

Classroom log 9

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Functional dependencies

- ▶ Functional dependencies give a mechanism to analyze how good a database is.
- ▶ Dependency: How much knowing one attribute predicts about another
- ▶ FDs should be specified by the designer (intention), not inferred as patterns (extension)

Rules of FD inference

- ▶ Reflexive rule: $Y \subseteq X \Rightarrow X \rightarrow Y, X \rightarrow X$
- ▶ Augmentation rule: $X \rightarrow Y \Rightarrow XZ \rightarrow YZ; X \rightarrow Y \Rightarrow XZ \rightarrow Y$
- ▶ Transitivity rule: $X \rightarrow Y; Y \rightarrow Z \Rightarrow X \rightarrow Z$
- ▶ Decomposition or projective rule: $X \rightarrow YZ \Rightarrow X \rightarrow Y$
- ▶ Union or additive rule: $X \rightarrow Y; X \rightarrow Z \Rightarrow X \rightarrow YZ$
- ▶ Pseudo transitive rule: $X \rightarrow Y; WY \rightarrow Z \Rightarrow WX \rightarrow Z$

The first three are called Armstrong Axioms.

Attribute closure

- ▶ The attribute closure(X^+) of an attribute X is the set of all possible attributes functionally determined by X .
- ▶ Example:
- ▶ $F: \{X \rightarrow Y, Y \rightarrow Z, X \rightarrow AZ, Z \rightarrow BY, C \rightarrow X\}$
Then $X^+ = \{X, Y, Z, A, B\}$

Computing X^+

Algorithm:

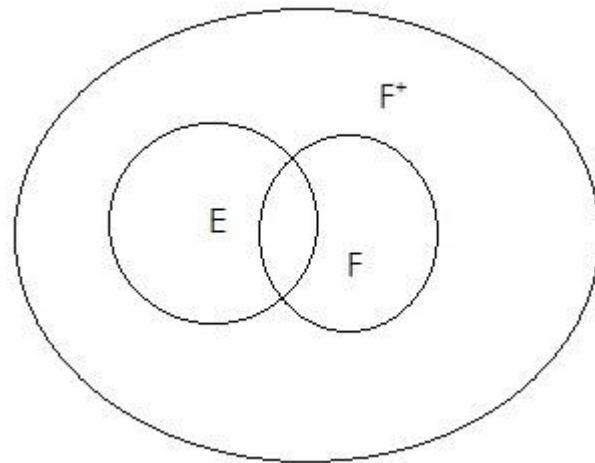
1. $X^+ \leftarrow X$
2. repeat
 - (a) *old* $X^+ \leftarrow X^+$
 - (b) for each FD $Y \rightarrow Z$ in F do
if $Y \subseteq X^+$ then $X^+ \leftarrow X^+ \cup Z$
3. until ($X^+ == \text{old } X^+$)

Closure of an FD

- ▶ The set F along with all the FDs is called the closure of F denoted by F^+
- ▶ Can be thought of as canonicalization or standardization of an FD

Cover and equivalence

- Cover: For any two FDs E and F, set F is said to cover set E if
$$\forall e \in E \Rightarrow e \in F^+$$
- Equivalence: E and F are equivalent if $E^+ = F^+$. This also means
$$\text{covers}(F, E) \wedge \text{covers}(E, F)$$



Minimal set of FDs

- ▶ Every FD has a single attribute on the right. (i.e., FD is of the form $X \rightarrow Y$, $XA \rightarrow Y$ etc)
- ▶ Non decomposable, non replaceable FDs
- ▶ Can't remove any FD and still get an equivalent set of FDs

Normalization - Definition and purpose

- ▶ Normalization is the process of organizing the relational schema to reduce data redundancy and improve data integrity.
- ▶ It is a rule for designing the database taking dependencies between attributes into consideration.
- ▶ Hence, purpose:
 - Eliminate redundancy
 - Store data logically
 - Remove anomalies

Normalization – 1NF

- ▶ Only atomic attributes. No multivalued attributes. The second table is what we get after applying 1NF rules.
- ▶ Eg:

Student	Courses
A	Java, C++
B	HTML,C

Student	Courses
A	Java
A	C++
B	HTML
B	C

Normalization – 2NF

- ▶ A relation is in 2NF if, every non-prime attribute is fully functionally dependent on the primary key.
- ▶ A non prime attribute is not part of the candidate key.
- ▶ Eg: $R = \{VoterId, Name, DLNo, Area\}$

$\{VoterId, DLNo\} \rightarrow \{Name, Area\}$

If $DLNo \rightarrow Area$, then R is not in 2NF.

To be in 2NF, change the structure as follows:

$R1(VoterId, DLNo, Name)$

$R2(DLNo, Area)$

Normalization – 3NF

- ▶ No transitive dependencies allowed.

Eg: $R = \{\underline{\text{VoterId}}, \text{Name}, \text{DLNo}, \text{Area}\}$ and let $\text{DLNo} \rightarrow \text{Area}$

As VoterId is primary key, $\text{VoterId} \rightarrow \text{DLNo}$ holds.

$\text{VoterId} \rightarrow \text{DLNo}$ and $\text{DLNo} \rightarrow \text{Area} \Rightarrow \text{VoterId} \rightarrow \text{Area}$ is a transitive dependency.

So, not in 3NF.

To be in 3NF, change the structure as follows:

$R1(\text{VoterId}, \text{Name}, \text{DLNo})$

$R2(\text{DLNo}, \text{Area})$

- ▶ Transitive dependencies result in update and deletion anomalies.



Thank You!