

**Machine Learning - Set 4**  
**Submitted by: Jwala R**

- 1) High R square, value for train set and low R squared value for test set
- 2) Decision trees are highly prone to overfitting.
- 3) Random forest
- 4) Accuracy
- 5) Model B \*
- 6) Lasso, Ridge
- 7) Decision tree, Random forest
- 8) All of the above
- 9) We initialize the probabilities of the distribution as  $1/n$ , where  $n$  is the number of data-points

10) Adjusted R-squared is a modified version of R-squared that has been adjusted for the number of predictors in the model. The adjusted R-squared increases when the new term improves the model more than would be expected by chance. It decreases when a predictor improves the model by less than expected. Typically, the adjusted R-squared is positive, not negative. It is always lower than the R-squared. The adjusted R-squared compensates for the addition of variables and only increases if the new predictor enhances the model above what would be obtained by probability. Conversely, it will decrease when a predictor improves the model less than what is predicted by chance.

#### 11) **Lasso Regression**

The word "LASSO" denotes Least Absolute Shrinkage and Selection Operator. Lasso regression follows the regularization technique to create prediction. It is given more priority over the other regression methods because it gives an accurate prediction. Lasso regression model uses shrinkage technique. In this technique, the data values are shrunk towards a central point similar to the concept of mean. The lasso regression algorithm suggests a simple, sparse models (i.e. models with fewer parameters), which is well-suited for models or data showing high levels of multicollinearity or when we would like to automate certain parts of model selection, like variable selection or parameter elimination using feature engineering.

#### **Ridge Regression**

Ridge Regression is another type of regression algorithm in data science and is usually considered when there is a high correlation between the independent variables or model parameters. As the value of correlation increases the least square estimates evaluates unbiased values. But if the collinearity in the dataset is very high, there can be some bias value. Therefore, we create a bias matrix in the equation of Ridge Regression algorithm. It is a useful regression method in which the model is less susceptible to overfitting and hence the model works well even if the dataset is very small.

12) A variance inflation factor (VIF) provides a measure of multicollinearity among the independent variables in a multiple regression model.

- Detecting multicollinearity is important because while multicollinearity does not reduce the explanatory power of the model, it does reduce the statistical significance of the independent variables.

- A large VIF on an independent variable indicates a highly collinear relationship to the other variables that should be considered or adjusted for in the structure of the model and selection of independent variables.

Most research papers consider a VIF (Variance Inflation Factor) > 10 as an indicator of multicollinearity, but some choose a more conservative threshold of **5 or even 2.5**.

13) If an algorithm uses gradient descent, then the difference in ranges of features will cause different step sizes for each feature. To ensure that the gradient descent moves smoothly towards the minima and that the steps for gradient descent are updated at the same rate for all the features, we scale the data before feeding it to the model. Having features on a similar scale will help the gradient descent converge more quickly towards the minima. Specifically, in the case of Neural Networks Algorithms, feature scaling benefits optimization by:

- It makes the training faster
- It prevents the optimization from getting stuck in local optima
- It gives a better error surface shape
- Weight decay and Bayes optimization can be done more conveniently

14) **There are 3 main metrics for model evaluation in regression.**

### **R Square/Adjusted R Square**

R Square measures how much variability in dependent variable can be explained by the model. It is the square of the Correlation Coefficient(R) and that is why it is called R Square.

$$R^2 = 1 - \frac{SS_{Regression}}{SS_{Total}} = 1 - \frac{\sum_i (y_i - \hat{y}_i)^2}{\sum_i (y_i - \bar{y})^2}$$

### **Mean Square Error(MSE)/Root Mean Square Error(RMSE)**

While R Square is a relative measure of how well the model fits dependent variables, Mean Square Error is an absolute measure of the goodness for the fit.

$$MSE = \frac{1}{N} \sum_{i=1}^N (y_i - \hat{y}_i)^2$$

### **Mean Absolute Error(MAE)**

Mean Absolute Error(MAE) is similar to Mean Square Error(MSE). However, instead of the sum of square of error in MSE, MAE is taking the sum of the absolute value of error.

$$MAE = \frac{1}{N} \sum_{i=1}^N |y_i - \hat{y}_i|$$

15)

True positive = 1000

False positive = 50

False negative = 250

True negative = 1200

Accuracy =  $\frac{TP+TN}{TP+TN+FP+FN} = \frac{(1000+1200)}{(1000+50+250+1200)} = 0.88$

Precision =  $\frac{TP}{TP+FP} = \frac{1000}{(1000+50)} = 0.952$

Sensitivity =  $\frac{TP}{TP+FN} = \frac{1000}{(1000+250)} = 0.8$

Specificity =  $\frac{TN}{TN+FP} = \frac{1200}{(1200+50)} = 0.96$

Recall =  $\frac{TP}{TP+FN} = \frac{1000}{(1000+250)} = 0.8$