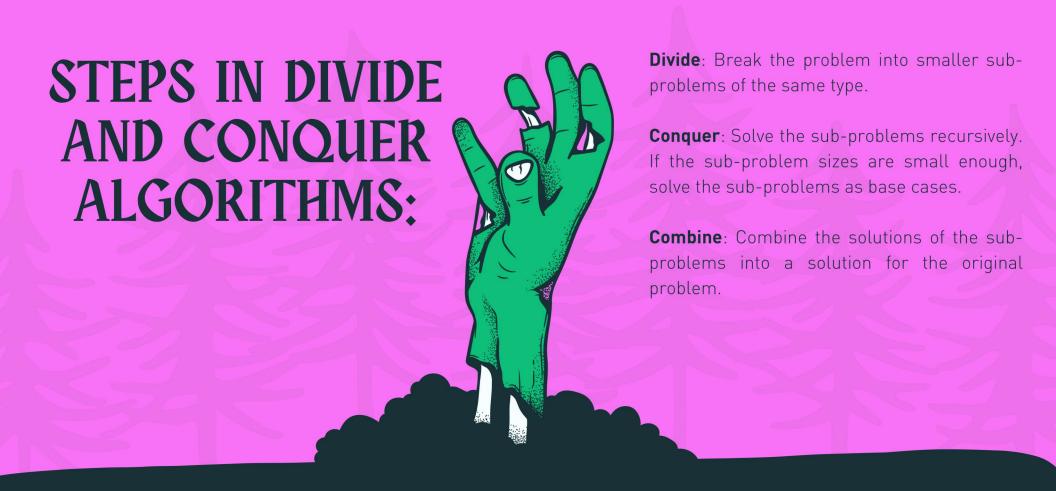


# Divide and Conquer Algorthims

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- These algorithms generally have a logarithmic or linearithmic complexity, making them very efficient for large datasets.
- They are recursive in nature.
- They are particularly useful when the problem can naturally be divided into independent sub-problems.

### Characteristics





# Example: Merge Sort



#### DIVIDE

Divide the unsorted list into n sub-lists, each containing one element (a list of one element is considered sorted).

#### CONQUER

Recursively divide the sub-lists in the previous step until there are multiple sorted sub-lists. Then, merge those sorted lists to produce new sorted lists.

#### COMBINE

Continue the process of merging until you get a single sorted list.

## Big O Analysis

- Time Complexity: O(n log n), as the list is divided in half each time (log n divisions), and each division operation takes linear time (n).
- Space Complexity: O(n), as an additional space equivalent to the size of the array is required for the merging process.



