



Self-Inductance and Mutual Inductance of a Single Conductor and a Homogenized Helical Coil

Introduction

The mutual inductance and induced currents between a single-turn primary and 20-turn secondary coil in a concentric coplanar arrangement is computed using a frequency-domain model. The secondary coil is modeled using a homogenized approach, which does not explicitly consider each turn of the coil. Static and AC results are compared one against the other, and against analytic predictions.

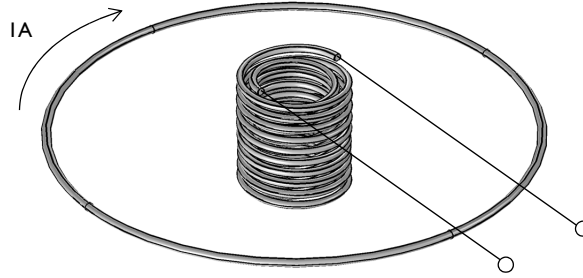


Figure 1: A 20-turn secondary coil inside of a single-turn primary coil (not to scale).

Model Definition

The physical situation being modeled is shown in Figure 1. A secondary coil composed of 20 turns, wound two deep, is concentric with the primary, and in the same plane. The radius of the centroid of the secondary coil is $R_2 = 10$ mm. The wire radii in both coils is $r_0 = 1$ mm. Although the coils are shown in 3D, they are modeled in the 2D axisymmetric space, assuming no physical variation around the centerline. First two DC analyses are solved in order to extract the inductance matrix of the system. Then a prescribed current of 1 A is flowing through a single-turn coil of radius $R_1 = 100$ mm, at a frequency of 1 kHz. The objective of this is computing the voltage difference at the secondary coil for the open circuit case, and the induced currents for the closed circuit case.

For the case of a secondary multiturn coil with N turns, and in the limit as $R_1 \gg R_2 \gg r_0$, the analytic expression for the mutual inductance between the two coils is:

$$M = N\mu_0 \frac{\pi R_2^2}{2R_1}$$

where μ_0 is the permeability of free space.

The two concentric coils are modeled in a 2D axisymmetric sense, as shown schematically in [Figure 2](#). The individual turns of the secondary are not modeled. Rather, the secondary is modeled using a domain that describes the outside envelope of the coil. The modeling domain is surrounded by a region of Infinite Elements, which provide a way to truncate a domain that stretches to infinity. Although the thickness of the Infinite Element Domain is finite, it can be thought of as a domain of infinite extent.

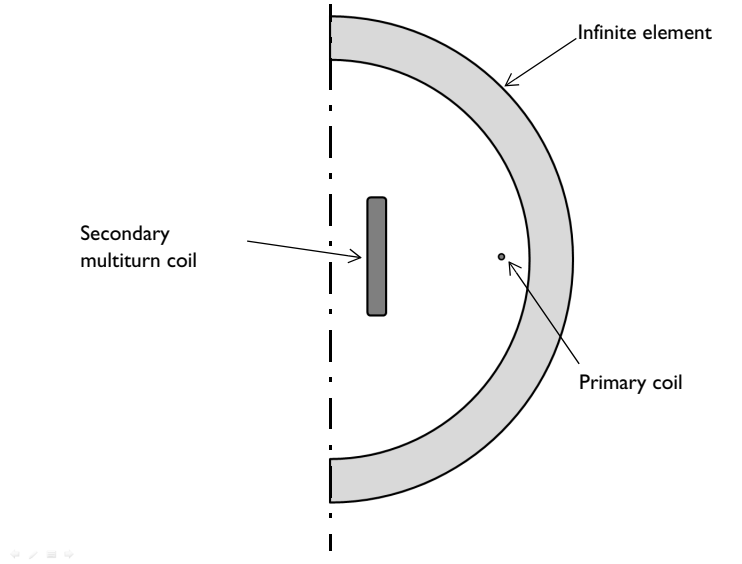


Figure 2: A schematic representation of the 2D axisymmetric model of the concentric coils.

The primary coil is modeled using the **Coil** feature, which can be thought of as introducing an infinitesimal slit in an otherwise continuous torus. Since the coil has a single turn and is made up of conductive material, the **Single conductor** model is used in the Coil feature. The feature is used to excite the coil by specifying a current of 1 A.

The secondary coil is modeled using another Coil feature using the **Homogenized multiturn** model, which treats the coil cross section as carrying a homogenized current that flows only in the circumferential direction. This feature can be used to model both the open circuit and the closed circuit case. To model the open circuit case, the current through the coil is specified to be 0 A, which specifies that there is no current flowing through the coil. To model a closed circuit it is enough to put 0 V. The Coil feature computes the total current and potential drop on the entire coil. Furthermore, if just one coil only is fed, also self-inductance and mutual inductance of the coil system are available in the output. For

AC feeding, assuming the system to be purely reactive, mutual inductance can be computed via:

$$M = \frac{V_{\text{coil}}}{i\omega I_p} \quad (1)$$

Where ω is the angular frequency of excitation of the driving current in the primary, I_p . The inductance computed in this fashion will have a small imaginary component as, due to finite conductivity there are eddy current losses in the secondary and the coil impedance, though mainly reactive, has a small resistive part. The deduced inductance is compared against the inductance predicted by taking the integral of the magnetic flux through the center of the coil.

To model the closed circuit case, the applied voltage across the coil feed is fixed at 0 V which is analogous to a coil with a shorted feed gap. That is a closed continuous loop of wire. DC resistance of the homogenized coil is included as well as impedance. These effects cannot however describe skin and proximity effect which need the Coil Group approach (losses due to these effects are sometimes called additional losses).

Via a simple circuital analogy, and for frequencies such that conductor size is significantly larger than skin depth, this current can be estimated from DC values via:

$$I_2 = -i\omega(L_{21}/Z_2) \quad (2)$$

where L_{21} is mutual inductance and $Z_2 = R_2 + i\omega L_2$ is the impedance of the inner coil. At the simulated 1 kHz deviations are really small. Increasing the frequency, this estimate will fail as the model is able to capture the autoinductance effects on the coil that are not included in the simplest circuital analogy.

Results and Discussion

From two initial static analyses one feeding the single coil, the other feeding the 20-turn coil group, it is possible to extract from built in variables the following inductance matrix:

$$\begin{bmatrix} 619 \text{ nH} & 40 \text{ nH} \\ 40 \text{ nH} & 3412 \text{ nH} \end{bmatrix}$$

A similar estimate (which is however less accurate) is extracted computing the integral of normal magnetic flux. In case of an AC feeding the magnetic flux lines are plotted in [Figure 3](#) for the open circuit case. The Coil feature computes the voltage across the secondary, which can be used to evaluate the mutual inductance, 40.0 nH. This agrees

well with the mutual inductance predicted by static calculations and with the analytic mutual inductance estimate of 39.478 nH

The magnetic flux lines are plotted in Figure 4 for the closed circuit case. The induced current through the secondary coil is $-10.7 - 3.3i$ mA, the imaginary component implies a reactive current. These results also agree well with the Coil Group approach. Both real and imaginary parts are correctly accounted by Equation 2.

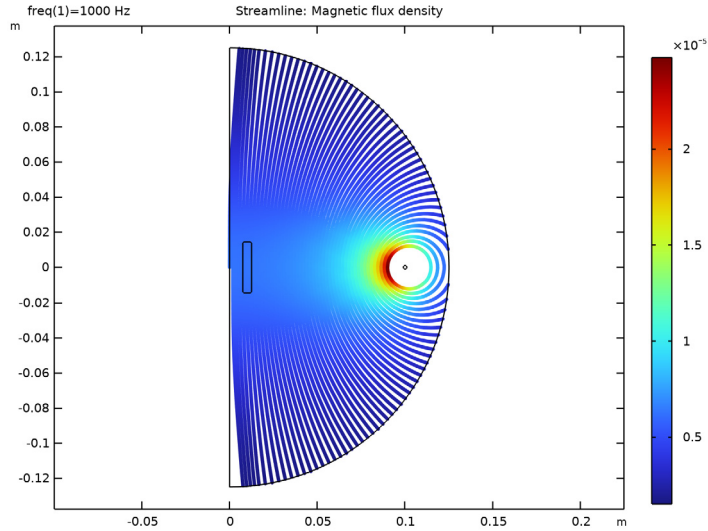


Figure 3: Magnetic flux lines for the open circuit case.

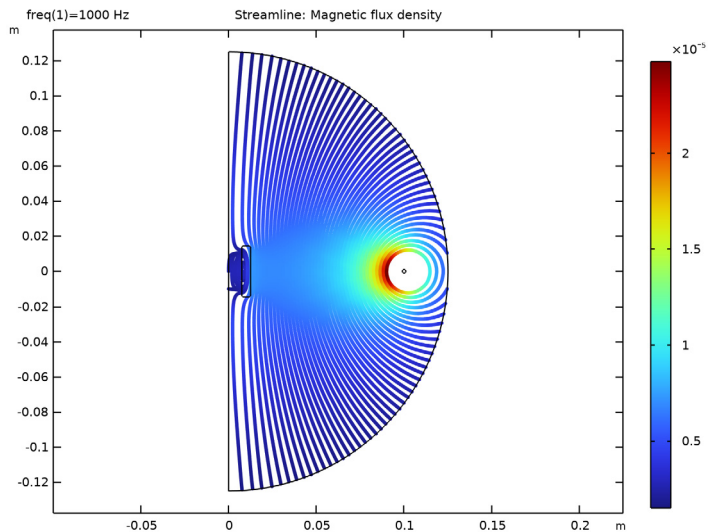



Figure 4: Magnetic flux lines for the closed circuit case.

Application Library path: ACDC_Module/Tutorials,_Coils/
mutual_inductance_multiturn



Modeling Instructions

From the **File** menu, choose **New**.

NEW

In the **New** window, click  **Model Wizard**.

MODEL WIZARD

- 1 In the **Model Wizard** window, click  **2D Axisymmetric**.
- 2 In the **Select Physics** tree, select **AC/DC>Electromagnetic Fields>Magnetic Fields (mf)**.
- 3 Click **Add**.
- 4 Click  **Study**.
- 5 In the **Select Study** tree, select **General Studies>Stationary**.

6 Click  **Done**.

GLOBAL DEFINITIONS

Parameters 1

- 1 In the **Model Builder** window, under **Global Definitions** click **Parameters 1**.
- 2 In the **Settings** window for **Parameters**, locate the **Parameters** section.
- 3 In the table, enter the following settings:


Name	Expression	Value	Description
r_wire	1[mm]	0.001 m	Radius, wire
R1	100[mm]	0.1 m	Radius, outer coil
R2	10[mm]	0.01 m	Radius, inner coil
N	20	20	Number of turns in secondary
M	$N * (\mu_0_const * \pi * R_2^2) / (2 * R_1)$	3.9478E-8 H	Analytic mutual inductance in secondary
I1	1[A]	1 A	Current, outer coil
I2	0[A]	0 A	Current, inner coil

Here, μ_0_const a predefined COMSOL constant for the permeability in vacuum.

GEOMETRY 1

Create a circle for the simulation domain. Define layer in the circle where you will assign the Infinite Element Domain.


Circle 1 (c1)

- 1 In the **Geometry** toolbar, click  **Circle**.
- 2 In the **Settings** window for **Circle**, locate the **Size and Shape** section.
- 3 In the **Sector angle** text field, type 180.
- 4 In the **Radius** text field, type $1.75 * R_1$.
- 5 Locate the **Rotation Angle** section. In the **Rotation** text field, type -90.
- 6 Click to expand the **Layers** section. In the table, enter the following settings:

Layer name	Thickness (m)
Layer 1	50[mm]


Create a circle for the outer coil.

Circle 2 (c2)


- 1 In the **Geometry** toolbar, click  **Circle**.
- 2 In the **Settings** window for **Circle**, locate the **Size and Shape** section.
- 3 In the **Radius** text field, type r_{wire} .
- 4 Locate the **Position** section. In the **r** text field, type R1.

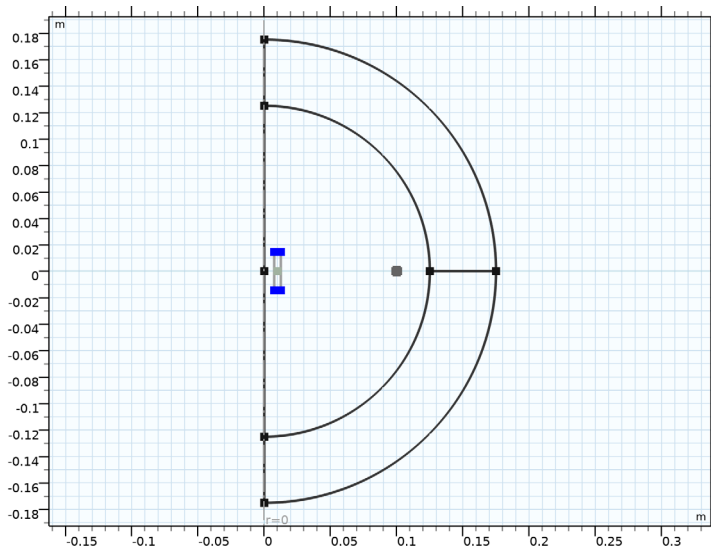
Create a rectangle where you will assign the coil properties.

Rectangle 1 (r1)

- 1 In the **Geometry** toolbar, click  **Rectangle**.
- 2 In the **Settings** window for **Rectangle**, locate the **Size and Shape** section.
- 3 In the **Width** text field, type $r_{\text{wire}} \cdot 5$.
- 4 In the **Height** text field, type $r_{\text{wire}} \cdot 29$.
- 5 Locate the **Position** section. From the **Base** list, choose **Center**.
- 6 In the **r** text field, type R2.

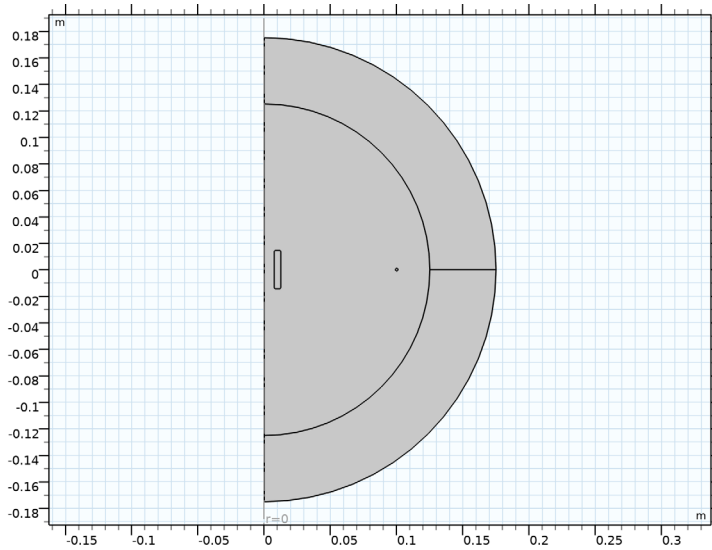
Fillet 1 (fil1)

- 1 In the **Geometry** toolbar, click  **Fillet**.
- 2 On the object **r1**, select Points 1–4 only.



- 3 In the **Settings** window for **Fillet**, locate the **Radius** section.
- 4 In the **Radius** text field, type r_{wire} .


5 Click  **Build All Objects.**



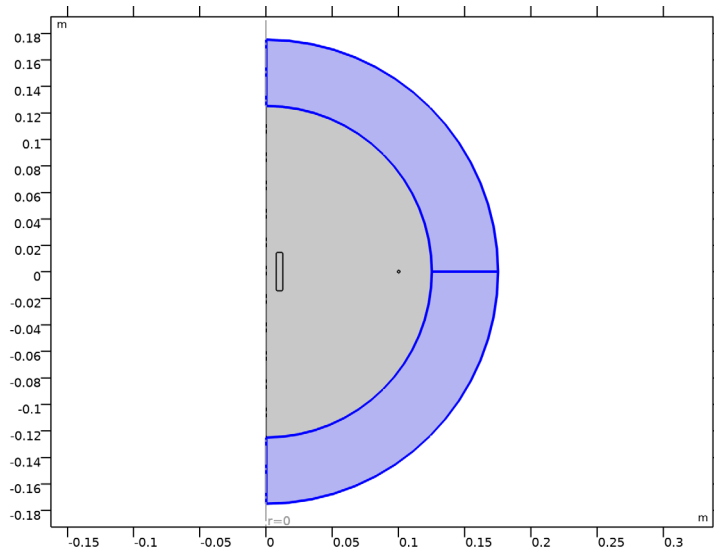
Define the Infinite Element Domain where you truncate the domain which stretches to infinity. The **Physics-Controlled Mesh** creates a **Swept mesh** inside the **Infinite Elements** domains.

DEFINITIONS

Infinite Element Domain 1 (ie1)

1 In the **Definitions** toolbar, click  **Infinite Element Domain.**

2 Select Domains 1 and 3 only.



MAGNETIC FIELDS (MF)

Now, set up the physics. Assign a **Coil** feature on the outer and the inner coil. The outer coil will be initially fed with a current of 1 A.

1 Click the  **Zoom In** button in the **Graphics** toolbar.

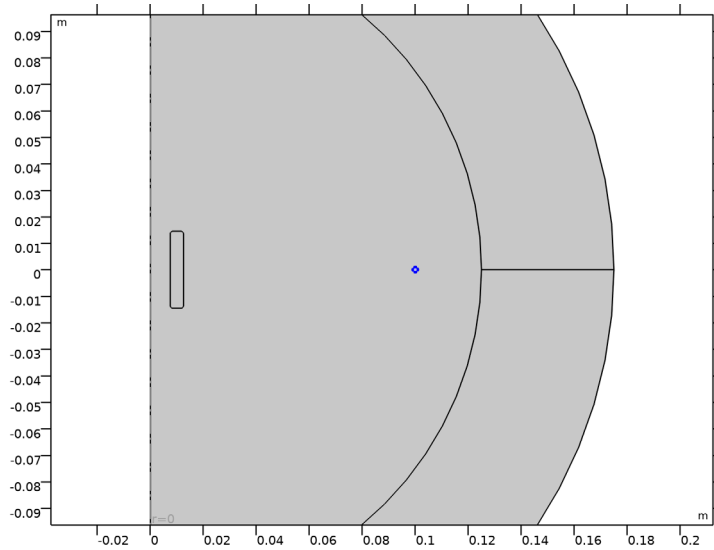
Coil 1

1 In the **Model Builder** window, under **Component 1 (comp1)** right-click **Magnetic Fields (mf)** and choose the domain setting **Coil**.

2 In the **Settings** window for **Coil**, locate the **Coil** section.

3 In the I_{coil} text field, type I1.

4 Select Domain 5 only.

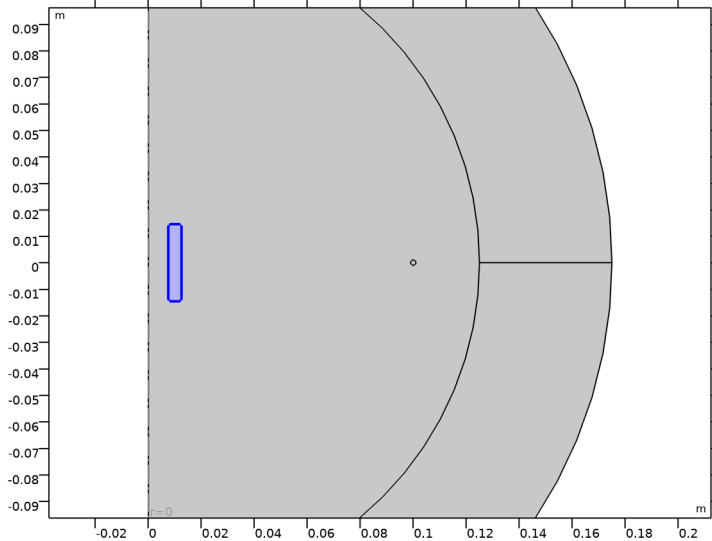


Specify 0 A current for the **Coil** feature assigned to the inner coil to model the open circuit case.

Coil 2

I In the **Physics** toolbar, click  **Domains** and choose **Coil**.

2 Select Domain 4 only.



3 In the **Settings** window for **Coil**, locate the **Coil** section.

4 From the **Conductor model** list, choose **Homogenized multiturn**.

5 In the I_{coil} text field, type I2.

6 Locate the **Homogenized Multiturn Conductor** section. In the N text field, type N.

7 In the a_{wire} text field, type $\pi \cdot r_{\text{wire}}^2$.

MATERIALS

Next, assign material properties. Use Air for all domains.

ADD MATERIAL

1 In the **Home** toolbar, click  **Add Material** to open the **Add Material** window.

2 Go to the **Add Material** window.

3 In the tree, select **Built-in>Air**.


4 Click **Add to Component** in the window toolbar.

MATERIALS

Air (mat1)


Then, override the outer coil domain with copper.

ADD MATERIAL

- 1 Go to the **Add Material** window.
- 2 In the tree, select **AC/DC>Copper**.
- 3 Click **Add to Component** in the window toolbar.
- 4 In the **Home** toolbar, click  **Add Material** to close the **Add Material** window.

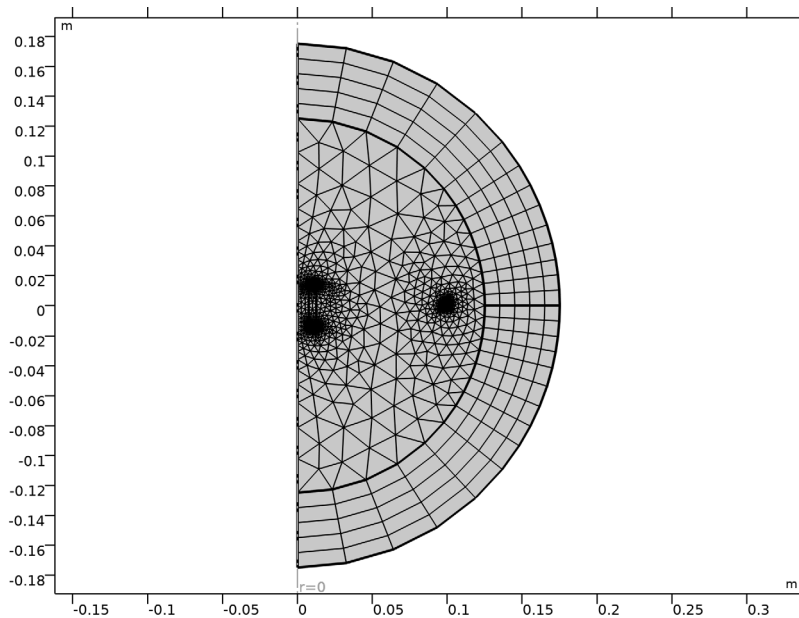
MATERIALS

Copper (mat2)

- 1 Select Domain 5 only.
- 2 Click the  **Zoom Extents** button in the **Graphics** toolbar.

MESH 1


In the **Model Builder** window, under **Component 1 (comp1)** right-click **Mesh 1** and choose **Build All**.



Solve the first case where the outer coil (named 1) is fed and the inner (named 2) is open.

STUDY 1

- 1 In the **Model Builder** window, click **Study 1**.

- 2 In the **Settings** window for **Study**, locate the **Study Settings** section.
- 3 Clear the **Generate default plots** check box.
- 4 In the **Home** toolbar, click  **Compute**.

RESULTS

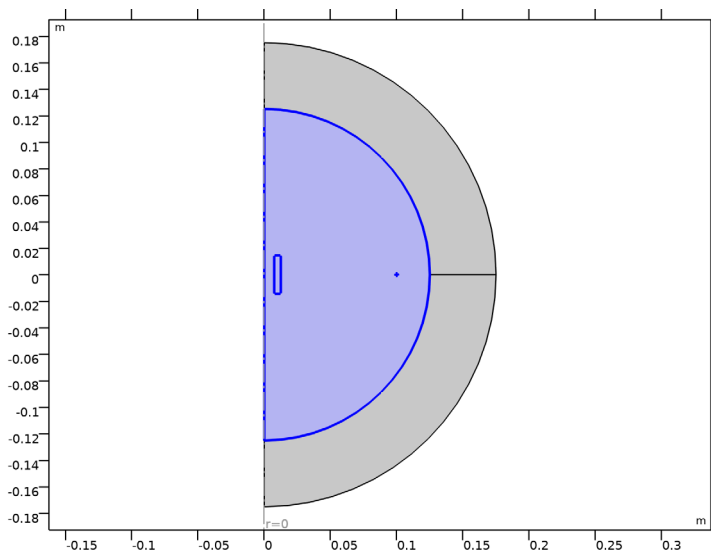
In the **Model Builder** window, expand the **Results** node.

Study 1/Solution 1 (sol1)

Select only the domains not part of the Infinite Element Domain for better magnetic flux visualization.

Selection

- 1 In the **Model Builder** window, expand the **Results>Datasets** node.
- 2 Right-click **Study 1/Solution 1 (sol1)** and choose **Selection**.
- 3 In the **Settings** window for **Selection**, locate the **Geometric Entity Selection** section.
- 4 From the **Geometric entity level** list, choose **Domain**.
- 5 Select Domains 2, 4, and 5 only.



2D Plot Group 1

In the **Home** toolbar, click  **Add Plot Group** and choose **2D Plot Group**.

Streamline 1

- 1 Right-click **2D Plot Group 1** and choose **Streamline**.


- 2 In the **Settings** window for **Streamline**, locate the **Streamline Positioning** section.
- 3 From the **Positioning** list, choose **Starting-point controlled**.
- 4 From the **Entry method** list, choose **Coordinates**.
- 5 In the **r** text field, type $\text{range}(0, 0.9 \cdot R1 / 49, 0.9 \cdot R1)$.
- 6 In the **z** text field, type 0.
- 7 Locate the **Coloring and Style** section. Find the **Line style** subsection. From the **Type** list, choose **Tube**.

Color Expression I

Right-click **Streamline I** and choose **Color Expression**.

Evaluate the self inductance of the external coil and the mutual inductance of the outer coil with respect to the inner. Some additional quantities are also computed to verify the results.

Global Evaluation I

- 1 In the **Results** toolbar, click  **Global Evaluation**.
- 2 In the **Settings** window for **Global Evaluation**, locate the **Expressions** section.
- 3 In the table, enter the following settings:

Expression	Unit	Description
<code>mf.LCoil_1</code>	nH	External coil inductance
<code>2*mf.intWm/1[A^2]</code>	nH	Energy estimate for external coil inductance
<code>mf.L_2_1</code>	nH	Computed mutual inductance
<code>M</code>	nH	Analytical mutual inductance

- 4 Click  **Evaluate**.

Next, compute the self inductance of the inner coil and the mutual inductance of the inner coil with respect to the outer. Start by switching the currents in the coils.

GLOBAL DEFINITIONS

Parameters I



- 1 In the **Model Builder** window, under **Global Definitions** click **Parameters I**.
- 2 In the **Settings** window for **Parameters**, locate the **Parameters** section.

3 In the table, enter the following settings:


Name	Expression	Value	Description
I1	0[A]	0 A	Current, outer coil
I2	1[A]	1 A	Current, inner coil

Now add and solve a second study for this case. The solution previously computed will still be available in Study 1.

ADD STUDY

- 1 In the **Home** toolbar, click  **Add Study** to open the **Add Study** window.
- 2 Go to the **Add Study** window.
- 3 Find the **Studies** subsection. In the **Select Study** tree, select **General Studies>Stationary**.
- 4 Click **Add Study** in the window toolbar.
- 5 In the **Home** toolbar, click  **Add Study** to close the **Add Study** window.


STUDY 2

- 1 In the **Model Builder** window, click **Study 2**.
- 2 In the **Settings** window for **Study**, locate the **Study Settings** section.
- 3 Clear the **Generate default plots** check box.
- 4 In the **Home** toolbar, click  **Compute**.

The quantities of interest are evaluated in the following steps.

RESULTS

Global Evaluation 2

- 1 In the **Results** toolbar, click  **Global Evaluation**.
- 2 In the **Settings** window for **Global Evaluation**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 2/Solution 2 (sol2)**.
- 4 Locate the **Expressions** section. In the table, enter the following settings:

Expression	Unit	Description
mf.LCoil_2	nH	Internal coil inductance
2*mf.intWm/1[A^2]	nH	Energy estimate for internal coil inductance
mf.L_1_2	nH	Computed mutual inductance
M	nH	Analytical mutual inductance

5 Click ▼ next to  **Evaluate**, then choose **New Table**.

TABLE 2


1 Go to the **Table 2** window.

Self and mutual inductance variables as computed above are derived via concatenated flux, which is defined as the line integral of the magnetic vector potential along the coil. This approach gives the best accuracy.


For simple geometries like the present one, concatenated flux can be also computed explicitly using its definition as the integral of magnetic flux through a surface, although this approach usually gives less accurate results.

RESULTS


Cut Line 2D 1

- 1 In the **Results** toolbar, click  **Cut Line 2D**.
- 2 In the **Settings** window for **Cut Line 2D**, locate the **Line Data** section.
- 3 In row **Point 2**, set **r** to R2.


Cut Line 2D 2

- 1 In the **Results** toolbar, click  **Cut Line 2D**.
- 2 In the **Settings** window for **Cut Line 2D**, locate the **Line Data** section.
- 3 In row **Point 2**, set **r** to R1.

Line Integration 1

- 1 In the **Results** toolbar, click  **More Derived Values** and choose **Integration> Line Integration**.
- 2 In the **Settings** window for **Line Integration**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Cut Line 2D 1**.
- 4 Locate the **Expressions** section. In the table, enter the following settings:

Expression	Unit	Description
20*mf.Bz/I1	nH	


- 5 Click ▼ next to  **Evaluate**, then choose **New Table**.
- 6 Right-click **Line Integration 1** and choose **Duplicate**.

Line Integration 2

- 1 In the **Model Builder** window, click **Line Integration 2**.

- 2 In the **Settings** window for **Line Integration**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Cut Line 2D 2**.
- 4 Locate the **Expressions** section. In the table, enter the following settings:

Expression	Unit	Description
$mf.Bz/I1$	nH	

- 5 Click ▼ next to  **Evaluate**, then choose **Table 3 - Line Integration 1**.

Cut Line 2D 1

- 1 In the **Model Builder** window, under **Results>Datasets** click **Cut Line 2D 1**.
- 2 In the **Settings** window for **Cut Line 2D**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 2/Solution 2 (sol2)**.


Cut Line 2D 2

- 1 In the **Model Builder** window, click **Cut Line 2D 2**.
- 2 In the **Settings** window for **Cut Line 2D**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 2/Solution 2 (sol2)**.

Line Integration 1

- 1 In the **Model Builder** window, under **Results>Derived Values** click **Line Integration 1**.
- 2 In the **Settings** window for **Line Integration**, locate the **Expressions** section.
- 3 In the table, enter the following settings:


Expression	Unit	Description
$20*mf.Bz/I2$	nH	

- 4 Click ▼ next to  **Evaluate**, then choose **Table 3 - Line Integration 1**.

Line Integration 2

- 1 In the **Model Builder** window, click **Line Integration 2**.
- 2 In the **Settings** window for **Line Integration**, locate the **Expressions** section.
- 3 In the table, enter the following settings:

Expression	Unit	Description
$mf.Bz/I2$	nH	

- 4 Click ▼ next to  **Evaluate**, then choose **Table 3 - Line Integration 1**.

Experimentally, mutual inductance is measured by feeding an AC signal in the primary coil and measuring the voltage induced in the open-circuit secondary coil. This procedure can be simulated by using a Frequency Domain study step. Start by setting the AC feed on Coil 1 and the open circuit (zero current) condition on Coil 2.



GLOBAL DEFINITIONS

Parameters I

- 1 In the **Model Builder** window, under **Global Definitions** click **Parameters I**.
- 2 In the **Settings** window for **Parameters**, locate the **Parameters** section.
- 3 In the table, enter the following settings:


Name	Expression	Value	Description
I1	1[A]	1 A	Current, outer coil
I2	0[A]	0 A	Current, inner coil

ADD STUDY

- 1 In the **Home** toolbar, click  **Add Study** to open the **Add Study** window.
- 2 Go to the **Add Study** window.
- 3 Find the **Studies** subsection. In the **Select Study** tree, select **General Studies>Frequency Domain**.
- 4 Click **Add Study** in the window toolbar.
- 5 In the **Home** toolbar, click  **Add Study** to close the **Add Study** window.

STUDY 3

Step 1: Frequency Domain

- 1 In the **Settings** window for **Frequency Domain**, locate the **Study Settings** section.
- 2 In the **Frequencies** text field, type 1 [kHz].
- 3 In the **Model Builder** window, click **Study 3**.
- 4 In the **Settings** window for **Study**, locate the **Study Settings** section.
- 5 Clear the **Generate default plots** check box.
- 6 In the **Home** toolbar, click  **Compute**.

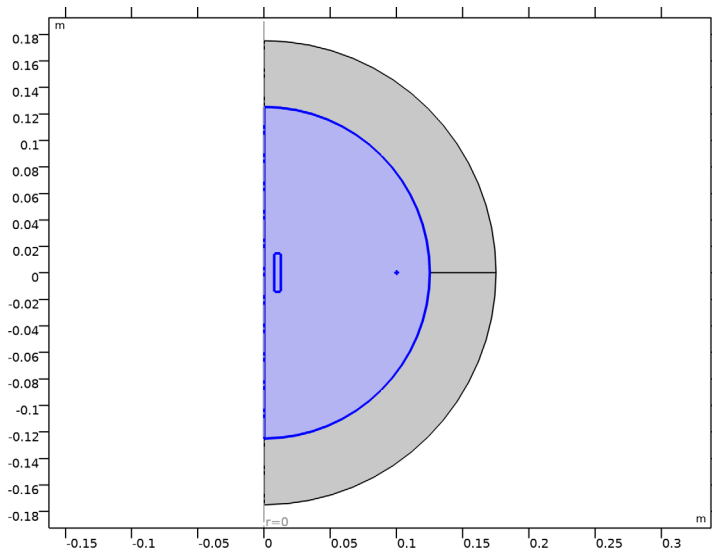
RESULTS

Study 3/Solution 3 (sol3)


Select the inner coil domains.

Selection

- 1 In the **Model Builder** window, right-click **Study 3/Solution 3 (sol3)** and choose **Selection**.
- 2 In the **Settings** window for **Selection**, locate the **Geometric Entity Selection** section.
- 3 From the **Geometric entity level** list, choose **Domain**.
- 4 Select Domains 2, 4, and 5 only.




2D Plot Group 1

- 1 In the **Model Builder** window, under **Results** click **2D Plot Group 1**.
- 2 In the **Settings** window for **2D Plot Group**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 3/Solution 3 (sol3)**.
- 4 Click the  **Zoom Extents** button in the **Graphics** toolbar.

Compare the plot with [Figure 3](#) describing the induced currents in the coil for the open circuit case.

Evaluate the mutual inductance using [Equation 1](#).

Global Evaluation 3

- 1 In the **Results** toolbar, click  **Global Evaluation**.

- 2 In the **Settings** window for **Global Evaluation**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 3/Solution 3 (sol3)**.
- 4 Locate the **Expressions** section. In the table, enter the following settings:

Expression	Unit	Description
$\text{mf.VCoil_2/1[A]}/\text{mf.iomega}$	nH	

- 5 Click  **Evaluate**.



Finally, simulate the system as it were a transformer with a short-circuited secondary winding. Specify a voltage of 0 V for the **Coil** feature assigned to the inner coil to model the short-circuit condition.

MAGNETIC FIELDS (MF)

Coil 2

- 1 In the **Model Builder** window, under **Component 1 (comp1)>Magnetic Fields (mf)** click **Coil 2**.
- 2 In the **Settings** window for **Coil**, locate the **Coil** section.
- 3 From the **Coil excitation** list, choose **Voltage**.
- 4 In the V_{coil} text field, type 0.

ADD STUDY

- 1 In the **Home** toolbar, click  **Add Study** to open the **Add Study** window.
- 2 Go to the **Add Study** window.
- 3 Find the **Studies** subsection. In the **Select Study** tree, select **General Studies>Frequency Domain**.
- 4 Click **Add Study** in the window toolbar.
- 5 In the **Home** toolbar, click  **Add Study** to close the **Add Study** window.

STUDY 4

Step 1: Frequency Domain

- 1 In the **Settings** window for **Frequency Domain**, locate the **Study Settings** section.
- 2 In the **Frequencies** text field, type 1 [kHz].
- 3 In the **Model Builder** window, click **Study 4**.
- 4 In the **Settings** window for **Study**, locate the **Study Settings** section.
- 5 Clear the **Generate default plots** check box.

6 In the **Home** toolbar, click  **Compute**.

RESULTS


Study 4/Solution 4 (sol4)

Select the inner coil domains.

Selection

- 1 In the **Model Builder** window, right-click **Study 4/Solution 4 (sol4)** and choose **Selection**.
- 2 In the **Settings** window for **Selection**, locate the **Geometric Entity Selection** section.
- 3 From the **Geometric entity level** list, choose **Domain**.
- 4 Select Domains 2, 4, and 5 only.


2D Plot Group 2

- 1 In the **Home** toolbar, click  **Add Plot Group** and choose **2D Plot Group**.
- 2 In the **Settings** window for **2D Plot Group**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 4/Solution 4 (sol4)**.

Streamline 1

- 1 Right-click **2D Plot Group 2** and choose **Streamline**.
- 2 In the **Settings** window for **Streamline**, locate the **Streamline Positioning** section.
- 3 From the **Positioning** list, choose **Starting-point controlled**.
- 4 From the **Entry method** list, choose **Coordinates**.
- 5 In the **r** text field, type $\text{range}(0, 0.9 \cdot R_1 / 49, 0.9 \cdot R_1)$.
- 6 In the **z** text field, type 0.
- 7 Locate the **Coloring and Style** section. Find the **Line style** subsection. From the **Type** list, choose **Tube**.


Color Expression 1

- 1 Right-click **Streamline 1** and choose **Color Expression**.
- 2 Click the  **Zoom Extents** button in the **Graphics** toolbar.

Compare the plot with [Figure 4](#) describing the induced currents in the coil for the closed circuit case.

Evaluate the total induced current on the inner (secondary) coil. This quantity is related to static quantities, being in the simplest approximation $i\omega M / (R_2 + i\omega L_2)$ times 1 [A] .

Global Evaluation 4

- 1 In the **Results** toolbar, click  **Global Evaluation**.
- 2 In the **Settings** window for **Global Evaluation**, locate the **Data** section.
- 3 From the **Dataset** list, choose **Study 4/Solution 4 (sol4)**.
- 4 Locate the **Expressions** section. In the table, enter the following settings:

Expression	Unit	Description
mf.ICoil_2	A	Coil current
$\frac{-mf.i\omega \text{withsol}('sol1',mf.L_{21})}{(\text{withsol}('sol2',mf.R_{Coil_2})+\text{withsol}('sol2',mf.L_{Coil_2})\cdot mf.i\omega) \cdot mf.ICoil_1}$	A	

- 5 Click  **Evaluate**.

