# Hydrogen Wave Function

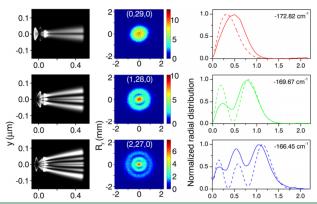
Khoruzhii K., Primak E.

21.07.2021

#### Reviewed article

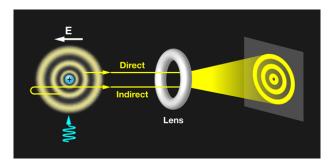
A. S. Stodolna et al.,

Hydrogen Atoms under Magnification: Direct Observation of the Nodal Structure of Stark States Phys. Rev. Lett. 110, 213001 (2013).



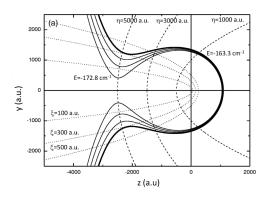
## Idea of «quantum microscope»

- **X** making many weak measurements of a quantum system
- $\checkmark$  a series of strong measurements on identically prepared systems



 $\checkmark$ applying a dc electric field that defines a quantization axis in hydrogen and aligns the orbitals before measuring them

## Geometry of the problem



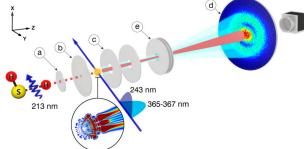
For z — displacement along the electric field. And r — electron-proton distance.

$$\eta = r - z$$
$$\xi = r + z$$

$$\Psi(\xi, \eta, \varphi) = \frac{1}{\sqrt{2\pi\eta\xi}} \chi_1(\xi) \chi_2(\eta) e^{im\varphi}$$

### Preparation of state

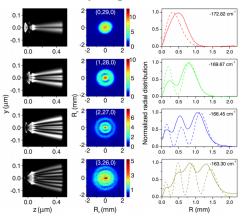
✓ An atomic hydrogen beam was formed by photodissociating H<sub>2</sub>S.



- ✓ The ground state hydrogen atoms were ionized into a highly excited Rydberg state.
- $\checkmark$  By applying a voltage difference across the repeller (b) and extractor (c) electrodes, the photoelectrons were accelerated towards a two-dimensional detector (d).

### Experimental observation

Experimental observation of the transverse nodal structure of four atomic hydrogen Stark states



States  $(n_1, n_2, m)$ 

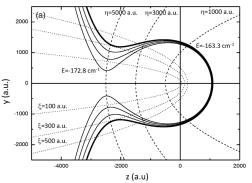
 $\sqrt{m}$  — the magnetic quantum number.

 $\sqrt{n_1, n_2}$  related to the principal quantum number as

$$n = n_1 + n_2 + |m| + 1$$

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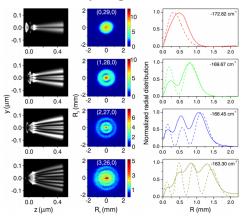
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Thank you for your attention!

#### Latest works

Photoelectrons are recorded by a velocity map–imaging (VMI) spectrometer, which measures their two-dimensional projection onto a detection plane.

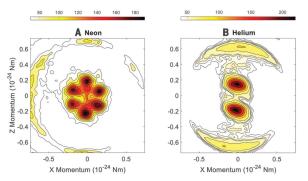


Figure 1: Experimental velocity-map electron images using an attosecond XUV pulse train synchronized

#### On-resonance ionization

