4/26/23, 2:28 PM Untitled-1

Untitled-1

```
/*
  * allOddBits - return 1 if all odd-numbered bits in word set to 1
           where bits are numbered from 0 (least significant) to 31 (most significant)
           Examples allOddBits(0xFFFFFFFD) = 0, allOddBits(0xAAAAAAAA) = 1
           Legal ops: ! ~ & ^ | + << >>
          Max ops: 12
  *
           Rating: 2
  *
  */
int allOddBits(int x) {
    // return !((x^0xAA)&((x >> 8) ^ 0xAA)&((x >> 16) ^ 0xAA)&((x >> 24) ^ 0xAA));
    // printf("%d\n", (x^0xAA));
    // return (!(x^0xAA))|(!((x >> 8)^0xAA))|(!((x >> 16)^0xAA))|(!((x >> 24)^0xAA));
    // return \sim ((x \& 0xAA) ^ 0xAA) | \sim (((x >> 8) \& 0xAA) ^ 0xAA) | \sim (((x >> 16) \& 0xAA) ^ 0xAA) ^ 0xAA) | \sim (((x >> 16) \& 0xAA) ^ 0xA
0xAA) \mid \sim (((x >> 24) \& 0xAA) \land 0xAA);
    // rightmost bit is 0th position
    // 0xAA => 0000 ... 1010 1010
    // the hex value 0xAA has the pattern of all odd-numbered bits set to 1
    // so all we have to do is to bitwise AND the value with x
    // and then shift x to the right by the size of 0xAA, which is 8 bits
    int p1 = (x \& 0xAA);
    int p2 = ((x >> 8) \& 0xAA);
    int p3 = ((x >> 16) \& 0xAA);
    int p4 = ((x >> 24) \& 0xAA):
    // p1 to p4 should all be equal to 0xAA, or 1010 1010, if x has all number bits
    // bitwise AND between p1 to p4 would still yield 0xAA if they are all equal
    // use bitwise NOT with 0xAA to compare (similar to ==)
    // because this funciton needs use to return true when it is all odd bits, we simply do
a logical NOT on the result
    return !((p1 & p2 & p3 & p4) ^ 0xAA);
}
/*
  * negate - return -x
           Example: negate(1) = -1.
           Legal ops: ! ~ & ^ | + << >>
           Max ops: 5
           Rating: 2
  *
  */
int negate(int x) {
    // very simple as long as we know that \sim x = -x - 1
    // so rearranging the equation we get -x = -x + 1
    return \sim x + 1;
}
```