

## Experiment-1

### Revisit and Refresh the Study of Python (SEARCHING TECHNIQUES)

#### TASK-1

**With Understanding, Identify The Scope, Advantages And Disadvantages Of The Given Searching Algorithm.**

Searching Technique	Scope	Constraints	Application
1. Linear Search	Sequentially checks each element in list. Adv: simple and universal Disadv: slow on large DBs	No sorting required, works on any list	Small datasets, unsorted arrays.
2. Binary Search	Divide and conquer search on sorted arrays Adv: very fast Disadv: needs sorted array	List must be sorted first.	Searching dictionaries, large indexes.
3. Depth-First Search (DFS)	Traverse graph deeply before backtracking. Adv: memory efficient. Disadv: can miss sometimes and give longer solutions.	Require stack data structure.	Cycle detection, path finding.
4. Breadth-First Search (BFS)	Traverse graph level by level Adv: gives shortest path Disadv: high memory for wider graphs.	Needs queue data structure.	Shortest path in unweighted graphs.
5. Hash-Based Search	Direct lookups using hashkeys Adv: $O(1)$ Disadv: collisions	Required good hash fns.	Hash tables, dictionaries.

6. Jump Search	Searching sorted list by jumping fixed steps and linear scan. Adv: faster than linear search Disadv: slow than binary search	Required sorted data	Faster than linear search on sorted arrays
7. Interpolation Search	Uses value distribution to predict search position. Adv: faster than binary in uniform data Disadv: poor in skewed data	Uniformly distributed sorted data	Numeric datasets with predictable distribution
8. Exponential Search	Find range exponentially then binary search inside it Adv: excellent when target near beginning Disadv: needs stored data	Data must be stored	Unbounded or very large sorted arrays
9. Fibonacci Search	Search sorted array using Fibonacci partitions Adv: no division Disadv: slower than binary	Sorted list needed	Systems where division is costly
10. Ternary Search	Divide into 3 parts Adv: simple for unimodal Disadv: slower than binary	Only for unimodal functions.	Optimization, min or max finding
11. Sublist Search (KMP Algorithm)	Find pattern inside text using prefix table Adv: $O(n+m)$ Disadv: preprocessing overhead	Pattern preprocessing required	String matching, text search, compilers
12. A* Search Algorithm	Heuristic best-first search for optimal paths. Adv: finds optimal path efficiently	Needs admissible heuristics	Maps, games, robotics pathfinding

	Disadv: high memory usage		
13. Beam Search	<p>Heuristic search that explores multiple best partial solutions at each step but keeps only the top <math>k</math> (beam width).</p> <p>Adv: faster and less memory</p> <p>Disadv: can prune away optimal solution</p>	Quality depends heavily on beam width; may miss the globally optimal path.	NLP decoding, speech recognition.
14. Grover's Search Algorithm	<p>Quantum alg for searching unsorted databases</p> <p>Adv: <math>O(\sqrt{n})</math></p> <p>Disadv: not practical on classical machines</p>	<p>Requires quantum computer</p> <p>Mostly theoretical.</p>	Cryptography, quantum optimization

## TASK-2

**With Understanding Write The Algorithm/ Steps To Implement The Searching Algorithms.**

Searching Technique	Algorithm/ Program	Input/Output
1. Linear Search	Algorithm LinearSearch(A, x) for i from 0 to n-1 do if A[i] == x then return i return -1	Input: Array A, target x Output: Index of x or -1
2. Binary Search	Algorithm BinarySearch(A, x) low $\leftarrow$ 0 ; high $\leftarrow$ n-1 while low $\leq$ high do mid $\leftarrow$ (low + high)/2 if A[mid] == x then return mid else if x < A[mid] then high $\leftarrow$ mid-1 else low $\leftarrow$ mid+1 return -1	Input: Sorted array A, target x Output: Index of x or -1
3. Depth-First Search (DFS)	Algorithm DFS(G, s) mark s as visited print s for each neighbor v of s do if v not visited then DFS(G, v)	Input: Graph G, start node s Output: DFS traversal order
4. Breadth-First Search (BFS)	Algorithm BFS(G, s) create queue Q mark s as visited ; enqueue s while Q not empty do u $\leftarrow$ dequeue(Q) print u for each neighbor v of u do if v not visited then mark visited ; enqueue v	Input: Graph G, start node s Output: BFS traversal order
5. Hash-Based search	Algorithm HashSearch(H, k) index $\leftarrow$ hash(k) if H[index] contains k then return value else search collisions (chain/probe) return "not found"	Input: Hash table H, key k Output: Value or "not found"
6. Jump Search*	Algorithm JumpSearch(A, x) step $\leftarrow$ $\sqrt{n}$ ; prev $\leftarrow$ 0 while A[min(step,n)-1] < x do	Input: Sorted array A, target x Output: Index or -1

	<pre> prev ← step ; step ← step + <math>\sqrt{n}</math> if prev ≥ n then return -1 for i from prev to step do   if A[i] == x then return i return -1 </pre>	
7. Interpolation Search*	<pre> Algorithm InterpolationSearch(A, x) low ← 0 ; high ← n-1 while A[low] ≤ x ≤ A[high] do   pos ← low + (x-A[low])*(high-low)/(A[high]-A[low])   if A[pos] == x then return pos   else if x &lt; A[pos] then high ← pos-1   else low ← pos+1 return -1 </pre>	<p>Input: Sorted uniform array A, target x</p> <p>Output: Index or -1</p>
8. Exponential Search*	<pre> Algorithm ExponentialSearch(A, x) if A[0] == x then return 0 i ← 1 while i &lt; n AND A[i] ≤ x do   i ← i * 2 return BinarySearch(A, x, i/2, min(i,n-1)) </pre>	<p>Input: Sorted array A, target x</p> <p>Output: Index or -1</p>
9. Fibonacci Search*	<pre> Algorithm FibonacciSearch(A, x) generate Fibonacci numbers until F[k] ≥ n offset ← -1 while F[k] &gt; 1 do   i ← min(offset + F[k-2], n-1)   if A[i] &lt; x then     k ← k-1 ; offset ← i   else if A[i] &gt; x then     k ← k-2   else return i return -1 </pre>	<p>Input: Sorted array A, target x</p> <p>Output: Index or -1</p>
10. Ternary Search	<pre> Algorithm TernarySearch(f, l, r) while r - l &gt; ε do   m1 ← l + (r-l)/3   m2 ← r - (r-l)/3   if f(m1) &lt; f(m2) then r ← m2   else l ← m1 return (l+r)/2 </pre>	<p>Input: Function f(x), range [l, r]</p> <p>Output: Point of min/max</p>
11. Sublist Search (KMP Algorithm)*	<pre> Algorithm KMP(T, P) compute LPS array for P i ← 0 ; j ← 0 while i &lt; length(T) do   if P[j] == T[i] then i++, j++ </pre>	<p>Input: Pattern P, text T</p> <p>Output: Index of first match or -1</p>

	<pre> if j == length(P) then return i-j else if mismatch and j &gt; 0 then j ← LPS[j-1] else i++ return -1 </pre>	
12. A* Search Algorithm*	<pre> Algorithm A*(G, s, g) open ← priority queue containing s gScore[s] ← 0 while open not empty do   u ← node with lowest f = gScore + h   if u == g then return path   for each neighbor v of u do     temp ← gScore[u] + cost(u,v)     if temp &lt; gScore[v] then       gScore[v] ← temp       parent[v] ← u       add v to open </pre>	<p>Input: Graph with costs, start s, goal g, heuristic h()</p> <p>Output: Optimal path</p>
13. Beam Search	<pre> Algorithm BeamSearch(start, k) beam ← {start} while goal not found AND beam not empty do   candidates ← generate all successors of nodes in beam   beam ← select k best candidates by heuristic return best node in beam </pre>	<p>Input: Initial state, successor function, beam width k</p> <p>Output: Best solution found</p>
14. Grover's Search Algorithm*	<pre> Algorithm GroverSearch() initialize equal superposition of all states repeat <math>O(\sqrt{N})</math> times:   apply oracle to flip phase of target state   apply diffusion operator (inversion about mean) measure state (gives target index with high probability) </pre>	<p>Input: Unsorted database of N items, target condition</p> <p>Output: Index where condition is true</p>

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