Greedy activity pseudocode

```
GREEDY-ACTIVITY-SELECTOR (s, f)

1  n = s.length  // n is the total number of activities

2  A = \{a_1\}   // Selection of first activity

3  k = 1   // current activity denoted by k and we consider it = 1

4  \mathbf{for} \ m = 2 \mathbf{to} \ n

5  \mathbf{if} \ s[m] \ge f[k]

6   A = A \cup \{a_m\}

7   k = m

8  \mathbf{return} \ A
```

Fractional Knapsack Problem - Pseudocode

Huffman Coding Algorithm

```
Algorithm 7.6 HUFFMAN
Input: A set C = \{c_1, c_2, \dots, c_n\} of n characters and their frequencies
         \{f(c_1), f(c_2), \ldots, f(c_n)\}.
Output: A Huffman tree (V, T) for C.
      1. Insert all characters into a min-heap H according to their frequencies.
      2. V \leftarrow C; T = \{\}
      3. for j \leftarrow 1 to n-1
              c \leftarrow \text{DELETEMIN}(H)
              c' \leftarrow \text{DELETEMIN}(H)
                                           \{v \text{ is a new node}\}
              f(v) \leftarrow f(c) + f(c')
              INSERT(H, v)
              V = V \cup \{v\}
                                   \{ Add \ v \text{ to } V \}
              T = T \cup \{(v, c), (v, c')\}
                                               {Make c and c' children of v in T}
     10. end while
```

Dijkstra's Algorithm-Pseudocode

```
Algorithm 7.1 DIJKSTRA
Input: A weighted directed graph G = (V, E), where V = \{1, 2, ..., n\}.
Output: The distance from vertex 1 to every other vertex in G.
        \begin{array}{ll} 1. & X = \{1\}; \quad Y \leftarrow V - \{1\}; \quad \lambda[1] \leftarrow 0 \\ 2. & \textbf{for } y \leftarrow 2 \textbf{ to } n \end{array}
                  if y is adjacent to 1 then \lambda[y] \leftarrow length[1, y]
else \lambda[y] \leftarrow \infty
                    end if
         6. end for
        8. Let y \in Y be such that \lambda[y] is minimum

9. X \leftarrow X \cup \{y\} {add vertex y to X}

10. Y \leftarrow Y - \{y\} {delete vertex y from
                                                         \{\text{delete vertex } y \text{ from } Y\}
                   for each edge (y, w)
if w \in Y and \lambda[y] + length[y, w] < \lambda[w] then
       12.
                                 \lambda[w] \leftarrow \lambda[y] + length[y, w]
       13.
                    end for
       14.
       15. end for
```

Kruskal's Algorithm – Pseudocode

```
Algorithm 7.3 KRUSKAL
Input: A weighted connected undirected graph G = (V, E) with n vertices.
Output: The set of edges T of a minimum cost spanning tree for G.
     1. Sort the edges in E by nondecreasing weight.
     2. for each vertex v \in V
           MAKESET(\{v\})
     4. end for
     5. T = \{\}
     6. while |T| < n - 1
            Let (x, y) be the next edge in E.
            if FIND(x) \neq FIND(y) then
     8.
               Add (x,y) to T
               UNION(x, y)
    10.
    11.
            end if
    12. end while
```