_y_pred_jhlbp)
fpr blue jhlbp, tpr blue jhlbp, thresholds blue jhlbp =
roc_curve(blue_y_test_JHLBP, blue_y_pred_jhlbp)
fpr_green_jhlbp, tpr_green jhlbp, thresholds green jhlbp =
roc_curve(green_y_test_JHLBP, green_y_pred_jhlbp)
fpr yellow jhlbp, tpr yellow jhlbp, thresholds yellow jhlbp =
roc curve(yellow y test JHLBP, yellow y pred jhlbp)
fpr red jhlbp 2, tpr red jhlbp 2, thresholdss red jhlbp 2 =
roc_curve(red_y_test_JHLBP, red_y_pred_jhlbp_2)
fpr_blue_jhlbp_2, tpr_blue_jhlbp_2, thresholdss_blue_jhlbp_2 =
roc_curve(blue_y_test_JHLBP, blue_y_pred_jhlbp_2)
fpr_green_jhlbp_2, tpr_green_jhlbp_2, thresholdss_green_jhlbp_2 =
roc_curve(green_y_test_JHLBP, green_y_pred_jhlbp_2)
fpr yellow jhlbp 2, tpr yellow jhlbp 2, thresholdss yellow jhlbp 2 =
roc curve(yellow y test JHLBP, yellow y pred jhlbp 2)
# Plotting the ROC Curve for CPDM Features
fpr_red_cpdm, tpr_red_cpdm, thresholds_red_cpdm =
roc curve(red y test CPDM, red y pred cpdm)
fpr blue cpdm, tpr blue cpdm, thresholds blue cpdm =
roc curve(blue y test CPDM, blue y pred cpdm)
fpr_green_cpdm, tpr_green_cpdm, thresholds green cpdm =
roc curve(green y test CPDM, green y pred cpdm)
fpr yellow cpdm, tpr yellow cpdm, thresholds yellow cpdm =
roc curve(yellow y test CPDM, yellow y pred cpdm)
fpr red cpdm 2, tpr red cpdm 2, thresholds red cpdm 2 =
roc_curve(red_y_test_CPDM, red_y_pred_cpdm_2)
fpr blue cpdm 2, tpr blue cpdm 2, thresholds blue cpdm 2 =
roc_curve(blue_y_test_CPDM, blue y pred cpdm 2)
```

```
fpr green cpdm 2, tpr green cpdm 2, thresholds green cpdm 2 =
roc_curve(green_y_test_CPDM, green_y_pred_cpdm_2)
fpr_yellow_cpdm_2, tpr_yellow_cpdm_2, thresholds_yellow_cpdm_2 =
roc curve(yellow y test CPDM, yellow y pred cpdm 2)
# Plotting the ROC Curve for LDD Features
fpr red ldd, tpr red ldd, thresholds red ldd =
roc curve(red y test LDD, red y pred ldd)
fpr_blue_ldd, tpr_blue_ldd, thresholds_blue_ldd =
roc curve(blue y test LDD, blue y pred ldd)
fpr_green_ldd, tpr_green_ldd, thresholds_green_ldd =
roc curve(green y test LDD, green y pred ldd)
fpr yellow ldd, tpr yellow ldd, thresholds yellow ldd =
roc curve(yellow y test LDD, yellow y pred ldd)
fpr red ldd 2, tpr red ldd 2, thresholds red ldd 2 =
roc_curve(red_y_test_LDD, red_y_pred_ldd_2)
fpr blue ldd 2, tpr blue ldd 2, thresholds blue ldd 2 =
roc curve(blue y test LDD, blue y pred ldd 2)
fpr_green_ldd_2, tpr_green_ldd_2, thresholds_green_ldd_2 =
roc_curve(green_y_test_LDD, green_y_pred_ldd_2)
fpr_yellow_ldd_2, tpr_yellow_ldd_2, thresholds_yellow_ldd_2 =
roc curve(yellow y test LDD, yellow y pred ldd 2)
Median Filtered 3x3 Images ROC Curve
Below Curve is based on Model Trained on Custom Parameters
# Plotting the ROC Curve for JHLBP Features Red Class
plt.plot(fpr red jhlbp, tpr red jhlbp, label='JHLBP (area = %0.2f)' %
auc(fpr red jhlbp, tpr red jhlbp), color='lime', linestyle='--')
# Plotting the ROC Curve for CPDM Features Red Class
plt.plot(fpr red cpdm, tpr red cpdm, label='CPDM (area = %0.2f)' %
auc(fpr red cpdm, tpr red cpdm), color='blue')
# Plotting the ROC Curve for LDD Features Red Class
plt.plot(fpr red ldd, tpr red ldd, label='LDD (area = %0.2f)' %
auc(fpr red ldd, tpr red ldd), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Median Filtered (3x3) Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
```

plt.show()



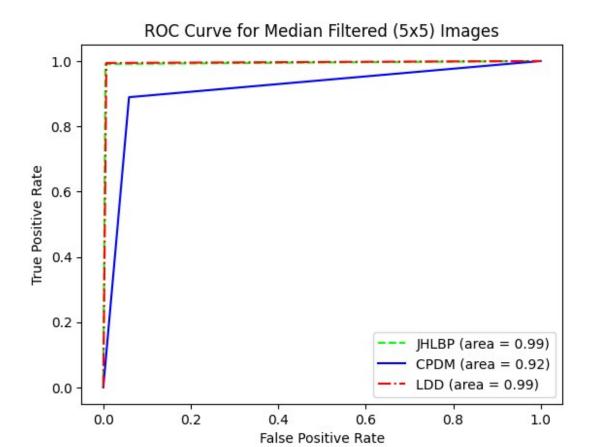
```
# Plotting the ROC Curve for JHLBP Features Red Class using Original
Parameters
plt.plot(fpr_red_jhlbp_2, tpr_red_jhlbp_2, label='JHLBP (area =
%0.2f)' % auc(fpr red jhlbp 2, tpr red jhlbp 2), color='lime',
linestvle='--')
# Plotting the ROC Curve for CPDM Features Red Class using Original
Parameters
plt.plot(fpr red cpdm 2, tpr red cpdm 2, label='CPDM (area = %0.2f)' %
auc(fpr_red_cpdm_2, tpr_red_cpdm_2), color='blue')
# Plotting the ROC Curve for LDD Features Red Class using Original
Parameters
plt.plot(fpr red ldd 2, tpr red ldd 2, label='LDD (area = %0.2f)' %
auc(fpr red ldd 2, tpr red ldd 2), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Median Filtered (3x3) Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```



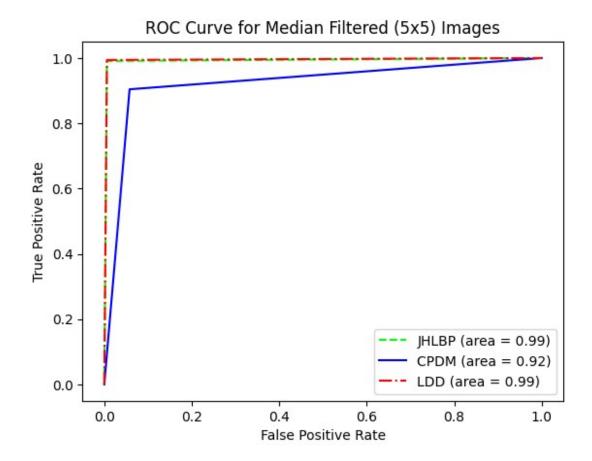
Median Filtered 5x5 Images ROC Curve

Below Curve is based on Model Trained on Custom Parameters

```
# Plotting the ROC Curve for JHLBP Features Yellow Class
plt.plot(fpr yellow jhlbp, tpr yellow jhlbp, label='JHLBP (area =
%0.2f)' % auc(fpr yellow jhlbp, tpr yellow jhlbp), color='lime',
linestyle='--')
# Plotting the ROC Curve for CPDM Features Yellow Class
plt.plot(fpr yellow cpdm, tpr yellow cpdm, label='CPDM (area = %0.2f)'
% auc(fpr yellow cpdm, tpr yellow cpdm), color='blue')
# Plotting the ROC Curve for LDD Features Yellow Class
plt.plot(fpr yellow ldd, tpr yellow ldd, label='LDD (area = %0.2f)' %
auc(fpr yellow ldd, tpr yellow ldd), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Median Filtered (5x5) Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```



```
# Plotting the ROC Curve for JHLBP Features Yellow Class using
Original Parameters
plt.plot(fpr_yellow_jhlbp_2, tpr_yellow_jhlbp_2, label='JHLBP (area =
%0.2f)' % auc(fpr yellow jhlbp_2, tpr_yellow_jhlbp_2), color='lime',
linestvle='--')
# Plotting the ROC Curve for CPDM Features Yellow Class using Original
Parameters
plt.plot(fpr yellow cpdm 2, tpr yellow cpdm 2, label='CPDM (area =
%0.2f)' % auc(fpr_yellow_cpdm_2, tpr_yellow_cpdm_2), color='blue')
# Plotting the ROC Curve for LDD Features Yellow Class using Original
Parameters
plt.plot(fpr yellow ldd 2, tpr yellow ldd 2, label='LDD (area =
%0.2f)' % auc(fpr yellow ldd 2, tpr yellow ldd 2), color='red',
linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Median Filtered (5x5) Images')
plt.xlabel('False Positive Rate')
plt.vlabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```

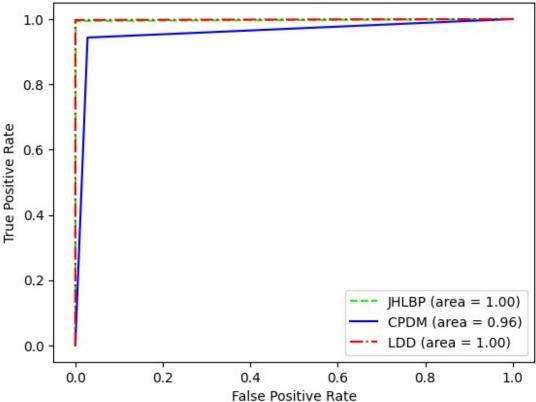


Original Images ROC Curve

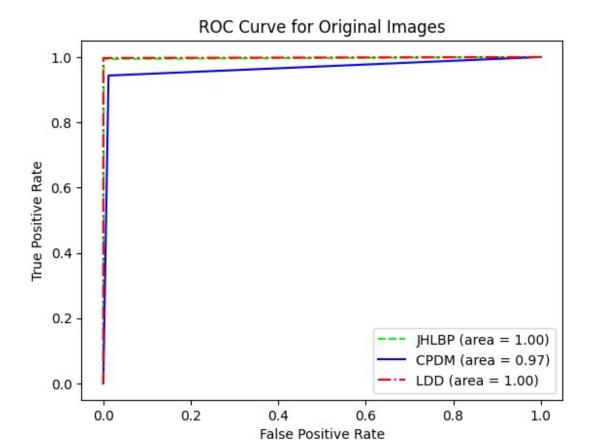
Below Curve is based on Model Trained on Custom Parameters

```
# Plotting the ROC Curve for JHLBP Features blue Class
plt.plot(fpr_blue_jhlbp, tpr_blue_jhlbp, label='JHLBP (area = %0.2f)'
% auc(fpr_blue_jhlbp, tpr_blue_jhlbp), color='lime', linestyle='--')
# Plotting the ROC Curve for CPDM Features blue Class
plt.plot(fpr_blue_cpdm, tpr_blue_cpdm, label='CPDM (area = %0.2f)' %
auc(fpr_blue_cpdm, tpr_blue_cpdm), color='blue')
# Plotting the ROC Curve for LDD Features blue Class
plt.plot(fpr_blue_ldd, tpr_blue_ldd, label='LDD (area = %0.2f)' %
auc(fpr_blue_ldd, tpr_blue_ldd), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Original Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```





```
# Plotting the ROC Curve for JHLBP Features blue Class using Original
Parameters
plt.plot(fpr_blue_jhlbp_2, tpr_blue_jhlbp_2, label='JHLBP (area =
%0.2f)' % auc(fpr blue jhlbp 2, tpr blue jhlbp 2), color='lime',
linestyle='--')\
# Plotting the ROC Curve for CPDM Features blue Class using Original
Parameters
plt.plot(fpr blue cpdm 2, tpr blue cpdm 2, label='CPDM (area = %0.2f)'
% auc(fpr_blue_cpdm_2, tpr_blue_cpdm_2), color='blue')
# Plotting the ROC Curve for LDD Features blue Class using Original
Parameters
plt.plot(fpr blue ldd 2, tpr blue ldd 2, label='LDD (area = %0.2f)' %
auc(fpr blue ldd 2, tpr blue ldd 2), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Original Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```

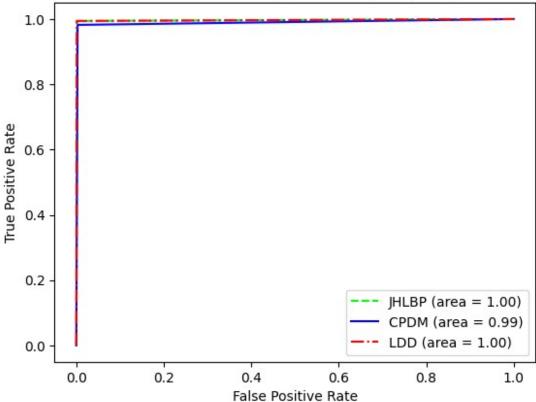


Average Filtered 3x3 Images ROC Curve

Below Curve is based on Model Trained on Custom Parameters

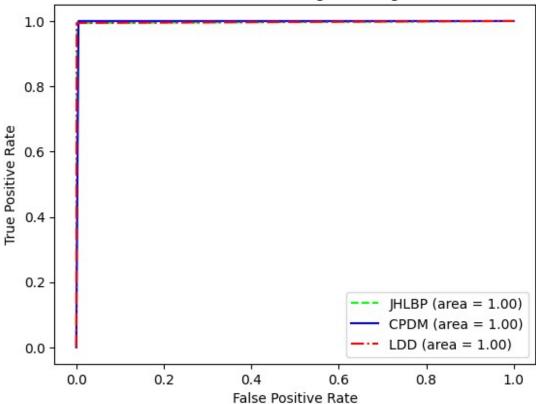
```
# Plotting the ROC Curve for JHLBP Features green Class
plt.plot(fpr_green_jhlbp, tpr_green_jhlbp, label='JHLBP (area =
%0.2f)' % auc(fpr green jhlbp, tpr green jhlbp), color='lime',
linestyle='--')
# Plotting the ROC Curve for CPDM Features green Class
plt.plot(fpr_green_cpdm, tpr_green_cpdm, label='CPDM (area = %0.2f)' %
auc(fpr_green_cpdm, tpr_green_cpdm), color='blue')
# Plotting the ROC Curve for LDD Features green Class
plt.plot(fpr green ldd, tpr green ldd, label='LDD (area = %0.2f)' %
auc(fpr green ldd, tpr green ldd), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Average Filtered (3x3) Images')
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```





```
# Plotting the ROC Curve for JHLBP Features green Class using Original
Parameters
plt.plot(fpr_green_jhlbp_2, tpr_green_jhlbp_2, label='JHLBP (area =
%0.2f)' % auc(fpr green jhlbp 2, tpr green jhlbp 2), color='lime',
linestvle='--')
# Plotting the ROC Curve for CPDM Features green Class using Original
Parameters
plt.plot(fpr green cpdm 2, tpr green cpdm 2, label='CPDM (area =
%0.2f)' % auc(fpr_green_cpdm_2, tpr_green_cpdm_2), color='blue')
# Plotting the ROC Curve for LDD Features green Class using Original
Parameters
plt.plot(fpr green ldd 2, tpr green ldd 2, label='LDD (area = %0.2f)'
% auc(fpr green ldd 2, tpr green ldd 2), color='red', linestyle='-.')
# Title and Labels
plt.title('ROC Curve for Original Images')
plt.xlabel('False Positive Rate')
plt.vlabel('True Positive Rate')
plt.legend(loc="lower right")
plt.show()
```





Finding
$$P_e$$
: $P_e = min\left(\frac{P_{fp} + 1 - P_{tp}}{2}\right)$

```
# Calculate the Pe for JHLBP Features
```

Pe_red_jhlbp = min((fpr_red_jhlbp + 1 - tpr_red_jhlbp)/2)
Pe_blue_jhlbp = min((fpr_blue_jhlbp + 1 - tpr_blue_jhlbp)/2)
Pe_green_jhlbp = min((fpr_green_jhlbp + 1 - tpr_green_jhlbp)/2)
Pe_yellow_jhlbp = min((fpr_yellow_jhlbp + 1 - tpr_yellow_jhlbp)/2)

Calculate the Pe for JHLBP Features using Original Parameters

Pe_red_jhlbp_2 = min((fpr_red_jhlbp_2 + 1 - tpr_red_jhlbp_2)/2)
Pe_blue_jhlbp_2 = min((fpr_blue_jhlbp_2 + 1 - tpr_blue_jhlbp_2)/2)
Pe_green_jhlbp_2 = min((fpr_green_jhlbp_2 + 1 - tpr_green_jhlbp_2)/2)
Pe_yellow_jhlbp_2 = min((fpr_yellow_jhlbp_2 + 1 - tpr_yellow_jhlbp_2)/2)

Calculate the Pe for CPDM Features

Pe_red_cpdm = min((fpr_red_cpdm + 1 - tpr_red_cpdm)/2)
Pe_blue_cpdm = min((fpr_blue_cpdm + 1 - tpr_blue_cpdm)/2)
Pe_green_cpdm = min((fpr_green_cpdm + 1 - tpr_green_cpdm)/2)
Pe_yellow_cpdm = min((fpr_yellow_cpdm + 1 - tpr_yellow_cpdm)/2)

Calculate the Pe for CPDM Features using Original Parameters
Pe red cpdm 2 = min((fpr red cpdm 2 + 1 - tpr red cpdm 2)/2)

```
Pe blue cpdm 2 = min((fpr blue cpdm 2 + 1 - tpr blue cpdm 2)/2)
Pe green cpdm 2 = min((fpr green cpdm 2 + 1 - tpr green cpdm 2)/2)
Pe_yellow_cpdm_2 = min((fpr_yellow_cpdm_2 + 1 - tpr_yellow_cpdm_2)/2)
# Calculate the Pe for LDD Features
Pe red ldd = min((fpr red ldd + 1 - tpr red ldd)/2)
Pe blue ldd = min((fpr blue ldd + 1 - tpr blue ldd)/2)
Pe green ldd = min((fpr green ldd + 1 - tpr green ldd)/2)
Pe yellow ldd = min((fpr yellow ldd + 1 - tpr yellow ldd)/2)
# Calculate the Pe for LDD Features using Original Parameters
Pe red ldd 2 = min((fpr red ldd 2 + 1 - tpr red ldd 2)/2)
Pe_blue_ldd_2 = min((fpr_blue_ldd_2 + 1 - tpr_blue_ldd_2)/2)
Pe_green_ldd_2 = min((fpr_green_ldd_2 + 1 - tpr_green_ldd_2)/2)
Pe yellow ldd 2 = min((fpr yellow ldd 2 + 1 - tpr yellow ldd 2)/2)
# Print the Pe for JHLBP Features
print("Pe (%) for JHLBP Features with Params as powers of 10:")
print(f"MF3 Class: {Pe red jhlbp*100:.4f}%")
print(f"MF5 Class: {Pe yellow jhlbp*100:.4f}%")
print(f"ORI Class: {Pe blue jhlbp*100:.4f}%")
print(f"AVE Class: {Pe green jhlbp*100:.4f}%")
Pe (%) for JHLBP Features with Params as powers of 10:
MF3 Class: 0.7466%
MF5 Class: 0.6981%
ORI Class: 0.3484%
AVE Class: 0.3990%
# Print the Pe for JHLBP Features using Original Parameters
print("Pe (%) for JHLBP Features with Original Params:")
print(f"MF3 Class: {Pe red jhlbp 2*100:.4f}%")
print(f"MF5 Class: {Pe yellow jhlbp 2*100:.4f}%")
print(f"ORI Class: {Pe_blue_jhlbp_2*100:.4f}%")
print(f"AVE Class: {Pe green jhlbp 2*100:.4f}%")
Pe (%) for JHLBP Features with Original Params:
MF3 Class: 0.8958%
MF5 Class: 0.7479%
ORI Class: 0.3484%
AVE Class: 0.3990%
# Print the Pe for CPDM Features
print("Pe (%) for CPDM Features")
print(f"MF3 Class: {Pe red cpdm*100:.4f}%")
print(f"MF5 Class: {Pe_yellow_cpdm*100:.4f}%")
print(f"ORI Class: {Pe blue cpdm*100:.4f}%")
print(f"AVE Class: {Pe green cpdm*100:.4f}%")
Pe (%) for CPDM Features
MF3 Class: 11.3469%
MF5 Class: 8.4772%
```

```
ORI Class: 4.2316%
AVE Class: 1.0476%
# Print the Pe for CPDM Features using Original Parameters
print("Pe (%) for CPDM Features with Original Params:")
print(f"MF3 Class: {Pe red cpdm 2*100:.4f}%")
print(f"MF5 Class: {Pe yellow cpdm 2*100:.4f}%")
print(f"ORI Class: {Pe blue cpdm 2*100:.4f}%")
print(f"AVE Class: {Pe green cpdm 2*100:.4f}%")
Pe (%) for CPDM Features with Original Params:
MF3 Class: 10.5507%
MF5 Class: 7.6789%
ORI Class: 3.4340%
AVE Class: 0.2490%
# Print the Pe for LDD Features
print("Pe (%) for LDD Features")
print(f"MF3 Class: {Pe red ldd*100:.4f}%")
print(f"MF5 Class: {Pe yellow ldd*100:.4f}%")
print(f"ORI Class: {Pe blue ldd*100:.4f}%")
print(f"AVE Class: {Pe green ldd*100:.4f}%")
Pe (%) for LDD Features
MF3 Class: 1.0451%
MF5 Class: 0.6480%
ORI Class: 0.1493%
AVE Class: 0.3492%
# Print the Pe for LDD Features using Original Parameters
print("Pe (%) for LDD Features with Original Params:")
print(f"MF3 Class: {Pe red ldd 2*100:.4f}%")
print(f"MF5 Class: {Pe yellow ldd 2*100:.4f}%")
print(f"ORI Class: {Pe_blue_ldd 2*100:.4f}%")
print(f"AVE Class: {Pe green ldd 2*100:.4f}%")
Pe (%) for LDD Features with Original Params:
MF3 Class: 0.8958%
MF5 Class: 0.5982%
ORI Class: 0.1493%
AVE Class: 0.3492%
Displaying Results of P_e in a Tabular Form
import pandas as pd
# Creating Dataframe for Pe
Pe df = pd.DataFrame({'JHLBP 10': [Pe red jhlbp*100,
Pe_yellow_jhlbp*100, Pe_blue_jhlbp*100, Pe_green_jhlbp*100],
                       'JHLBP 2': [Pe red jhlbp 2*100,
Pe_yellow_jhlbp_2*100, Pe_blue_jhlbp_2*100, Pe_green_jhlbp_2*100],
                       'CPDM 10': [Pe red cpdm*100, Pe yellow cpdm*100,
```

```
Pe blue cpdm*100, Pe green cpdm*100],
                        'CPDM 2': [Pe red cpdm 2*100,
Pe yellow cpdm 2*100, Pe blue cpdm 2*100, Pe green cpdm 2*100],
                        'LDD 10': [Pe red ldd*100, Pe yellow ldd*100,
Pe blue ldd*100, Pe green ldd*100],
                        ^{\prime}LD\overline{D} 2': [Pe red ldd 2*100, Pe yellow ldd 2*100,
Pe blue ldd 2*100, Pe green ldd 2*\overline{100}]
                        ,inde\overline{x}=['MF3 - Pe (%)', 'MF5 - Pe (%)', 'ORI -
Pe (%)', 'AVE - Pe (%)'])
Pe df
                           JHLBP_2
                                       CPDM 10
                                                    CPDM 2
               JHLBP 10
                                                              LDD 10
LDD 2
MF3 - Pe (%)
               0.746566
                          0.895820
                                    11.346855
                                                10.550736
                                                            1.045074
0.895820
MF5 - Pe (%)
               0.698106
                          0.747907
                                     8.477169
                                                 7.678865
                                                            0.648007
0.598206
ORI - Pe (%)
                                     4.231633
                                                 3.434026
               0.348358
                          0.348358
                                                            0.149254
0.149254
AVE - Pe (%)
               0.399003
                          0.399003
                                     1.047606
                                                 0.249004
                                                            0.349202
0.349202
```

Conclusion

As a conclusion, we see that CPDM in its own are not the best features but when combined with LBP features, they compliment them beautifully and create a new feature set i.e. LDD feature set which has the best discriminative ability amongst all the 3 feature sets discussed in this report.