

Rapid Fermionic Quantum Simulation for Random Unitary Observables

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Scientific Perspectives

Condensed Matter Theory
Solid State Systems | Phase Transitions | Material Properties

- Can entanglement be used to characterize quantum phases?
- What happens to entanglement at a quantum phase transition?
- How does information propagate in many-body dynamics?
- Does a closed system retain memory of its initial state?

$\hat{H} = -t \sum_{\langle i,j \rangle, \nu} (\hat{a}_{i,\nu}^\dagger \hat{a}_{j,\nu} + h.c.) + U \sum_i \hat{n}_{i,\uparrow} \hat{n}_{i,\downarrow} + \sum_{i,\nu} \epsilon_i \hat{n}_{i,\nu}$
nearest-neighbour hopping on-site interaction confining potential

with spin states $\nu \in \{\uparrow, \downarrow\}$ and nearest neighbours $\langle i,j \rangle$

Fast Fermi-Hubbard quantum simulator can provide better insights for correlation observables

Quantum Information Theory
Entanglement | Physics of Information | Complexity Theory

New questions to ask:

- Can entanglement be used to characterize quantum phases?
- What happens to entanglement at a quantum phase transition?
- How does information propagate in many-body dynamics?
- Does a closed system retain memory of its initial state?

$\text{Tr}(\rho_A \rho_B)$ Cross-validation Phase transitions Loschmidt echo

$\text{Tr}(\rho^*)$ Entanglement entropy Thermalization Area/volume laws

$(W(t) V^\dagger W(t) V)$ Random Unitaries

$Z_R = \text{Tr}(\rho_R)$ OTOCs Scrambling Chaos

$\mathcal{Z}_R = \text{Tr}(\rho_R)$ Topological invariants Symmetry-protection Novel phases

Randomized measurements harness quantum fluctuations for state characterization

New toolbox based on random unitary observables

Free-Space Spin Resolved Imaging

• Counter-propagating beams with 1 mW each

• Flashing frequency at 1 MHz

• Exposure time 10 - 20 μ s

Flash from both sides Flash from one side

Deterministically prepare 2 atoms in tweezer

RF pulse to flip state 2 \rightarrow state 3 @ 520G

MW pulse to flip state 1 \rightarrow state 6 @ 520G

Imaging at fully stretched states

EMCCD camera with low CIC density (<0.3%)

Collected 30 photons / atoms

Achieved detection fidelity > 99.9%

Experimental Sequence

Loading from a 2D-MOT

- Elliptical beam in bowtie configuration
- Push beam for transport to 3D MOT
- Loading rates $> 10^7$ atoms/s

Fast Sample Preparation in Tweezers

- 808 nm tweezers for loading from ODT or directly from 3D MOT
- Parallel preparation in 2D AOD tweezer array
- Spilling to prepare controlled ultracold system
- Adiabatic loading from tweezers to lattice

Source [3]

RF Rabi rate 70 kHz

RF pi-pulse gate fidelity 99.7%

RF coherence time 0.5 ms

MW Rabi rate 90 kHz

Bowtie Lattice & Dynamic Geometries

- Passively phase-stabilized 1064 nm optical lattices using common retroreflection
- Dynamically tunable lattice geometries
- Independently tunable 2D hopping rates

Source [4]

Matter Wave Magnification

- Time-dependent evolution in harmonic trap
- Final quantum state magnification from the 2D-lattice system
- Fast single-site-resolved imaging of compact quantum systems

Initial position X_0
Harmonic trap ω_0
Momentum $P = m\omega X_0$
Free expansion
Final Position $X = P t_{\text{TOF}}/m = \omega t_{\text{TOF}} X_0$

Matter wave magnification $M = \omega t_{\text{TOF}}$

2D lattice 1D Bose gases

CCD camera Optical imaging

Source [5]

Deterministic State Preparation

Evaporate and Spill in Tweezer

- Further evaporation in tweezer in 0.05 s
- Spill tweezer with non-interacting atoms
- Two atoms preparation with fidelity 95%

Arbitrary Fermionic Mode with AOD

- Initialize system in ground state singlet fermion pair
- By decreasing rows and columns depth, remove tensor product pattern
- Additional spilling stages to get arbitrary pattern
- Speed up process with Exact Boolean Matrix Factorization

Unit filling Remove axes Remove tensor product patterns step by step Arbitrary filling

References

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