Krifka (2011): Questions

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Overview

- The functional approach
- 2 The proposition set approach
- The partitional approach
- 4 Inquisitive semantics

The functional approach

Essence

- Questions are incomplete/open propositions
- Functions from the missing piece of the proposition to the whole proposition

extensional

intensional

'Suggestive' of wh-movement

Constituent question radicals

- (1) Which novel Bill read
 - a. $\lambda x \in \text{NOVEL}[\text{READ}(x)(\text{BILL})]$
 - b. $\lambda i.\lambda x \in \text{NOVEL}_i[\text{READ}_i(x)(\text{BILL})]$
- (2) When Bill read 'War and Peace'
 - a. $\lambda i_1.\lambda R \in \text{TEMPORAL SPECIFICATION}_{i1}$ $[R(\lambda i_2[\text{READ}_{i2}(w\&p)(\text{BILL}))])(i_1)]$
- (3) Who read what
 - a. $\lambda i.\lambda x \in PERSON_i.\lambda y \in NOVEL_i$ [READ_i(y)(x)]

Alternative question radicals

(4) Whether Bill read 'War and Peace' or 'Anna Karenina' λiλx∈{w&P, AK} [READ_i(x)(BILL)]

Polarity question radicals

(5) Whether Bill read 'War and Peace' $\lambda i \lambda f \in \{\lambda t.t, \lambda t. \neg t\} [f(READ_i(W\&P)(BILL))]$

- The 'radicals' can be grown into full-blown questions
- with the help of the questions operator (QUEST)
 - (6) QUEST(radical)
- Request the addressee to specify the value-range of the indicated function, i.e., for which arguments the value is Truth.
- (7) Which novels by Tolstoy did Bill read? QUEST(λi.λx∈NOVELS BY TOLSTOY; [READ;(x)(BILL)])

Answerhood

- **Term/fragment answers** are arguments for the question radicals, which are functions
- (8) Which book did Bill read? QUEST(λi.λx∈BOOK [READ_i(x)(BILL)])
- (9) 'War and Peace.' ANSW(λ i.w&P)
- (10) Applying question radical Q to answer radical A λi[Q(i)A(i))]: λi[λx∈BOOK; [READ;(x)(BILL)](w&P)]
 - $= \lambda i [READ_i(W\&P)(BILL)]$

- Non-elliptical, propositional answers are related to the questions more indirectly, facilitated by the focus feature of the answer
- A propositional answer is partitioned into the focus part and the background part
 - (11) Bill read [$_F$ 'War and Peace'] ASSERT(λ i. λ x[READ $_i$ (x)(BILL], W&P)
- The background part corresponds to the question radical meaning;
 the focus part correspond to the term answer
- Redefining answerhood: Congruence
- An answer is congruent iff (a) for every index i, $Q(i) \subseteq B(i)$, and (b) Q(i)(F) is defined.

Embedded questions

(12) John knows which book Bill read.

KNOW($\lambda i.\lambda x \in BOOK_i[READ_i(W\&P)(BILL)])(JOHN)$ "John knows for each x in the domain of the function whether its value is Truth or Falsity"

Exhaustivity

- (13) $KNOW_{i0}(Q)(x)$ iff
 - a. $\forall y[Q(i_0)(y) \rightarrow KNOW_{i_0}(\lambda i[[Q(i)(y)](x)]]$
 - b. $\exists y[Q(i_0)(y) \land KNOW_{i_0}(\lambda i[[Q(i)(y)](x)]]$

exhaustive non-exhaustive

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Strengths

- Fine-grained
 - Distinguish between polar questions and or not-alternative quetions
 - specifies the different contributions of different parts of a question.
 - A wh-phrase forms the domain of the function, the rest specifies the value of its argument
- Can be used to derive the proposition set representation

Shortcomings

- Non-uniformity of logical types
 - Constituent questions are of the type < e, st >
 - Polar questions are of the type << st, st >, st >
 - Conjoining two kinds of questions is possible
 - (14) Mary knows what Bill read and whether he fell asleep.

Potential solution:

Lifted Boolean operators

The proposition set approach

Essence

- Questions are sets of propositions that are answers to them
- 'Suggestive' of wh-in situ

Constituent questions

- (15) Who read 'War and Peace'
 - a. $\{\lambda i[READ_i((W\&P)(x)] \mid x \in PERSON\}$
 - b. $\lambda p \exists x [p = \lambda i [PERSON_i(x) \land READ_i(W\&P)(x)]]$

Alternative questions

(16) Whether Bill read 'War and Peace' or 'Anna Karenina' $\{\lambda i[READ_i(x)(BILL)] \mid x=W\&P \lor x=AK\}$

Polar questions

(17) Whether Bill read 'War and Peace' {λi[READ_i(W&P)(BILL)], λi¬[READ_i(W&P)(BILL)]}

Answerhood

- Full answers are members of the proposition sets of questions
- Elliptical answers can be modeled as the remnants of full answers with deletion
- Focus can be modeled using alternative semantics
 - (18) Bill read ['War and Peace']_F
 Meaning: λi[READ_i(W&P)(BILL)]
 Alternatives:{λi[READ_i(x)(BILL)] | x∈ALT(W&P)}
- An answer is congruent iff $Q \subseteq A$, where Q is the question meaning and A the set of alternatives to the focus of the answer.

Embedded questions

- Question embedding know is reducible to proposition-embedding know.
 - (19) Mary knows which novel by Tolstoy Bill read. KNOW_{i0}({λi[READ_{i0}(x)(BILL)] | x∈ BOOK BY TOLSTOY})(MARY)
 - (20) $\forall p \in \{\lambda i [READ_{i0}(x)(BILL)] \mid x \in BOOK \text{ BY TOLSTOY}\}[p(i_0) \rightarrow KNOW_i(p)(MARY)]$

Strengths

- Uniformity of types—constituent questions and polarity questions are
 of the same type and conjunction can be done without too much
 trouble.
- Though conjunctive and has to be treated as set union rather than intersection.
 - (21) Mary knows what Bill read and whether he fell asleep. $KNOW_{i0}(\{\lambda i[READ_i(x)(BILL)] \mid x \in THING \} \cup \{\lambda i[FELL ASLEEP_i(BILL)], \lambda i \neg [FELL ASLEEP_i(BILL)]\})(MARY)$

Connecting the functional approach and the proposition set approach

- A functional representation can be turned into a proposition set representation but not the other way round.
- If F is a FR of a question, then $\{F(X)| X \in DOMAIN(F)\}$ is its PSR.

Shortcomings

- Short answers (*yes, no*) to polarity questions cannot be captured directly. (Remnant analysis is required?)
- Cannot distinguish between polarity questions and or not-alternative questions.
- Q ⊆ A is too weak to rule out over focusing
 - (22) Who ate beans? Mary_F ate rice_F

The partitional approach

Three steps to the partitional theory

- Functional representation (FR)
- Equivalence relation (ER)
- Partition
- (23) Which novel Bill read
 - a. $\lambda i.\lambda x[\text{NOVEL}_i(x) \land \text{READ}_i(x)(\text{BILL})]$

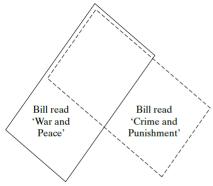
FR

- b. $\lambda j.\lambda i[FR(i) = FR(j)]$ ER = $\lambda j.\lambda i[\lambda x[NOVEL_i(x) \land READ_i(x)(BILL)] = \lambda x[NOVEL_j(x) \land READ_i(x)(BILL)]]$
- c. $\{p \mid \forall i \forall j [i,j \in p \text{ iff } ER(j)(i)]\}$

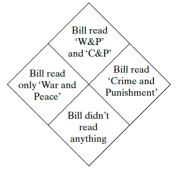
Partition

Assuming that there are two books W&P and C&P, Which book did Bill read can be represented in the following ways...

Proposition set theory



Partitional theory



- 2 propositions
- Overlapping
- Not exhausting all indices

- 4 propositions
- Non-overlapping
- Exhausting all indices

Answerhood

- Exhaustive answers are the default, facilitated by a covert 'only'
- Focus indicates where exhaustification has to be applied.
- Negative answers are congruent answers

Embedded questions

- Question-embedding predicates like know apply to the extension of a question meaning
- Question-embedding predicates like wonder apply to the intension of a question meaning
 - (25) Mary wonders who came. WONDER $_{i0}(\lambda_j.\lambda_i[\lambda_x[\mathrm{CAME}_i(x)] = \lambda_x[\mathrm{CAME}_i(x)]](\mathrm{MARY})$ "Mary would like to know in which cell of the partition the real world i_0 is"
- intensional questions and extensional questions are of different types

Strength: Uniformity of types

- Constituent questions and polar questions are of the same type.
- and can be treated as a Boolean intersective operator when conjoining two different kinds of questions
 - (26) Mary knows who came and whether John left.

B & M came.			
B came.	Ω	J left.	J did not leave.
M came.	11		
Nobody came.			

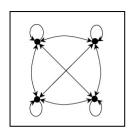
	B & M came and J left.	B & M came and J did not leave.
Ī	B came and J left.	B came and J did not leave.
= 1	M came and J left.	M came and J did not leave.
	Nobody came and J left.	Nobody came and J did not leave.

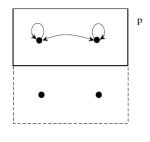
Shortcomings

- Under-generate non-exhaustive answers
- Not distinguishing Polarity-Qs and or not-Alt-Qs.

Inquisitive semantics

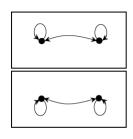
- Inquisitive Semantics assumes relations between indices that are reflexive and symmetric, but not necessarily transitive.
- Indices in this relation form an information state (state, s)

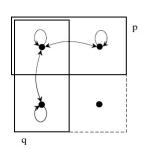




- s₀: Ignorance state
- None of the indices are distinguished

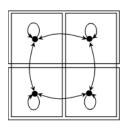
- $\bullet \ s_1 = s_0[p] \ (p = \textit{It's raining.})$
- Informative $(S_1 \subset S_0)$
- Indifferent
- Transitive

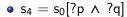




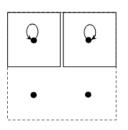
- $s_2 = s_0[?p]$ (?p = Is it raining?)
- Not indifferent
- Transitive

- $s_3 = s_0 [p \lor q] (p \lor q = Is it raining or snowing?)$
- Not indifferent
- Not transitive





 John knows whether it is raining and whether the newspaper will be delivered.



- $s_5 = s_0[p \land ?q]$
- John knows that it is raining and whether the newspaper will be delivered.

The End