1.

A 1000 ohm resistor, a 500 picofarad capacitor, and a 2 millihenry inductor are connected in parallel. What is the impedance of this combination at a frequency of 10 kilocycles per second? At a frequency of 10 megacycles per second? What is the frequency at

which the absolute value of the impedance is greatest?

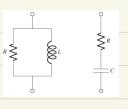
4. 由并联关系可知 
$$\frac{1}{Z} = \frac{1}{Z_1} + \frac{1}{Z_2} + \frac{1}{Z_3}$$

$$Z_1 = R$$
  $Z_2 = \frac{1}{iwC}$ 

$$\frac{1}{z} = \frac{1}{R} + i(\omega C - \frac{1}{\omega L})$$

2.

Do there exist values of R, L, and C for which the two circuits in Fig. 8.38 have the same impedance? (The resistor R has the same value in both.) Can you give a physical explanation why or why not?



$$\overrightarrow{z}_{1} = \frac{1}{R} + \frac{1}{iwL} \qquad \frac{1}{\overline{z}_{1}} = \frac{1}{R} - \frac{i}{wL} \qquad \frac{1}{R - \frac{1}{wL}i} \qquad \frac{1}{(a-bi)} = \frac{a+bi}{a^{2}b^{2}}$$

$$\overrightarrow{z}_{1} = \frac{1}{R} + \frac{1}{iwL} \qquad \frac{1}{a-bi} = \frac{a+bi}{a^{2}b^{2}}$$

$$\overrightarrow{z}_{2} = \frac{1}{R} + \frac{1}{iwL} \qquad \frac{1}{a-bi} = \frac{a+bi}{a^{2}b^{2}}$$

$$Z_2 = R + i \frac{1}{w_2 C}$$

即不存在 R.L.C 使得二者阻抗相等。

左图为电阻与电感并联, 总阻抗小于电阻阻抗.

右图为电阻与电容串联, 总阻抗大于电阻阻抗.

二者电阻相等 则不存在 R.L.C 使得二者阻抗相等

The circuit in Fig. 8.42 has two equal resistors R and a capacitor C. 3. The frequency of the emf source,  $\mathcal{E}_0 \cos \omega t$ , is chosen to be  $\omega =$ 

- (a) What is the total complex impedance of the circuit? Give it in terms of R only.
- (b) If the total current through the circuit is written as  $I_0\cos(\omega t +$  $\phi$ ), what are  $I_0$  and  $\phi$ ? (c) What is the average power dissipated in the circuit?

$$\mathcal{E}_0 \cos \omega t$$
  $\mathcal{E}_0 \cos \omega t$  Figure 8.42.

$$Z_1 = R + i \frac{1}{wc} = R + iR$$

 $Z_2 = R$ 

(b). 
$$\tilde{l}(t) = l_a e^{i(\omega t + \varphi)}$$
  $\tilde{V} = \mathcal{E} e^{i\omega t}$ 

$$\hat{I}(t) = \frac{\hat{V}}{\hat{V}} = \frac{\sqrt{\log k}}{2} e^{i(wt - \tan \frac{k}{2})}$$

$$\widehat{L}(t) = \frac{\widehat{V}}{Z} = \frac{\sqrt{\log k}}{2R} e^{i(wt - \tan^2 \frac{1}{2})}$$

$$\emptyset \quad I_o = \frac{\sqrt{10} \, \Sigma_o}{2R} \qquad \varphi = - \tan^{-1} \frac{1}{3}$$

(c). 
$$\vec{P} = \frac{1}{2} & \frac{\sqrt{\log k_0}}{2R} \cdot \frac{3}{\sqrt{\sqrt{\log k_0}}}$$