

# Project title

Your Name

(Dated: June 18, 2021)

A paper usually includes an abstract, a concise summary of the work covered at length in the main body of the paper. Please also write a short abstract of your project.

## I. GUIDELINES

Please write a short paper about your project. There are no strict length limits, but please write **at least two pages in the layout of this template** (including figures, excluding references and code listings). Please structure your paper in a scientific way, and include your references and your code. There are  $\text{\LaTeX}$  packages you can use to preserve the indentation of your code, e.g. the `listings` package which is demonstrated in the Appendix A.

This sample document makes use of  $\text{\LaTeX}$  4.2, therefore you will need to install it to be able to compile this document yourself. Further information can be found in the  $\text{\LaTeX}$  4.2 documentation included in the distribution or available at <http://journals.aps.org/revtex/>.

### A. Example citations

By default, citations are numerical[1], some more citations [2–6].

### B. Example figure

Including and referring to figures is as usual, see for instance Fig. 1

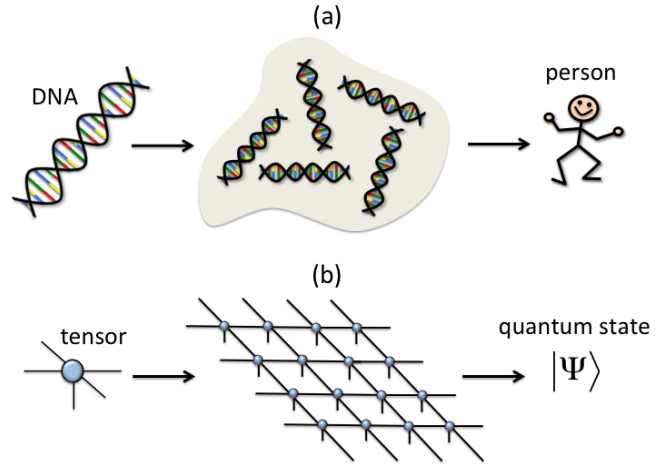


FIG. 1. Example of a figure from Ref. [7].

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- [1] A. Einstein, Yu. Podolsky, and N. Rosen (EPR), Phys. Rev. **47**, 777 (1935).  
[2] R. P. Feynman, Phys. Rev. **94**, 262 (1954).  
[3] N. D. Birell and P. C. W. Davies, *Quantum Fields in Curved Space* (Cambridge University Press, 1982).

- [4] J. G. P. Berman and J. F. M. Izrailev, Stability of nonlinear modes, Physica D **88**, 445 (1983).  
[5] E. Witten, (2001), hep-th/0106109.  
[6] E. B. Davies and L. Parns, Trapped modes in acoustic waveguides, Q. J. Mech. Appl. Math. **51**, 477 (1988).  
[7] R. Orus, A practical introduction to tensor networks: Matrix product states and projected entangled pair states, Annals of Physics **349**, 117 (2013), 1306.2164.

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## Appendix A: Code listing

Please copy your code in the appendix.

```
1 """
2
3 Module to generate the Hamiltonian of the transverse field Ising model.
4
5 H = -J sum_i sigma^x_i sigma^x_{i+1} - g sum_i sigma^z_i.
6
7 Used in the solution of exercise 5.1
8
9 """
10
```

```

11 import numpy as np
12 import scipy
13 from scipy import sparse
14 import scipy.sparse.linalg
15 import matplotlib.pyplot as plt
16
17 Id = sparse.csr_matrix(np.eye(2))
18 Sx = sparse.csr_matrix([[0., 1.], [1., 0.]])
19 Sz = sparse.csr_matrix([[1., 0.], [0., -1.]])
20 Splus = sparse.csr_matrix([[0., 1.], [0., 0.]])
21 Sminus = sparse.csr_matrix([[0., 0.], [1., 0.]])
22
23
24 def singesite_to_full(op, i, L):
25     op_list = [Id]*L # = [Id, Id, Id ...] with L entries
26     op_list[i] = op
27     full = op_list[0]
28     for op_i in op_list[1:]:
29         full = sparse.kron(full, op_i, format="csr")
30     return full
31
32
33 def gen_sx_list(L):
34     return [singesite_to_full(Sx, i, L) for i in range(L)]
35
36
37 def gen_sz_list(L):
38     return [singesite_to_full(Sz, i, L) for i in range(L)]
39
40
41 def gen_hamiltonian_periodic(sx_list, sz_list, g, J=1.):
42     """ assumes periodic boundary conditions """
43     L = len(sx_list)
44     H = sparse.csr_matrix((2*L, 2*L))
45     for j in range(L):
46         H = H - J * ( sx_list[j] * sx_list[(j+1)%L])
47         H = H - g * sz_list[j]
48     return H

```

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