1)
$$\forall i \forall j : (1 \leq i \leq j \leq n) \Rightarrow (ACi) \leq ACj)$$

 $\exists i : (1 \leq i \leq n) \land ACi = x$

2.1) Given that the arrays starting intex is "I", if "10" is assigned "I", then "hi" should be assigned "N" or the Size/length of the array. If hi was assigned "n-1," and lo was assigned "I", we would not be looking at the entire array to sort it. For instance;

.. 10 needs to be I, and hi needs to be n.

2.2) lot 1, hit in where is the total number of element in

- 3.1) If at T', hit g, then we cannot maintain I.

 This is because 'x' will exist outside of the now established range. Therefore, in this case, it will be impossible to hold postulate (3). 'x' will not occur within the newly formed A[10...hi].
- 3.2.A) In the case where loteq at T, and hite at E, (3) of \$\Pi\$ is maintained because:
 - If A[q] LX, we assign q to 10. This creates a new range to work with where lo't q and q't (lo'+hi)/2).

 4 This means 'x' must be lexist in A[ro'...hi] for any given case where A[i] LX.
 - If Alg] ×, we assign q to hi. This means that x' exists between 10 and q. So we reassign hi k-q and q' ((10 + hi')/2)

 1> This means 'x' must exist in Allo...hi']

 for any given case where Ali] < X.

Michael Yaingri Joseph Webster 3.2.B) An example would be where the array has three non-dereasing elements defined as: A[] = [1,3,5]x = 5 // value we are looking for - This scenario would cause an infinite loop because & would be staying in the save spot. This happens because & is calculated by taking ((10 thi)/2). This is integer division and will take 2 from == 2.5. to will continually be assigned the value of g, and q will always be 2. 3.3) 团 El hi 4 9-1 4) Given that an array 'A', and a value to look for x' are declared globally. function FIND (low, high) a - (lowthigh)/2

return g

FIND (low, high)

8 (low+high)/2

if (A[8]!= x)

if (A[8] (x)

low=8+1

else

high=9-1)

return FIND (low, high)