## ML for Economic Analysis Project 1 - Peru

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## 1 Problem Description

This report is a replication and extension of Hanna and Olken's study about predicting per-capita consumption by using information of observable assets for per household in Peru. We add new assets features which are not used by Hanna and Olken and also create more than four thousands interactions specifically for Lasso. We use machine learning techniques such as K-nearest Neighbors, Support Vector Machine Regression, Light Gradient Boosting Machine and Neural Network to predict the poverty status of households on the testing sample. We find that Lasso and Light Gradient Boosting Machine preform better than other models after comparing their MSE. In the end, we also replicate the welfare analysis with the new proxy-means test and compare it to the original one.

```
In [1]: # install packages
# !pip install scikit-neuralnetwork
# !pip install lightgbm
# ! pip install mlxtend
# ! pip install yellowbrick
```

```
[2]: # Ignore the warnings
      import warnings
     warnings. filterwarnings ('always')
      warnings. filterwarnings ('ignore')
      #Import everything
      import pandas as pd
      import numpy as np
      from numpy. linalg import inv
      from numpy.random import normal as rnorm
      import itertools
      import time
      import statsmodels.api as sm
      import random
      # for plot
      import seaborn as sns
      #stata-like output
      import statsmodels.api as sm
      import statsmodels.formula.api as smf
      #for missing values
      import missingno as msno
      from sklearn.impute import SimpleImputer
```

```
In [3]:
         #regression
         from sklearn.linear model import LinearRegression, Ridge, Lasso, RidgeCV
         from sklearn.ensemble import RandomForestRegressor,BaggingRegressor,GradientBoostingRegressor,Ada
         from sklearn.svm import SVR
         from sklearn.neighbors import KNeighborsRegressor
         from sklearn.linear_model import LassoCV
         from sklearn.linear model import RidgeCV
         from sklearn import neural_network
         from sklearn.neural_network import MLPRegressor
         from lightgbm import LGBMRegressor
         #model selection
         from sklearn.model_selection import train_test_split, cross_validate
         from sklearn.model_selection import KFold
         from sklearn.model_selection import GridSearchCV
         from sklearn.model_selection import cross_val_score
         from mlxtend.feature_selection import SequentialFeatureSelector as SFS
         #preprocessing
         from sklearn, preprocessing import MinMaxScaler, StandardScaler, LabelEncoder
         from sklearn.impute import SimpleImputer
         #evaluation metrics
         from sklearn.metrics import mean_squared_log_error,mean_squared_error, r2_score,mean_absolute_err
         from sklearn.metrics import accuracy_score, precision_score, recall_score, f1_score # for classific
         import sklearn. metrics as metrics
         from sklearn. metrics import mean squared error
```

```
[4]: # Import matplotlib for graphs
      import matplotlib.pyplot as plt
      from mlxtend plotting import plot sequential feature selection as plot sfs
      # import yellowbrck for graphs
      from yellowbrick. datasets import load credit
      from yellowbrick. features import Rank2D
      from yellowbrick.regressor import AlphaSelection
      from yellowbrick.regressor.alphas import alphas
      # Set global parameters
      %matplotlib inline
      plt. style. use ('seaborn-white')
      plt.rcParams['lines.linewidth'] = 3
      plt.rcParams['figure.figsize'] = (10,6)
      plt.rcParams['figure.titlesize'] = 20
plt.rcParams['axes.titlesize'] = 18
      plt.rcParams['axes.labelsize'] = 14
      plt.rcParams['legend.fontsize'] = 14
```

# 2 Data Preprocessing

We check the missing value of data, visulize the data to get a "feel", impute the missing value with median, and split the data into trainning and test set.

## 2.1 Dataset acquisition

we use pd.read\_csv to read the csv file as dataframe data type.

```
In [5]: # Peru data
    peru = pd. read_csv('datasets/Project1_CompletaData_96.csv')
    peru. head()
    # Overview of all variables
    peru. info()
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 46305 entries, 0 to 46304

Columns: 105 entries, Inpercapitaconsumption to percapitahat\_OLS

dtypes: float64(41), int64(64)

memory usage: 37.1 MB

## 2.2 Cleaning the Data

We check our dataset by detecting whether it contains null, Nan values or missing values.

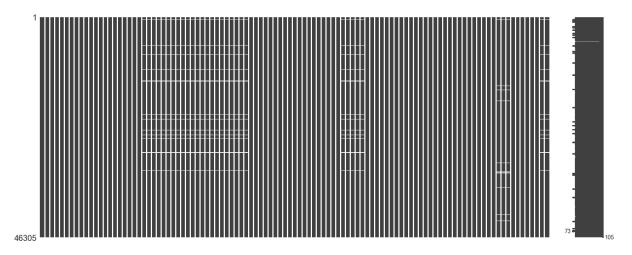
```
[6]: peru. isnull(). sum()
Out[6]: Inpercapitaconsumption
                                      0
         d_fuel_other
                                      0
         d\_fuel\_wood
                                      0
         d\_fuel\_coal
                                       0
         d_fuel_kerosene
                                      0
                                      0
         h hhsize
         id_for_matlab
                                      0
         hhid
                                      0
          1ncaphat OLS
                                    927
         percapitahat_OLS
                                    927
         Length: 105, dtype: int64
In [7]: columnNames = peru.columns.values.tolist()
         columnNames[2]
Out[7]: 'd_fuel_wood'
    [8]: peru. loc[25:26, columnNames[22:30]]
```

#### Out[8]:

	d_wall_woodmat	d_wall_stonemud	d_wall_quincha	d_wall_tapia	d_wall_adobe	d_wall_stonecement	<b>d_</b> /
25	NaN	NaN	NaN	NaN	NaN	NaN	
26	0.0	0.0	0.0	1.0	0.0	0.0	

# In [9]: # Visualize no missing values msno.matrix(peru)

Out[9]: <matplotlib.axes.\_subplots.AxesSubplot at 0x1e880bf64c8>



In [10]: # Visualize the distribution of each feature to get an overview of the dataset. peru. describe(include='all')

Out[10]:

	Inpercapitaconsumption	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_
count	46305.000000	46305.000000	46305.000000	46305.000000	46305.000000	46305.000000	4
mean	5.856564	0.104244	0.307202	0.025656	0.004557	0.518734	
std	0.744232	0.305580	0.461339	0.158108	0.067350	0.499654	
min	2.110213	0.000000	0.000000	0.000000	0.000000	0.000000	
25%	5.344724	0.000000	0.000000	0.000000	0.000000	0.000000	
50%	5.876649	0.000000	0.000000	0.000000	0.000000	1.000000	
75%	6.360625	0.000000	1.000000	0.000000	0.000000	1.000000	
max	9.663810	1.000000	1.000000	1.000000	1.000000	1.000000	

8 rows × 105 columns

# 2.3 Split Train-test dataset

```
In [11]: trainNaN = peru[peru['training']==1]
    # train = trainNaN.dropna()
    train=trainNaN.dropna(axis=0, how='any', inplace=False)
    # train.isnull().sum().sum()

# train.to_csv(r'Path where you want to store the exported CSV file\File Name.csv', index = False)

#train.to_csv(r'E:\ML for EconAna\Peru\train_py.csv',index=True, header=True)
```

```
In [12]: test = peru[peru['training']==0]
test.head()
```

#### Out[12]:

	Inpercapitaconsumption	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_fuel_elect
0	5.351858	0	1	0	0	0	
1	5.768755	0	0	0	0	1	
2	5.968277	0	0	0	0	1	
3	5.654599	0	0	0	0	1	
4	4.771289	0	1	0	0	0	

5 rows × 105 columns

#### Out[13]:

	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_fuel_electric	d_fuel_none d	I_
23152	0	1	0	0	0	0	0	_
23153	0	0	0	0	1	0	0	
23154	0	1	0	0	0	0	0	
23155	0	1	0	0	0	0	0	
23156	1	0	0	0	0	0	0	

5 rows × 96 columns

```
In [14]: y_train = train.loc[:,'percapitaconsumption']
lny_train = train.loc[:,'Inpercapitaconsumption']
y_test = test.loc[:,'percapitaconsumption']
lny_test = test.loc[:,'Inpercapitaconsumption']
```

##impute the missing values and export it to the current directory imr =
SimpleImputer(missing\_values=np.nan, strategy='median') imr = imr.fit(x\_test) x\_test =
pd.DataFrame(imr.transform(x\_test)) x\_test.to\_csv(r'Datasets\x\_test\_96.csv',index=True, header=True)

```
In [15]: # import x_test data
    x_test = pd.read_csv('datasets/x_test_96.csv')
    x_test1 = pd.read_csv('datasets/x_test_96.csv')
    x_test.head()
```

Out[15]:

	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_fuel_electric	d_fuel_none	d
0	0	1	0	0	0	0	0	
1	0	0	0	0	1	0	0	
2	0	0	0	0	1	0	0	
3	0	0	0	0	1	0	0	
4	0	1	0	0	0	0	0	

5 rows × 96 columns

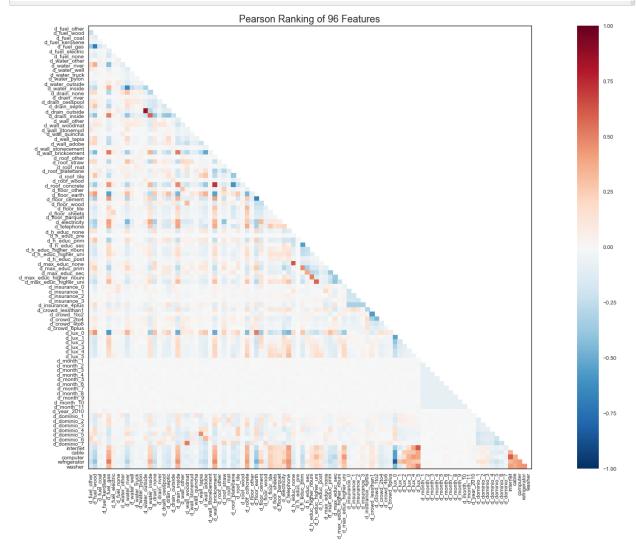
```
In [16]: print(np. any(np. isnan(x_test)))
    print(np. all(np. isfinite(x_test)))
    print(np. any(np. isinf(x_test)))
```

False True False

```
In [17]: x_test.isnull().sum()
```

```
Out[17]: d_fuel_other
                              0
          d\_fuel\_wood
                              0
          d\_fuel\_coal
                              0
          d\_fuel\_kerosene
                              0
          d\_fuel\_gas
                              0
                              0
          internet\\
                              0
          cable
                              0
          computer
                              0
          refrigerator
          washer
                              0
          Length: 96, dtype: int64
```

```
In [18]: # Instantiate the visualizer with the Pearson ranking algorithm
    visualizer = Rank2D(algorithm='pearson')
    fig=plt.gcf()
    fig.set_size_inches(30, 15)
    visualizer.fit(x_train, y_train)  # Fit the data to the visualizer
    visualizer.transform(x_train)  # Transform the data
    visualizer.show()
```



```
In [19]: x_test.shape
Out[19]: (23152, 96)
In [20]: x_train.shape
Out[20]: (22191, 96)
```

# 3 Model implementation

## 3.1.1 Replicate the original paper(Peru): OLS

```
In [21]: # add constant for train_x
    x_train_72 = train.iloc[:,1: 73]
    x_test_72 = x_test.iloc[:,0: 72]
    one = np. ones(np. shape(x_train_72))
    x_train_withcons = np. concatenate([one, x_train_72], axis=1)
    # add constant for test_x
    one = np. ones(np. shape(x_test_72))
    x_test_withcons = np. concatenate([one, x_test_72], axis=1)
```

```
In [22]: x_train_72.head()
```

Out[22]:

	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_fuel_electric	d_fuel_none d
23152	0	1	0	0	0	0	0
23153	0	0	0	0	1	0	0
23154	0	1	0	0	0	0	0
23155	0	1	0	0	0	0	0
23156	1	0	0	0	0	0	0

5 rows × 72 columns

```
In [23]: x_test_72. head()
```

Out[23]:

	d_fuel_other	d_fuel_wood	d_fuel_coal	d_fuel_kerosene	d_fuel_gas	d_fuel_electric	d_fuel_none	d_wate
0	0	1	0	0	0	0	0	_
1	0	0	0	0	1	0	0	
2	0	0	0	0	1	0	0	
3	0	0	0	0	1	0	0	
4	0	1	0	0	0	0	0	

5 rows × 72 columns

```
In [24]: # linear regression with constant
linreg = LinearRegression()
ols = linreg.fit(x_train_withcons, y_train)
```

```
[25]:
          ols.coef_
In
Out[25]: array([-3.12256229e+10, -5.03391773e+15, 2.99299831e+15,
                                                                        6.10481641e+15,
                                    8. 83051527e+15, -2. 56013196e+15,
                  -4. 16245416e+15,
                                                                        5.64440096e+14,
                                    4. 01206398e+14, -4. 51309780e+14,
                  -1.45623568e+15,
                                                                        1.86113021e+15,
                   1. 40745341e+15, -1. 67251797e+15, -1. 76925109e+15,
                                                                        1.60586686e+15,
                  -3.00027099e+14, -4.13841222e+14, 1.46717124e+14,
                                                                        2.04521644e+14,
                  -5.81132430e+14, 4.22871475e+14, -2.96690516e+14, -1.19893161e+15,
                   3.\,97251228\mathrm{e} + 14, \quad 1.\,14321197\mathrm{e} + 15, \quad 4.\,78978085\mathrm{e} + 13, \quad 7.\,75875956\mathrm{e} + 14,
                   9. 10229697e+14, 7. 52377309e+14, 6. 25624845e+14, -2. 94743112e+14,
                   1.07649475e+14, -3.44936365e+14, -2.61241543e+14, 3.62813631e+14,
                  -1.69939942e+14, -2.99010871e+14, 3.74617224e+14, -1.48977457e+14,
                   7. 59097342e+13, 2. 98900125e+14, 6. 18257541e+14, 7. 22708745e+14,
                  -3.98493008e+14, 6.18409144e+14, 4.92349361e+14, 1.06247324e+14,
                   2. 05091041e+14, 1. 17193528e+14, -3. 27338199e+13, -1. 88755098e+14,
                  -6.41510459e+13, -7.14184091e+13, -3.20778787e+13, 3.41620675e+13,
                   1. 31142642e+14, -1. 13335800e+14, -7. 85267880e+13,
                                                                       1.63962952e+13,
                   1. 08539007e+14, -2. 32325870e+14, 5. 32119129e+13,
                                                                        5. 57211445e+13,
                  -6.89050152e+12, -5.00000000e-01, -4.00000000e+00, -2.50000000e+00,
                  -2.50000000e-01, 0.00000000e+00, 2.00000000e+00, -7.50000000e-01,
                  -1. 16383753e+15, -1. 16383753e+15, -1. 16383753e+15, -1. 16383753e+15,
                  -1.16383753e+15, -1.16383753e+15, -1.16383753e+15, -1.48041694e+14,
                  -1.48041694e+14, -1.48041694e+14, -1.48041694e+14, -1.48041694e+14,
                  -1.48041694e+14, -1.48041694e+14, -1.30000000e+01, -1.39375000e+01,
                   4.00000000e+00, -5.62500000e-01, -6.00000000e+00,
                                                                        7. 25000000e+00,
                                    3. 88972454e+14, 3. 88972454e+14,
                   3.88972454e+14,
                                                                        3.88972454e+14,
                                    3. 88972454e+14, 3. 88972454e+14,
                   3.88972454e+14.
                                                                        3.88972454e+14,
                  -8. 26631694e+14, -8. 26631694e+14, -8. 26631694e+14, -8. 26631694e+14,
                  -8. 26631694e+14, -8. 26631694e+14, -8. 26631694e+14, -2. 58379012e+14,
                  -2.58379012e+14, -2.58379012e+14, -2.58379012e+14, -2.58379012e+14,
                  -2.58379012e+14, -2.58379012e+14, -2.50000000e-01, 3.55000000e+01,
                  -3.19522374e+14, -3.19522374e+14, -3.19522374e+14, -3.19522374e+14,
                  -3.19522374e+14, -3.19522374e+14, -3.19522374e+14, -1.46625000e+02,
                  -5. 28750000e+01, -3. 15000000e+01, -3. 75000000e+01, -3. 72500000e+01,
                  -1.46212999e+15, -1.46212999e+15, -1.46212999e+15, -1.46212999e+15,
                  -1.46212999e+15, 8.76020318e+14, 8.76020318e+14, 8.76020318e+14,
                   8. 76020318e+14, 8. 76020318e+14, -5. 41301136e+14, -5. 41301136e+14,
                  -5.41301136e+14, -5.41301136e+14, -5.41301136e+14, -5.41301136e+14])
   [26]:
          ols_estimate_y = ols.predict(x_train_withcons)
           ols_estimate_y
Out[26]: array([445., 805., 199., ..., 389., 329., 758.])
   [27]: ols pred y = ols.predict(x test withcons)
```

	COEI	Stu en		F- II	[0.025	0.973]
const	271.5376	14.141	19.203	0.000	243.821	299.254
d_fuel_other	-100.4283	8.378	-11.987	0.000	-116.851	-84.006
d_fuel_wood	-89.2030	7.219	-12.357	0.000	-103.353	-75.053
d_fuel_coal	-40.1382	11.701	-3.430	0.001	-63.073	-17.203
d_fuel_kerosene	-57.9007	25.350	-2.284	0.022	-107.588	-8.213
d_fuel_gas	-15.6770	6.562	-2.389	0.017	-28.540	-2.814
d_fuel_electric	436.4550	20.089	21.726	0.000	397.079	475.831
d_fuel_none	138.4298	11.108	12.462	0.000	116.658	160.202
d_water_other	34.2105	9.082	3.767	0.000	16.408	52.013
d_water_river	15.3014	6.012	2.545	0.011	3.518	27.085
d_water_well	24.5248	9.045	2.711	0.007	6.796	42.254
d water truck	70.6472	13.216	5.345	0.000	44.742	96.552

#### 3.1.2 Calculate MSE-OLS

```
In [29]: #calculate MSE for the training dataset (from the estimation of original paper) from sklearn import metrics
metrics.mean_squared_error(train.lncaphat_OLS, train.lnpercapitaconsumption)
```

Out[29]: 0.1919835924821717

```
In [30]: #calculate MSE for the training dataset (Original Paper)
metrics.mean_squared_error(train.percapitahat_OLS, train.percapitaconsumption)
```

Out[30]: 77167. 47406692483

```
In [31]: #calculate MSE for y in the testing dataset (Original Paper)
original_pred_y = pd.DataFrame(test.percapitahat_OLS)
NaNy = original_pred_y.join(y_test)
NaNy=NaNy.dropna(axis=0, how='any', inplace=False)
NaNy.head()
print(NaNy.shape)
mse_ols_y = metrics.mean_squared_error(NaNy.percapitahat_OLS, NaNy.percapitaconsumption)
print(mse_ols_y)
```

(22704, 2) 89689. 4794288619

```
In [32]: #calculate MSE for lny in the testing dataset (Original Paper)
          original_pred_lny = pd.DataFrame(test.lncaphat_OLS)
          NaNlny = original_pred_lny.join(lny_test)
          NaNlny=NaNlny.dropna(axis=0, how='any', inplace=False)
          NaNlny. head()
          print (NaNlny. shape)
          mse_ols_lny = metrics.mean_squared_error(NaNlny.lncaphat_OLS, NaNlny.lnpercapitaconsumption)
          print(mse_ols_lny)
           (22704, 2)
          0.1908680255424893
In [33]: #calculate MSE for the training dataset (my calculation)
          metrics.mean_squared_error(ols_estimate_y, y_train)
Out[33]: 77192. 08104485337
In [34]: #calclulate MSE for the testing dataset (my calculation)
          metrics.mean_squared_error(ols_pred_y, y_test)
Out[34]: 6. 358591436402691e+26
```

#### 3.2 Model - Lasso

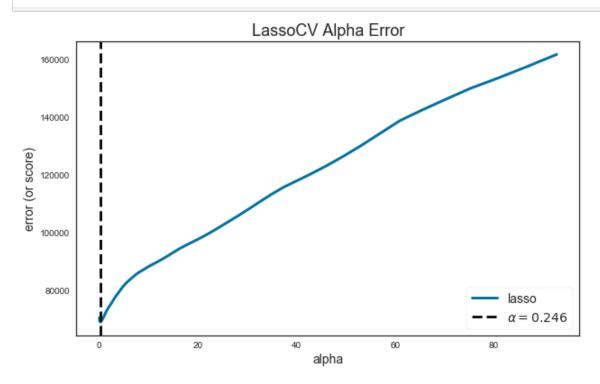
```
In [67]: ## Create new variables specifically for Lasso
#interact each of two variables in x_train, we get 4560 interactions with 96 old features.

for i in range(0,96):
    a=i
    for j in range(a+1,96):
        x_trainl['interaction'+str(i)+str('t')+str(j)]=x_trainl.iloc[:,i]* x_trainl.iloc[:,j]
```

```
In [68]: #interact each of two variables in x_train, we get 4560 interactions with 96 old features.

for i in range(0,96):
    a=i
    for j in range(a+1,96):
        x_test1['interaction'+str(i)+str('t')+str(j)]=x_test1.iloc[:,i]* x_test1.iloc[:,j]
```

In [69]: alphas(LassoCV(random\_state=0), x\_train1, y\_train)



```
Out[69]: AlphaSelection(ax=<matplotlib.axes._subplots.AxesSubplot object at 0x000001E88CBA2588>, is_fitted='auto', model=None)
```

```
In [70]: lassocv = LassoCV(alphas = [0.185, 0.19, 0.193, 0.2, 0.21, 0.24], cv=10) lassocv. fit(x_train1, y_train)
```

Out[70]: LassoCV(alphas=[0.185, 0.19, 0.193, 0.2, 0.21, 0.24], copy\_X=True, cv=10, eps=0.001, fit\_intercept=True, max\_iter=1000, n\_alphas=100, n\_jobs=None, normalize=False, positive=False, precompute='auto', random\_state=None, selection='cyclic', tol=0.0001, verbose=False)

```
In [71]: lassocv.alpha_
```

Out[71]: 0.21

```
In [72]: lasso_estimate_y = lassocv.predict(x_train1)
          metrics.mean_squared_error(lasso_estimate_y,y_train)
Out[72]: 61528. 5635551761
In [73]: lasso_pred_y = lassocv.predict(x_test1)
          mse_lasso_y = metrics.mean_squared_error(lasso_pred_y, y_test)
          print(mse_lasso_y)
          80288.03171922367
  [74]: # 1ny
          ln_{assocv} = LassoCV (alphas = [0.0001, 0.001, 0.1, 0.2, 0.5], cv=10)
          ln_lassocv.fit(x_train1, lny_train)
Out [74]: LassoCV (alphas=[0.0001, 0.001, 0.1, 0.2, 0.5], copy X=True, cv=10, eps=0.001,
                  fit intercept=True, max iter=1000, n alphas=100, n jobs=None,
                  normalize=False, positive=False, precompute='auto', random_state=None,
                  selection='cyclic', tol=0.0001, verbose=False)
   [75]: ln lassocv.alpha
Out[75]: 0.001
   [76]: lasso_pred_lny = ln_lassocv.predict(x_test1)
In [77]: # mse lasso lny
          mse_lasso_lny = metrics.mean_squared_error(lasso_pred_lny,lny_test)
          print(mse_lasso_lny) ## alpha 0.001 mse: 0.18047432116868548
```

0.18047432116868548

## 3.3 Model-KNN Regression

Not sure if it is a suitable algorithm for our dataset since all the features are dummies, and it is hard to define/calculate the "distance". But we will see...

```
In [60]: random. seed (30)
           sfs = SFS(LinearRegression(),
                     k_features= (30, 96),
                     forward=True,
                     floating=False,
                     scoring='neg_mean_squared_error',
                     cv=5)
           sfs.fit(x_train, y_train)
           sfs.k_feature_names_
 Out[60]: ('d_fuel_other',
             d\_fuel\_wood,
             'd_fuel_coal',
             'd_fuel_gas',
             'd_fuel_electric',
             'd_fuel_none',
             'd_water_river',
            'd_water_truck',
            'd_water_pylon',
            'd_water_outside',
            'd_water_inside',
            'd_drain_river',
            'd_drain_septic',
            'd_drain_inside',
            'd_{wall_other'},
            'd_{wall_stonemud}',
            'd_wall_tapia',
            'd_wall_adobe'
             'd_roof_straw',
             'd_roof_mat',
             'd_roof_tile',
             'd_roof_wood',
             'd_floor_earth',
             'd_floor_tile',
             'd_floor_sheets'
             'd_floor_parquet',
             'd_telephone',
             'd_h_educ_pre'
             'd_h_educ_prim',
             'd h_educ_sec',
             'd h educ higher nouni',
            'd_h_educ_higher_uni',
            'd h educ post',
            'd_max_educ_none',
            'd_max_educ_prim',
            'd_max_educ_higher_nouni',
            'd_insurance_0',
'd_insurance_1',
            'd_insurance_3',
            'd_insurance_4plus',
            'd_crowd_lessthan1',
            'd_crowd_1to2',
'd_crowd_2to4',
            'd_lux_0',
'd_lux_1',
```

'd\_lux\_2',
'd\_lux\_3',
'd\_lux\_4',
'd\_lux\_5',
'd\_month\_3',
'd\_month\_8',
'd\_month\_9',
'd\_year\_2010',
'd\_dominio\_1',
'd\_dominio\_2',
'd\_dominio\_3',

```
d_dominio_4,
            d_dominio_5,
            'd_dominio_6',
            'd_dominio_7',
            'internet',
            'cable',
            'refrigerator',
            'washer')
In [61]: fig1 = plot_sfs(sfs.get_metric_dict(), kind='std_dev')
          plt.title('Sequential Forward Selection (w. StdErr)')
           ticks = np.arange(1, 96, 5)
           plt. xticks (ticks)
          plt.show()
                                       Sequential Forward Selection (w. StdErr)
               -70000
               -80000
               -90000
           Performance
               -100000
              -110000
               -120000
               -130000
                             2
                                                            10
                                                                11
                                                      Number of Features
  [62]: | x_train_sfs = sfs. transform(x_train)
           x_{test\_sfs} = sfs. transform(x_{test})
   [63]: x_train_knn = pd. DataFrame(x_train_sfs)
           x_test_knn = pd. DataFrame(x_test_sfs)
   [64]: # create a knn regression model (best-fitted parameter is k=37)
           param_dict = {'n_neighbors':[37], 'weights': ['distance'], 'metric':['hamming']}
           knn_gscv = GridSearchCV(estimator=KNeighborsRegressor(), param_grid = param_dict,scoring='neg_mean
           knn_gscv.fit(x_train_knn, y_train)
          knn_gscv.best_params_
Out[64]: {'metric': 'hamming', 'n_neighbors': 37, 'weights': 'distance'}
   [65]: | train_knn_pred = knn_gscv.predict(x_train_knn)
           print(metrics.mean_squared_error(train_knn_pred, y_train))
```

```
In [66]: | # mse for y
          knn_pred_y = knn_gscv.predict(x_test_knn)
          mse_knn_y = metrics.mean_squared_error(knn_pred_y, y_test)
          print(mse knn y)
          90780. 47927757952
In [88]: # create a knn regression model
          param_dict = {'n_neighbors':[17, 37, 57], 'weights': ['distance'], 'metric':['hamming']}
          In knn gscv = GridSearchCV(estimator=KNeighborsRegressor(), param grid = param dict, scoring='neg |
          ln_knn_gscv.fit(x_train_knn, lny_train)
          ln_knn_gscv.best_params_
Out[88]: {'metric': 'hamming', 'n_neighbors': 37, 'weights': 'distance'}
In
   [89]: # mse for lny
          knn_pred_lny = ln_knn_gscv.predict(x_test_knn)
          mse_knn_lny = metrics.mean_squared_error(knn_pred_lny, lny_test)
          print(mse_knn_lny)
          0. 20991093774748923
          3.4 SVM Regression (SVR)
          #Code for CV:
          params_dict={'C': [10,100,300], 'gamma': [0.01,0.1,1], 'kernel': ['rbf']}
          params_dict={'C': [300], 'gamma': [0.1], 'kernel': ['rbf']}
          svr_gscv=GridSearchCV(estimator=SVR(), param_grid=params_dict, scoring='neg_mean_squared_error', cv
   [37]: | # After using CV, we have found the best-fitted parameter,
          # so we directly use the selected parameter in the later programing for saving time
          svr_gscv=SVR(C = 300, gamma = 0.1, kernel = 'rbf')
          svr_gscv.fit(x_train, y_train)
Out[37]: SVR(C=300, cache_size=200, coef0=0.0, degree=3, epsilon=0.1, gamma=0.1,
              kernel='rbf', max_iter=-1, shrinking=True, tol=0.001, verbose=False)
In [38]: # MSE for the training set
          svr_estimate_y = svr_gscv.predict(x_train)
          metrics.mean_squared_error(svr_estimate_y, y_train)
Out[38]: 56010. 9428618192
In [39]: |# predict for x_test
          svr_pred_y = svr_gscv.predict(x_test)
          # calculate MSE from the prediction for x_test and y_test
          mse_svr_y = metrics.mean_squared_error(svr_pred_y, y_test) ##300 and 0.1 mse: ## 84657.0160
          print(mse_svr_y)
          84657. 01604518267
          #1ny; Code for CV:
          params dict={'C':[1,10,300], 'gamma':[0.01,0.1,1,10], 'kernel':['rbf']}
          svr gscv=GridSearchCV(estimator=SVR(), param grid=params dict, scoring='neg mean squared error', cv
```

svr\_gscv.fit(x\_train, lny\_train)

```
In [102]: |#1ny;
           # After using CV, we have found the best-fitted parameter,
           # so we directly use the selected parameter in the later programing for saving time
           lny_svr_gscv=SVR(C = 100 , gamma = 0.001, kernel = 'rbf')
           lny_svr_gscv.fit(x_train, lny_train)
           # predict for x_test
           svr_pred_lny = lny_svr_gscv.predict(x_test)
           # calculate MSE from the prediction for x_test and lny_test
           mse_svr_lny = metrics.mean_squared_error(svr_pred_lny, lny_test) ##
           print(mse_svr_lny)
           0.17923064710220138
           3.5 LightGBM
 In [41]: | x_{try} = x_{train.iloc}[0:22673,]
           y_try = y_train.iloc[0:22673,]
           #code for cv:
           100], 'learning_rate': [0.01, 0.1, 0.3, 0.5, 0.7]}
    [42]: # After using CV, we have found the best-fitted parameter,
           # so we directly use the selected parameter in the later programing for saving time
           params dict={'num leaves':[31],'n estimators':[97],'learning rate':[0.01, 0.1, 0.3]}
           lgbm_gscv=GridSearchCV(estimator=LGBMRegressor(),param_grid=params_dict,scoring='neg_mean_squared
           lgbm_gscv.fit(x_try, y_try)
           lgbm_gscv.best_params_
  Out[42]: {'learning_rate': 0.1, 'n_estimators': 97, 'num_leaves': 31}
   [43]: | lgbm_pred_y = lgbm_gscv.predict(x_test)
 In
    [44]: | mse_lgbm_y = metrics.mean_squared_error(lgbm_pred_y, y_test)
           print(mse_lgbm_y)
           80546.35227972006
    [95]: #prediction for lny
           lny_try = lny_train.iloc[0:22673,]
           params_dict={'num_leaves':[5, 10, 20, 25], 'n_estimators':[20, 100, 500, 1000, 1500], 'learning_rate':[0.02
           lgbm gscv=GridSearchCV (estimator=LGBMRegressor(), param_grid=params_dict, scoring='neg_mean_squared
           lgbm_gscv.fit(x_try, lny_try)
           print(lgbm_gscv.best_params_)
           lgbm_pred_lny = lgbm_gscv.predict(x_test)
           # mse for lny
           mse lgbm lny = metrics.mean squared error(lgbm pred lny, lny test)
           print(mse_lgbm_lny)
           {'learning_rate': 0.04, 'n_estimators': 1500, 'num_leaves': 10}
           0.17864507664424056
```

print(svr\_gscv.best\_params\_)

#### 3.6 Neural Network

```
In [40]: # After using CV, we have found the best-fitted parameter,
           # so we directly use the selected parameter in the later programing for saving time
           clf_nn = MLPRegressor(random_state=1, max_iter=500).fit(x_train, y_train)
           nn_estimate_y=clf_nn.predict(x_train)
           print (metrics. mean squared error (nn estimate y, y train))
           nn_pred_y=clf_nn.predict(x_test)
           mse nn y = metrics.mean squared error(nn pred y, y_test)
           print(mse_nn_y)
           60146.973467169766
           81377.09921569008
In [113]: #prediction for lny
           params_dict={'hidden_layer_sizes':[(5), (10), (10, 10), (20, 10)]}
           clf_nn =GridSearchCV(estimator = neural_network.MLPRegressor(activation="relu",
                             solver='adam', alpha=0.3,
                             batch_size='auto', learning_rate="constant",
                             learning rate init=0.005, power t=0.5, max_iter=500, tol=1e-4), param grid=params
           clf_nn.fit(x_train, lny_train)
           print(clf_nn.best_params_)
           nn_pred_lny = clf_nn.predict(x_test)
           mse nn lny = metrics.mean squared error(nn pred lny, lny test)
           print(mse_nn_lny)
```

```
{'hidden_layer_sizes': (10, 10)}
0.18699041083015602
```

## 4 Evaluation of different variables

```
In [114]: model_names=['OLS','Lasso','KNN','SVR','LGBM','NN']
    mse_pred_y=(mse_ols_y, mse_lasso_y, mse_knn_y, mse_svr_y, mse_lgbm_y, mse_nn_y)
    d={'Modelling Algo': model_names,'MSE': mse_pred_y}
    d

Out[114]: {'Modelling Algo': ['OLS', 'Lasso', 'KNN', 'SVR', 'LGBM', 'NN'],
        'MSE': (89689. 4794288619,
        80288. 03171922367,
        90780. 47927757952,
        84657. 01604518267,
        80546. 35227972006,
        81377. 09921569008)}
```

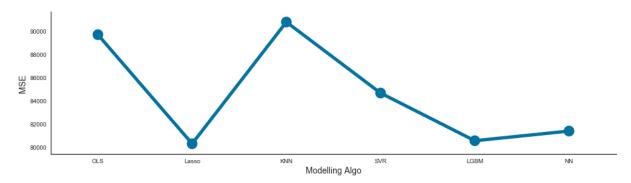
```
In [115]: acc_frame=pd.DataFrame(d) acc_frame
```

Out[115]:

	Modelling Algo	MSE
0	OLS	89689.479429
1	Lasso	80288.031719
2	KNN	90780.479278
3	SVR	84657.016045
4	LGBM	80546.352280
5	NN	81377.099216

```
In [116]: sns. factorplot(x='Modelling Algo', y='MSE', data=acc_frame, kind='point', size=4, aspect=3.5)
```

Out[116]: <seaborn.axisgrid.FacetGrid at Ox1e88aaeee48>



```
In [117]: # for lny
    model_names=['OLS','Lasso','KNN','SVR','LGBM','NN']
    mse_pred_lny=(mse_ols_lny, mse_lasso_lny, mse_knn_lny, mse_svr_lny, mse_lgbm_lny, mse_nn_lny)
    d2={'Modelling Algo':model_names,'MSE_lny':mse_pred_lny}
    d2
```

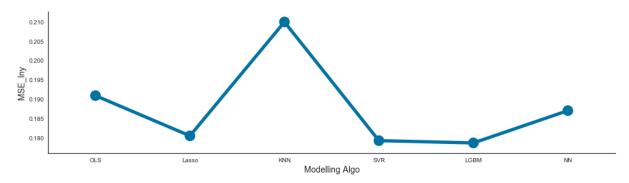
```
In [118]: acc_frame2=pd.DataFrame(d2) acc_frame2
```

Out[118]:

	Modelling Algo	MSE_Iny
0	OLS	0.190868
1	Lasso	0.180474
2	KNN	0.209911
3	SVR	0.179231
4	LGBM	0.178645
5	NN	0.186990

```
In [143]: sns.factorplot(x='Modelling Algo', y='MSE_lny', data=acc_frame2, kind='point', style="whitegrid", co
```

Out[143]: <seaborn.axisgrid.FacetGrid at Ox1e896299048>



# **5 Export Prediction**

```
[144]: #combine the original test dataset and the precise predicted y
        lasso_pred_y = pd. DataFrame(lasso_pred_y)
        lasso_out = lasso_pred_y. join(test)
        lasso_out. to_csv(r'Datasets\lasso_out.csv', index=True , header=True)
        knn pred y = pd. DataFrame(knn pred y)
        knn out = knn pred y. join(test)
        knn_out.to_csv(r'Datasets\knn_out.csv',index=True ,header=True)
        svr_pred_y = pd. DataFrame(svr_pred_y)
        svr_out = svr_pred_y. join(test)
        svr_out. to_csv(r'Datasets\svr_out.csv', index=True , header=True)
        lgbm_pred_y = pd.DataFrame(lgbm_pred_y)
        lgbm_out = lgbm_pred_y.join(test)
        lgbm_out.to_csv(r'Datasets\lgbm_out.csv',index=True ,header=True)
        nn_pred_y = pd. DataFrame(nn_pred_y)
        nn out = nn pred y.join(test)
        nn out. to csv(r'Datasets\nn out.csv', index=True, header=True)
```

```
In [145]: lasso_pred_lny = pd.DataFrame(lasso_pred_lny)
lasso_out_lny = lasso_pred_lny.join(test)
lasso_out_lny.to_csv(r'Datasets\lasso_out_lny.csv',index=True ,header=True)

knn_pred_lny = pd.DataFrame(knn_pred_lny)
knn_out_lny = knn_pred_lny.join(test)
knn_out_lny.to_csv(r'Datasets\knn_out_lny.csv',index=True ,header=True)

svr_pred_lny = pd.DataFrame(svr_pred_lny)
svr_out_lny = svr_pred_lny.join(test)
svr_out_lny.to_csv(r'Datasets\svr_out_lny.csv',index=True ,header=True)

lgbm_pred_lny = pd.DataFrame(lgbm_pred_lny)
lgbm_out_lny.to_csv(r'Datasets\lgbm_out_lny.csv',index=True ,header=True)

nn_pred_lny = pd.DataFrame(nn_pred_lny)
nn_out_lny = nn_pred_lny.join(test)
nn_out_lny = nn_pred_lny.join(test)
nn_out_lny.to_csv(r'Datasets\nn_out_lny.csv',index=True ,header=True)
```