

## DAT158 Assignment 1

587728 Joachim Leiros

### Problem 1:

Text is:

aabaadaabaaa

String to match is aabaaa.

*Brute-force*

a	a	a	b	a	a	d	a	a	b	a	a	a
a	a	b	a	a	a							
	a	a	b	a	a	a						
		a	a	b	a	a	a					
			a	a	b	a	a	a				
				a	a	b	a	a	a			
					a	a	b	a	a	a		
						a	a	b	a	a	a	
							a	a	b	a	a	a

### Problem 2:

a)

*Boyer-moore*

a	a	a	b	a	a	d	a	a	b	a	a	a
a	a	b	a	a	a							
	a	a	b	a	a	a						
							a	a	b	a	a	a

**b)**

```
def BoyerMoreComparison(text, pattern):
    x = len(pattern)
    y = len(text)
    a = x-1
    b = x-1
    comparisons = 0

    while a <= y-1:
        comparisons += 1
        if pattern[b] == text[a]:
            if b == 0:
                return str(comparisons/x)

            else:
                a -= 1
                b -= 1
        else:
            a = a+x - min(b, 1 + lo(text[a], pattern))
            b = x-1
    return "No pattern"

def lo(character, pattern):
    index = -1
    for pos, char in enumerate(pattern):
        if character == char:
            index = pos
    return index

def main():
    text = "joachim gjør ting han ikke kan"
    pattern = "oachi"
    result = BoyerMoreComparison(text, pattern)
    print(result)

if __name__ == '__main__':
    main()
```

**Result:**

**Pattern starts at position 1.**

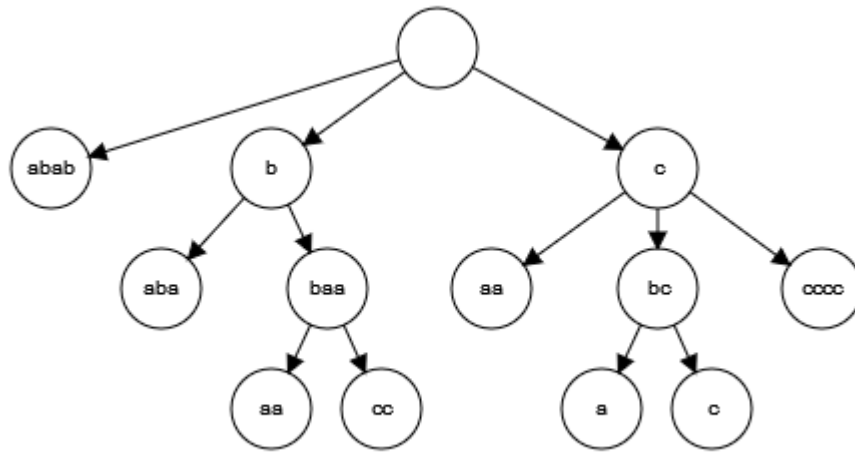
**There was 1.2 comparisons per character.**

**Problem 3:**

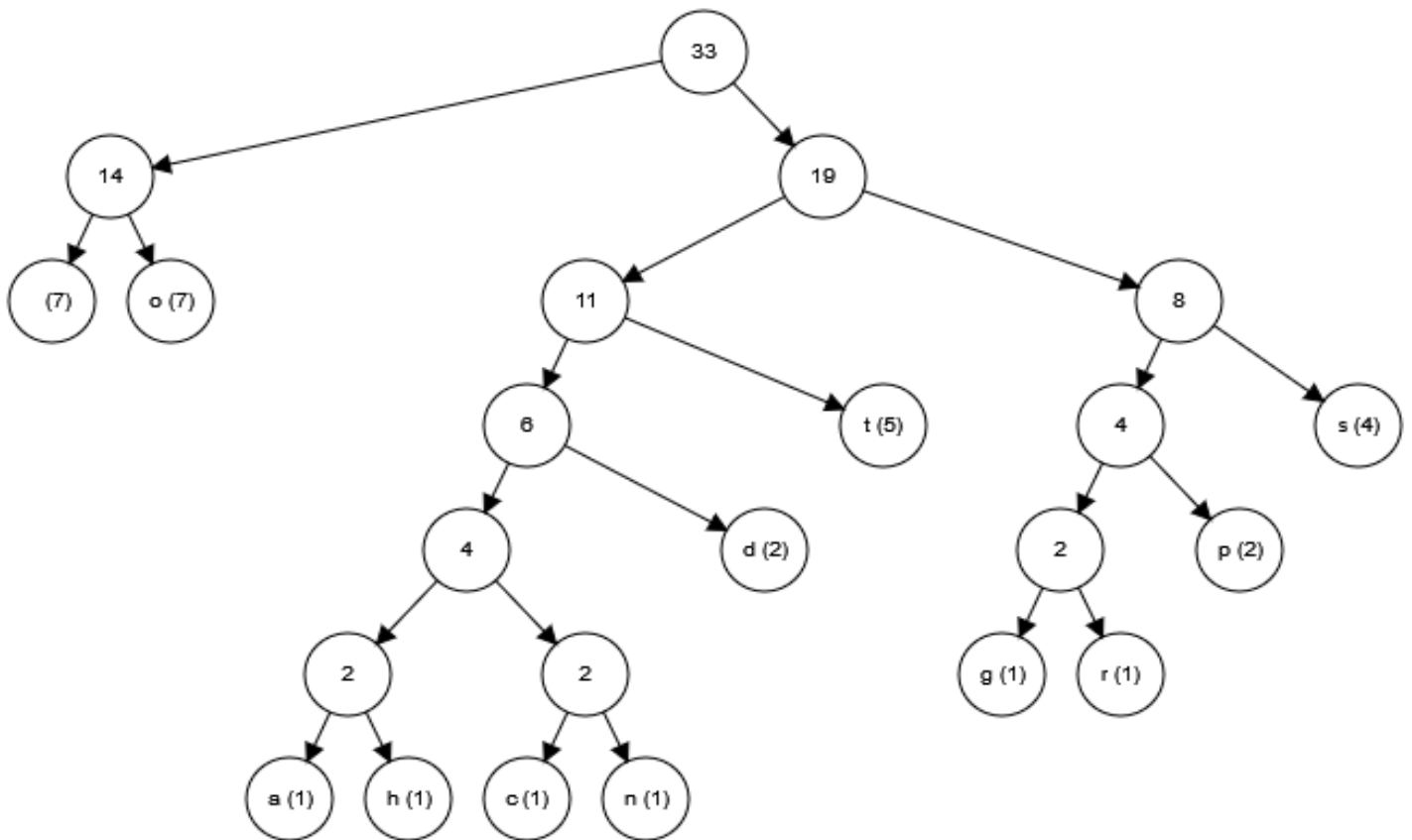
*Knuth-Morris-Pratt*



**Problem 6:**  
Compressed trie



### Problem 7 Huffman and frequency tree



Char	Frequency
Space	7
o	7
t	5
s	4
d	2
p	2
a	1
h	1
c	1
m	1
g	1:L
r	1

**Problem 8:**

To find the longest common subsequence we can find it by:

We have string  $X[0..i]$  and  $Y[0..j]$

LCS  $L[i, j]$

if the character  $b = X[i] = Y[j]$  then the LCS would end with a b

then  $L[i, j] = L[i-1, j-1] + 1$

if  $X[i] \neq Y[j]$ , then the sequence cannot end with the character b

then  $L[i, j] = \max\{L[i-1, j], L[i, j-1]\}$

There are also some boundary cases

$L[i, -1] = 0$  for  $i = -1, 0, \dots, n-1$

$L[-1, j] = 0$  for  $j = -1, 0, \dots, m-1$

L	-1	b	b	a	b	b	a	a	a	b
-1	-1	0	0	0	0	0	0	0	0	0
b	0	1	1	1	1	1	1	1	1	1
a	0	1	1	2	2	2	2	2	2	2
b	0	1	2	2	3	3	3	3	3	3
b	0	1	2	2	3	4	4	4	4	4
a	0	1	2	3	3	4	5	5	5	5
b	0	1	2	3	4	4	5	5	5	6
a	0	1	2	3	4	4	5	6	6	6
b	0	1	2	3	4	5	5	6	6	7

= babbaab

### Problem 9:

a)

```
def longestseq(s1, s2, a, b):
    if a == 0 or b == 0:
        return 0;
    elif s1[a-1] == s2[b-1]:
        return 1 + longestseq(s1, s2, a-1, b-1);
    else:
        return max(longestseq(s1, s2, a, b-1), longestseq(s1,
s2, a-1, b));

def main():
    s1 = "babbabab"
    s2 = "bbabbbaaab"
    l1 = len(s1)
    l2 = len(s2)
    result = longestseq(s1, s2, l1, l2)
    print(result)

if __name__ == '__main__':
    main()
Longest common subsequence is 7.
```

**b)**

```
def dynamiclongestseq(s1, s2):
    l1 = len(s1)
    l2 = len(s2)

    L = [[None]*(l2+1) for a in range(l1+1)]

    for a in range(l1+1):
        for b in range(l2+1):
            if a == 0 or b == 0 :
                L[a][b] = 0
            elif s1[a-1] == s2[b-1]:
                L[a][b] = L[a-1][b-1]+1
            else:
                L[a][b] = max(L[a-1][b] , L[a][b-1])

    return L[l1][l2]

def main():
    s1 = "babbabab"
    s2 = "bbabbbaaab"
    result = dynamiclongestseq(s1, s2)
    print(result)

if __name__ == '__main__':
    main()
```

**c)**

I tried running the function with an increasing number of characters to compare. Around ~27-30 characters I started to notice the recursive version lagging significantly behind.