deroising process

Po(Xe1/Xt)

Xty > Multi-hop: 9(X=1X0)=N(X=) Je Xo, (I-d=) I) forwind where de= s=1 ds, ds= H3s DDIM out The of the the 9(Xt)Xo)= N(Xt; Jot Xo, (Fdt)I)

Xt=Jot Xo + Ji-dt E, 至N(O,I) 라갈이 雅 午別 72/2 At > 61, dz ... , diff becreasing sequence of. OIT 6 [0,1] DDPM out learning objective & 4821 254. LY(ED) = E(8+) #XON 9(XN), EUNNINED [| Seb (Vot XO+) 1-JtEt) - Et |] - (4) Lisame constant depends on de. (DOPM MINE best } THA) (*) other 9(XITIX) = joint = Dith 701 ofurt, 9(XEIX.) of multi-top marginal distribution of oil depend of IZAM ON Joint distribution = 2 하나의 marginal distribution 에 대한다, DPIM 에서는 9(Xe)(3) 로 약동이대는 The marginal 90(XITIXO) = THEREY! 96 (XI: T/XO) = 96(XT/XO) T[96(XEH | XE/XO)). 96 (X-1/6) = N(X+; Jat Xo; (1-0+) I) 9(X3 |X0, X4) = PEPSET. = 96(X+1 X+1X0) 可子 (7) 1 Age 96(Ken | Xe, Vo)] Folkelt 96(XI, TIX) of marginal of 96(XelXo)至了改造对 N(Xe; ToteXo, (1-ote)I) 主 程对ppm의 matainal 子 专的行机路 好限 克沙叶 242 012571 7312 96 (XEN | XE, X6) = 018=487 forward = 7==4 214. 96(Xel Kei, 1/6) = 96(Xe1 (Xe1Xo)). 96(XelXo). 96(XelXo)

N-BZ FINESZX

22亿 (7)叶 (8) 年 6毫 5秋 针。chasty主 7855年 从中 3 6-70 of EDD deserministic 計列 起午之外中, · Generative process & unified variational inference Trainable generative process PO(XOIT) where each Pot (XX-1/XX) leverages knowledge of 96(xeel xe(xo), (- (7)01 441. 对你吗如何, PER(从小天) 意 对部州 1. Ket FOND, 2. XtmM共时 대版社 Xn是于下了(名性010M) ← 0m7/682017 3, 研究 Xet 子观 Xe主学时 Xet를 sample 元本 using gr(Xex1Xe,Xo) $f_{\theta}^{(n)}(x_{t}) \triangleq (x_{t} - \sqrt{1-d_{t}} \cdot x_{t}^{(n)}) / \sqrt{d_{t}} - (9)$ $0 = \frac{1}{2} \text{ the process} = \frac{1}{2} \text{ t$ (t=1) has 67I to ensure that the generative process is supported everywhere VI objective becomes J₁(ξ_θ) = E_{Xon} N₂(X₀,τ) [log 9₈(X₁,τ|X₀) - log P_θ(X₀,τ)] ~ DKI(96(X1-1/8) | PO(X1-1/8)) + PKI(7110)= } > 109€ = Exon ~ 96 (xor) [log 96 (x+1xa)+ \(\frac{\frac{1}{2}}{2} \log 96 (x+1)x, ya) - \(\frac{1}{2} \log 96 (x+1)x_c) \) -lag PO(XT)] -(1) 6/434 Theorem 201 DESTETE (11)4 J6(ED) 7- DDPM91 objective (5) et 72 7272 letters et. → La objective in DDPM can be used as a surrogate objective for the

Variational abjective To as well !

We can essentially use pretrained DDPM mades as the solutions to the new objectives, and focus on finding a generative process that is better at producing samples subject to our reeds by dranging s. · Denoising Diffusion Implicity Models (DDIM) (10) = TH 3.0 MM. = \ \ N(X); P(N(X), P(X)) T=1 (10)

P(K-1(X)) = \ \ P((X-1)(X), P(X)) ADWLE (10) IZE, 96(Xer)Xe/Xo)=N(Xer), John Xo+ Ji-du-Se Vi-Viexo, Se I 10 (K) = (Xt - 1 - or 24 (K)) - (3) = N (Xex), when (Ke-VI-de 26(Xe)) + VI-de 26(Xe), bell to have ⇒ Ke1 = VALI (Ke-VIGE E6)(Ke) + VI-de-62 E6 (Ke) + 8+ Ec when $\delta t = \sqrt{\frac{-\sigma_{t+1}}{\sigma_{t+1}}}$, $\sqrt{\frac{-\sigma_{t+1}}{\sigma_{t+1}}}$, DDIM becomes a DDPM.

- ficial enabled Generation Process
$ () \longrightarrow ()$
(A)
$T=3$, $C_{1,2,7}$, $T=C_{1,3}$. 2 is missing. $T=C_{2,3}$.
. 100-000.2
9,0,7=0,00 (X112 (X0)=96,7 (X2/X0) \$\frac{1}{17} 967 (X7,11/27,11/2) \$\frac{1}{12} 967 (X2/X0)\$
$= 96\pi(X_2 X_0) \left(96\pi(X_1 X_3,X_0)\right) \left(96\pi(X_2 X_0)\right)$
the multihology 9007 (XeIX) \(\sqrt{Xe}\) \(\sqrt{\flack}\) \(\sqr
96.7 (X7, 1 X7, 1X) \$\frac{1}{2} N(X7, 1 \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{1} \sqrt{2} \
The corresponding "generative proces" is defined as:
PO(XOIT) = PO(XT) (1 POT) (XT:r1XT) X (T) PO (XOIXE) FOUND (1) (XT:r1XT) X (T) PO (XOIXE)
ancestral samply variational ()
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
$P_{\theta}^{(t)}(x_0 x_0) = \mathcal{N}(x_0; P_{\theta}^{(t)}(x_0), G_{\theta}^{(t)}(x_0), G_{\theta}^{(t)}(x$
(32) = 12711 ancestral samply on 148=14 (33)= 146=121= X

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