

CS5805 : Machine Learning I

Lecture #3

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What is a Data Mining?

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- Data mining is part of **statistics, engineering, optimization, and computer science**.
- We start our data mining process by creating a **Dataset**, describing an aspect of the real world.

Data objects

record, point, vector, pattern, event, case, sample, instance, observation or entity.

Attributes

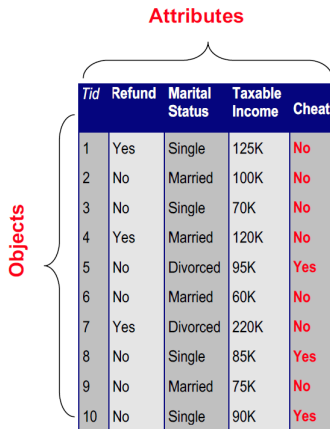
variable, field, feature or dimension.

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<i>Tid</i>	Refund	Marital Status	Taxable Income	Cheat
1	Yes	Single	125K	No
2	No	Married	100K	No
3	No	Single	70K	No
4	Yes	Married	120K	No
5	No	Divorced	95K	Yes
6	No	Married	60K	No
7	Yes	Divorced	220K	No
8	No	Single	85K	Yes
9	No	Married	75K	No
10	No	Single	90K	Yes

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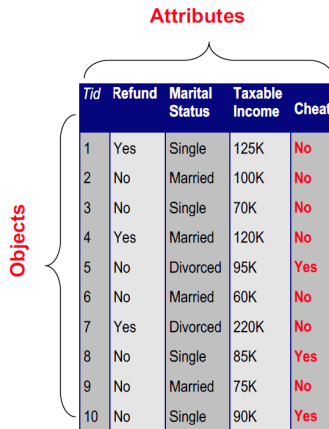
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 - A collection of attributes describe an **Object**.

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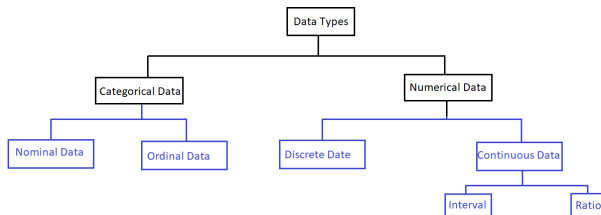
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Categorical

- **Categorical** data is a type of data that can be stored into groups or categories with the aid of names or labels. It is also known as qualitative data.

Numerical



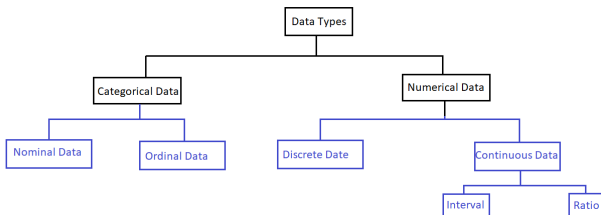
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- E.g, GPA, height, weight, temperature,...

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- Three common types of **mean** calculations are

1-Arithmetic mean

2-Geometric mean

3-Harmonic mean

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- Python function from Numpy package : **np.mean()**

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- The **gmean** function in Python scipy.stats.

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- The **hmean** function in Python scipy.stats.

In class Assignment

- Consider the following make-up dataset:

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- Calculate the **Arithmetic mean, Geometric mean and Harmonic mean**.

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- This information can be summarized in a table called **Confusion matrix**. Let consider a binary classification:

		Predicted Class	
		Class=1	Class=0
Actual Class	Class=1	f_{11}	f_{10}
	Class=0	f_{01}	f_{00}

Accuracy

$$Accuracy = \frac{f_{11} + f_{00}}{f_{11} + f_{10} + f_{01} + f_{00}}$$

Error rate

$$Error\ rate = \frac{f_{10} + f_{01}}{f_{11} + f_{10} + f_{01} + f_{00}}$$

Confusion Matrix

		Test result	
		Sick (positive)	Healthy (negative)
Actual	Sick	T.P	F.N
	Healthy	F.P	T.N

Sensitivity (Recall, Hit rate, true positive rate)

Number of correct positive predictions divided by the total number of positives.

$$TPR = \frac{T.P}{T.P + F.N}$$

Specificity (selectivity, true negative rate)

Number of correct negative predictions divided by the total number of negatives.

$$TNR = \frac{T.N}{T.N + F.P}$$

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- Sometimes we are looking for high Precision but sometimes looking for high Recall.

Confusion Matrix- Examples

Credit card fraud detection

- We don't want to miss any fraud transactions. Therefore we want False Negative to be as low as possible.

Spam Detection

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- This means False Positive should be low and **Precision High**.

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$$F1\ score = \frac{2}{\frac{1}{Precision} + \frac{1}{Recall}}$$

- F1 score gives the same weightage to recall and precision.

Characteristics of Dataset

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- Histogram plot.

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Types of Dataset

Record Data

- Data Matrix

Graph

Ordered Data

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- Sequential Data
- Generic Sequential Data

Record Data

- Data that consists of a collection of records, each of which consists of a **fixed set of attributes**.

	total_bill	tip	sex	smoker	day	time	size
0	16.99000	1.01000	Female	No	Sun	Dinner	2
1	10.34000	1.66000	Male	No	Sun	Dinner	3
2	21.01000	3.50000	Male	No	Sun	Dinner	3
3	23.68000	3.31000	Male	No	Sun	Dinner	2
4	24.59000	3.61000	Female	No	Sun	Dinner	4
5	25.29000	4.71000	Male	No	Sun	Dinner	4
6	8.77000	2.00000	Male	No	Sun	Dinner	2
7	26.88000	3.12000	Male	No	Sun	Dinner	4
8	15.04000	1.96000	Male	No	Sun	Dinner	2
9	14.78000	3.23000	Male	No	Sun	Dinner	2
10	10.27000	1.71000	Male	No	Sun	Dinner	2
11	35.26000	5.00000	Female	No	Sun	Dinner	4
12	15.42000	1.57000	Male	No	Sun	Dinner	2
13	18.43000	3.00000	Male	No	Sun	Dinner	4

Data Matrix

- Data objects with only numeric attributes can be represented by $m \times n$ matrix, where there are m rows, one for each object, and n columns one for each attribute.

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10.23	5.27	15.22	2.7	1.2
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- The data objects can be thought of as points in a multi-dimensional space where each dimension represents a distinct attribute.

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Document Data

- Each document becomes a 'term' vector.

	team	coach	play	ball	score	game	win	lost	timeout	season
Document 1	3	0	5	0	2	6	0	2	0	2
Document 2	0	7	0	2	1	0	0	3	0	0
Document 3	0	1	0	0	1	2	2	0	3	0

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Transaction Data

- A special type of record data where each record (transaction) involves a set of items.

<i>TID</i>	<i>Items</i>
1	Bread, Coke, Milk
2	Beer, Bread
3	Beer, Coke, Diaper, Milk
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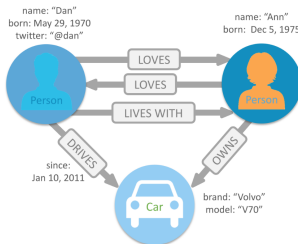
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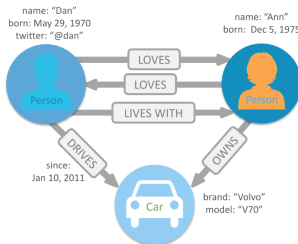
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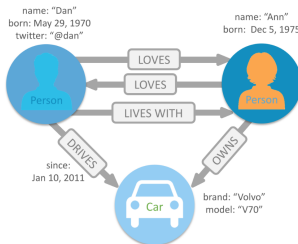
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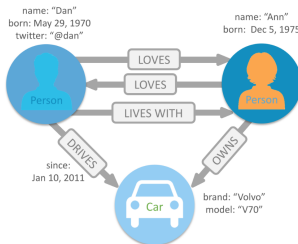
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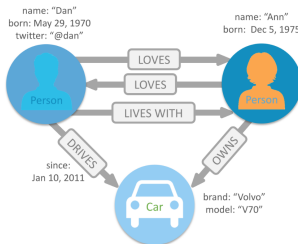
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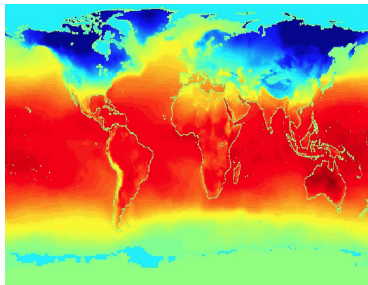
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- E.g, social network, payment networks, road networks, ..



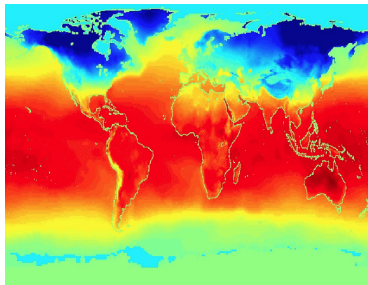
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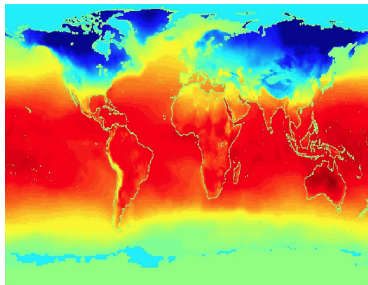
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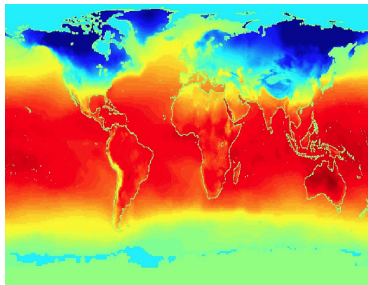
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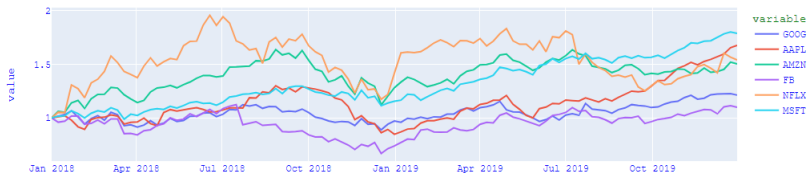
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- E.g, Average monthly temperature of land & ocean.



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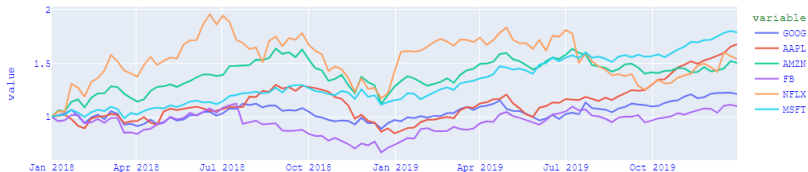
Stock Values - Major Tech company



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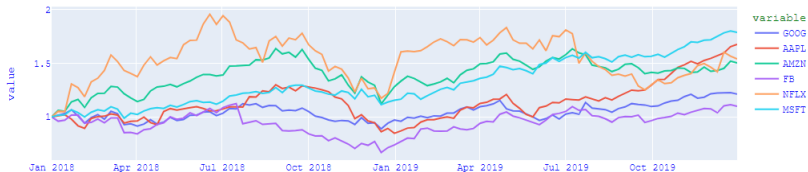
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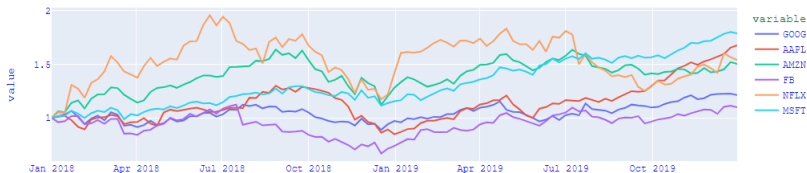
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Stock Values - Major Tech company



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 - **inplace**: If True, do operation and return None.

Sample Dataframe-Python

- Detecting missing values using `df.isna()`

```
import pandas as pd
import numpy as np

data = {"Product_Name":["Mouse", "Monitor", "CPU", "Speakers", "Headset"],
        "Unit_Price":[200, 5000.235, 10000.550, 250.50, None],
        "No_Of_Units":[5, 10, 20, 8, pd.NaT],
        "Available_Quantity":[6, 5, 5, pd.NaT, np.NaN],
        "Remarks": [np.NaN, pd.NaT, pd.NaT, pd.NaT, pd.NaT]
        }

df = pd.DataFrame(data)

print(df.isna().sum())

df_copy1 = df.copy()
df_copy2 = df.copy()
df_copy3 = df.copy()

df_copy1.dropna(axis=1, inplace=True)
df_copy2.dropna(how='any', axis=1, inplace=True)
df_copy3.dropna(how='all', axis=1, inplace=True)
```

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- If the attribute is categorical, then the **most commonly occurring** attribute value can be taken.

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- If the attribute is categorical, then the **most commonly occurring** attribute value can be taken.
- **DataFrame.fillna()** is used to fill missing values using the specified method.
- **DataFrame.replace()**: can be used for replacement.

Sample Dataframe-Python

- Replacing missing values with specified integer.

```
# importing libraries
import pandas as pd
import numpy as np

nums = {'Set_of_Numbers': [2, 3, 5, 7, 11, 13,
                           np.nan, 19, 23, np.nan]}

# Create the dataframe
df1 = pd.DataFrame(nums, columns=['Set_of_Numbers'])
df2 = df1.copy()

# Apply the function
df2['Set_of_Numbers'] = df1['Set_of_Numbers'].fillna(0)

# print the DataFrame
print(df2)
```

Sample Dataframe-Python

- Replacing missing values **mean** and **mode**.

```
# importing pandas module
import pandas as pd

# making data frame from csv file
nba = pd.read_csv("C:\\GW\\Time series Analysis\\dataset\\nba.csv")
# check if missing value exists
print(nba.isna().sum())
# replacing na values in college with No college
nba["College"].fillna("No College", inplace=True)

# replacing missing values of 'College' feature
# with the mode of the same feature
nba["College"].fillna(nba["College"].mode()[0], inplace=True)

# replacing missing values of the 'Salary' with the mean value
# of the column
nba["Salary"].fillna(nba["Salary"].mean(), inplace=True)
```

Backward fill-Python

- Replacing missing values with backward fill option `Dataframe.bfill()`.

```
import pandas as pd

# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()

# Filling missing values backward across row
df2.bfill(axis='rows', inplace=True)

# Filling missing values backward across column
df3.bfill(axis='columns', inplace=True)
```

Backward fill-Python

- Replacing missing values with backward fill option `Dataframe.bfill()`.
- When `axis='rows'`, then value in current na cells are filled from the corresponding value in the next row. If the next row is also na value then it won't be populated.

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# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()

# Filling missing values backward across row
df2.bfill(axis='rows', inplace=True)

# Filling missing values backward across column
df3.bfill(axis='columns', inplace=True)
```

Backward fill-Python

- Replacing missing values with backward fill option `Dataframe.bfill()`.
- When `axis='rows'`, then value in current na cells are filled from the corresponding value in the next row. If the next row is also na value then it won't be populated.
- When `axis='columns'`, then the current na cells will be filled from the value present in the next column in the same row. If the next column is also na cell then it won't be filled.

```
import pandas as pd

# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()

# Filling missing values backward across row
df2.bfill(axis='rows', inplace=True)

# Filling missing values backward across column
df3.bfill(axis='columns', inplace=True)
```

Forward fill-Python

- Replacing missing values with forward fill option `Dataframe.ffill()`.

```
# importing pandas as pd
import pandas as pd

# Creating the dataframe
df = pd.DataFrame({"A": [5, 3, None, 4],
                   "B": [None, 2, 4, 3],
                   "C": [4, 3, 8, 5],
                   "D": [5, 4, 2, None]})

df1 = df.copy()
df2 = df.copy()

# applying ffill() method to fill the missing values-row
df1.ffill(axis=0, inplace=True)

# applying ffill() method to fill the missing values-column
df2 = df2.ffill(axis=1)
```

Forward fill-Python

- Replacing missing values with forward fill option `Dataframe.ffill()`.
- When `ffill()` is applied across the index, any missing value is filled based on the corresponding value in the previous row.

```
# importing pandas as pd
import pandas as pd

# Creating the dataframe
df = pd.DataFrame({"A": [5, 3, None, 4],
                   "B": [None, 2, 4, 3],
                   "C": [4, 3, 8, 5],
                   "D": [5, 4, 2, None]})

df1 = df.copy()
df2 = df.copy()

# applying ffill() method to fill the missing values-row
df1.ffill(axis = 0, inplace=True)

# applying ffill() method to fill the missing values-column
df2 = df2.ffill(axis = 1)
```


Forward fill-Python

- Replacing missing values with forward fill option `Dataframe.ffill()`.
- When `ffill()` is applied across the index, any missing value is filled based on the corresponding value in the previous row.
- When `ffill()` is applied across the column axis, missing values are filled by the value in previous column in the same row.

```
# importing pandas as pd
import pandas as pd

# Creating the dataframe
df = pd.DataFrame({"A": [5, 3, None, 4],
                   "B": [None, 2, 4, 3],
                   "C": [4, 3, 8, 5],
                   "D": [5, 4, 2, None]})

df1 = df.copy()
df2 = df.copy()

# applying ffill() method to fill the missing values-row
df1.ffill(axis=0, inplace=True)

# applying ffill() method to fill the missing values-column
df2 = df2.ffill(axis=1)
```

Forward & Backward fill-Python

- Forward and Backward fill can be applied using `Dataframe.fillna()` with method parameters to be set as:

```
import pandas as pd

# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()
df4 = df1.copy()
df5 = df1.copy()

# Filling missing values backward across row
df2.fillna(axis='rows', method='bfill', inplace=True)
df3.fillna(axis='columns', method='bfill', inplace=True)
# Filling missing values forward across column
df4.fillna(axis='rows', method='ffill', inplace=True)
df5.fillna(axis='columns', method='ffill', inplace=True)
```

Forward & Backward fill-Python

- Forward and Backward fill can be applied using `Dataframe.fillna()` with method parameters to be set as:
 - 'bfill'/'backfill'

```
import pandas as pd

# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()
df4 = df1.copy()
df5 = df1.copy()

# Filling missing values backward across row
df2.fillna(axis='rows', method='bfill', inplace=True)
df3.fillna(axis='columns', method='bfill', inplace=True)
# Filling missing values forward across column
df4.fillna(axis='rows', method='ffill', inplace=True)
df5.fillna(axis='columns', method='ffill', inplace=True)
```

Forward & Backward fill-Python

- Forward and Backward fill can be applied using `Dataframe.fillna()` with method parameters to be set as:
 - 'bfill'/'backfill'
 - 'ffill'/'pad'

```
import pandas as pd

# Creating a dataframe with "na" values.

df1 = pd.DataFrame({"A": [None, 1, 2, 3, None, None],
                    "B": [11, 5, None, None, None, 8],
                    "C": [None, 5, 10, 11, None, 8]})

df2 = df1.copy()
df3 = df1.copy()
df4 = df1.copy()
df5 = df1.copy()

# Filling missing values backward across row
df2.fillna(axis='rows', method='bfill', inplace=True)
df3.fillna(axis='columns', method='bfill', inplace=True)
# Filling missing values forward across column
df4.fillna(axis='rows', method='ffill', inplace=True)
df5.fillna(axis='columns', method='ffill', inplace=True)
```