

# things not to forget when solving problems

*Second law extended form*

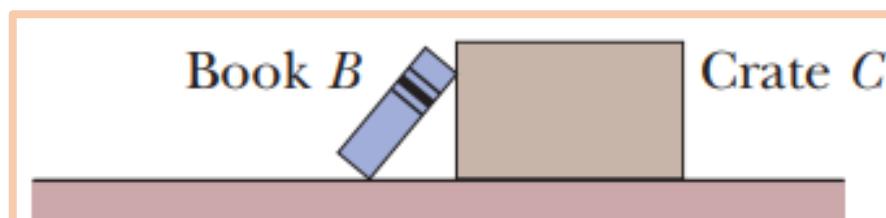
$$\vec{F}_{\text{net}} = m\vec{a},$$

Remember, this represents the net motion. Experiments will tell you the net motion.

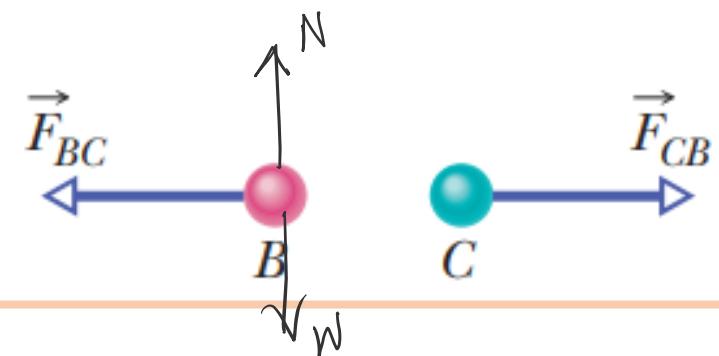
which may be written in the component versions

$$F_{\text{net},x} = ma_x \quad F_{\text{net},y} = ma_y \quad \text{and} \quad F_{\text{net},z} = ma_z.$$

*Third law*  
*free body diagram*



(a)

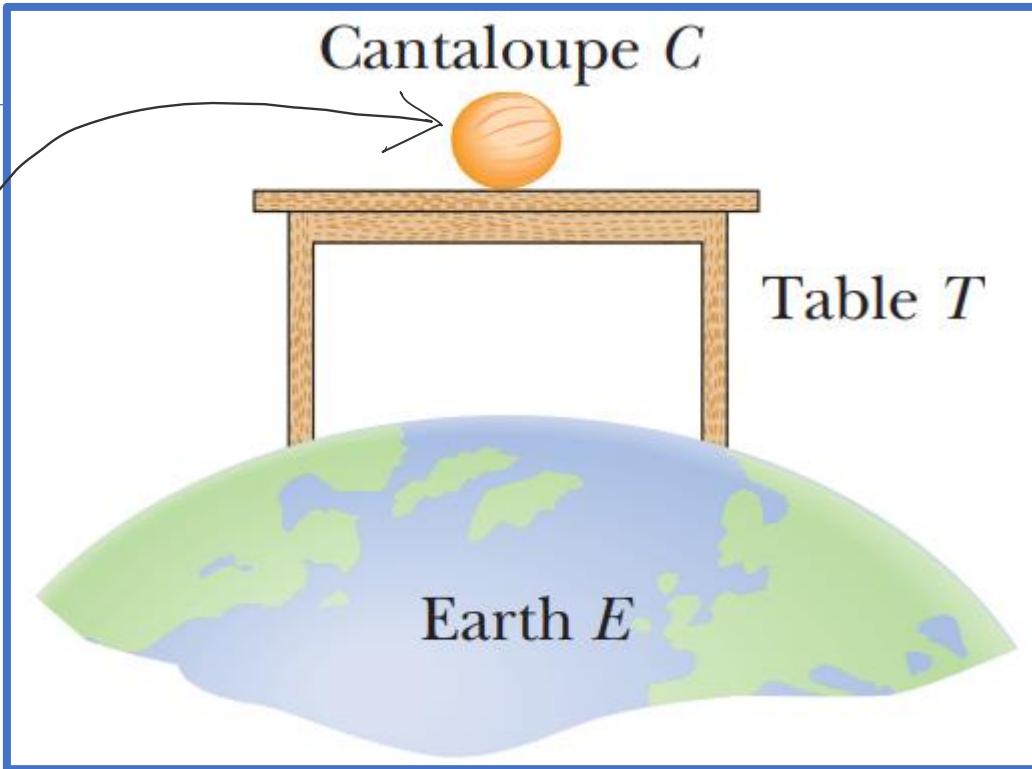


$$\vec{F}_{BC} = -\vec{F}_{CB}$$

in free body diagrams  
you draw all the forces  
acting on the body  
not the forces acted by the body

No. of objects = 3

System being solved for =

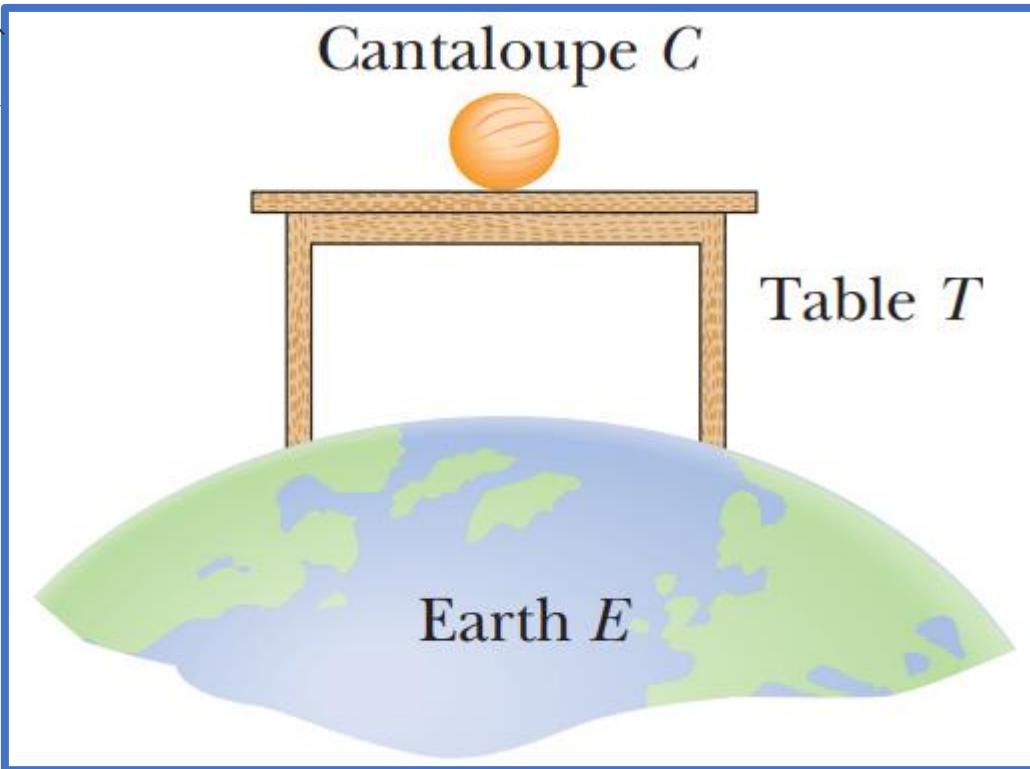
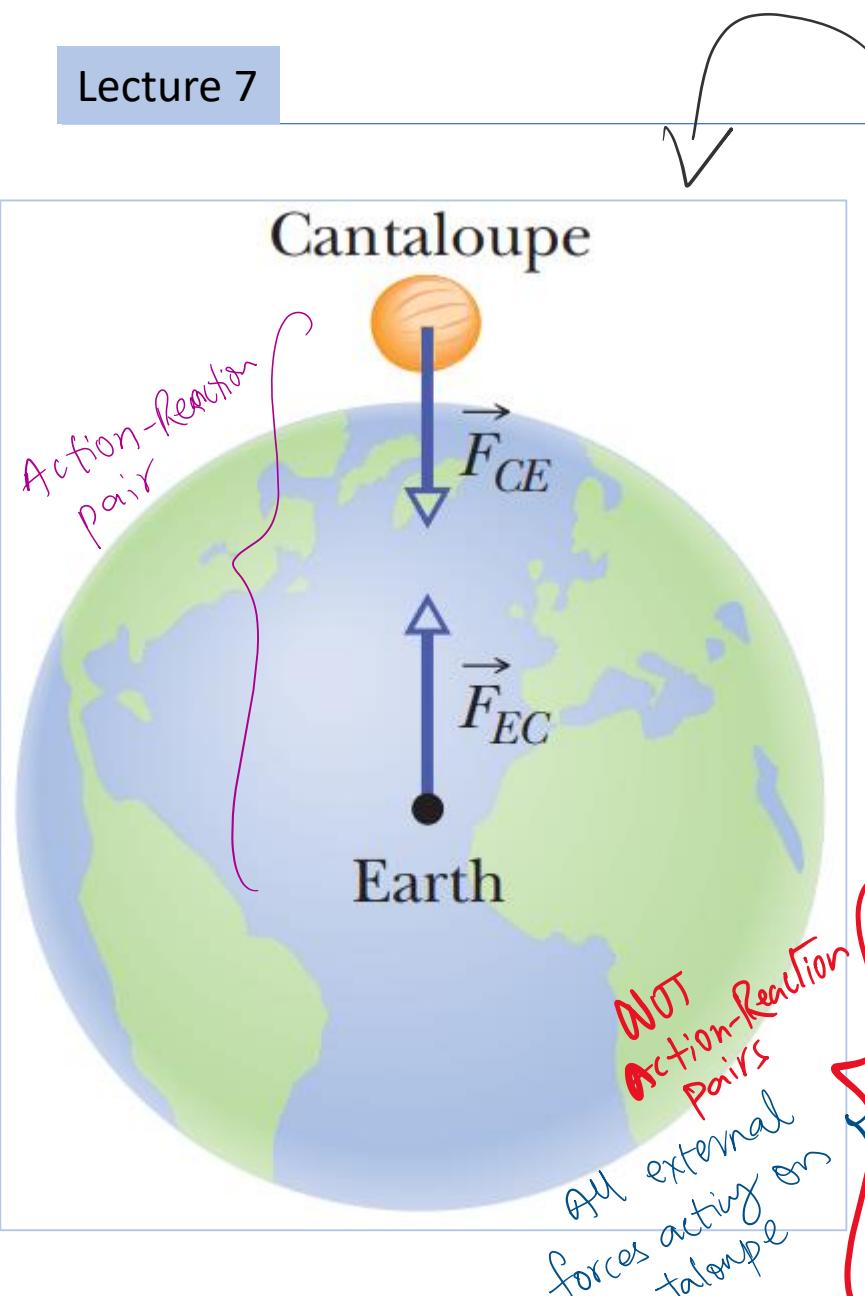


### Technique

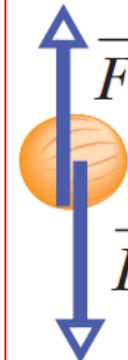
Solve by considering each interaction independently

① Cantaloupe / Earth interaction

② Cantaloupe / table interaction



$\vec{F}_{CT}$  (normal force from table)



$\vec{F}_{CE}$  (gravitational force)

In earth frame, object will accelerate with acceleration  $9.8\text{m/s}^2$   
hence such a force, isolated, can be mathematically written as  
 $W = mg$  (without table or anything)

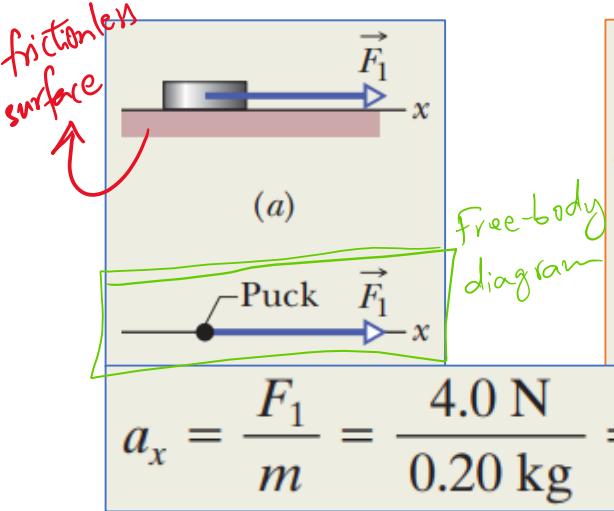
Mathematical form for Cantaloupe motion

$$F_N - F_g = ma_y.$$

$a_y = 0$  cantaloupe at rest.

$a_y \neq 0$  cantaloupe moves (consider flexible surface like a rubber sheet or foam)

# Three different conditions on sliding puck

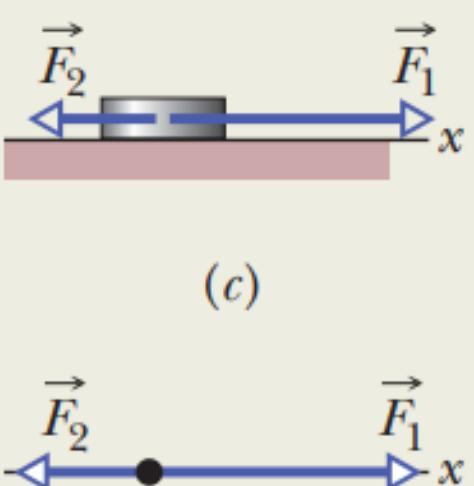


$$\vec{F}_1 - \vec{F}_2 = ma_x,$$

which, with given data, yields

$$a_x = \frac{\vec{F}_1 - \vec{F}_2}{m} = \frac{4.0 \text{ N} - 2.0 \text{ N}}{0.20 \text{ kg}} = 10 \text{ m/s}^2.$$

$$a_x = \frac{\vec{F}_1}{m} = \frac{4.0 \text{ N}}{0.20 \text{ kg}} = 20 \text{ m/s}^2.$$

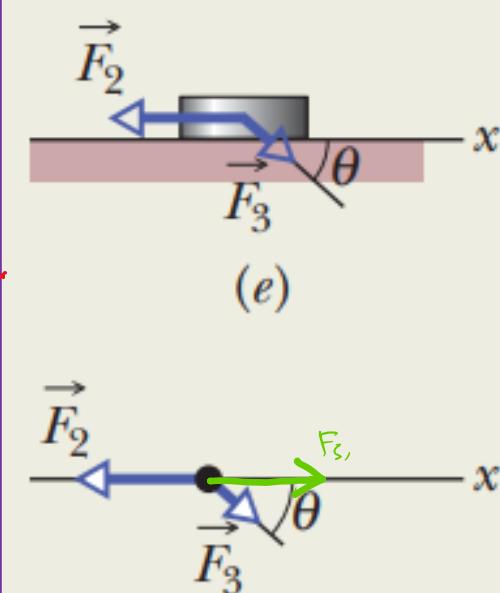


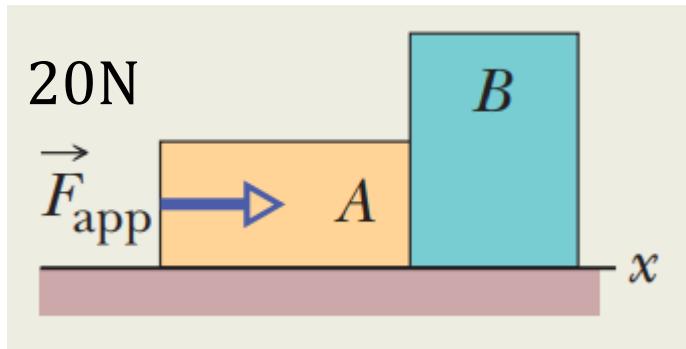
$$\vec{F}_{3,x} - \vec{F}_2 = ma_x. \quad (5-5)$$

From the figure, we see that  $\vec{F}_{3,x} = F_3 \cos \theta$ . Solving for the acceleration and substituting for  $\vec{F}_{3,x}$  yield

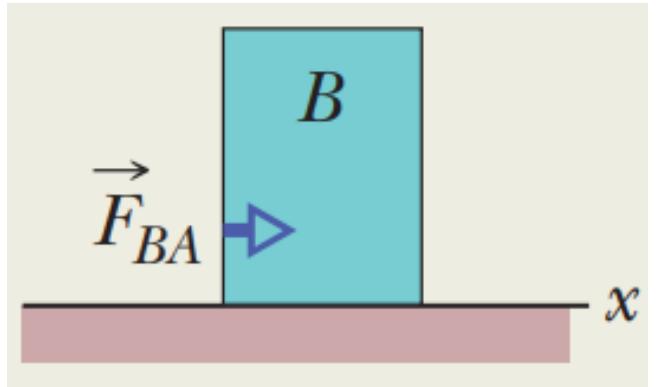
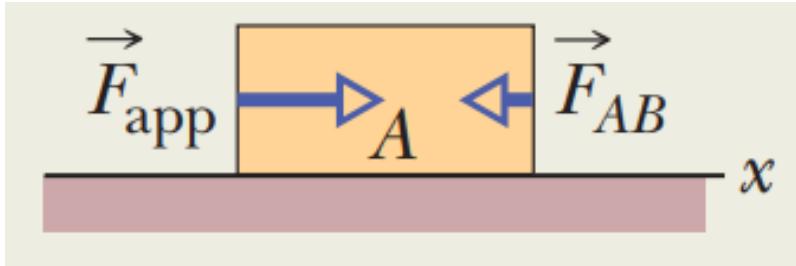
$$\begin{aligned} a_x &= \frac{\vec{F}_{3,x} - \vec{F}_2}{m} = \frac{F_3 \cos \theta - F_2}{m} \\ &= \frac{(1.0 \text{ N})(\cos 30^\circ) - 2.0 \text{ N}}{0.20 \text{ kg}} = -5.7 \text{ m/s}^2. \end{aligned}$$

*H.W. Solve vertical forces for this part.*



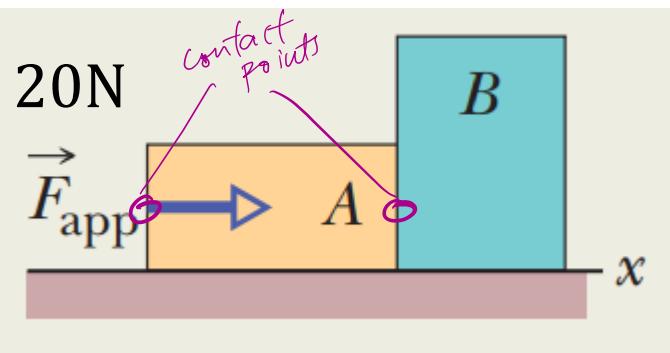


$$m_A = 4.0 \text{ kg}, \\ m_B = 6.0 \text{ kg.}$$



$-F_{AB} = F_{BA}$       Hidden forces  
 at the AB  
 contact

## Lecture 7

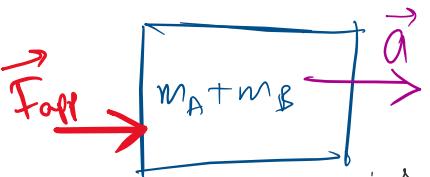


$$m_A = 4.0 \text{ kg}, \\ m_B = 6.0 \text{ kg.}$$

Solving for combined system of A and B

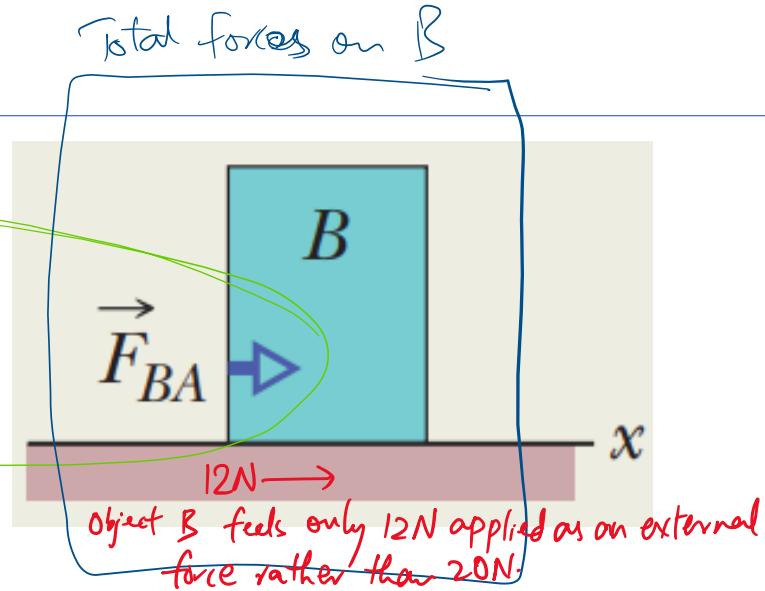
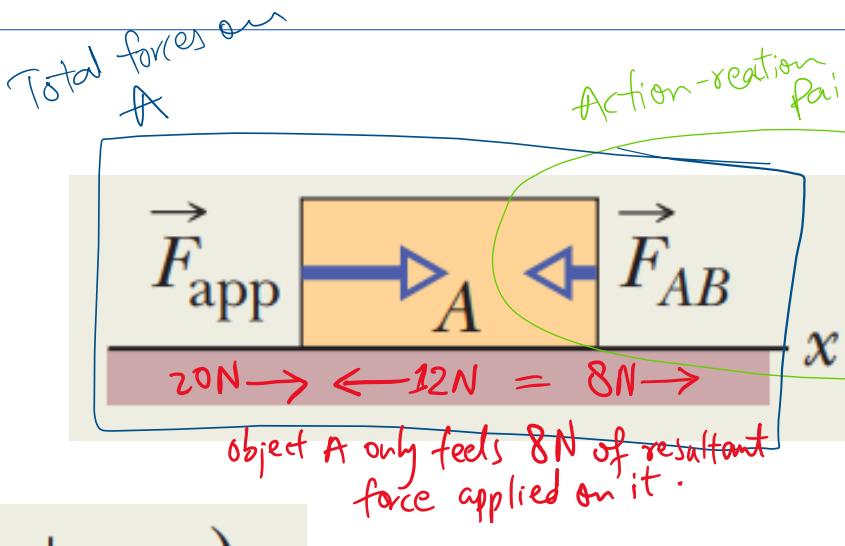
$$F_{\text{app}} = (m_A + m_B)a,$$

$$a = \frac{F_{\text{app}}}{m_A + m_B} = \frac{20 \text{ N}}{4.0 \text{ kg} + 6.0 \text{ kg}} = 2.0 \text{ m/s}^2.$$



This acceleration remains the same for A and B only because both are ~~of~~ objects

$$F_{AB} = m_A a \\ = (4 \text{ kg})(2 \text{ m/s}^2) \\ F_{AB} = 8 \text{ N}$$



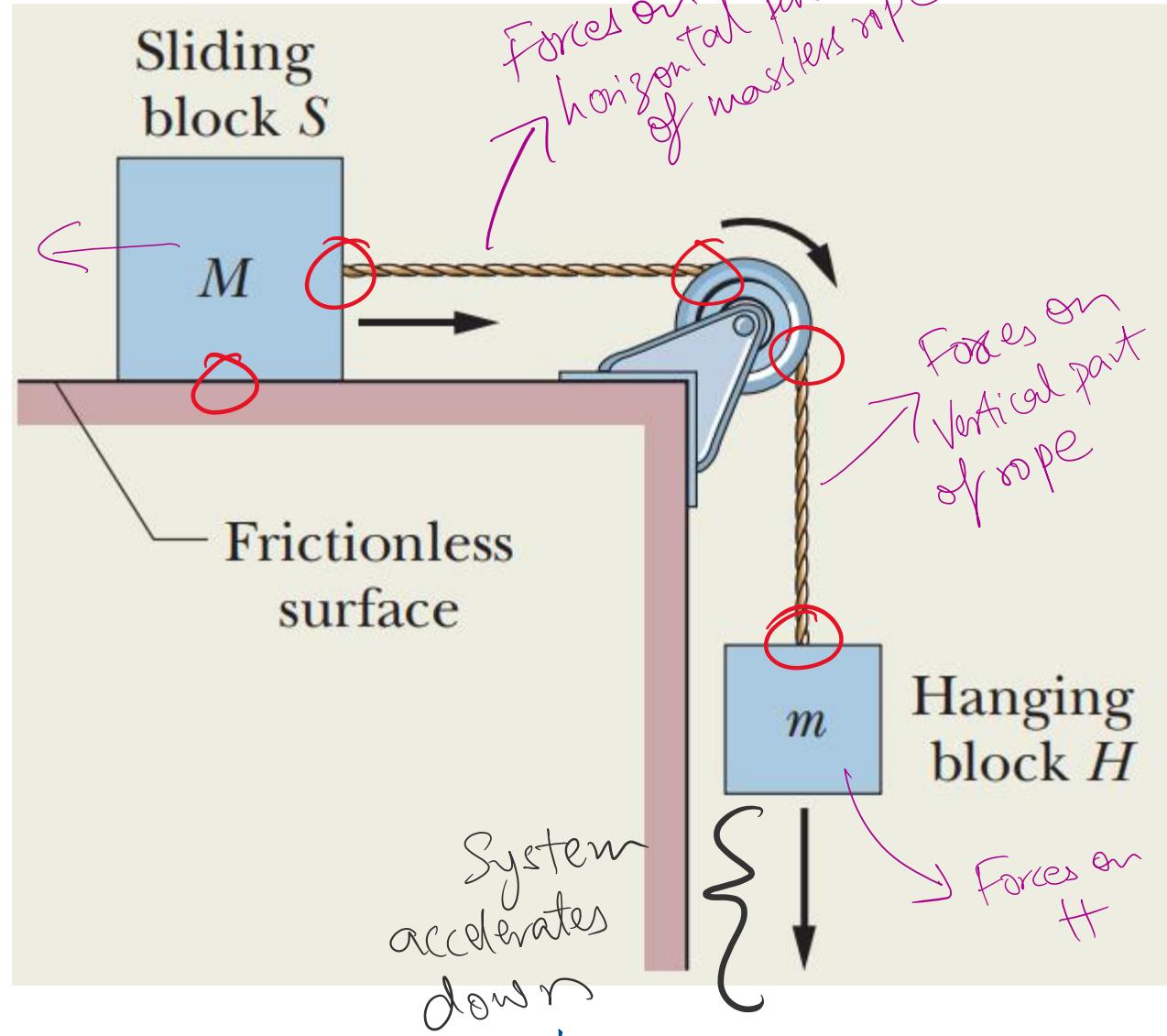
Also consider this,  
if we reduce  $m_A$  w.r.t  $m_B$   
then  $F_{BA} \approx F_{\text{app}}$

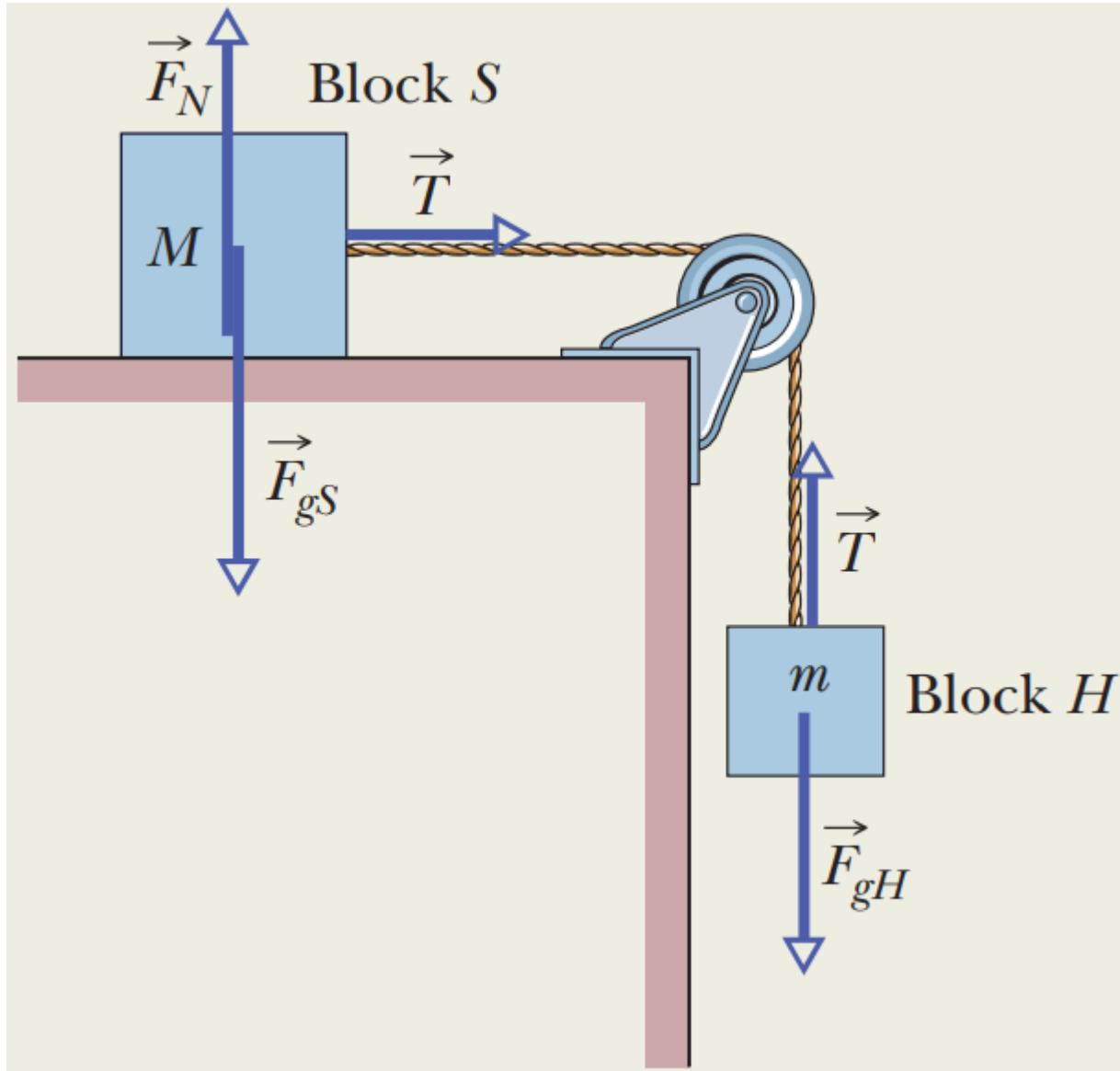
therefore massless object transfer forces unaltered from end to end.  
Strings/Ropes are considered to be massless for the same reason.

System of object B  $\rightarrow F_{BA} = m_B a,$   
which, with known values, gives

$$F_{BA} = (6.0 \text{ kg})(2.0 \text{ m/s}^2) = 12 \text{ N.}$$

Don't forget to  
point out  
all its  
contact  
points.





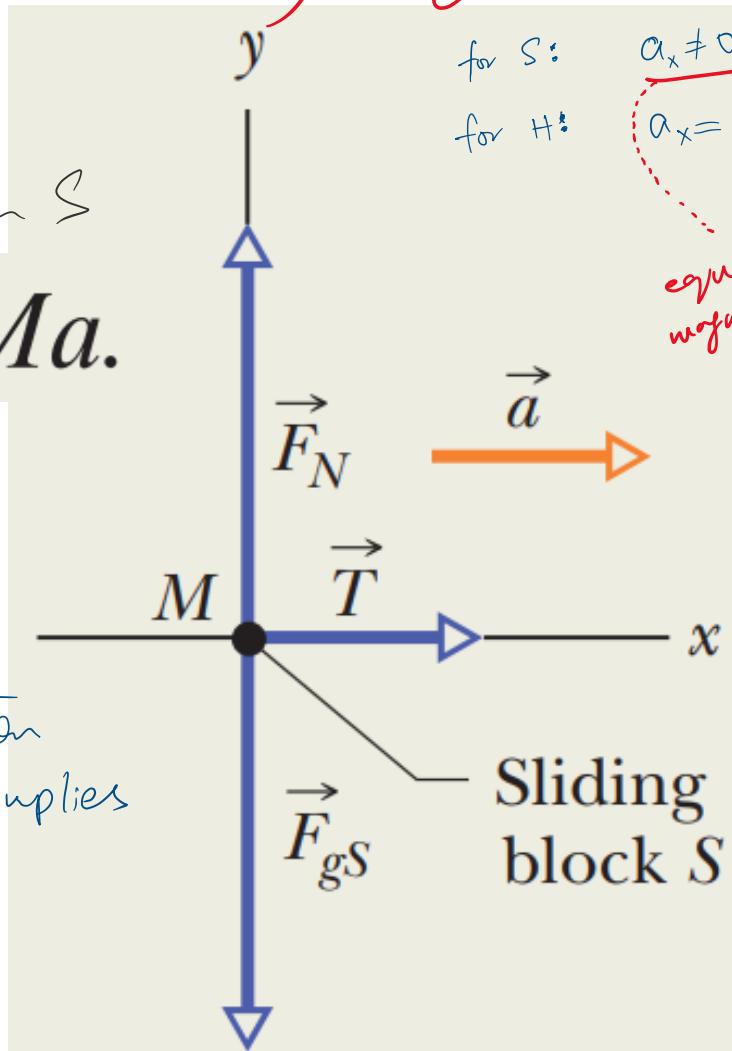
# Free-body diagrams

only force on S

$$T = Ma.$$

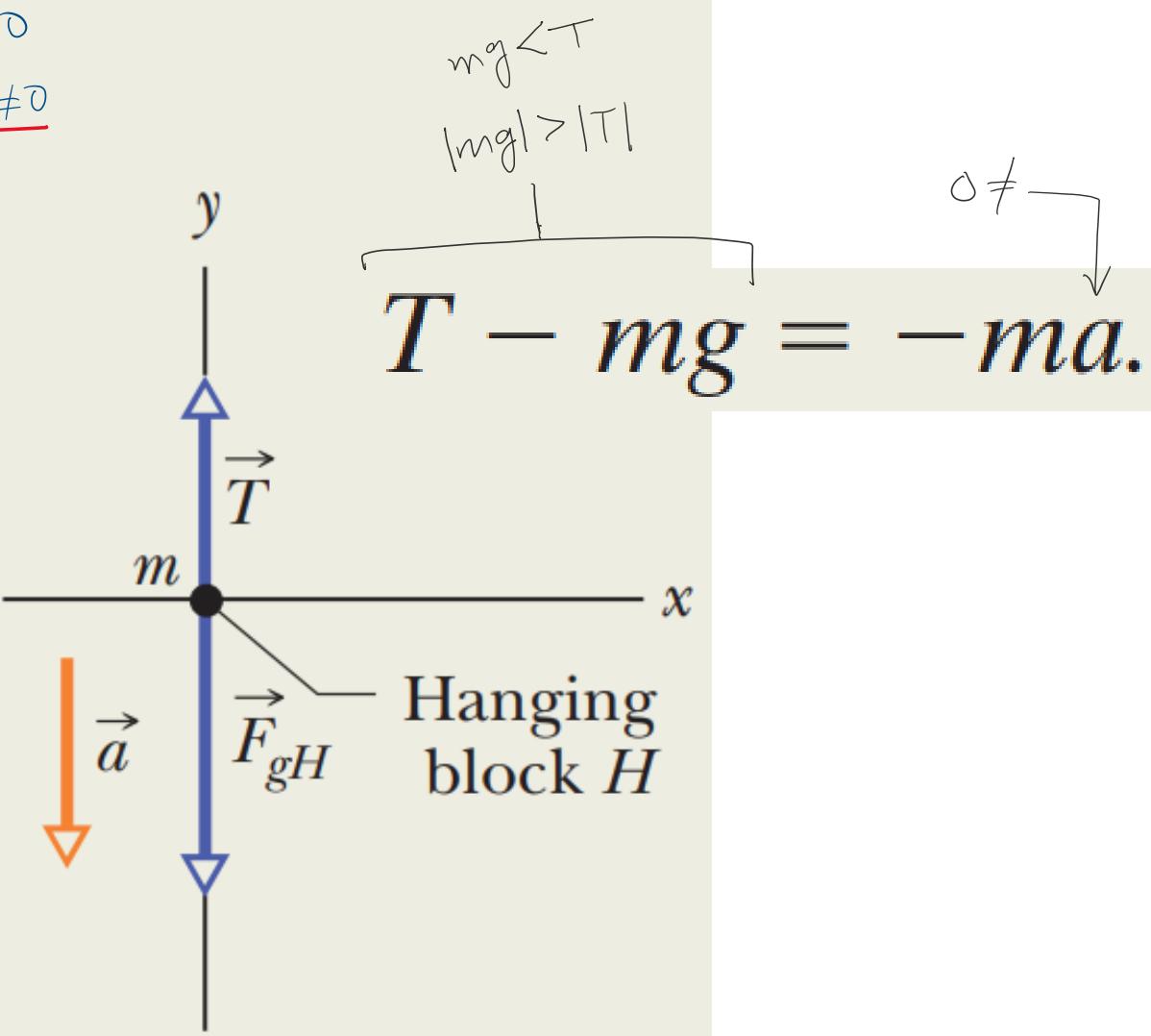
No vertical motion  
for Block S implies

$$\begin{cases} \vec{F}_{gs} = \vec{F}_N \\ \vec{F}_N - \vec{F}_{gs} = 0 \end{cases}$$



for S:  $a_x \neq 0, a_y = 0$   
 for H:  $a_x = 0, a_y \neq 0$

equal in magnitude



$$mg < T$$

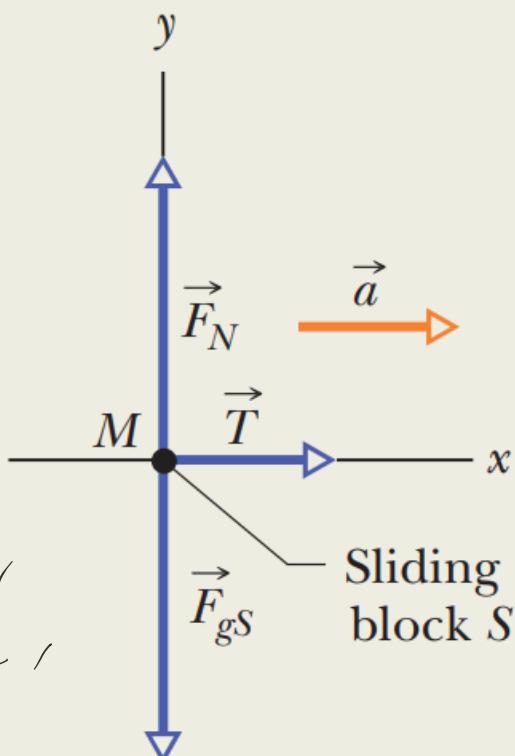
$$|mg| > |T|$$

$$\theta \neq$$

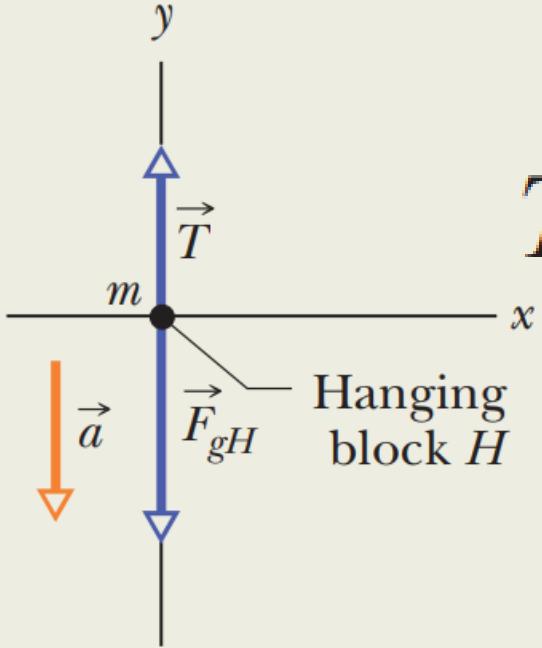
$$T - mg = -ma.$$

$$T = Ma.$$

Simultaneously solving for  
the two unknowns here,  
 $\vec{a}$  and  $\vec{T}$



$$T - mg = -ma.$$

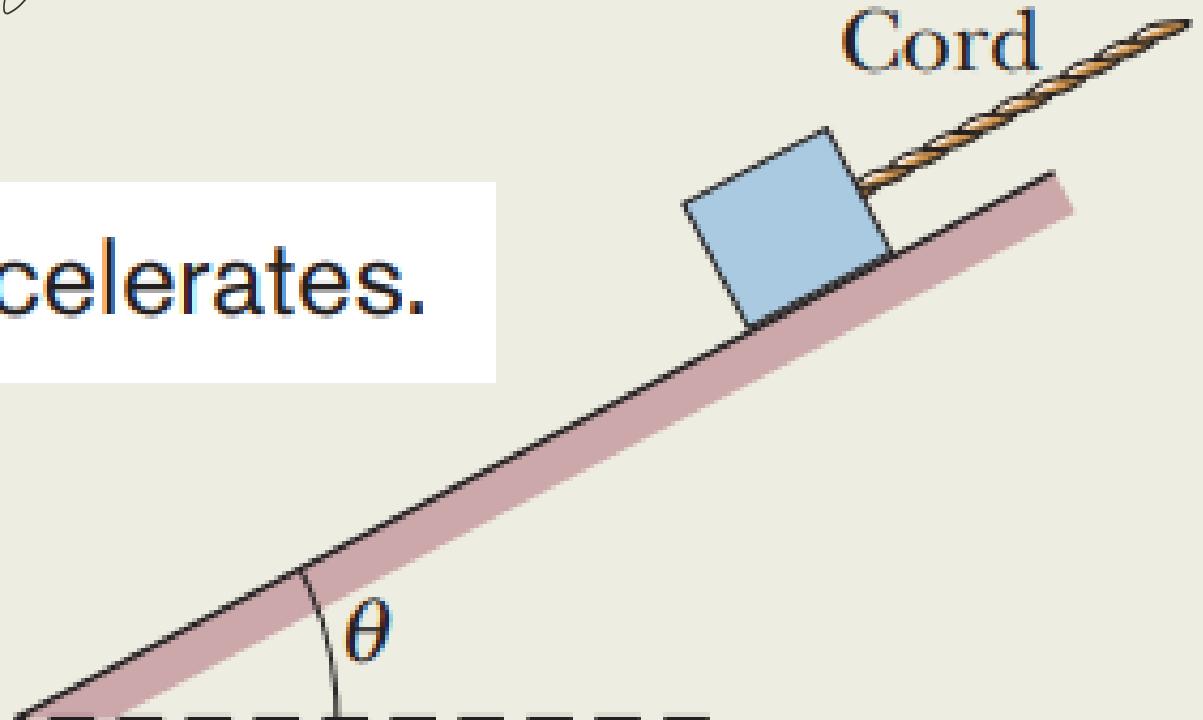


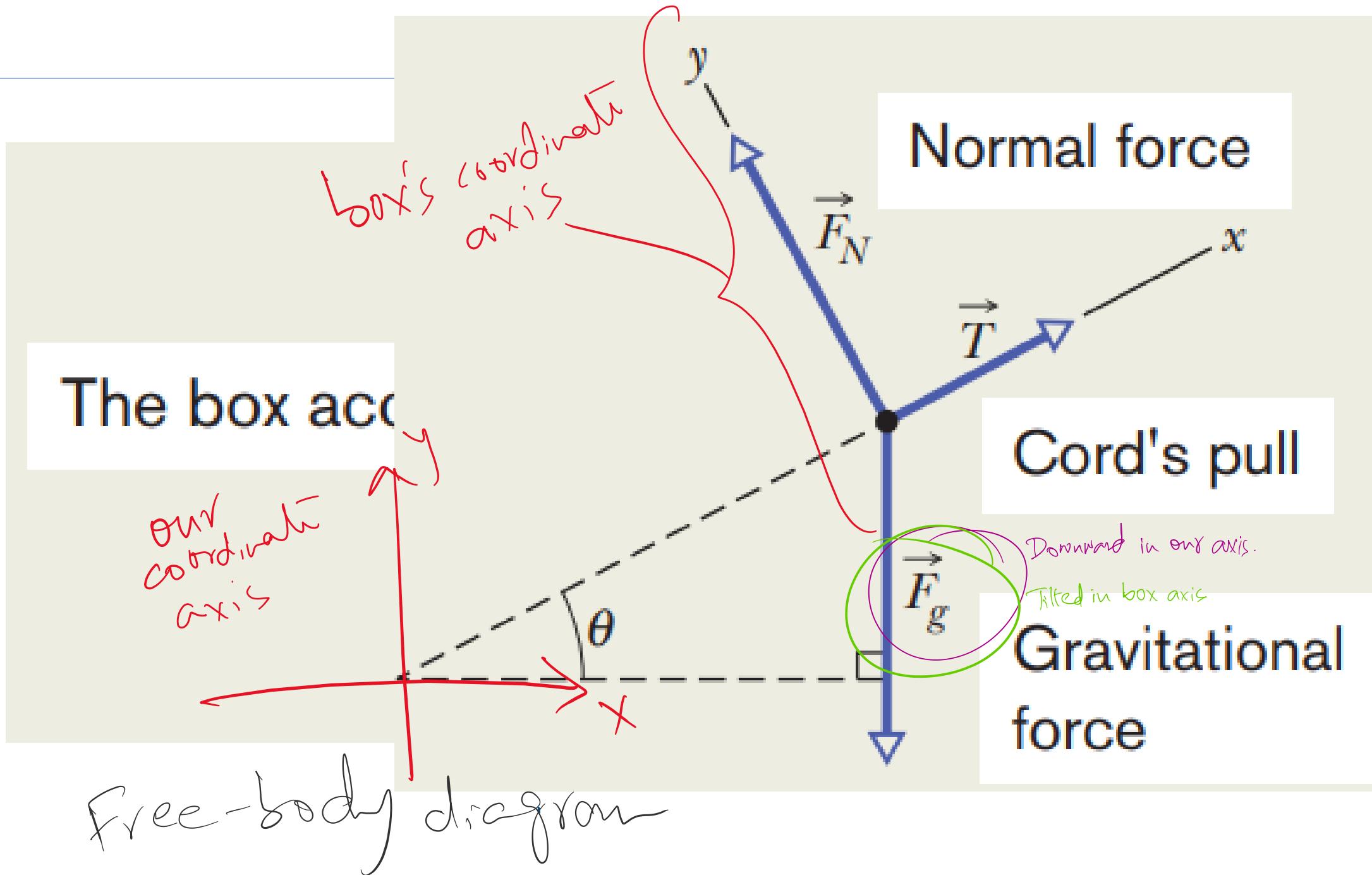
$$a = \frac{m}{M + m} g.$$

$$T = \frac{Mm}{M + m} g.$$

is what if the surface  
is tilted with respect to  
the horizontal

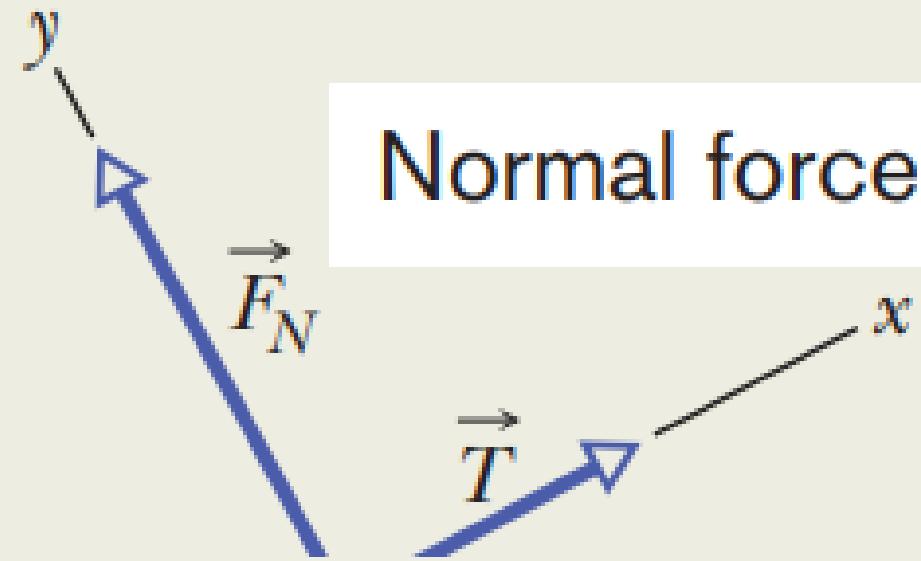
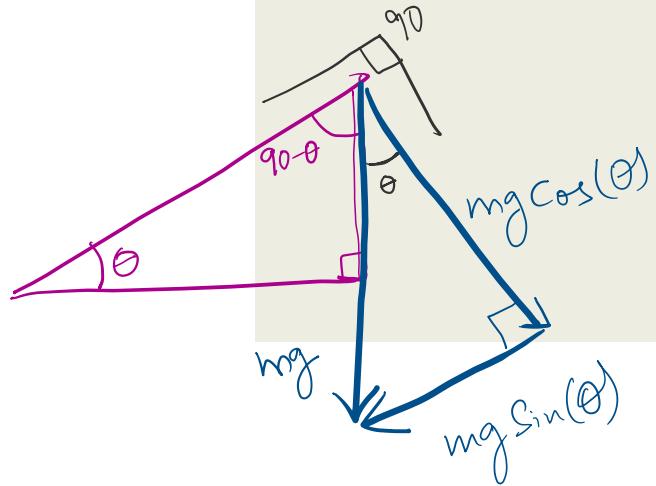
**The box accelerates.**





geometrical  
breakdown of  $F_0$   
in the box's coordinate axis

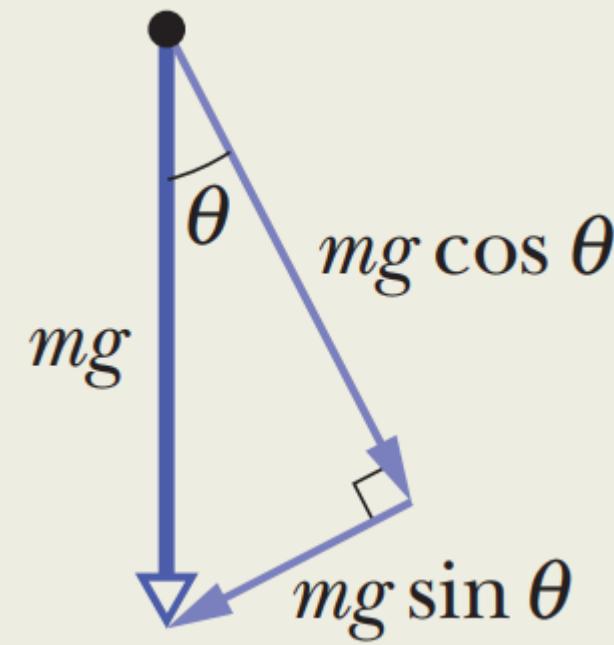
## The box acc



Normal force

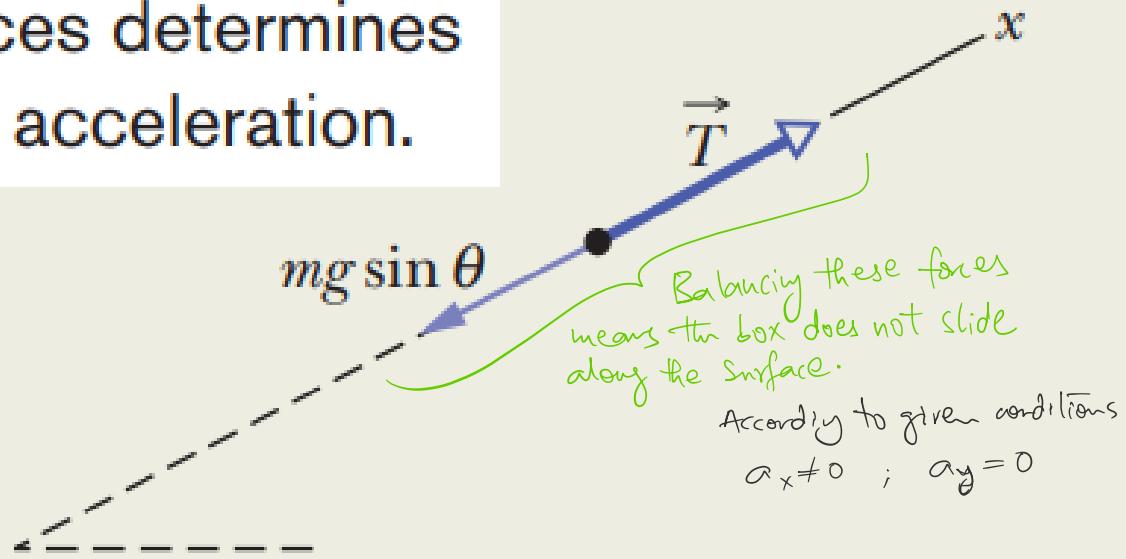


pull

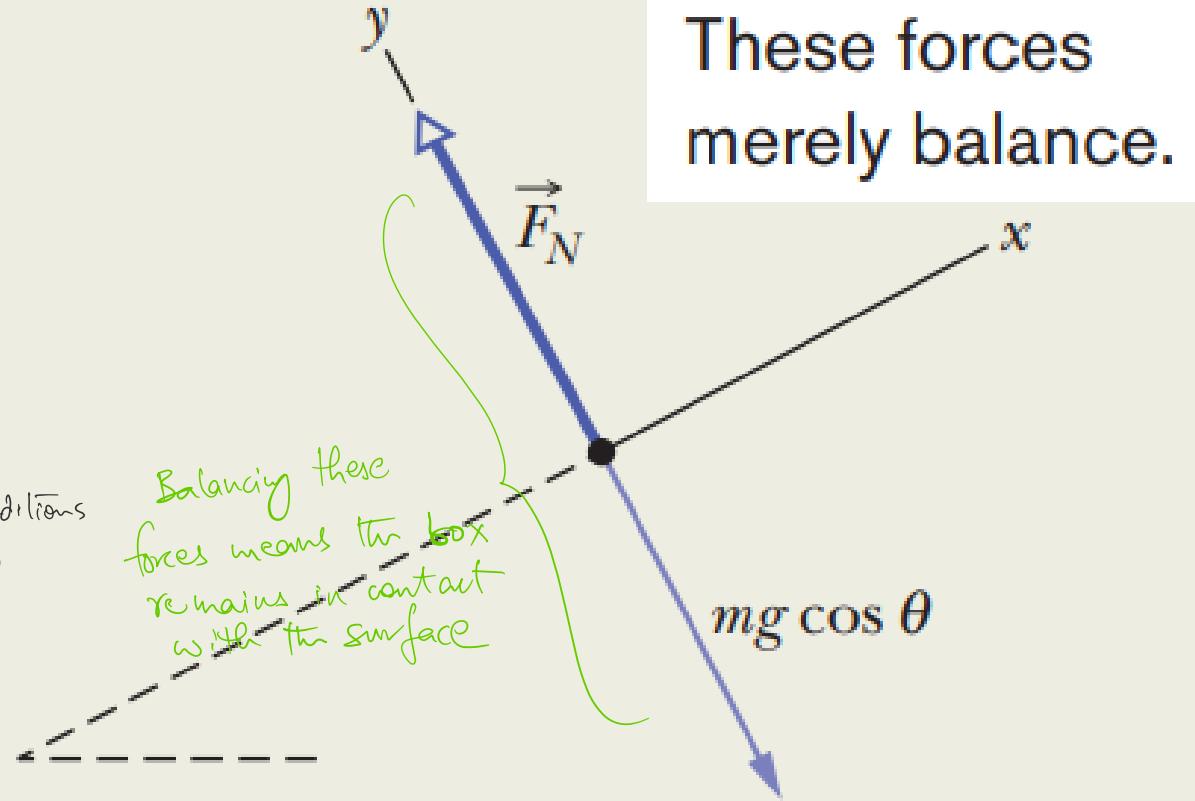


gravitational

The net of these forces determines the acceleration.



Horizontal part



Vertical part

These forces merely balance.

# Practice problems:

Problems from Fundamentals of Physics

-Jearl Walker

Chapter 5 : Forces and Motion I

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Questions: **1,5,6,12,**

Problems: **2,5,9,17,23,30,34,51,55,57**

sample prob: **5.01,02,03**

Additional Problems