

11. Finding the number of ways a ball can move out of a grid in exactly

Aim

To write a Python program that finds the number of ways a ball can move out of a grid in exactly n steps

Algorithm

1. Input values: grid size $m \times n$, number of steps N , starting cell (i, j) .
2. The ball can move in 4 directions: up, down, left, right.
3. If the ball goes outside the grid, count as 1 way.
4. If steps are finished but ball is still inside, count as 0 ways.
5. Otherwise, try moving in all 4 directions and add the results.
6. Use memoization to store already computed results.
7. Print the total number of ways

OUTPUT:

main.py	Output
<pre>1 def findPaths(m, n, N, i, j): 2 directions = [(1,0), (-1,0), (0,1), (0,-1)] 3 memo = {} 4 def dfs(x, y, steps): 5 6 if x < 0 or x >= m or y < 0 or y >= n: 7 return 1 8 if steps == 0: 9 return 0 10 if (x, y, steps) in memo: 11 return memo[(x, y, steps)] 12 ways = 0 13 for dx, dy in directions: 14 ways += dfs(x+dx, y+dy, steps-1) 15 memo[(x, y, steps)] = ways 16 return ways 17 return dfs(i, j, N) 18 print(findPaths(2, 2, 2, 0, 0)) 19 print(findPaths(1, 3, 3, 0, 1)) 20</pre>	<pre>6 12 === Code Execution Successful ===</pre>

Result:

Hence, the program correctly finds the number of ways the ball can move out of the grid in exactly N steps

12. House Robber II problem

Aim

To write a Python program that finds the maximum money a robber can rob from houses arranged in a **circle**, without robbing two adjacent houses (which would alert the police).

Algorithm

1. Input: An array `nums[]` where each element represents money in a house.
2. Since houses are in a circle, the first house and last house are adjacent.
3. Therefore:
 - Case 1: Rob houses from index 0 to `n-2` (ignore last house).
 - Case 2: Rob houses from index 1 to `n-1` (ignore first house).
4. Use the House Robber I (linear) approach:
 - For each case, maintain two variables:
 - `prev1` = max money till previous house.
 - `prev2` = max money till house before previous.
 - At each house: `curr = max(prev1, prev2 + nums[i])`.
5. Answer = maximum of Case 1 and Case 2.
6. Print result

OUTPUT :

```
1- def rob_linear(nums):
2-     prev1, prev2 = 0, 0
3-     for num in nums:
4-         curr = max(prev1, prev2 + num)
5-         prev2, prev1 = prev1, curr
6-     return prev1
7- def rob(nums):
8-     if not nums:
9-         return 0
10-    if len(nums) == 1:
11-        return nums[0]
12-    return max(rob_linear(nums[:-1]), rob_linear(nums[1:]))
13- nums1 = [2, 3, 2]
14- nums2 = [1, 2, 3, 1]
15- print("Output 1: The maximum money you can rob without alerting the
    police is", rob(nums1))
16- print("Output 2: The maximum money you can rob without alerting the
    police is", rob(nums2))
```

Output 1: The maximum money you can rob without alerting the police is 3
Output 2: The maximum money you can rob without alerting the police is 4
=== Code Execution Successful ===

Result :

Hence, the program correctly calculates the maximum amount that can be robbed without alerting the police

13 . Climbing Stairs problem




Aim

To write a Python program that finds the number of distinct ways to climb to the top of a staircase of n steps, where you can climb either 1 step or 2 steps at a time.

Algorithm

1. Input: integer n (number of steps).
2. If $n = 1$, only 1 way.
3. If $n = 2$, only 2 ways (1+1, or 2).
4. For $n > 2$:
 - The number of ways to reach step $n = \text{ways}(n-1) + \text{ways}(n-2)$
 - Because the last step can be reached either from $n-1$ (taking 1 step) or from $n-2$ (taking 2 steps).
5. Implement using iteration (efficient)

Output :

main.py	   Share	Run	Output
<pre>1- def climbStairs(n): 2- if n == 1: 3- return 1 4- if n == 2: 5- return 2 6- prev1, prev2 = 2, 1 7- for i in range(3, n+1): 8- curr = prev1 + prev2 9- prev2, prev1 = prev1, curr 10- return prev1 11 print("Output 1:", climbStairs(4)) 12 print("Output 2:", climbStairs(3)) 13</pre>			Output 1: 5 Output 2: 3 === Code Execution Successful ===

Result :

Hence, the program correctly finds the number of distinct ways to climb the staircase

14. Unique Paths problem

Aim

To write a Python program that finds the number of unique paths a robot can take from the top-left corner to the bottom-right corner of an $m \times n$ grid, moving only right or down.

Algorithm

1. Input: integers m (rows), n (columns).
2. The robot starts at $(0,0)$ and needs to reach $(m-1,n-1)$.
3. At each cell (i,j) , the robot can move either:
 - Down $\rightarrow (i+1, j)$
 - Right $\rightarrow (i, j+1)$
4. The number of paths to reach (i,j) is:
5. $\text{paths}(i,j) = \text{paths}(i-1,j) + \text{paths}(i,j-1)$
(sum of ways from top and left).
6. Base condition:
 - First row & first column have only 1 way.
7. Fill a DP table of size $m \times n$ using the above rule.
8. Return $\text{dp}[m-1][n-1]$ as the result

Output :

<pre>1 def uniquePaths(m, n): 2 dp = [[1]*n for _ in range(m)] 3 for i in range(1, m): 4 for j in range(1, n): 5 dp[i][j] = dp[i-1][j] + dp[i][j-1] 6 return dp[m-1][n-1] 7 print("Output 1:", uniquePaths(7, 3)) 8 print("Output 2:", uniquePaths(3, 2)) 9</pre>	<pre>Output 1: 28 Output 2: 3 === Code Execution Successful ===</pre>
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Result :

Hence, the program correctly calculates the total number of unique paths

15 . Large Group Positions problem

Aim

To write a Python program that finds all large groups (length ≥ 3) in a string and returns their start and end indices.

Algorithm

1. Input: a string s.
2. Initialize start = 0.
3. Traverse the string with index i.
4. If $s[i] \neq s[i-1]$, that means the group ended at i-1.
 - Check if $(i-1 - \text{start} + 1) \geq 3$.
 - If yes, append [start, i-1] to result.
 - Update start = i.
5. After the loop ends, check the last group.
6. Return result list.

Output :

main.py	Output
<pre>1 def largeGroupPositions(s): 2 result = [] 3 start = 0 4 for i in range(1, len(s)+1): 5 if i == len(s) or s[i] != s[i-1]: 6 if i - start >= 3: 7 result.append([start, i-1]) 8 start = i 9 return result 10 print("Output 1:", largeGroupPositions("abbxxxxzzy")) 11 print("Output 2:", largeGroupPositions("abc")) 12 print("Output 3:", largeGroupPositions("abbxxxxyyzz")) 13</pre>	<pre>Output 1: [[3, 6]] Output 2: [] Output 3: [[3, 6], [7, 9]] === Code Execution Successful ===</pre>

Result :

Program correctly finds intervals of large groups .

16. Conway's Game of Life problem

Aim

To write a Python program that computes the next state of Conway's Game of Life given the current board configuration.

Algorithm

1. Input: 2D grid board (size $m \times n$).
2. For each cell (i, j):
 - Count live neighbors (check all 8 directions).
 - Apply rules to decide its next state.
3. Since updates must happen simultaneously:
 - Either create a copy board and fill next state.
 - Or update in place with special markers (2 = was alive, now dead, -1 = was dead, now alive).
4. Return the updated board.

Output :

main.py	Output
<pre>1 def gameOfLife(board): 2 m, n = len(board), len(board[0]) 3 directions = [(-1,-1),(-1,0),(-1,1),(0,-1),(0,1),(1,-1),(1,0),(1,1)] 4 new_board = [[0]*n for _ in range(m)] 5 for i in range(m): 6 for j in range(n): 7 live_neighbors = 0 8 for dx, dy in directions: 9 ni, nj = i+dx, j+dy 10 if 0 <= ni < m and 0 <= nj < n and board[ni][nj] == 1: 11 live_neighbors += 1 12 if board[i][j] == 1: 13 if live_neighbors == 2 or live_neighbors == 3: 14 new_board[i][j] = 1 15 else: 16 if live_neighbors == 3: 17 new_board[i][j] = 1 18 return new_board 19 20 print("Output 1:", gameOfLife([[0,1,0],[0,0,1],[1,1,1],[0,0,0]])) 21 print("Output 2:", gameOfLife([[1,1],[1,0]]))</pre>	<pre>Output 1: [[0, 0, 0], [1, 0, 1], [0, 1, 1], [0, 1, 0]] Output 2: [[1, 1], [1, 1]] === Code Execution Successful ===</pre>

Result :

The program correctly simulates the next generation in Conway's Game of Life .

17. Champagne Tower problem

Aim

To write a Python program that calculates how full a specific glass is in a champagne tower after pouring a given amount of champagne.

Algorithm

1. Input:
 - poured = total cups of champagne poured at the top.
 - query_row, query_glass = indices of the glass to check.
2. Create a 2D array dp where $dp[i][j]$ = amount of champagne in row i and glass j.
3. Pour all champagne into the top glass: $dp[0][0] = \text{poured}$.
4. For each glass $dp[i][j]$:
 - If it has more than 1 cup, the excess ($dp[i][j] - 1$) is split equally to the two glasses below:
 - $dp[i+1][j] += \text{excess} / 2$
 - $dp[i+1][j+1] += \text{excess} / 2$
5. After simulating rows up to query_row, the amount in the target glass is:
 - $\min(1, dp[\text{query_row}][\text{query_glass}])$ (since each glass can hold at most 1 cup)

Output :

```
nam.py
1- def champagneTower(poured, query_row, query_glass):
2     dp = [[0.0]*101 for _ in range(101)]
3     dp[0][0] = poured
4
5     for i in range(query_row + 1):
6         for j in range(i + 1):
7             if dp[i][j] > 1:
8                 excess = dp[i][j] - 1
9                 dp[i][j] = 1
10                dp[i+1][j] += excess / 2
11                dp[i+1][j+1] += excess / 2
12
13     return dp[query_row][query_glass]
14
15 print("Output 1:", champagneTower(1, 1, 1))
16 print("Output 2:", champagneTower(2, 1, 1))
17 print("Output 3:", champagneTower(4, 2, 1))
18
```

Output

Output 1: 0.0
Output 2: 0.5
Output 3: 0.5

=== Code Execution Successful ===

Result :

The program correctly simulates the flow of champagne and computes how full any glass is .

18. List Examples in Python

Aim:

To write a Python program to demonstrate and manipulate lists including empty lists, lists with one element, lists with identical elements, and lists containing negative numbers, and display their contents.

Algorithm:

1. Start
2. Define an empty list and print it.
3. Define a list with one element and print it.
4. Define a list with all identical elements and print it.
5. Define a list with negative numbers. Sort the list in ascending order using sort() method.
6. Print the sorted list of negative numbers.
7. End

Output :

<pre>1 2 empty_list = [] 3 print("Empty list:", empty_list) 4 single_element_list = [1] 5 print("Single element list:", single_element_list) 6 identical_list = [7, 7, 7, 7] 7 print("List with identical elements:", identical_list) 8 negative_list = [-5, -1, -3, -2, -4] 9 negative_list.sort() 0 print("List with negative numbers (sorted):", negative_list) 1</pre>	<div>STDIN</div> <div>Input for the program (Optional)</div> <hr/> <div>Output:</div> <div>Empty list: [] Single element list: [1] List with identical elements: [7, 7, 7, 7] List with negative numbers (sorted): [-5, -4, -3,</div>
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Result :

Thus ,the program of List example of python was successfully implemented.

19. Selection Sort algorithm

Aim :

To write a program to sort an array using the Selection Sort algorithm and test it with different cases (random array, reverse-sorted array, already sorted array).

Algorithm:

1. Start.
2. Input an array of n elements.
3. Repeat for each position $i = 0$ to $n-1$:
 - Assume the smallest element is at index i (set `min_index = i`).
 - For each element from index $i+1$ to $n-1$:
 - If a smaller element is found, update `min_index`.
 - Swap the element at index i with the element at `min_index`.
4. Continue until the array is fully sorted.
5. Display the sorted array.
6. Stop

Output :

<pre>1 def selection_sort(arr): 2 n = len(arr) 3 for i in range(n): 4 min_index = i 5 for j in range(i+1, n): 6 if arr[j] < arr[min_index]: 7 min_index = j 8 arr[i], arr[min_index] = arr[min_index], arr[i] 9 return arr 10 arr1 = [5, 2, 9, 1, 5, 6] 11 sorted_arr1 = selection_sort(arr1.copy()) 12 print("Sorted Random Array:", sorted_arr1) 13 arr2 = [10, 8, 6, 4, 2] 14 sorted_arr2 = selection_sort(arr2.copy()) 15 print("Sorted Reverse Array:", sorted_arr2) 16 arr3 = [1, 2, 3, 4, 5] 17 sorted_arr3 = selection_sort(arr3.copy()) 18 print("Sorted Already Sorted Array:", sorted_arr3) 19</pre>	<p>STDIN</p> <p>Input for the program (Optional)</p> <hr/> <p>Output:</p> <p>Sorted Random Array: [1, 2, 5, 5, 6, 9] Sorted Reverse Array: [2, 4, 6, 8, 10] Sorted Already Sorted Array: [1, 2, 3, 4, 5]</p>
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Result :

The program was successfully executed. Selection Sort was implemented, and the arrays were sorted correctly

20. Bubble Sort with early stopping

Aim :

To write a program for Bubble Sort with early stopping (optimized version) that terminates if the list becomes sorted before completing all passes.

Algorithm

1. Start.
2. Input the list/array to be sorted.
3. Set $n = \text{length of the array}$.
4. Repeat for $i = 0$ to $n-1$:
 - Set `swapped = False`.
 - For $j = 0$ to $n-i-2$:
 - If `arr[j] > arr[j+1]`, swap them.
 - Set `swapped = True`.
 - If `swapped == False`, break the loop (array already sorted).
5. Print the sorted array.
6. Stop

Output :

<pre>1 def bubble_sort(arr): 2 n = len(arr) 3 for i in range(n): 4 swapped = False 5 for j in range(0, n - i - 1): 6 if arr[j] > arr[j + 1]: 7 arr[j], arr[j + 1] = arr[j + 1], arr[j] 8 swapped = True 9 if not swapped: 10 break 11 return arr 12 nums = [5, 1, 4, 2, 8] 13 print("Before Sorting:", nums) 14 sorted_nums = bubble_sort(nums) 15 print("After Sorting:", sorted_nums) 16</pre>	<p>STDIN</p> <p>Input for the program (Optional)</p> <hr/> <p>Output:</p> <p>Before Sorting: [5, 1, 4, 2, 8] After Sorting: [1, 2, 4, 5, 8]</p>
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Result :

The given list was sorted using the optimized Bubble Sort algorithm, which stops early if the list becomes sorted before all passes .