## $\begin{array}{c} \mathrm{CS}\ 350\ 2020 \\ \mathrm{HW}\ 4 \end{array}$

Due date: December 1, 23:59

The monad laws are the following.

- a . Left identity. return a >>= f is equivalent to f a
- b . Right identity. m >>= return is equivalent to m
- c . Associativity. m >>= f >>= g is equivalent to m >>= (\ x -> f x >>= g)
- 1 . Prove that the Maybe Monad satisfies the monadic laws.

[10]

 $2\,$  . Prove that the List Monad satisfies the monadic laws.

[10]

- 3 . Write a memoized version of the function to compute the  $n^{\rm th}$  Fibonacci number. Assume that the first Fibonacci number is 1. Hint: Use an appropriate monad. [10]
- 4 . Write an interactive function which takes a sequence of non-negative integers as input, one on each line. The end of sequence occurs when the user inputs -1. You should output the sum of the non-negative integers.
  - a . Do the above exercise using the  $\mathbf{do}$  notation in Haskell.

[10]

**b** . Do the same exercise, without using the  $\mathbf{do}$  notation.

[10]