In21-S4-CS3513 - Programming Languages

HomeWork 01

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Question 01

• Left recursion always produces a non-LL(1) grammar;

Common prefixes always produce a non-LL(1) grammar;

Therefore, the given grammar is non-LL(1)

Question 02

• Fixing Left Recursion

```
E -> TY { not , ( , i , true , false }
Y -> or TY { or }
-> nor TY { nor }
-> xor TY { xor }
-> { ) }
```

• Fixing Common Prefixes

• Modified Grammer

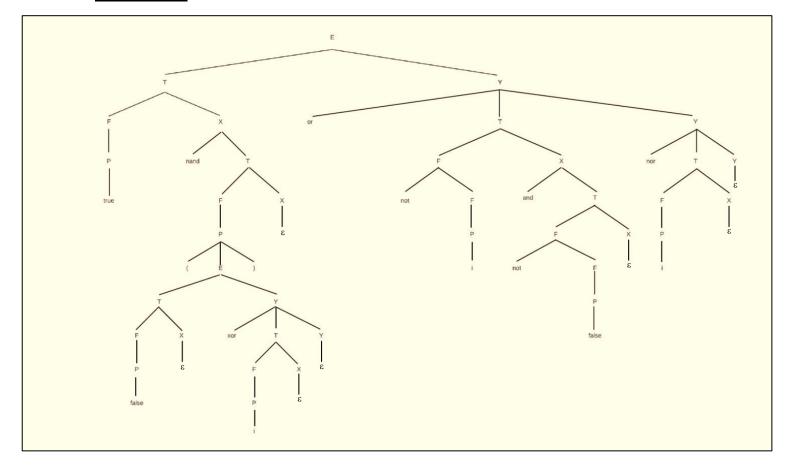
	First Set	Follow Set	Select Set
E -> TY	{ not , (, i , true , false }	{)}	{ not , (, i , true , false }
Y -> or TY	{ or , nor , xor }	{)}	{ or }
-> nor TY			{ nor }
-> xor TY			{ xor }
->			{)}
T -> FX	{ not , (, i , true , false }	{or,nor,xor,)}	{ not , (, i , true , false }
X -> and T	$\{and, nand, \epsilon\}$	{or, nor, xor,)}	{ and}
-> nand T			{ nand}
->			{ or , nor , xor ,) }
F -> not F	{ not , (, i , true , false }	{ and, nand, or, nor, xor,) }	{ not }
-> P			{(,i,true,false}
P -> (E)	{ (, i , true , false }	{ and, nand, or, nor, xor,) }	{(}
-> i			{i}
-> true			{ true }
-> false			{ false }

```
{ not , ( , i , true , false }
E -> TY
                   { or }
Y -> or TY
                   { nor }
  -> nor TY
                   { xor }
  -> xor TY
                    { ) }
  ->
                    { not, (, i, true, false }
T -> FX
X -> and T
                   { and}
                   { nand }
  -> nand T
                    { or, nor, xor, ) }
  ->
                   { not }
F -> not F
                   {(,i,true,false}
 -> P
P->(E)
                   {()
                   { i }
  -> i
                   { true }
  -> true
                   { false }
  -> false
```

	or	nor	xor	and	nand	not	true	false	i	()
Е						E -> TY	E -> TY	E -> TY	E -> TY	E -> TY	
Υ	Y -> or TY	Y -> nor TY	Y -> xor TY								Y ->
Т						T -> FX	T -> FX	T -> FX	T -> FX	T -> FX	
Х	X ->	X ->	X ->	X -> and T	X -> nand T						X ->
F						F -> not F	F -> P	F -> P	F -> P	F -> P	
Р							P -> true	P -> false	P -> i	P -> (E)	

Stack	Input	Table Lookup
E	true nand (false xor i) or not i and not false nor i \bot	E -> TY
TY	true nand (false xor i) or not i and not false nor i \bot	T -> FX
FXY	true nand (false xor i) or not i and not false nor i \bot	F -> P
PXY	true nand (false xor i) or not i and not false nor i \perp	P -> true
true XY	true nand (false xor i) or not i and not false nor i \bot	
XY	nand (false xor i) or not i and not false nor i ⊥	X -> nand T
Nand TY	nand (false xor i) or not i and not false nor i ⊥	
TY	(false xor i) or not i and not false nor i ⊥	T -> FX
FXY	(false xor i) or not i and not false nor i ⊥	F -> P
PXY	(false xor i) or not i and not false nor i ⊥	P -> (E)
(E) XY	(false xor i) or not i and not false nor i ⊥	
E)XY	false xor i) or not i and not false nor i ⊥	E -> TY
TY) XY	false xor i) or not i and not false nor i ⊥	T -> FX
FXY) XY	false xor i) or not i and not false nor i ⊥	F -> P
PXY) XY	false xor i) or not i and not false nor i ⊥	P -> false
false XY) XY	false xor i) or not i and not false nor i ⊥	
XY) XY	xor i) or not i and not false nor i⊥	X ->
Y)XY	xor i) or not i and not false nor i ⊥	Y -> xor TY

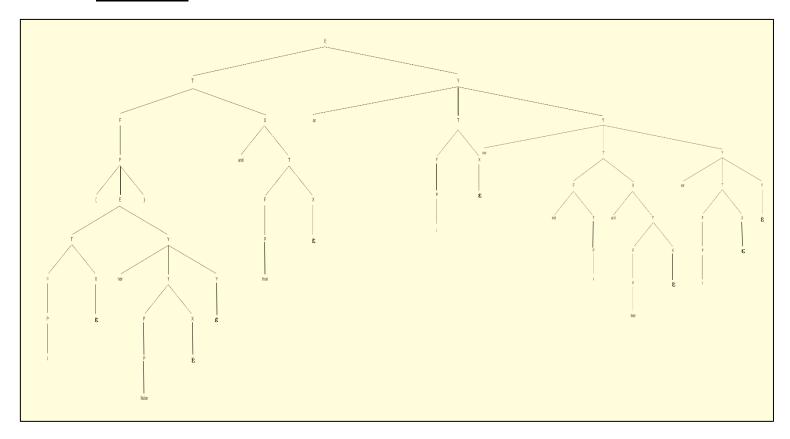
xor TY) XY	xor i) or not i and not false nor i ⊥		
TY)XY	i) or not i and not false nor i ⊥	T -> FX	
FXY) XY	i) or not i and not false nor i ⊥	F -> P	
PXY) XY	i) or not i and not false nor i ⊥	P -> i	
i XY) XY	i) or not i and not false nor i ⊥		
XY) XY	or not i and not false nor i \perp X ->		
Y)XY) or not i and not false nor i \perp Y ->		
) XY) or not i and not false nor i ⊥		
XY	or not i and not false nor i ⊥	X ->	
Υ	or not i and not false nor i \(\text{Y} -> or TY \)		
or TY	or not i and not false nor i ⊥		
TY	not i and not false nor i ⊥	T -> FX	
FXY	not i and not false nor i ⊥	F -> not F	
not FXY	not i and not false nor i ⊥		
FXY	i and not false nor i ⊥	F -> P	
PXY	i and not false nor i ⊥	P -> i	
i XY	i and not false nor i ⊥		
XY	and not false nor i ⊥	X -> and T	
and TY	and not false nor i ⊥		
TY	not false nor i ⊥	T -> FX	
FXY	not false nor i ⊥	F -> not F	
not FXY	not false nor i ⊥		
FXY	false nor i ⊥	F -> P	
PXY	false nor i ⊥	P -> false	
false XY	false nor i ⊥		
XY	nori⊥	X ->	
Υ	nori⊥	Y -> nor TY	
nor TY	nori⊥		
TY	i⊥	T -> FX	
FXY	i⊥	F -> P	
PXY	i⊥	P -> i	
i XY	il		
XY	1	X ->	
Υ	Т	Υ->	
-	Т		



```
proc E;
        T(); Y();
        Write (E → TY);
end;
proc Y;
    case Next_Token of
        T_or : Read(T_or);
                 T();
                Y();
                Write (Y -> or TY);
        T_nor : Read(T_nor);
                T();
                 Y();
                Write (Y -> nor TY);
        T_xor : Read(T_xor);
                 T();
                 Y();
                Write (Y -> xor TY);
        T_) : Write (Y \rightarrow );
        otherwise
                   Error;
    end;
end;
```

```
proc T;
        F(); X();
        Write (T → FX);
end;
proc X;
    if Next Token = T_and
    then
        Read(T_and);
        T();
        Write (X \rightarrow and T);
    else if Next Token = T_nand
        Read(T_nand);
        T();
        Write (X -> nand T);
    else Write (X -> );
end;
proc F;
    case Next Token of
        T_true, T_false, T_i, T_( : P();
                                     Write (F -> P);
        T_not: Read(T_not);
               F();
               Write (F -> not F);
        otherwise Error;
    end;
end;
proc P;
    case Next_Token of
        T_true : Read(T_true);
                 Write (P -> true);
        T_false : Read(T_false);
                  Write (P -> false);
        T_i : Read(T_i);
              Write (P -> i);
        T_( : Read(T_( );
              E();
              Read(T_) );
              Write (P -> (E));
        otherwise Error;
    end;
end;
```

- P -> i
- F -> P
- X ->
- T -> FX
- P -> false
- F -> P
- X ->
- T -> FX
- Y ->
- $Y \rightarrow nor TY$
- E -> TY
- P -> (E)
- F -> P
- P -> true
- F -> P
- X ->
- T -> FX
- X -> and T
- T -> FX
- P -> i
- F -> P
- X ->
- T -> FX
- P -> i
- F -> P
- F -> not F
- P -> true
- F -> P
- X ->
- T -> FX
- $X \rightarrow and T$
- T -> FX
- P -> i
- F -> P
- X ->
- T -> FX
- Y ->
- Y -> xor TY
- Y -> nor TY
- $Y \rightarrow or TY$
- E -> TY

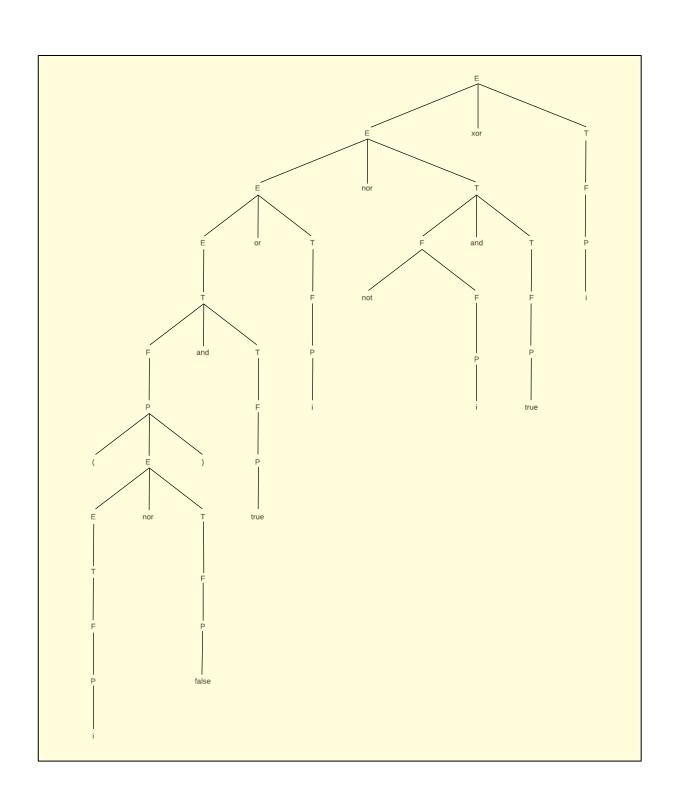


```
proc E;
          T();
          Write (E \rightarrow T);
          while Next_Token ∈ {T_or,T_nor,T_xor} do
               if Next_Token = T_or
                              Read (T_or); T();
                    then
                              Write (E \rightarrow E or T);
               else if Next_Token = T_nor
                              Read (T_nor); T();
                    then
                              Write (E \rightarrow E \text{ nor } T);
               else if Next_Token = T_xor
                    then
                              Read (T_xor); T();
                              Write (E \rightarrow E \text{ xor } T);
end;
proc T;
          F();
          if Next_Token = T_and
               then
                         Read (T_and); T();
                         Write (T \rightarrow F \text{ and } T);
          else if Next_Token = T_nand
               then
                         Read (T_nand); T();
                         Write (T \rightarrow F \text{ nand } T);
                    Write (T \rightarrow F);
          else
end;
```

```
proc F;
    case Next Token of
        T_true, T_false, T_i, T_( : P();
                                    Write (F -> P);
        T_not: Read(T_not); F();
              Write (F -> not F);
        otherwise Error;
    end;
end;
proc P;
    case Next_Token of
        T_true : Read(T_true);
                 Write (P -> true);
        T_false : Read(T_false);
                  Write (P -> false);
        T_i : Read(T_i);
             Write (P -> i);
        T_( : Read(T_( ); E(); Read(T_) );
              Write (P -> (E));
        otherwise Error;
    end;
end;
```

```
P -> i
F -> P
T -> F
E -> T
P -> false
F -> P
T -> F
E -> E nor T
P -> (E)
F -> P
P -> true
F -> P
T -> F
T -> F and T
E -> T
P -> i
F -> P
T -> F
E \rightarrow E \text{ or } T
```

```
P -> i
F -> P
F -> not F
P -> true
F -> P
T -> F
T -> F and T
E -> E nor T
P -> i
F -> P
T -> F
```



```
proc E;
        T();
        while Next_Token ∈ {T_or, T_nor, T_xor} do
            if Next_Token = T_or
                then
                         Read (T_or); T();
                         Build_tree('or', 2);
            else if Next_Token = T_nor
                then
                        Read (T_nor); T();
                         Build_tree('nor', 2);
            else if Next_Token = T_xor
                then
                        Read (T_xor); T();
                         Build_tree('xor', 2);
end;
proc T;
        F();
        if Next_Token = T_and
                    Read (T_and); T();
            then
                    Build_tree('and', 2);
        else if Next_Token = T_nand
            then
                    Read (T_nand); T();
                    Build_tree('nand', 2);
end;
proc F;
    case Next Token of
        T_true, T_false, T_i, T_( : P();
        T_not: Read(T_not); F();
               Build tree('not', 1);
        otherwise Error;
    end;
end;
proc P;
    case Next_Token of
        T_true : Read(T_true);
                 Build_tree('true', 0);
        T_false : Read(T_false);
                  Build_tree('false', 0);
        T_i : Read(T_i);
              Build_tree('i', 0);
        T_( : Read(T_( ); E(); Read(T_) );
        otherwise
                    Error;
    end;
end;
```

```
Build_tree('i', 0);
Build_tree('false', 0);
Build_tree('nor', 2);
Build_tree('true', 0);
Build_tree('and', 2);
Build_tree('i', 0);
Build_tree('or', 2);
Build_tree('i', 0);
Build_tree('not', 1);
Build_tree('true', 0);
Build_tree('and', 2);
Build_tree('and', 2);
Build_tree('nor', 2);
Build_tree('i', 0);
Build_tree('i', 0);
Build_tree('i', 0);
```

