class_08_miniproject

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Class 8 Mini-Project

Exploratory data analysis

Download the WinsconsinCancer.csv file from the class website, and import it into our class _08_miniproject folder.

```
#Can now use read.csv to read the data within the csv file.
#read.csv("WisconsinCancer.csv")
```

Save the input data file into the project directory and inptu the data and store as wisc.df

```
fna.data <- "WisconsinCancer.csv"
wisc.df <- read.csv(fna.data, row.names=1)</pre>
```

Create a new data.frame that omits the first column wisc.df\$diagnosis.

```
#Can use -1 here to remove the first column
wisc.data <- wisc.df[,-1]</pre>
```

Create a separate vector called diagnosis that stores the data from the diagnosis column of the original dataset. Will be used as a factor later.

```
diagnosis <- as.factor(wisc.df$diagnosis)</pre>
```

Q1. How many observations are in this dataset?

569 observations are in this dataset.

```
nrow(wisc.data)
```

[1] 569

Q2. How many of the observations have a malignant diagnosis?

212 malignant diagnoses.

```
table(wisc.df$diagnosis)
```

B M 357 212

Q3. How many variables/features in the data are suffixed with _mean?

There are 10 variables/features in the data are suffixed with _mean.

```
matches <- colnames(wisc.data, prefix = "_mean")
length(grep("_mean", matches))</pre>
```

[1] 10

Principal Component Analysis

Perform PCA on wisc.data Must check if the data must be scaled because - the input variables use different units of measurement - the input variables have significant different variances Can use colMeans() and apply()

```
# Check column means and standard deviations
colMeans((wisc.data))
```

perimeter_mean	texture_mean	radius_mean
9.196903e+01	1.928965e+01	1.412729e+01
${\tt compactness_mean}$	${\tt smoothness_mean}$	area_mean
1.043410e-01	9.636028e-02	6.548891e+02
symmetry_mean	concave.points_mean	concavity_mean
1.811619e-01	4.891915e-02	8.879932e-02
texture_se	radius_se	fractal_dimension_mean
1.216853e+00	4.051721e-01	6.279761e-02
smoothness_se	area_se	perimeter_se
7.040979e-03	4.033708e+01	2.866059e+00
concave.points_se	concavity_se	compactness_se

```
2.547814e-02
                                 3.189372e-02
                                                         1.179614e-02
                        fractal_dimension_se
                                                         radius_worst
         symmetry_se
        2.054230e-02
                                 3.794904e-03
                                                         1.626919e+01
       texture_worst
                             perimeter_worst
                                                           area_worst
        2.567722e+01
                                 1.072612e+02
                                                         8.805831e+02
    smoothness_worst
                           compactness_worst
                                                      concavity_worst
        1.323686e-01
                                 2.542650e-01
                                                         2.721885e-01
concave.points_worst
                              symmetry_worst fractal_dimension_worst
        1.146062e-01
                                 2.900756e-01
                                                         8.394582e-02
apply(wisc.data, 2, sd)
```

perimeter_mean	texture_mean	radius_mean
2.429898e+01	4.301036e+00	3.524049e+00
compactness_mean	${\tt smoothness_mean}$	area_mean
5.281276e-02	1.406413e-02	3.519141e+02
symmetry_mean	concave.points_mean	concavity_mean
2.741428e-02	3.880284e-02	7.971981e-02
texture_se	radius_se	fractal_dimension_mean
5.516484e-01	2.773127e-01	7.060363e-03
smoothness_se	area_se	perimeter_se
3.002518e-03	4.549101e+01	2.021855e+00
concave.points_se	concavity_se	compactness_se
6.170285e-03	3.018606e-02	1.790818e-02
radius_worst	fractal_dimension_se	symmetry_se
4.833242e+00	2.646071e-03	8.266372e-03
area_worst	perimeter_worst	texture_worst
5.693570e+02	3.360254e+01	6.146258e+00
concavity_worst	${\tt compactness_worst}$	smoothness_worst
2.086243e-01	1.573365e-01	2.283243e-02
${\tt fractal_dimension_worst}$	symmetry_worst	concave.points_worst
1.806127e-02	6.186747e-02	6.573234e-02

Execute PCA with prcomp() function on the wisc.data and scale if needed

```
# Perform PCA on wisc.data
  wisc.pr <- prcomp(wisc.data, scale = TRUE)</pre>
Inspect the summary of results with summary()
```

```
summary(wisc.pr)
```

Importance of components:

```
PC1
                                 PC2
                                         PC3
                                                  PC4
                                                          PC5
                                                                  PC6
                                                                          PC7
Standard deviation
                       3.6444 2.3857 1.67867 1.40735 1.28403 1.09880 0.82172
Proportion of Variance 0.4427 0.1897 0.09393 0.06602 0.05496 0.04025 0.02251
Cumulative Proportion
                       0.4427 0.6324 0.72636 0.79239 0.84734 0.88759 0.91010
                           PC8
                                  PC9
                                         PC10
                                                PC11
                                                         PC12
                                                                 PC13
                                                                         PC14
Standard deviation
                       0.69037 0.6457 0.59219 0.5421 0.51104 0.49128 0.39624
Proportion of Variance 0.01589 0.0139 0.01169 0.0098 0.00871 0.00805 0.00523
Cumulative Proportion
                       0.92598 0.9399 0.95157 0.9614 0.97007 0.97812 0.98335
                          PC15
                                  PC16
                                          PC17
                                                   PC18
                                                           PC19
                                                                   PC20
                                                                          PC21
                       0.30681 0.28260 0.24372 0.22939 0.22244 0.17652 0.1731
Standard deviation
Proportion of Variance 0.00314 0.00266 0.00198 0.00175 0.00165 0.00104 0.0010
Cumulative Proportion
                       0.98649 0.98915 0.99113 0.99288 0.99453 0.99557 0.9966
                          PC22
                                  PC23
                                         PC24
                                                  PC25
                                                          PC26
                                                                  PC27
                                                                          PC28
                       0.16565 0.15602 0.1344 0.12442 0.09043 0.08307 0.03987
Standard deviation
Proportion of Variance 0.00091 0.00081 0.0006 0.00052 0.00027 0.00023 0.00005
Cumulative Proportion
                       0.99749 0.99830 0.9989 0.99942 0.99969 0.99992 0.99997
                          PC29
                                  PC30
Standard deviation
                       0.02736 0.01153
Proportion of Variance 0.00002 0.00000
Cumulative Proportion
                       1.00000 1.00000
```

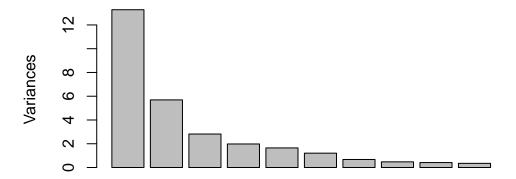
Q4. From your results, what proportion of the original variance is captured by the first principal components (PC1)?

The proportion of the original variance that was capture by PC1 was 44.27%.

- Q5. How many principal components (PCs) are required to describe at least 70% of the original variance in the data?
- 3 PCs are required to describe at least 70% of the original variance in the data.
 - Q6. How many principal components (PCs) are required to describe at least 90% of the original variance in the data?
- 7 PCs are required to describe at least 90% of the original variance in the data.

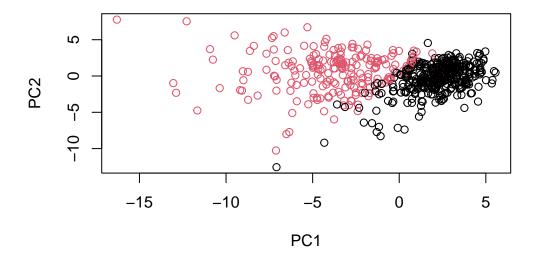
```
plot(wisc.pr)
```

wisc.pr



Let's make a PC plot (a.k.a. "score plot" or "PC1 vs PC2" etc. plot)

```
plot(wisc.pr$x[,1], wisc.pr$x[,2], col = diagnosis, xlab = "PC1", ylab = "PC2")
```

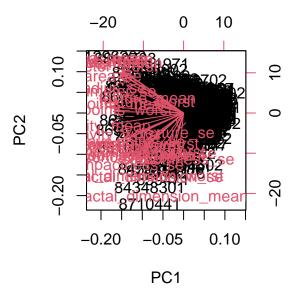


Q7. What stands out to you about this plot? Is it easy or difficult to understand? Why?

The plot shows the two different diagnoses, malignant and benign. It is difficult to understand because there are so many points, and sections where it is just all clustered.

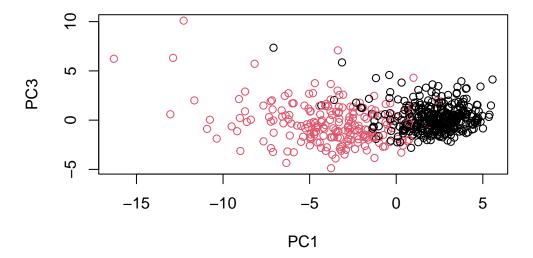
Create a bi-plot of the wisc.pr

biplot(wisc.pr)



Q8. Generate a similar plot for principal components 1 and 3. What do you notice about these plots?

The points on this plot are closer to the PC1 axis and are more closer together compared to the PC1 vs PC2 plot where they were further up from PC1 and further apart. This makes sense because PC2 explains more variance in the data compared to data 3.

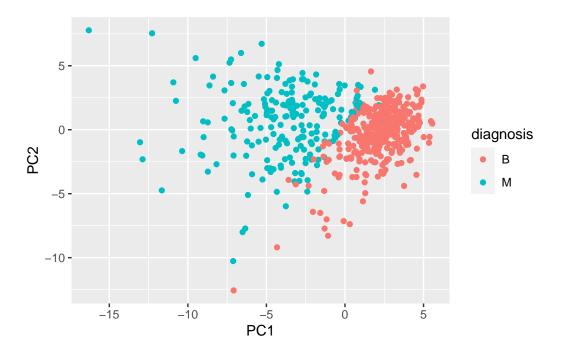


Use ggplot2 to make a more fancy figure of the results.

```
# Create a dat.frame for ggplot
df <- as.data.frame(wisc.pr$x)
df$diagnosis <- diagnosis

# Load the ggplot2
library(ggplot2)

# Make a scatter plot colored by diagnosis
ggplot(df) +
   aes(PC1, PC2, col = diagnosis) +
   geom_point()</pre>
```



Calculate the variance of each principal component by squaring the stdev component of wisc.pr (i.e. wisc.pr\$sdev^2).

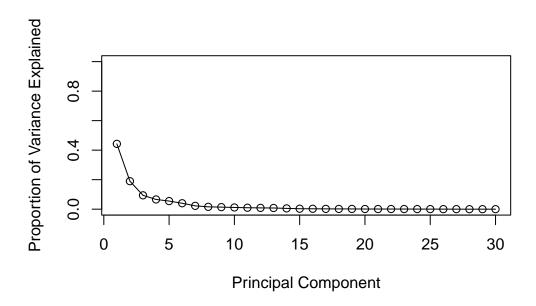
```
# Calculate the variance of each component
pr.var <- wisc.pr$sdev^2
head(pr.var)</pre>
```

[1] 13.281608 5.691355 2.817949 1.980640 1.648731 1.207357

Calculate the variance explained by each principal component by dividing by the total variance explained of all principal components. We can also plot the variance explained for each principal component after calculating it.

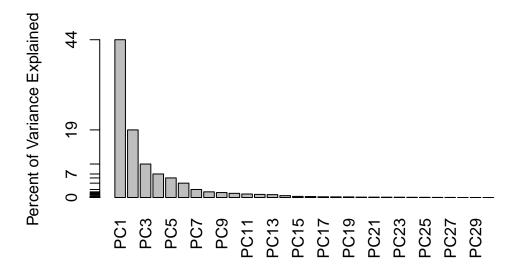
```
# Variance explained by each principal component: pve
pve <- pr.var / sum(pr.var)

# Plot the variance explained for each principal component
plot(pve, xlab = "Principal Component", ylab="Proportion of Variance Explained", ylim = c0</pre>
```



We can make a alternative scree plot of the same data.

```
barplot(pve, ylab = "Percent of Variance Explained", names.arg=paste0("PC",1:length(pve)),
axis(2, at=pve, labels = round(pve,2)*100)
```



Q9. For the first principal component, what is the component of the loading vector (i.e. wisc.pr\$rotation[,1]) for the feature concave.points_mean?

The component is -0.26085376

wisc.pr\$rotation[,1]

perimeter_mean	texture_mean	radius_mean
-0.22753729	-0.10372458	-0.21890244
compactness_mean	${\tt smoothness_mean}$	area_mean
-0.23928535	-0.14258969	-0.22099499
symmetry_mean	concave.points_mean	concavity_mean
-0.13816696	-0.26085376	-0.25840048
texture_se	radius_se	fractal_dimension_mean
-0.01742803	-0.20597878	-0.06436335
smoothness_se	area_se	perimeter_se
-0.01453145	-0.20286964	-0.21132592
concave.points_se	concavity_se	compactness_se
-0.18341740	-0.15358979	-0.17039345
radius_worst	fractal_dimension_se	symmetry_se
-0.22799663	-0.10256832	-0.04249842
area_worst	perimeter_worst	texture_worst
-0.22487053	-0.23663968	-0.10446933

Q10. What is the minimum number of principal components required to explain 80% of the variance of the data?

4 principal components are required to explain 80% of the variance in the data.

[1] 4

Hierarchical Clustering

Scale the wisc.data data and assign the result to data.scaled.

```
data.scaled <- scale(wisc.data)</pre>
```

Calculate the (Euclidean) distances between all pairs of observations in the new scaled dataset and assign the result to data.dist.

```
data.dist <- dist(data.scaled)</pre>
```

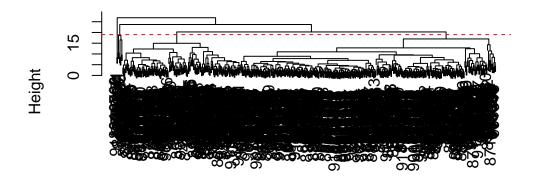
Create a hierarchical clustering model using complete linkage. Manually specify the method argument to hclust() and assign the results to 'wisc.hclust.

```
wisc.hclust <- hclust(data.dist, method = "complete")</pre>
```

Q11. Using the plot() and abline() functions, what is the height at which the clustering model has 4 clusters?

```
plot(wisc.hclust)
abline(h=19, col="red", lty = 2)
```

Cluster Dendrogram



data.dist hclust (*, "complete")

Selecting a number of clusters

Use cutree() to cut the tree so that it has 4 clusters. Assign the output to the variable wisc.hclust.clusters

```
wisc.hclust.clusters <- cutree(wisc.hclust, k = 4)
wisc.hclust.clusters2 <- cutree(wisc.hclust, k = 10)</pre>
```

Can use the table() function to compare cluster membership to the actual diagnoses

```
table(wisc.hclust.clusters, diagnosis)
```

```
diagnosis wisc.hclust.clusters B M 1 12 165
```

```
2 2 5
3 343 40
4 0 2
```

```
table(wisc.hclust.clusters2, diagnosis)
```

```
diagnosis
wisc.hclust.clusters2
                           В
                               Μ
                          12
                              86
                     2
                           0
                              59
                     3
                               3
                     4
                        331
                              39
                     5
                          0
                              20
                     6
                           2
                               0
                     7
                         12
                               0
                               2
                     8
                           0
                     9
                               2
                           0
                     10
                           0
                               1
```

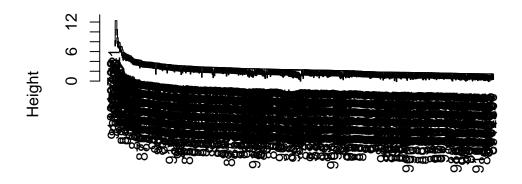
Q12. Can you find a better cluster vs diagnoses match by cutting into a different number of clusters between 2 and 10?

Yes you can find a better cluster vs diagnoses match by cutting into a different number of cluster between 2 and 10, probably 10 as shows it shows the distribution more towards the other clusters rather than it being all on cluster 1 and 3.

Using different methods

```
wisc.hclust1 <- hclust(data.dist, method = "single")
wisc.hclust2 <- hclust(data.dist, method = "complete")
wisc.hclust3 <- hclust(data.dist, method = "average")
wisc.hclust4 <- hclust(data.dist, method = "ward.D2")
plot(wisc.hclust1)</pre>
```

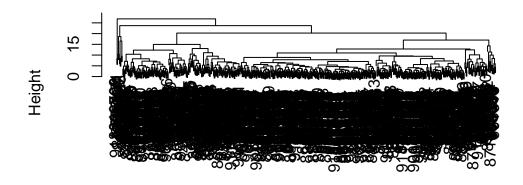
Cluster Dendrogram



data.dist hclust (*, "single")

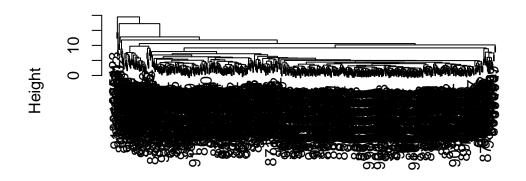
plot(wisc.hclust2)

Cluster Dendrogram



data.dist hclust (*, "complete")

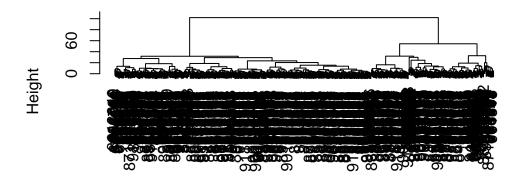
Cluster Dendrogram



data.dist hclust (*, "average")

plot(wisc.hclust4)

Cluster Dendrogram



data.dist hclust (*, "ward.D2")

Q13. Which method gives your favorite results for the same data.dist dataset? Explain your reasoning.

The ward.d2 method is my favorite result for the same data.dist dataset because you can see the major cluster that continuously divides into the smaller clusters, showing the actual hierarchical connections between the data.

OPTIONAL: K-means clustering

Create k-means model on wisc.data, assigning the result to wisc.km,

```
wisc.km <- kmeans(scale(wisc.data), centers = 2, nstart = 20)
wisc.km</pre>
```

K-means clustering with 2 clusters of sizes 189, 380

Cluster means:

```
radius_mean texture_mean perimeter_mean area_mean smoothness_mean
1 0.9731199 0.4810905 1.0057496 0.9626801 0.6087185
2 -0.4839991 -0.2392792 -0.5002281 -0.4788067 -0.3027573
compactness_mean concavity_mean concave.points_mean symmetry_mean
1 1.0197987 1.138428 1.1635583 0.6106013
```

```
2
        -0.5072157
                         -0.566218
                                             -0.5787172
                                                            -0.3036938
 fractal_dimension_mean radius_se texture_se perimeter_se
                                                                 area_se
               0.2520081 0.8578415 0.04270321
1
                                                      0.8595226 0.8063982
2
              -0.1253409 -0.4266633 -0.02123923
                                                     -0.4274994 -0.4010770
  smoothness se compactness se concavity se concave.points se symmetry se
                      0.6944395
1
     0.01704563
                                    0.6363352
                                                       0.7755561
                                                                   0.1402588
2
    -0.00847796
                     -0.3453923
                                   -0.3164930
                                                      -0.3857371 -0.0697603
 fractal_dimension_se radius_worst texture_worst perimeter_worst area_worst
             0.4146673
                            1.039169
                                          0.5058654
                                                           1.0650336 1.0022723
1
2
            -0.2062424
                           -0.516850
                                         -0.2516015
                                                          -0.5297141 -0.4984986
  smoothness_worst compactness_worst concavity_worst concave.points_worst
         0.6077580
                            0.9500013
                                             1.0433804
1
                                                                     1.145203
2
        -0.3022796
                           -0.4725007
                                            -0.5189444
                                                                    -0.569588
  symmetry_worst fractal_dimension_worst
1
       0.5968910
                                 0.6219221
2
      -0.2968747
                                -0.3093244
Clustering vector:
                      84300903
                                84348301
                                                        843786
   842302
             842517
                                           84358402
                                                                   844359
                                                                           84458202
        1
                   1
                             1
                                        1
                                                   1
                                                                        1
   844981
           84501001
                        845636
                                84610002
                                             846226
                                                                           84799002
                                                        846381
                                                                 84667401
                             2
                                                              2
        1
                   1
                                        1
                                                   1
                                                                                   1
                                             8510653
   848406
           84862001
                        849014
                                  8510426
                                                       8510824
                                                                  8511133
                                                                              851509
                   1
                             1
                                             852973
   852552
             852631
                        852763
                                   852781
                                                        853201
                                                                   853401
                                                                              853612
        1
                              1
                                        1
                                                   1
                                                              1
                                                                        1
                                                                                   1
                   1
85382601
                                   854253
                                                        854941
             854002
                        854039
                                             854268
                                                                   855133
                                                                              855138
                                                                        2
                                                                                   2
        1
                   1
                              1
                                        1
                                                              2
   855167
                        855625
                                           85638502
                                                                 85713702
                                                                               85715
             855563
                                   856106
                                                        857010
        2
                   2
                             1
                                        2
                                                   2
                                                              1
                                                                   857438
   857155
             857156
                        857343
                                   857373
                                             857374
                                                        857392
                                                                           85759902
        2
                   2
                              2
                                        2
                                                   2
                                                                        2
                                                                                   2
                                                              1
   857637
             857793
                        857810
                                   858477
                                             858970
                                                        858981
                                                                   858986
                                                                              859196
                             2
                                        2
                                                   2
        1
                   1
                                                                        1
85922302
             859283
                        859464
                                   859465
                                             859471
                                                        859487
                                                                   859575
                                                                              859711
                              2
                                                                                   2
        1
                   1
                                        2
                                                   1
                                                                        1
             859983
                                                                             8610908
   859717
                       8610175
                                  8610404
                                             8610629
                                                       8610637
                                                                  8610862
        1
                                        1
   861103
            8611161
                       8611555
                                  8611792
                                             8612080
                                                       8612399
                                                                 86135501
                                                                            86135502
        2
                   1
                             1
                                        1
                                                   2
                                                              1
                                                                        2
                                                                                   1
                                   861799
             861598
                        861648
                                                        862009
                                                                   862028
   861597
                                             861853
                                                                               86208
                             2
        2
                                        2
                                                   2
                                                              2
                                                                        1
                                                                                   1
                   1
    86211
             862261
                        862485
                                   862548
                                             862717
                                                        862722
                                                                   862965
                                                                              862980
```

2	2	2	2	2	2	2	2
862989	863030	863031	863270				86408
2	1	2	2	1	2	2	2
86409	864292	864496	864685	864726	864729	864877	865128
1	2	2	2	2	1	1	2
865137	86517	865423	865432	865468	86561	866083	866203
2	1	1	2	2	2	2	1
866458	866674	866714	8670	86730502	867387	867739	868202
1	1	2	1	1	2	1	2
868223	868682	868826	868871	868999	869104	869218	869224
2	2			2			2
869254	869476	869691	86973701	86973702	869931	871001501	871001502
2	2	1	2	2	2	2	2
8710441	87106	8711002	8711003	8711202	8711216	871122	871149
1	2			1			
8711561	8711803	871201	8712064	8712289	8712291	87127	8712729
2	1	1	2	1	2	2	1
8712766	8712853	87139402					
1	2	2	2	1	2	2	2
872608	87281702	873357	873586	873592	873593	873701	873843
2	1	_					
873885	874158	874217					
2	2			2			
875099	875263	87556202		875938			877500
2	1			1			1
877501	877989	878796					
2	1	_					
8810158	8810436	881046502				8810955	8810987
2	2	_	_	_		_	1
		8811842					
2	2						
8813129		88147101					
2	2					1	
		882488					
2	1	_		1			
		883852					
2		1					2
		884948					
2	2			1			_
		887181					
	1		1				2
		8910251					
1	1	2	2	2	2	2	2

8910988	8910996	8911163		8911230	8911670	8911800	8911834
1	2	2	2	2	2	2	2
8912049	8912055	89122			8912521	8912909	8913
1	2	1	1	2	2	2	2
8913049	89143601	89143602	8915	891670	891703	891716	891923
2	2	1	2	2	2	2	2
891936	892189	892214	892399	892438	892604	89263202	892657
2	2	2	2	1	2	1	2
89296	893061	89344	89346	893526	893548	893783	89382601
2	2	2	2	2	2	2	2
89382602	893988	894047	894089	894090	894326	894329	894335
2	2	2	2	2	1	1	2
894604	894618	894855	895100	89511501	89511502	89524	895299
2	1	2	1	2	2	2	2
8953902	895633	896839	896864	897132	897137	897374	89742801
1	1	1	2	2	2	2	1
897604	897630	897880	89812	89813	898143	89827	898431
2	1	2	1	2	2	2	1
89864002	898677	898678	89869	898690	899147	899187	899667
2	2	2	2	2	2	2	1
899987	9010018	901011	9010258	9010259	901028	9010333	901034301
1	1	2	2	2	2	2	2
901034302	901041	9010598	9010872	9010877	901088	9011494	9011495
2	2	2	2	2	1	1	2
9011971	9012000	9012315	9012568	9012795	901288	9013005	901303
1	1	1	2	1	1	2	2
901315	9013579	9013594	9013838	901549	901836	90250	90251
1	2	2	1	2	2	2	2
902727	90291	902975	902976	903011	90312	90317302	903483
2	2	2	2	2	1	2	2
903507	903516	903554	903811	90401601	90401602	904302	904357
1	1	2	2	2	2	2	2
90439701	904647	904689	9047	904969	904971	905189	905190
1	2	2	2	2	2	2	2
90524101	905501	905502	905520	905539	905557	905680	905686
1	2	2	2	2	2	2	2
905978	90602302	906024	906290	906539	906564	906616	906878
2	1	2	2	2	1	2	2
907145	907367	907409	90745	90769601	90769602	907914	907915
2	2	2	2	2	2	1	2
908194	908445	908469	908489	908916	909220	909231	909410
1	1	2	2	2	2	2	2
			909777	9110127	9110720		9110944

2	1	2	2	2	2	1	2
911150	911157302	9111596	9111805	9111843	911201	911202	9112085
2	1	2	1	2	2	2	2
9112366	9112367	9112594	9112712	911296201	911296202	9113156	911320501
2	2	2	2	1	1	2	2
911320502	9113239	9113455	9113514	9113538	911366	9113778	9113816
2	1	2	2	1	2	2	2
911384	9113846	911391	911408	911654	911673	911685	911916
2	2	2	2	2	2	2	1
912193	91227	912519	912558	912600	913063	913102	913505
2	2	2	2	2	1	2	1
913512	913535	91376701	91376702	914062	914101	914102	914333
2	2	2	2	1	2	2	2
914366			91485		91504	91505	915143
2	2	1	1	2	1	2	1
915186	915276	91544001			915460		
1		2					_
915691	915940	91594602	916221	916799	916838	917062	917080
1	-	_					
917092	91762702	91789	917896	917897	91805	91813701	91813702
2					2		
918192	918465						
2	_	_					
91979701					921386		
2	_	_				_	_
922297	922576						
2	_	_	2				
924084		924632					925291
2	_		2				_
	925311						
2	2	1	1	1	1	1	1
92751							
2							

Within cluster sum of squares by cluster:

[1] 6325.137 5249.946

(between_SS / total_SS = 32.1 %)

Available components:

[1] "cluster" "centers" "totss" "withinss" "tot.withinss"

[6] "betweenss" "size" "iter" "ifault"

Use the table() function to compare the cluster membership of the k-means model (wisc.km\$cluster) to the actual diagnoses contained in the diagnosis vector

```
table(wisc.km$cluster, diagnosis)
diagnosis
    B M
1 14 175
2 343 37
```

Q14. How well does k-means separate the two diagnoses? How does it compare to your helust results?

The k-means separates the two diagnoses similarly compared to helust. As the results of the two are nearly identical with differents in the malignant cluster 1.

```
table(wisc.hclust.clusters, diagnosis)
```

```
diagnosis
wisc.hclust.clusters B M
1 12 165
2 2 5
3 343 40
4 0 2
```

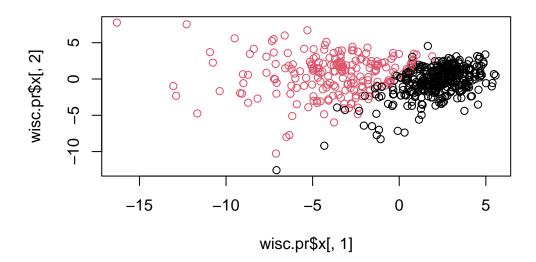
```
table(wisc.km$cluster, wisc.hclust.clusters)
```

```
wisc.hclust.clusters
    1    2    3    4
1    160    7    20    2
2    17    0   363    0
```

Combining Methods

I want to cluster in "PC space"

```
plot(wisc.pr$x[,1], wisc.pr$x[,2], col = diagnosis)
```



summary(wisc.pr)

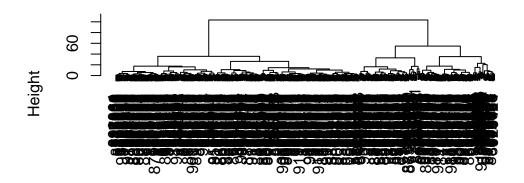
Importance of components:

PC1 PC2 PC3 PC4 PC5 PC6 PC7 Standard deviation 3.6444 2.3857 1.67867 1.40735 1.28403 1.09880 0.82172 Proportion of Variance 0.4427 0.1897 0.09393 0.06602 0.05496 0.04025 0.02251 Cumulative Proportion 0.4427 0.6324 0.72636 0.79239 0.84734 0.88759 0.91010 PC8 PC9 PC10 PC11 PC12 PC13 Standard deviation 0.69037 0.6457 0.59219 0.5421 0.51104 0.49128 0.39624 Proportion of Variance 0.01589 0.0139 0.01169 0.0098 0.00871 0.00805 0.00523 Cumulative Proportion $0.92598 \ 0.9399 \ 0.95157 \ 0.9614 \ 0.97007 \ 0.97812 \ 0.98335$ PC15 PC16 PC17 PC18 PC19 PC20 PC21 Standard deviation 0.30681 0.28260 0.24372 0.22939 0.22244 0.17652 0.1731 Proportion of Variance 0.00314 0.00266 0.00198 0.00175 0.00165 0.00104 0.0010 0.98649 0.98915 0.99113 0.99288 0.99453 0.99557 0.9966 Cumulative Proportion PC25 PC22 PC23 PC24 PC26 PC27 PC28 Standard deviation 0.16565 0.15602 0.1344 0.12442 0.09043 0.08307 0.03987 Proportion of Variance 0.00091 0.00081 0.0006 0.00052 0.00027 0.00023 0.00005 Cumulative Proportion 0.99749 0.99830 0.9989 0.99942 0.99969 0.99992 0.99997 PC29 PC30 Standard deviation 0.02736 0.01153 Proportion of Variance 0.00002 0.00000

The hcluster() function wants a distance matrix as input..

```
d <- dist(wisc.pr$x[,1:3])
wisc.pr.hclust <- hclust(d, method = "ward.D2")
plot(wisc.pr.hclust)</pre>
```

Cluster Dendrogram



d hclust (*, "ward.D2")

Find the cluster membership vector with cutree() function.

```
grps
diagnosis 1 2
B 24 333
M 179 33
```

Use the distance along the first 7 PCs for clustering i.e. wisc.pr\$x[, 1:7]

```
d2 <- dist(wisc.pr$x[,1:7])
wisc.pr.hclust <- hclust(d2, method="ward.D2")
wisc.pr.hclust.clusters <- cutree(wisc.pr.hclust, k=2)</pre>
```

Q15. How well does the newly created model with four clusters separate out the two diagnoses?

The newly created with four clusters separates out the two diagnoses the same as the the cluster with the distance for the first 3 PCs.

```
table(wisc.pr.hclust.clusters, diagnosis)

diagnosis
wisc.pr.hclust.clusters B M
1 28 188
2 329 24
```

Q16. How well do the k-means and hierarchical clustering models you created in previous sections (i.e. before PCA) do in terms of separating the diagnoses? Again, use the table() function to compare the output of each model (wisc.km\$cluster and wisc.hclust.clusters) with the vector containing the actual diagnoses.

The k-means and hierarchical clustering models created in previous section do a decent job of separating the diagnoses by malignant and benign. As we can see between the two, the k-means has two clusters whilst the hcluster has 4 clusters which will cause a discrepancy in values when comparing the two as there are more clusters in which some patients must be closer to a certain cluster.

```
table(wisc.km$cluster, diagnosis)

diagnosis
    B M
1 14 175
2 343 37
```

table(wisc.hclust.clusters, diagnosis)

diagnosis wisc.hclust.clusters B M 1 12 165 2 2 5 3 343 40 4 0 2

Q17. Which of your analysis procedures resulted in a clustering model with the best specificity? How about sensitivity?

The kmeans clustering model had the better sensitivity as it is able to categorize the benign and malignant patients and correctly detects the ill patients in which have the condition of tumor cells being malignant. Additionally, the heluster had better specificity as it can correctly reject the patients without a condition as it includes clusters in proportion of benign and is able to correctly reject healthy patients.